

# *Experiments to detect $\theta_{13}$*

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# *Layout of the talk*

- $\theta_{13}$  and motivations to its measurement
- Chooz limit
- Appearance and disappearance experiments
  - Accelerators (A)
  - Nuclear Reactors (R)
- (A)
  - Approved projects (Phase I)
  - Phase II
  - Phase III
- (R)
  - Double-Chooz and similar

# $\theta_{13}$

- Scenario: MiniBoone disfavouring LSND
- "standard picture"
  - $2 \Delta m^2_{ij}$  ( $\Delta m^2_{12}, \Delta m^2_{23}$ ) independent
  - 3 mixing angles ( $\theta_{12}, \theta_{23}, \theta_{13}$ )
  - 1 ~~CP~~ phase
- Mixing Matrix **PMNS**
  - 1-2 solar mixing
  - 2-3 atmospheric mixing
  - 1-3 or e3 mixing:  $\theta_{13}$  describes oscillations  $\nu_e$  at the atmospheric frequency
  - $\delta_{CP} \rightarrow$  introduces CP violation effects

$$U = \begin{pmatrix} U_{e1} & U_{e2} & U_{e3} \\ U_{\mu1} & U_{\mu2} & U_{\mu3} \\ U_{\tau1} & U_{\tau2} & U_{\tau3} \end{pmatrix} =$$

$$\begin{pmatrix} c_{12} & s_{12} & 0 \\ -s_{12} & c_{12} & 0 \\ 0 & 0 & 1 \end{pmatrix} \cdot \begin{pmatrix} c_{13} & 0 & e^{-i\delta_{CP}} s_{13} \\ 0 & 1 & 0 \\ -e^{-i\delta_{CP}} s_{13} & 0 & c_{13} \end{pmatrix} \cdot \begin{pmatrix} 1 & 0 & 0 \\ 0 & c_{23} & s_{23} \\ 0 & -s_{23} & c_{23} \end{pmatrix}$$

## Current experimental results:

- $\Delta m^2_{23} \sim 2 \times 10^{-3} \text{ eV}^2$
- $\Delta m^2_{12} \sim 7 \times 10^{-5} \text{ eV}^2$
- $\Delta m^2_{23} \gg \Delta m^2_{12}$
- $\theta_{12} \sim 35^\circ$
- $\theta_{23} \sim 45^\circ$

# Why measuring $\theta_{13}$ ?

- The least known among the parameters in PMNS
- Coupled to  $e^{i\delta}(U_{e3})$
- $\theta_{13} > 0$  would allow to access  $\delta$
- CP violation in the lepton sector

$$\mathbf{U} = \begin{pmatrix} \mathbf{U}_{e1} & \mathbf{U}_{e2} & \mathbf{U}_{e3} \\ \mathbf{U}_{\mu1} & \mathbf{U}_{\mu2} & \mathbf{U}_{\mu3} \\ \mathbf{U}_{\tau1} & \mathbf{U}_{\tau2} & \mathbf{U}_{\tau3} \end{pmatrix} = \begin{pmatrix} \mathbf{0.7} & \mathbf{0.7} & \mathbf{s_{13}e^{i\delta}} \\ \mathbf{0.5} & \mathbf{0.5} & \mathbf{0.7} \\ \mathbf{0.5} & \mathbf{0.5} & \mathbf{0.7} \end{pmatrix}$$

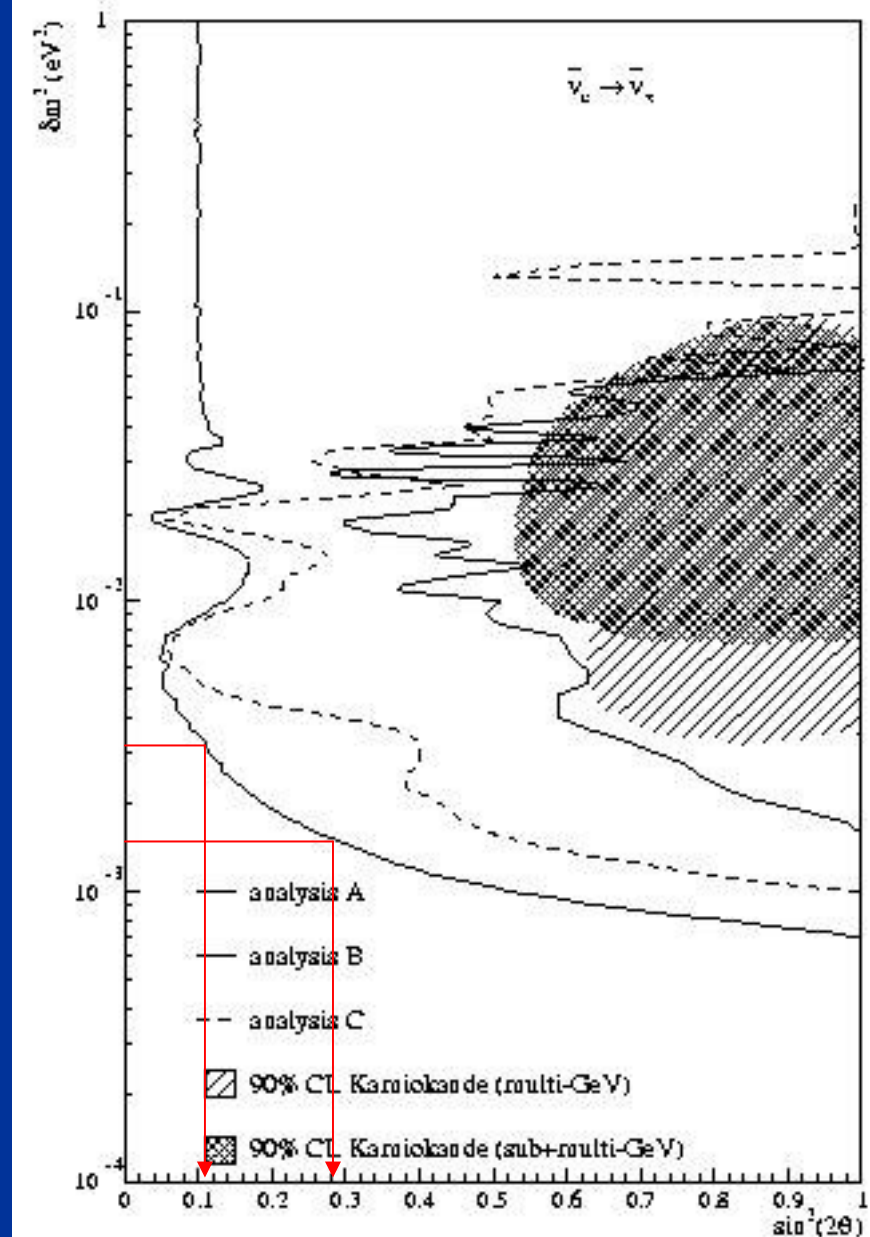
# What do we know about $\theta_{13}$ today?

1.  $\theta_{13}$  must be small (maybe null)
2. The best limit up to date comes from the reactor experiment **CHOOZ**:

$$\theta_{13} < 10^\circ - 17^\circ$$

$$(1.3 \times 10^{-3} < \Delta m_{23}^2 < 3 \times 10^{-3})$$

[J. Bouchez, NO-VE 2003]



[CHOOZ coll., Eur.Phys.J.C27(2003),331-374]

# 3 families scenario: appearance experiments

- Accelerators
- NB: P sensitive to  $\delta$  (correlated with  $\theta_{13}$ )
- $\alpha$  should be considered
- $\text{sign}(\Delta m_{13}^2)$  is present in  $\hat{A}$

$$\begin{aligned}
 P(\nu_\mu \rightarrow \nu_e) &= \\
 &= \sin^2 2\theta_{13} \cdot A_1 \\
 &\quad - \sin\delta \cdot \sin 2\theta_{13} \cdot \alpha \cdot A_2 \\
 &\quad + \cos\delta \cdot \sin 2\theta_{13} \cdot \alpha \cdot \cos\Delta \cdot A_3 \\
 &\quad + \alpha^2 \cdot A_4
 \end{aligned}$$

$$A_1 = \sin^2 \theta_{23} \cdot \frac{\sin^2[(1-\hat{A})\Delta]}{(1-\hat{A})}$$

$$A_2 = \xi \cdot \sin(\Delta) \cdot \frac{\sin(\hat{A}\Delta)}{\hat{A}} \cdot \frac{\sin[(1-\hat{A})\Delta]}{(1-\hat{A})}$$

$$A_3 = \xi \cdot \cos(\Delta) \cdot \frac{\sin(\hat{A}\Delta)}{\hat{A}} \cdot \frac{\sin[(1-\hat{A})\Delta]}{(1-\hat{A})}$$

$$A_4 = \cos^2 \theta_{23} \cdot \sin^2 2\theta_{12} \cdot \frac{\sin^2(\hat{A}\Delta)}{\hat{A}}$$

$$\Delta = \Delta m_{13}^2 \left( \frac{L}{4E} \right)$$

$$\xi = c_{13} \cdot \sin 2\theta_{12} \cdot \sin 2\theta_{23}$$

$$\alpha = \frac{\Delta m_{21}^2}{\Delta m_{31}^2}$$

[P.Migliozzi, F.Terranova arXiv:hep-ph/0302274]

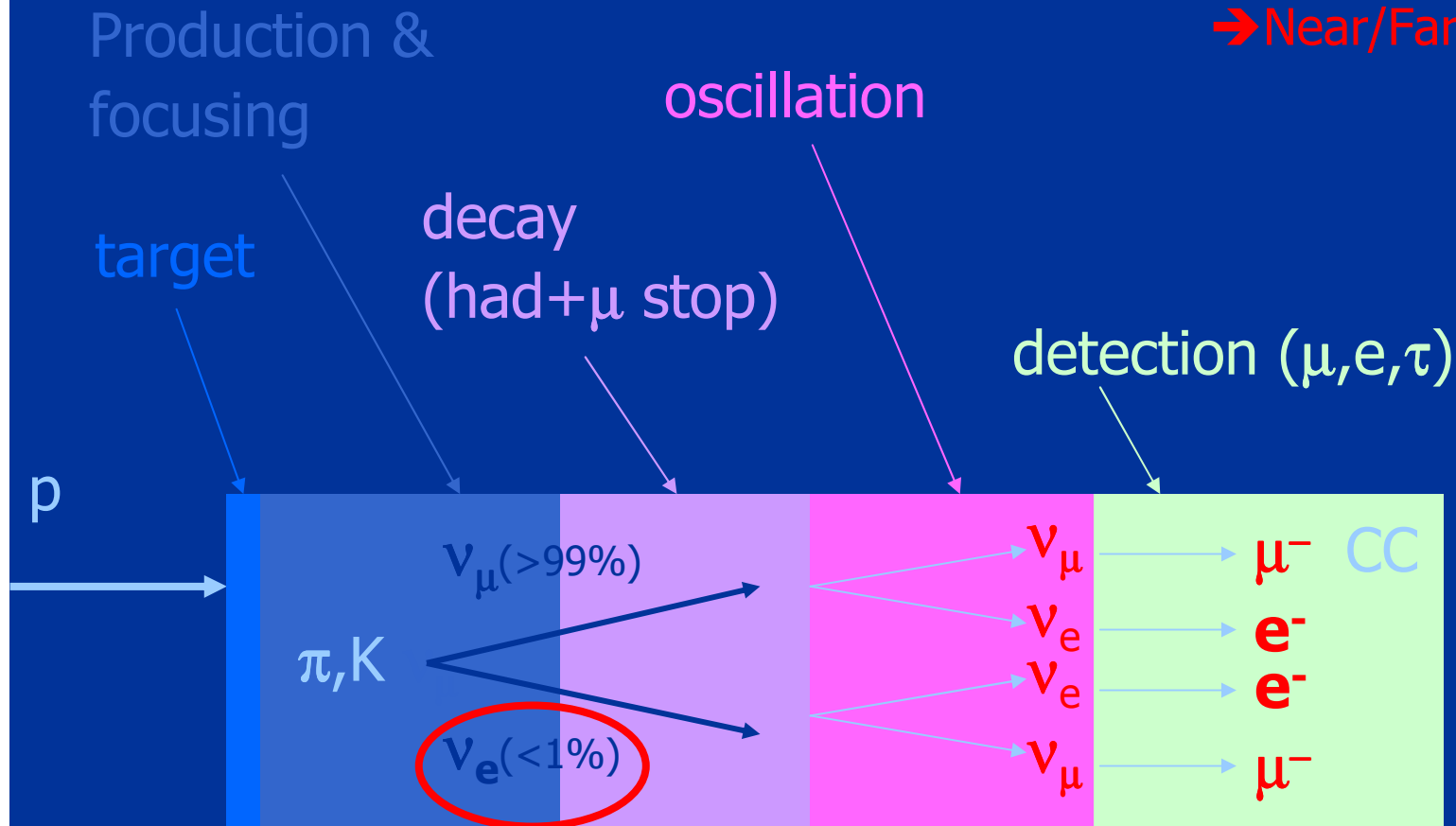
# *Accelerators*

- general concept: conventional beam
  - Broad band (BBB)
  - Narrow band (NBB)
- Super Beam (SB)
- Off-Axis Beam (OA)
- $\beta$ -Beam ( $\beta$ B)
- Neutrino Factory (NF)

# (A) General concept

Main backgrounds:

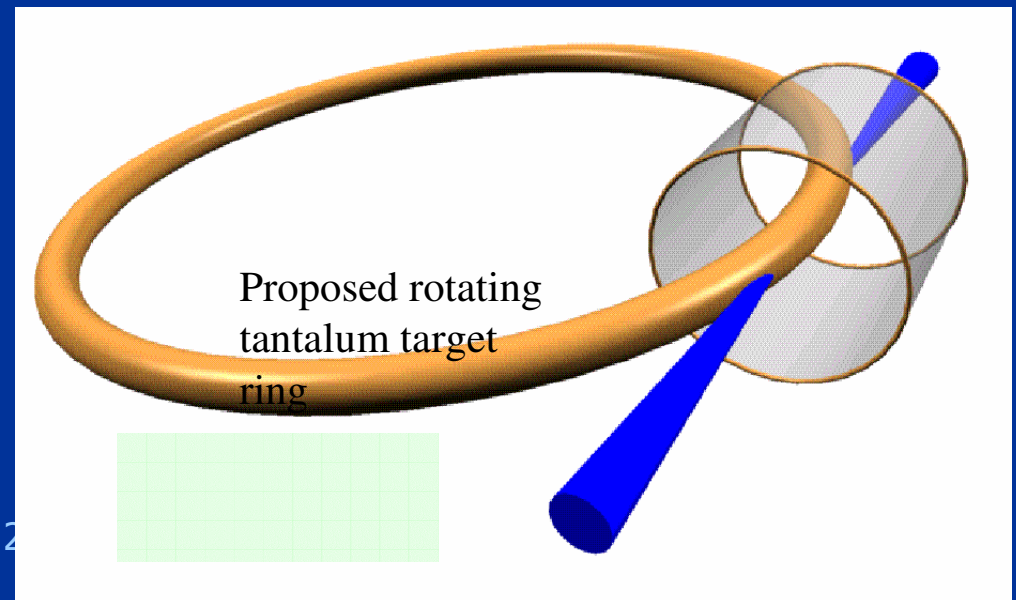
- Initial  $\nu_e$  contamination in the beam
- $\pi^0$  production (NC)
- Near/Far detection





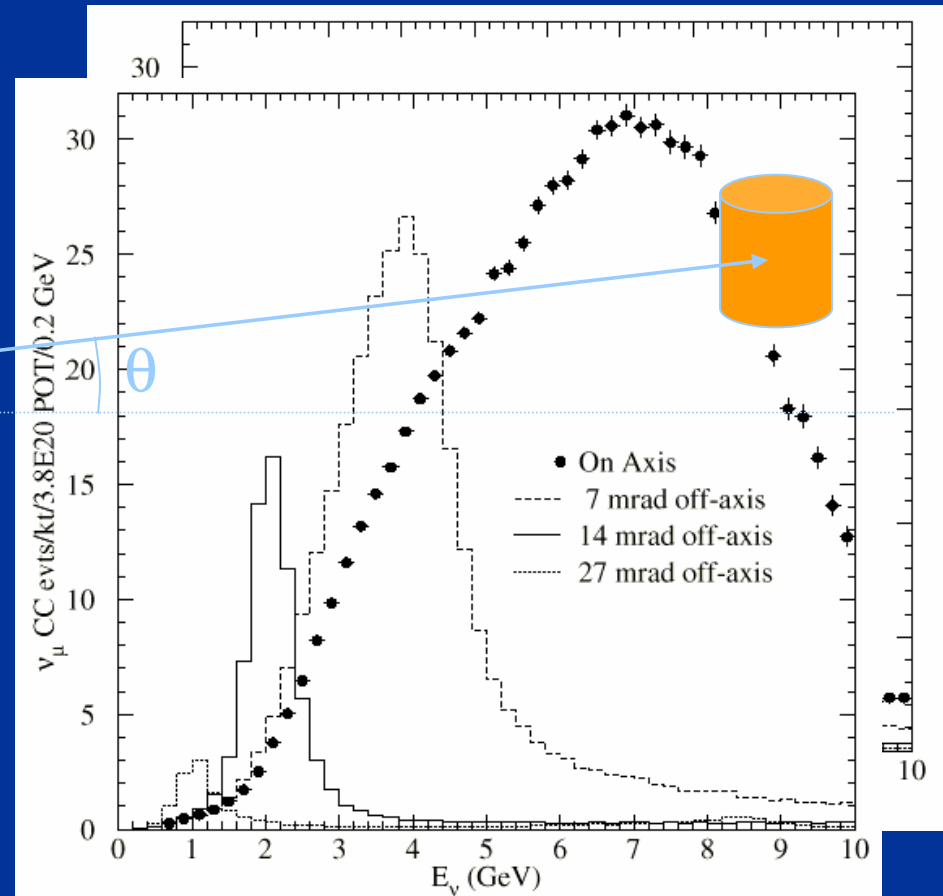
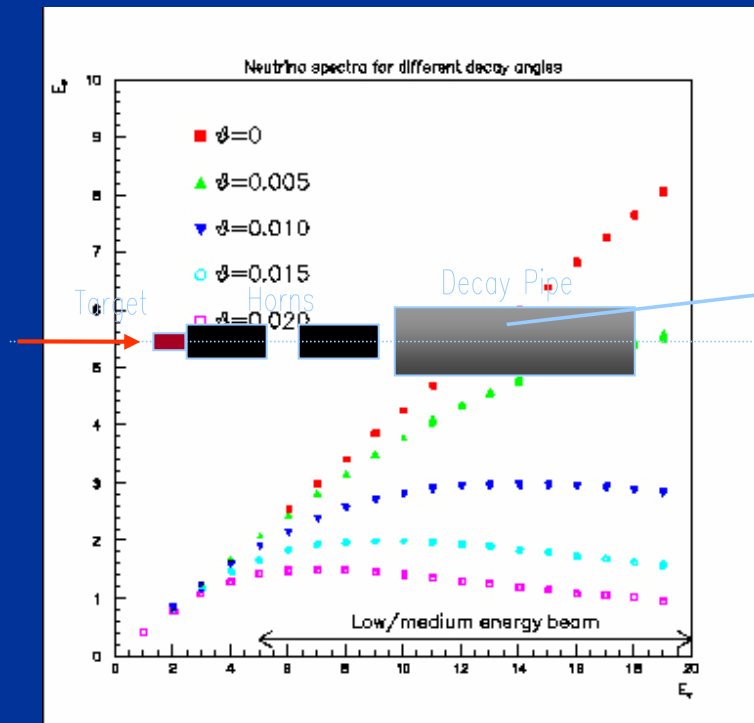
# (A)-SB

- It is a conventional proton beam whose power is of the order of MW
- Produces  $\nu_{\mu}$  ( $\bar{\nu}_{\mu}$ )
- Proton-driver: technically feasible
  - PB: target
  - Sol.: R&D



# (A)-0A

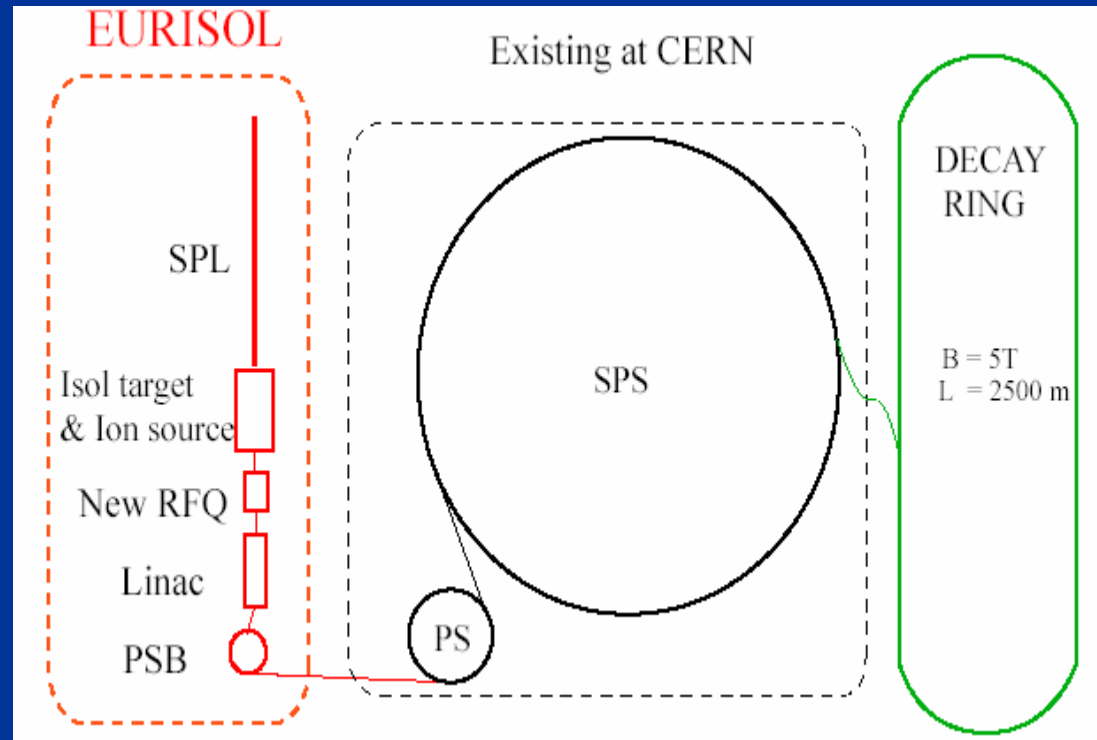
- Detector laying out of the main beam axis



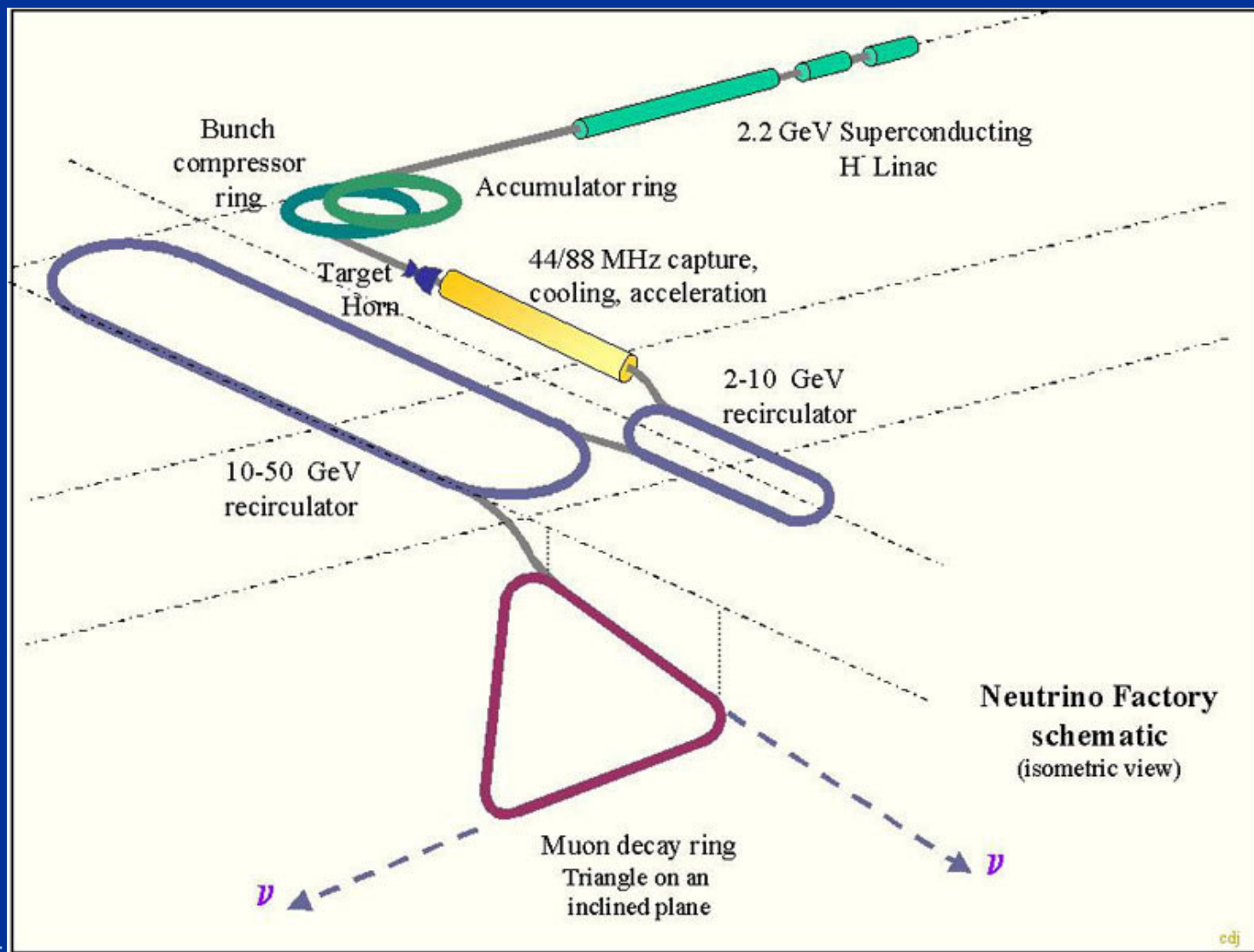
# *(A) $\beta$ -Beams*

[P.Zucchelli, Phys.Lett. B532:166,2002]

- Original solution: radioactive ions with short lifetime
  - acceleration
  - storage
  - decay
- Es.:  $\beta^- (^6\text{He}) \rightarrow \bar{\nu}_e$ ,  
 $\beta^+ (^{18}\text{Ne}) \rightarrow \nu_e$



# (A)-NF



# (A) Experiments [J.Bouchez, NO-VE 2003]

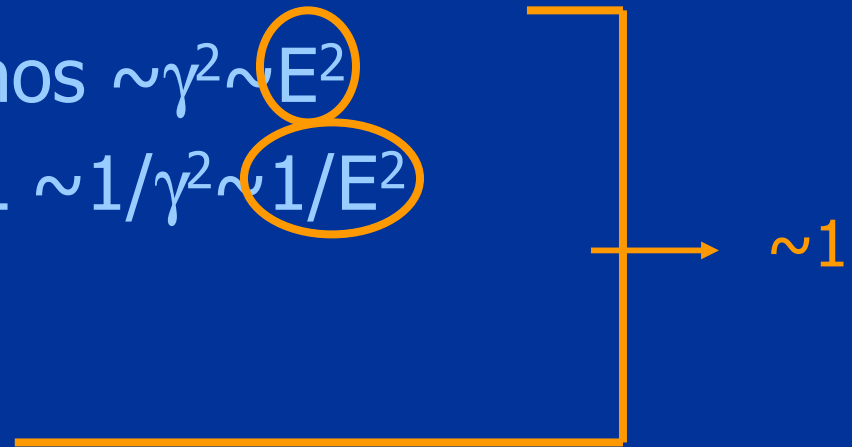
Experiment	Power (MW)	E (GeV)	L (km)	detector	Sens to $\theta_{13}$	Starting date	
Phase I	MINOS	0.4	3	730	Calorimeter	5°	2005
	OPERA	0.17	20	732	Emulsion	7°	2006
	ICARUS	0.17	20	732	L-Ar	5°	2006
Phase II	NuMI-OA	0.4	2	700/ 900	Fine grained calorimeter[20kT]	2.5°	2008 ?
	T2K (OA)	0.8	0.7	295	WC (SuperK) [20kT]	2.3°	2009
Phase III	T2K-II (OA)	4.0	0.7	295	WC (HyperK) [500kT]	1°	2020 ?
	SPL-SB	4.0	0.27	130	WC/L-Ar [500kT]	1°	~2015
	$\beta$ -Beam	0.2	0.3-0.6	130	WC/L-Ar [500kT]	0.5°	2018 ?

# *(A) Experiments (cont'd)*

- Requirements for Super-Beams ( $\nu_\mu \rightarrow \nu_e$  appearance case)
  - Beam side:
    - Low  $\nu_e$  contamination
    - Good knowledge of  $\nu_e/\nu_\mu$
    - Good understanding of the beam (near to far)
  - Detector side:
    - Good e- efficiency
    - Good  $\pi^0$  rejection
    - Good understanding of bkg

# Which energy?

- Low or high?
  - Focalisation of neutrinos  $\sim \gamma^2 \sim E^2$
  - Solid angle factor @ L  $\sim 1/\gamma^2 \sim 1/E^2$
  - $\sigma(\nu) \sim \gamma \sim E$
  - p flux  $\sim 1/\gamma \sim 1/E$
- The 0<sup>th</sup> order approximation cannot help that much in the choice
- Other considerations mandatory



# *LOW ( $E < 1\text{GeV}$ ) or High ( $E > 1\text{GeV}$ ) ?*

*[choice related to bkg considered]*

intrinsic  $\nu_e$  contamination and  $\pi^0$  mimicking e-

- **WC technique** gives a good  $\pi^0$  (NC) vs e- separation (2-ring vs 1-ring)
- Less  $\nu_e$  (below K threshold)
- Fermi momentum  $\rightarrow$  poor E resolution
- No matter effects
- Better use fine grained detectors or **L-Ar** TPC
- Need good  $\pi^0$  rejection
- More  $\nu_e$  bkg
- Better resolution in E
- Matter effects can arise  $\rightarrow$   $\text{sign}(\Delta m^2_{13})$

caveat: stay below  
 $\tau$  threshold



## *Underground or not?*

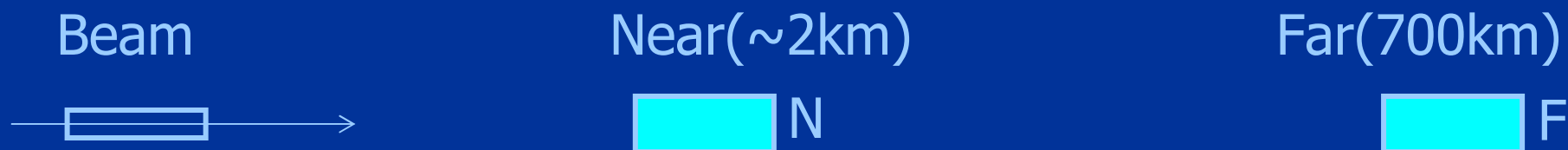
- In principle not: just a matter of choosing the right (low) duty cycle [phase II, 20 kton]
- BUT it is a must if your detector is “multi-purpose” (e.g. searching for other effects like proton decay) [phase III, 500 kton]

# Near/Far

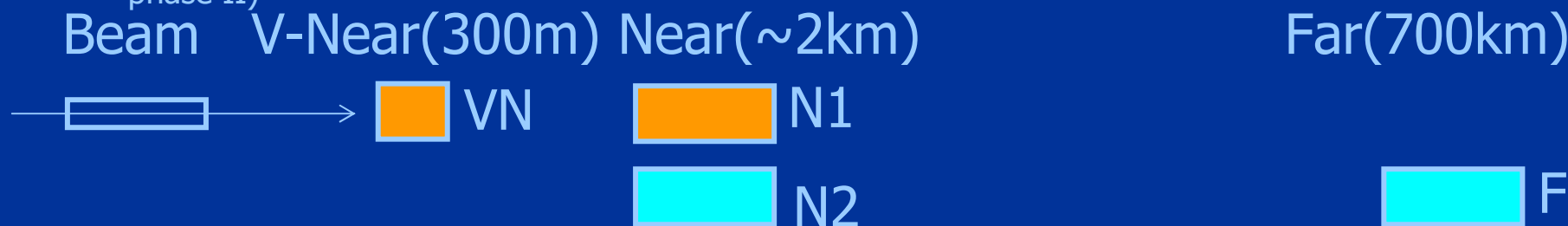
- Best way to determine  $\nu_e$  bkg: **measure** it at a near location (before oscillation)
- Try to ensure **equality of conditions** between near and far detectors: i.e. same beam, same target nuclei (cross sections and  $\pi^0$  production do depend on nuclei)
- **Near** detector **sufficiently far** from the source  $\rightarrow$  **point-like** assumption ( $\sim 2$  km)
  - If you go closer then the source is not point-like anymore
- Near detector able to understand the different  $\nu$  interactions (QE/non-QE)
- **Ideally TWO** near detectors ( $\sim 300$  m,  $\sim 2$  km):
  - One giving a clear clue about  $\nu$  interactions
  - The other as much as identical to the FAR detector

# Near/Far (cont'd): strategies for beam understanding

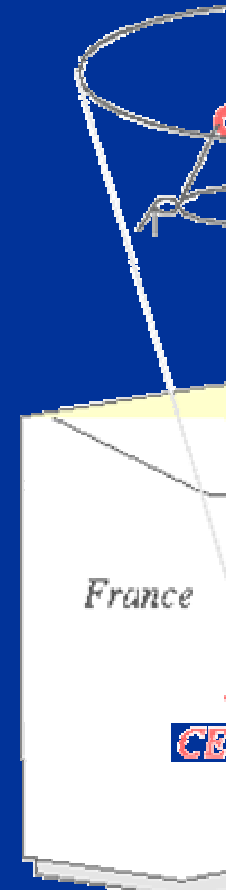
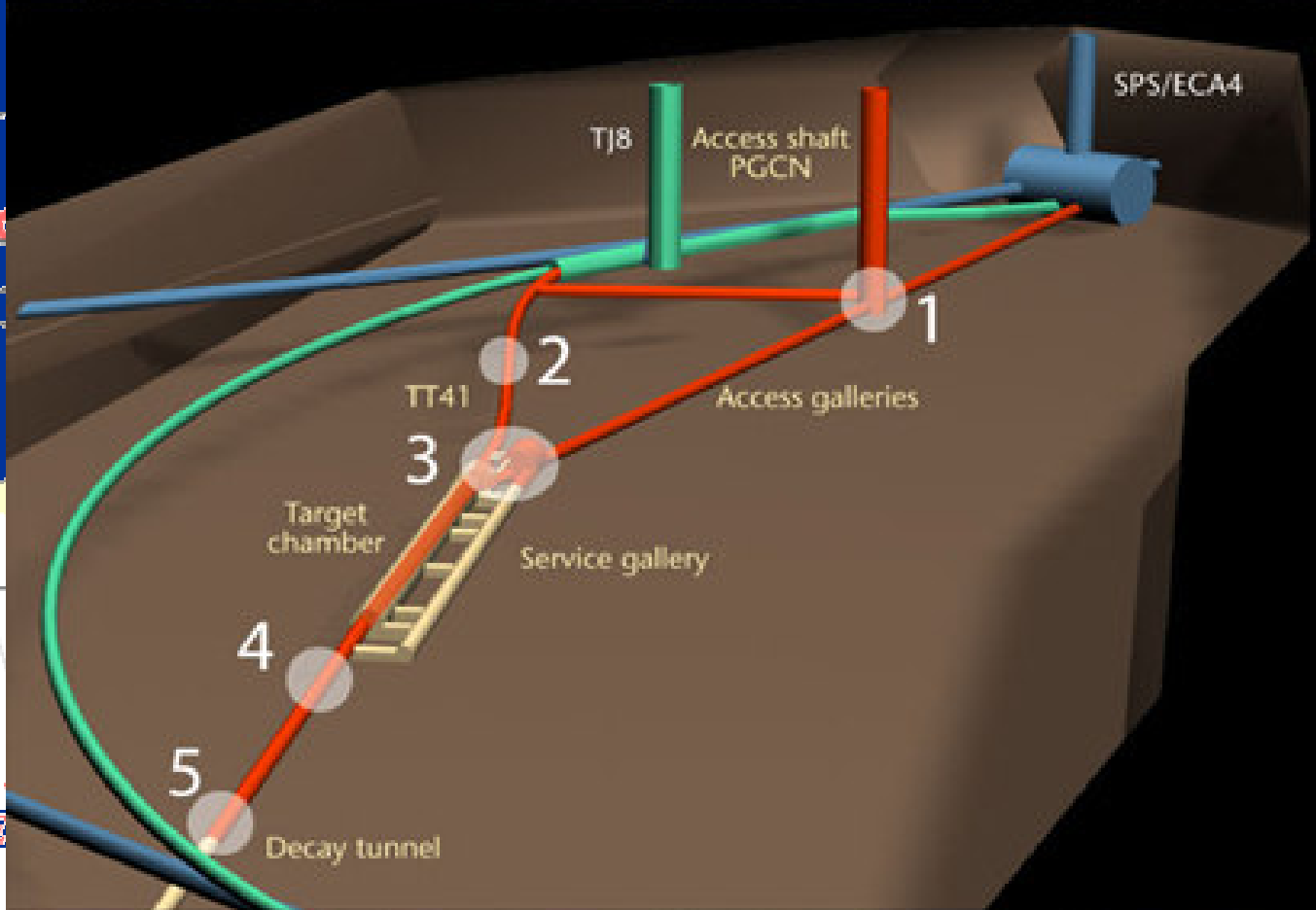
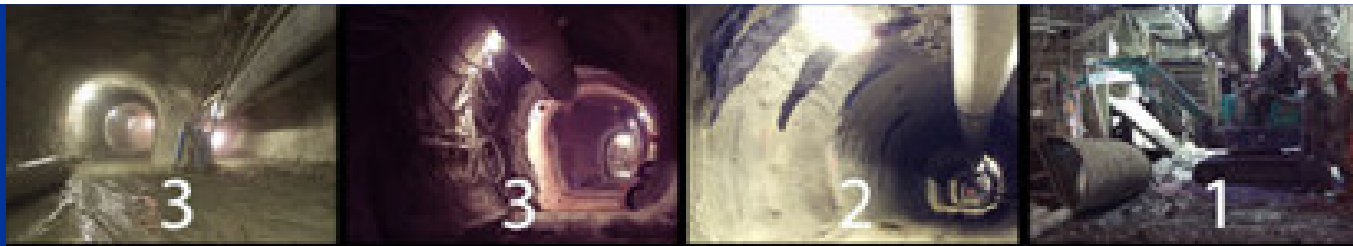
- Cheap solution:
  - N sees a point-like source
  - F and N use the same detection technique ( $1/L^2$  law)
  - Good for discovery though it does not allow a precise measurement of  $\theta_{13}$



- "Pricey" solution:
  - VN  $\leftrightarrow$  N1: similar detection techniques allowing beam understanding
  - N1  $\leftrightarrow$  N2: different in  $\sigma(\nu)$  and detector performances  $\rightarrow$  can be compared
  - F and N2 using the same detection technique
  - Should be optimal for high statistics phase III where you want to reduce systematics (less dramatic for phase II)



*Time to have a look at some  
projects ...*



France



from the desk of (Year Max)

15/04/2



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# CNGS

full mixing, 5 years run  
@  $6.76 \times 10^{19}$  pot/year

- Tuned to reach max sensitivity to  $\nu_\tau$  appearance  
(off-peak)  $\rightarrow E > E_{\text{thre}}(\tau) \sim 17 \text{ GeV} \rightarrow \Delta_{\text{CNGS}} \sim \mathcal{O}(10^{-1}) \rightarrow \Delta^2 \sim \mathcal{O}(10^{-2})$

$$\mathbf{P}(\nu_\mu \rightarrow \nu_\tau) \approx \cos^4 \theta_{13} \cdot \sin^2 2\theta_{23} \cdot \Delta^2 \leftarrow \text{Suppression factor}$$

- They open a window to  $\theta_{13}$

$$\mathbf{P}(\nu_\mu \rightarrow \nu_e) \approx \sin^2 2\theta_{13} \cdot \sin^2 \theta_{23} \cdot \sin^2 \Delta$$

**NB:**

- High cross sections  $\sigma(\nu_\tau\text{-CC}), \sigma(\nu_e\text{-CC})$

- High granularity (and detection of  $\tau \rightarrow e$  processes):

high BKG

suppression (NC( $\pi^0$ ),

$\nu_\mu \rightarrow \nu_\tau \rightarrow \tau (\rightarrow e) \times 2$ )

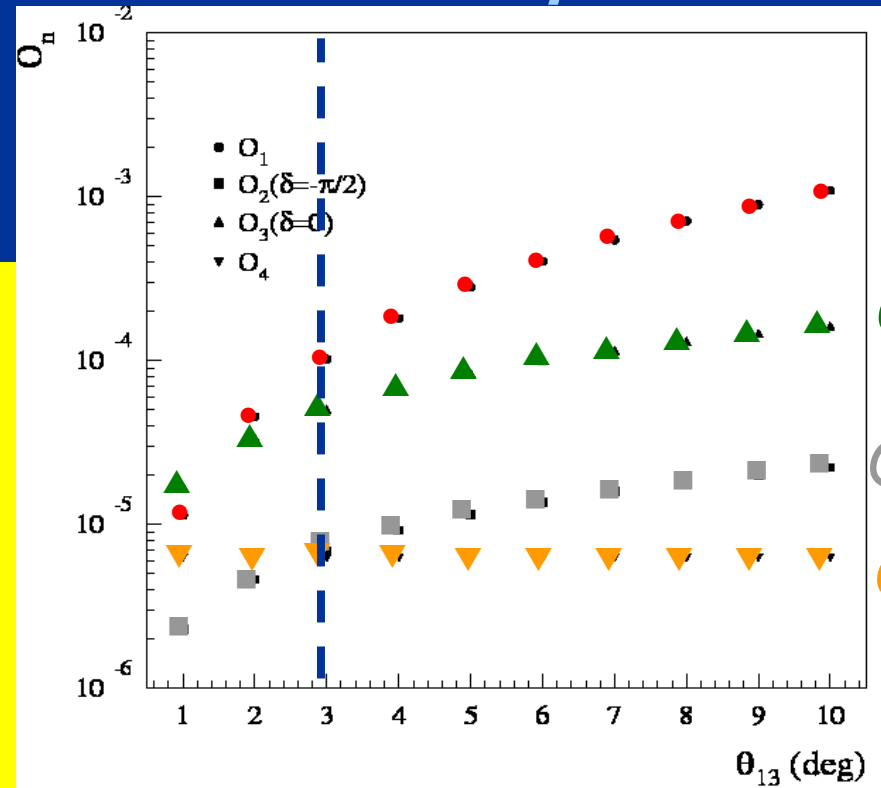
# Relative importance of the terms in

*P*: case OFF-PEAK:  $\Delta \neq \pi/2$

$$A_i \sim O(1), \hat{A}_{\text{CNGS}} \sim 1.6$$

$$|1 - \hat{A}| \Delta \ll 1 \rightarrow \sin^2[(1 - \hat{A})\Delta] / (1 - \hat{A})^2 \sim \Delta^2$$

- Effect  $(\delta - \theta_{13}) \rightarrow O_3$
- $\text{Sign}(\Delta m^2_{13})$



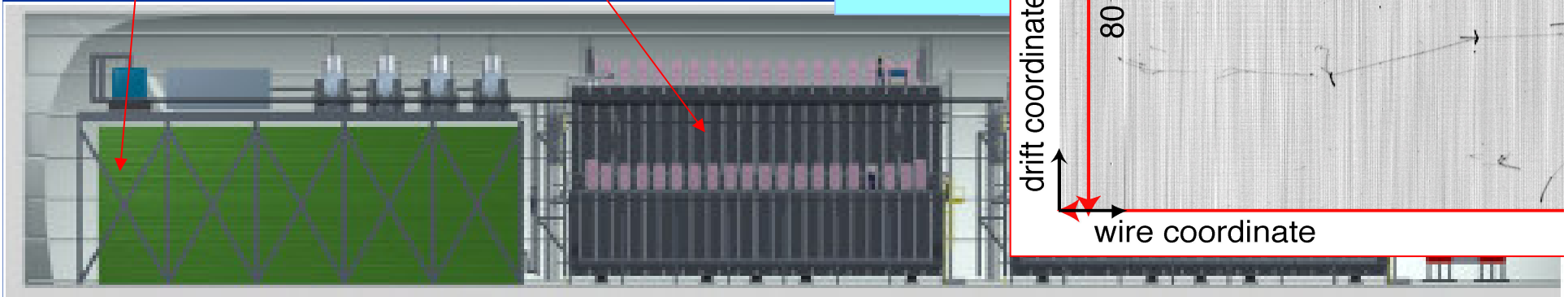
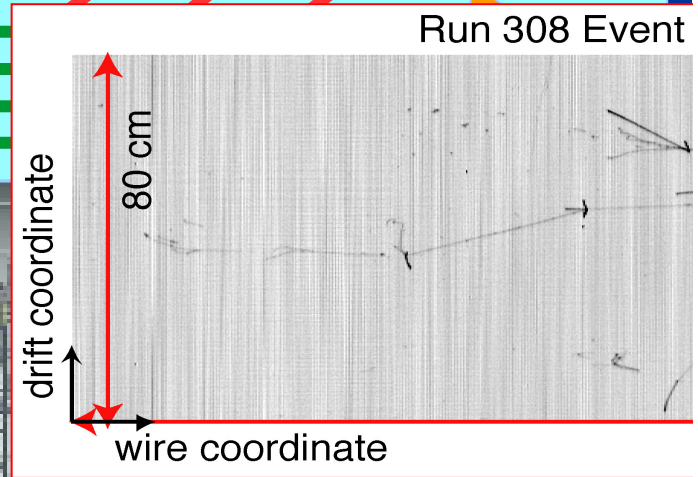
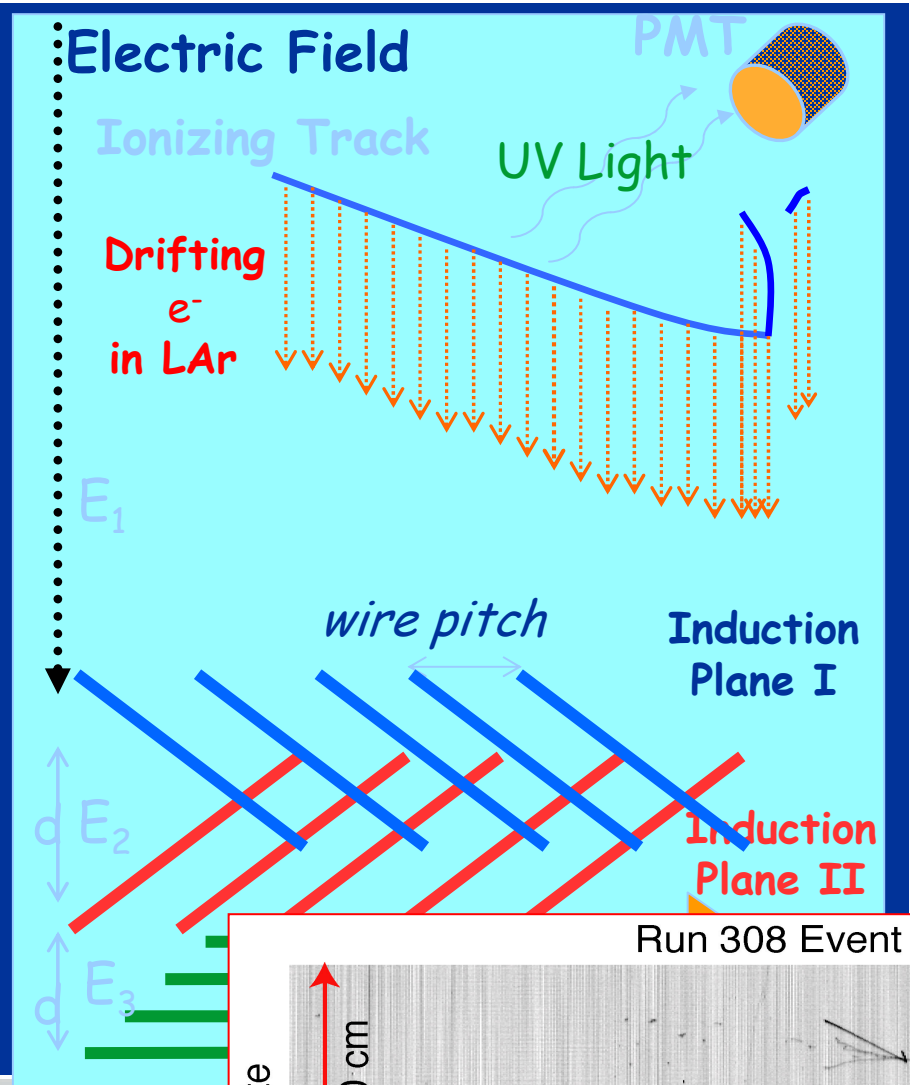
[P.Migliozzi, NO-VE 2003]

Deterioration effect from

$\theta_{13} \sim 3^\circ$

# Icarus:Lar-TPC

- $T \sim 89K$ ,  $E \sim .5 \text{ kV/cm}$
- tracking,  $dE/dX$ , e.m. + had. calorimetry
- $e/\gamma$  id //  $e/\pi$  separation
  - $\sigma E/E \sim 13\%/\text{sqrt}(E)$  (e.m.)
  - $\sigma E/E \sim 30\%/\text{sqrt}(E)$  (had)
- Conceived to detect events with  $\tau$  production  $\rightarrow$  allows detection of  $e$  and therefore the study of channel  $\nu\mu \rightarrow \nu\tau$
- Being built @ LNGS
  - T600
  - 2xT1200  $\rightarrow$  T3000





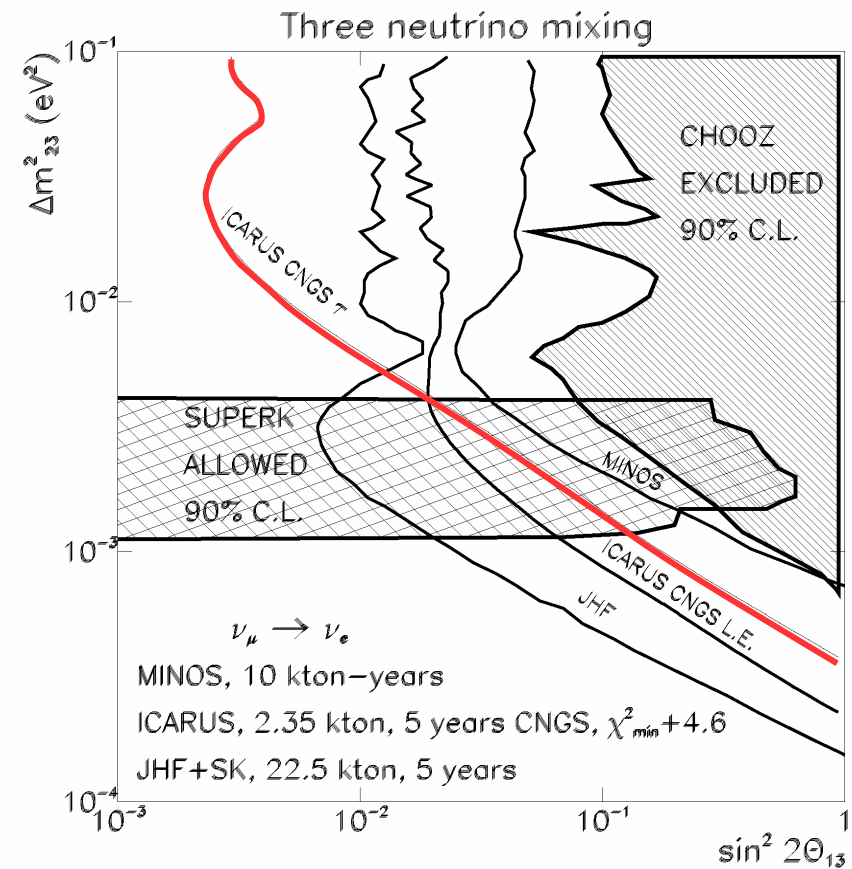
# Icarus: expected results for $\theta_{13}$

@  $\Delta m^2_{23} = 2.5 \times 10^{-3}$

$$(\sin^2 2\theta_{13})_{\text{CNGS},\tau} < 0.04 \quad \text{or} \quad \theta_{13} < 6^\circ$$

$$(\sin^2 2\theta_{13})_{\text{CHOOZ}} < 0.14 \quad \text{or} \quad \theta_{13} < 11^\circ$$

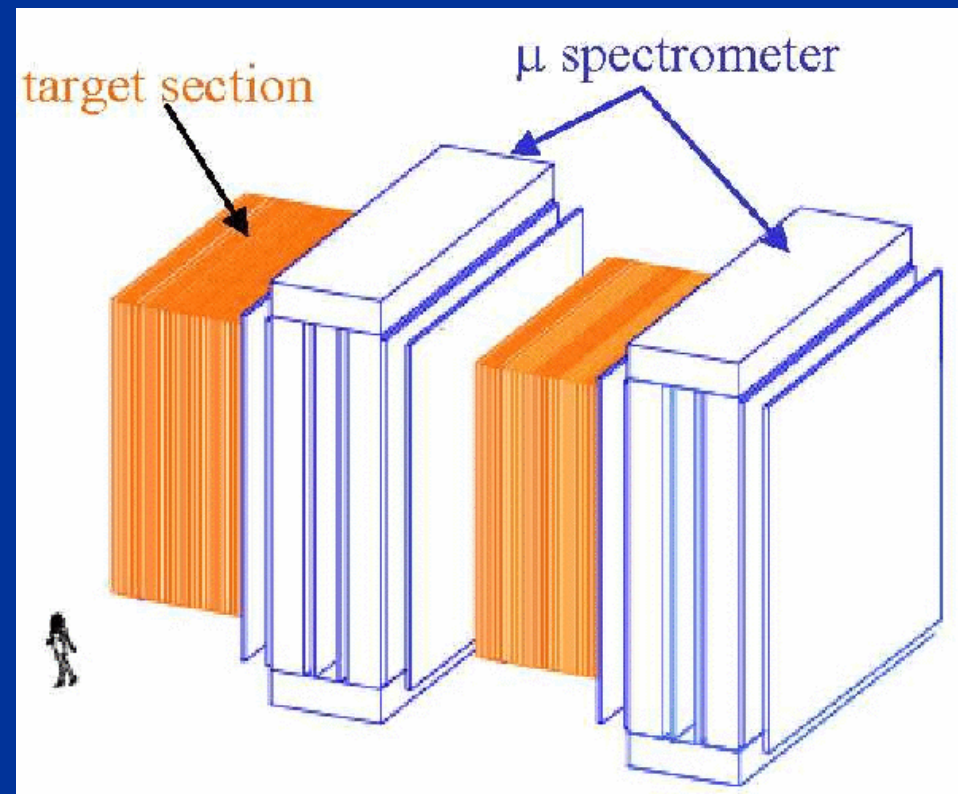
$$(\sin^2 2\theta_{13})_{\text{MINOS}} < 0.06 \quad \text{or} \quad \theta_{13} < 7^\circ$$



C.Montanari-LNGS, 22-marzo-2004

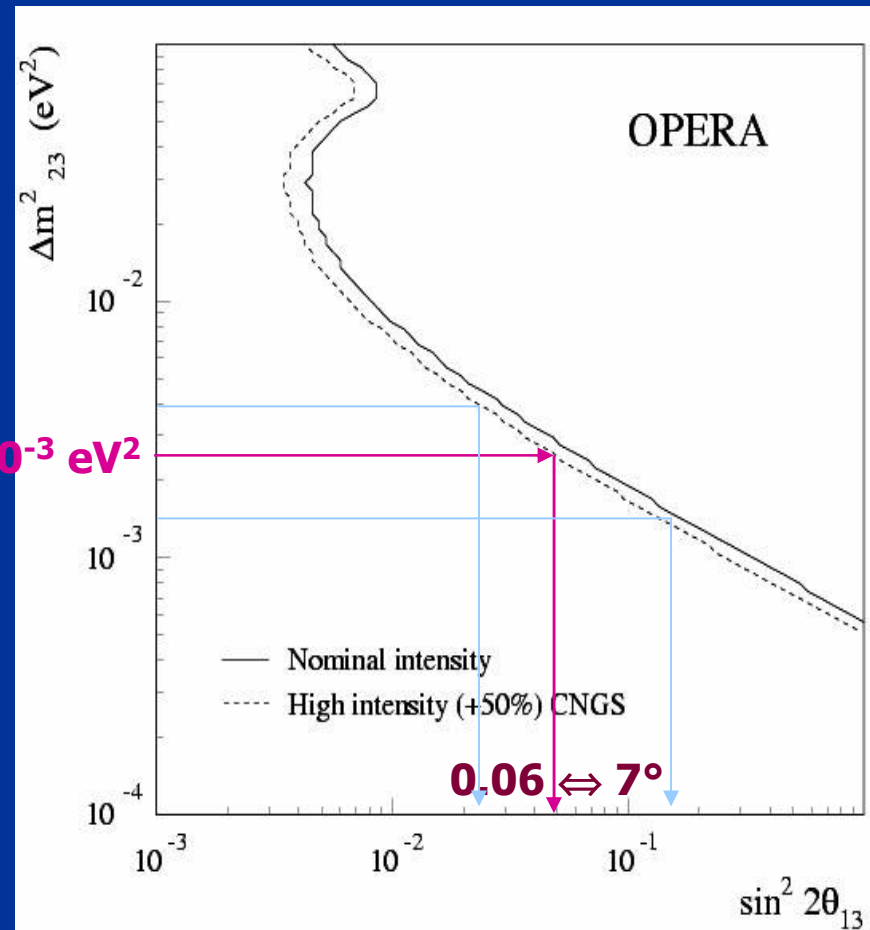
# *Opera: emulsions + $\mu$ -spectrometer*

- Direct observation of the decay products from  $\tau$  (CC)
- High granularity:  $\sim \mu\text{m}$  (track separation)
- $\sigma_E/E \sim 20\%/\text{sqrt}(E)$  (e.m.)



# Opera: expected results for $\theta_{13}$

$2.5 \times 10^{-3} \text{ eV}^2$

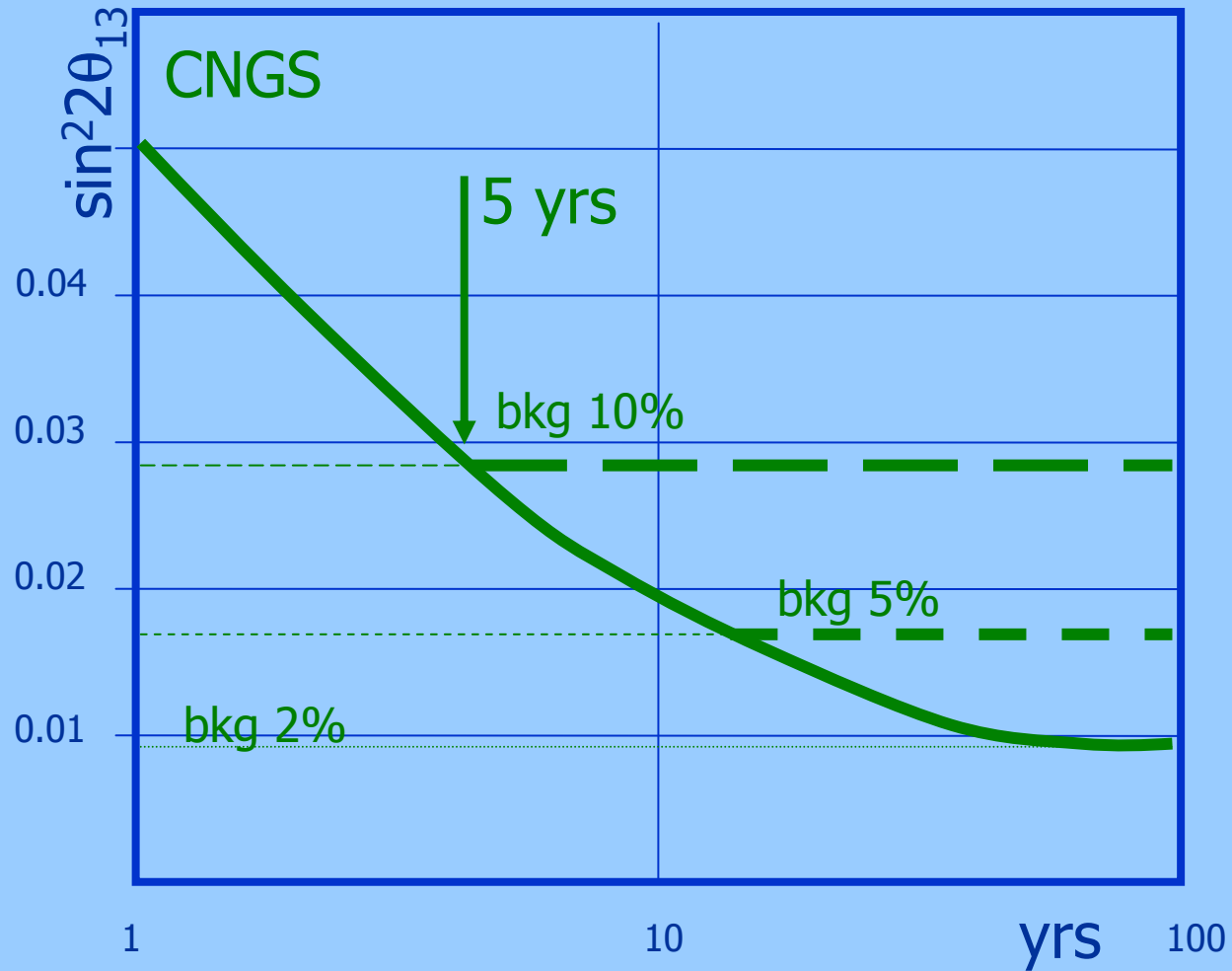


$\tau$ detection	signal ( $\Delta m^2 = 1.3 \times 10^{-3} \text{ eV}^2$ )	signal ( $\Delta m^2 = 2.0 \times 10^{-3} \text{ eV}^2$ )	signal ( $\Delta m^2 = 3.0 \times 10^{-3} \text{ eV}^2$ )	BKGD
<b>Final Design</b>	<b>4.7</b>	<b>11.0</b>	<b>24.6</b>	<b>1.06</b>

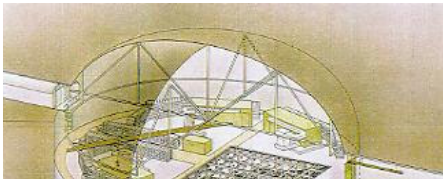
# CNGS (cont'd)

- Sensitivity to  $\theta_{13}$  (sign( $\Delta m^2$ )& $\delta$  effects):

[P.Migliozzi, F.Terranova arXiv:hep-ph/0302274]



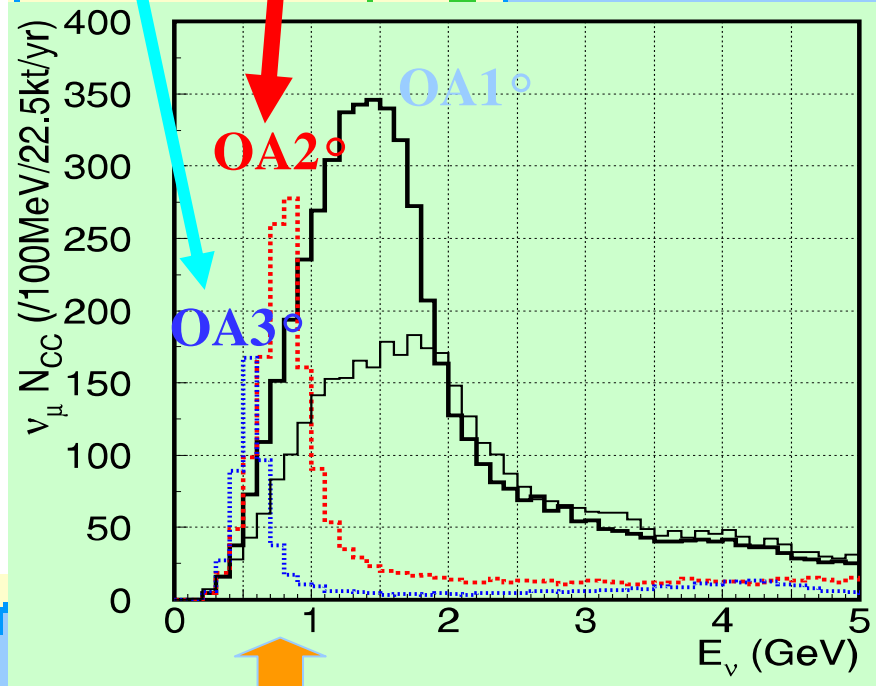
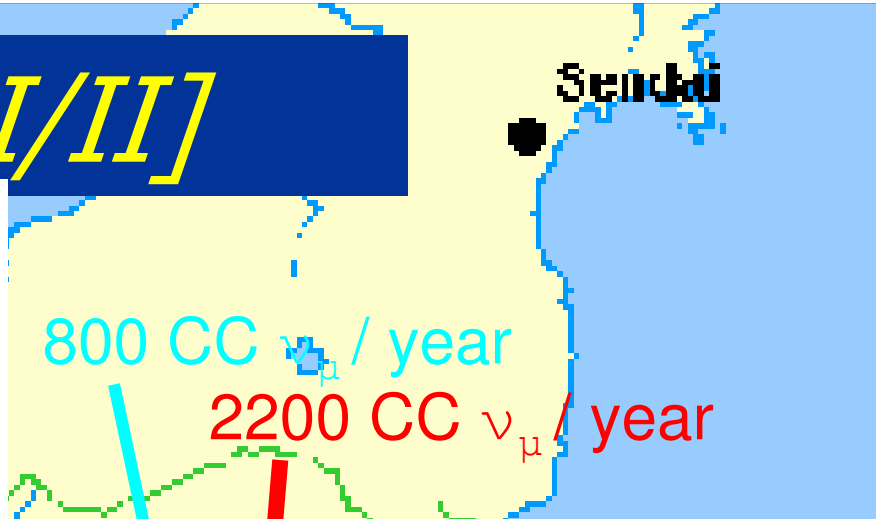
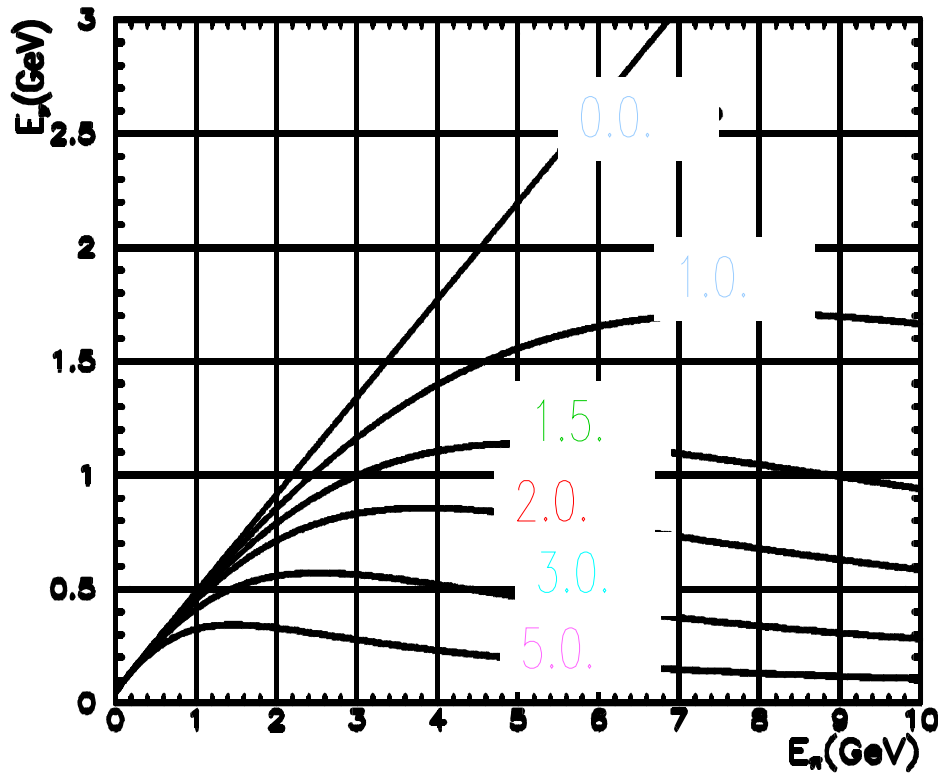
15/04/2004



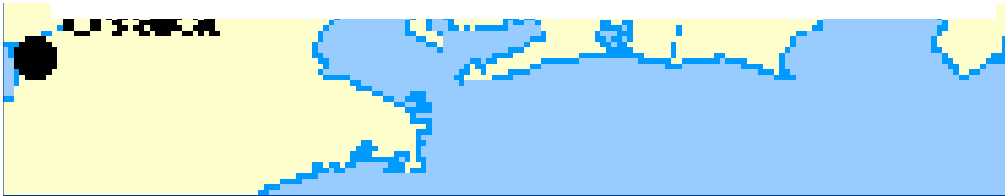
# T2K [I/II]

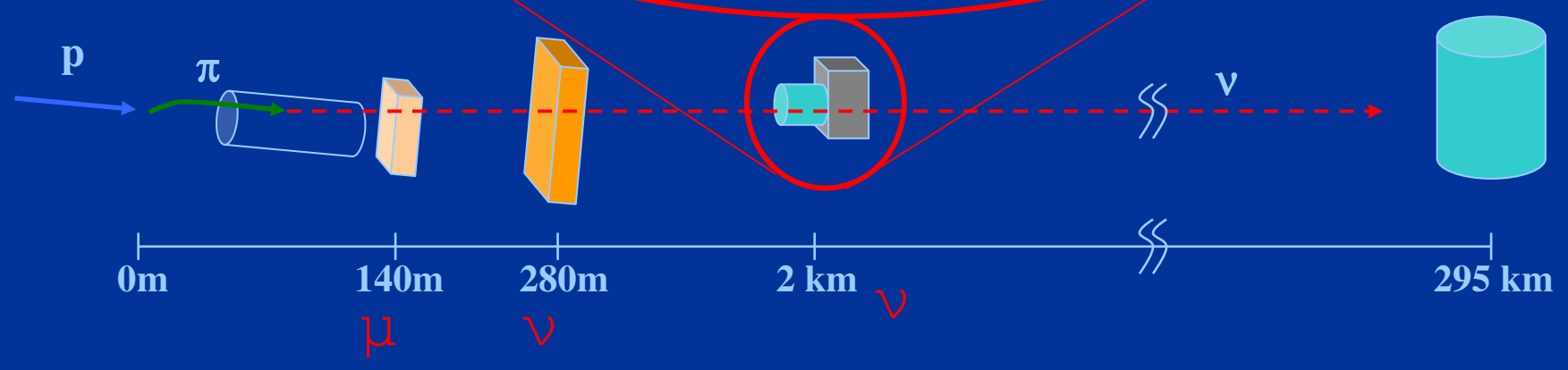
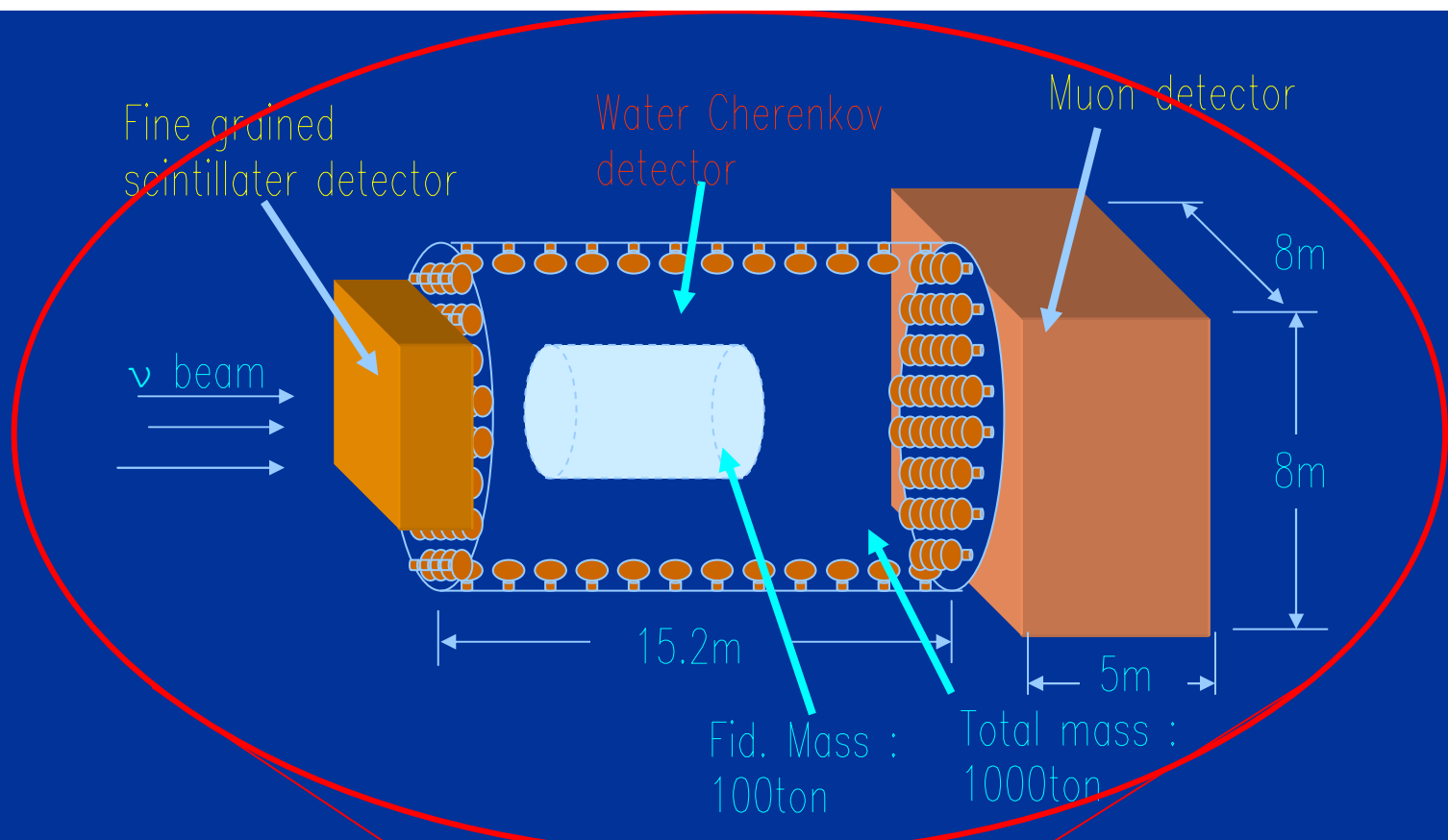


$E_{\pi}$  vs.  $E_{\nu}$



Max. osc. energy for  $3 \times 10^{-3} eV^2$

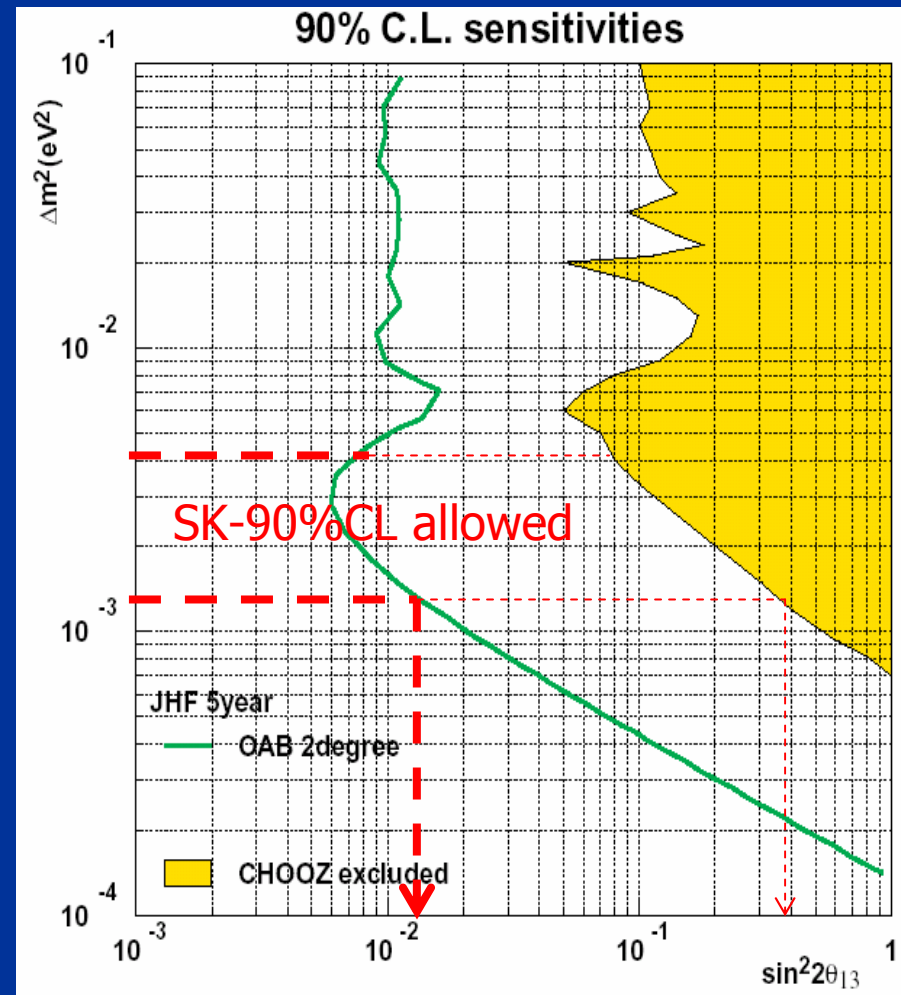




# SuperKamiookande

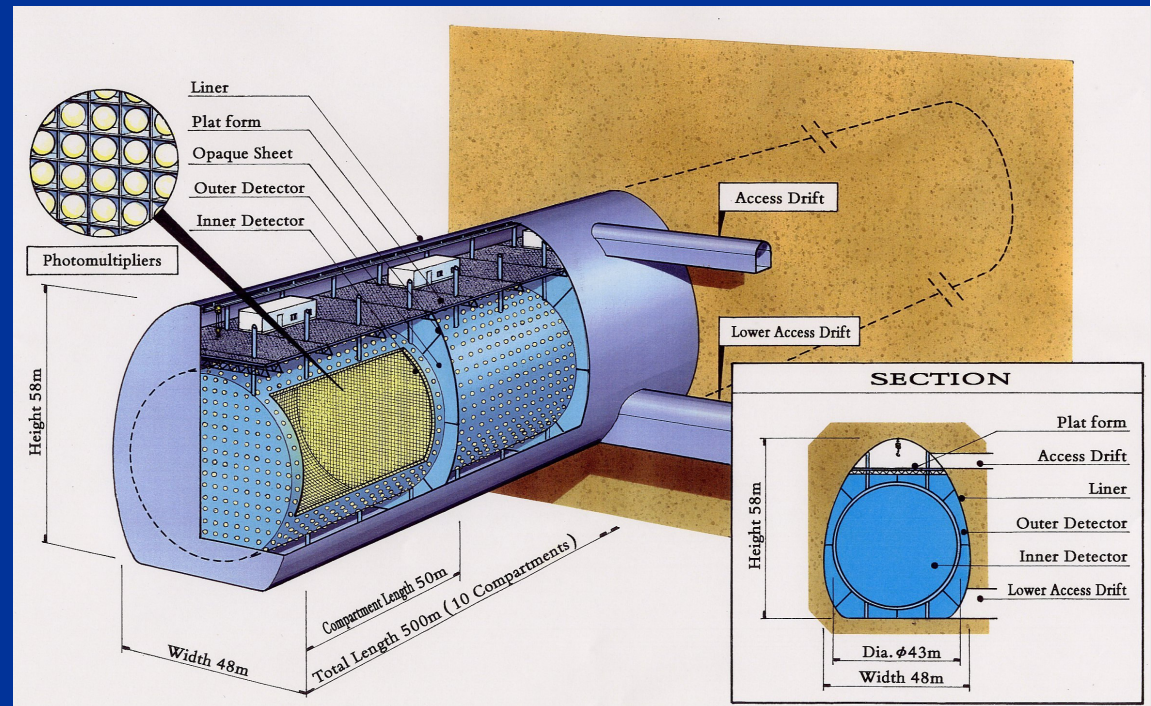
- Water Cerenkov detector
  - Sub-GeV  $\rightarrow$  good  $\pi^0$ /el. separation
  - $\theta_{13}$ :  $2.5^\circ$  sensitivity after 5 yrs of data taking

T. Kajita, Fermilab – May 2003



# HyperKamiokande

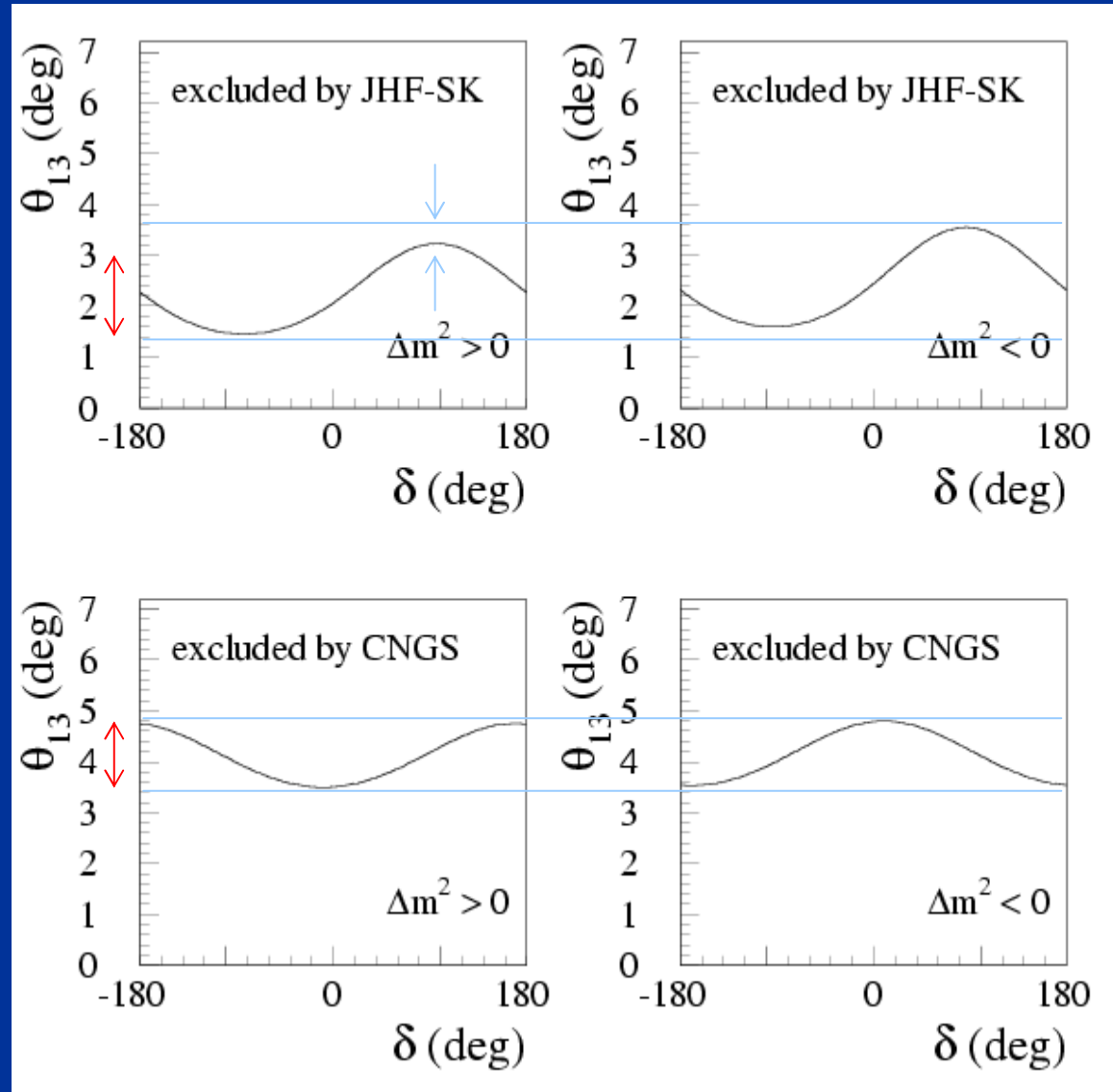
- Goals:
  - Improve  $\theta_{13}$  sensitivity
  - Go for CP violation measurement





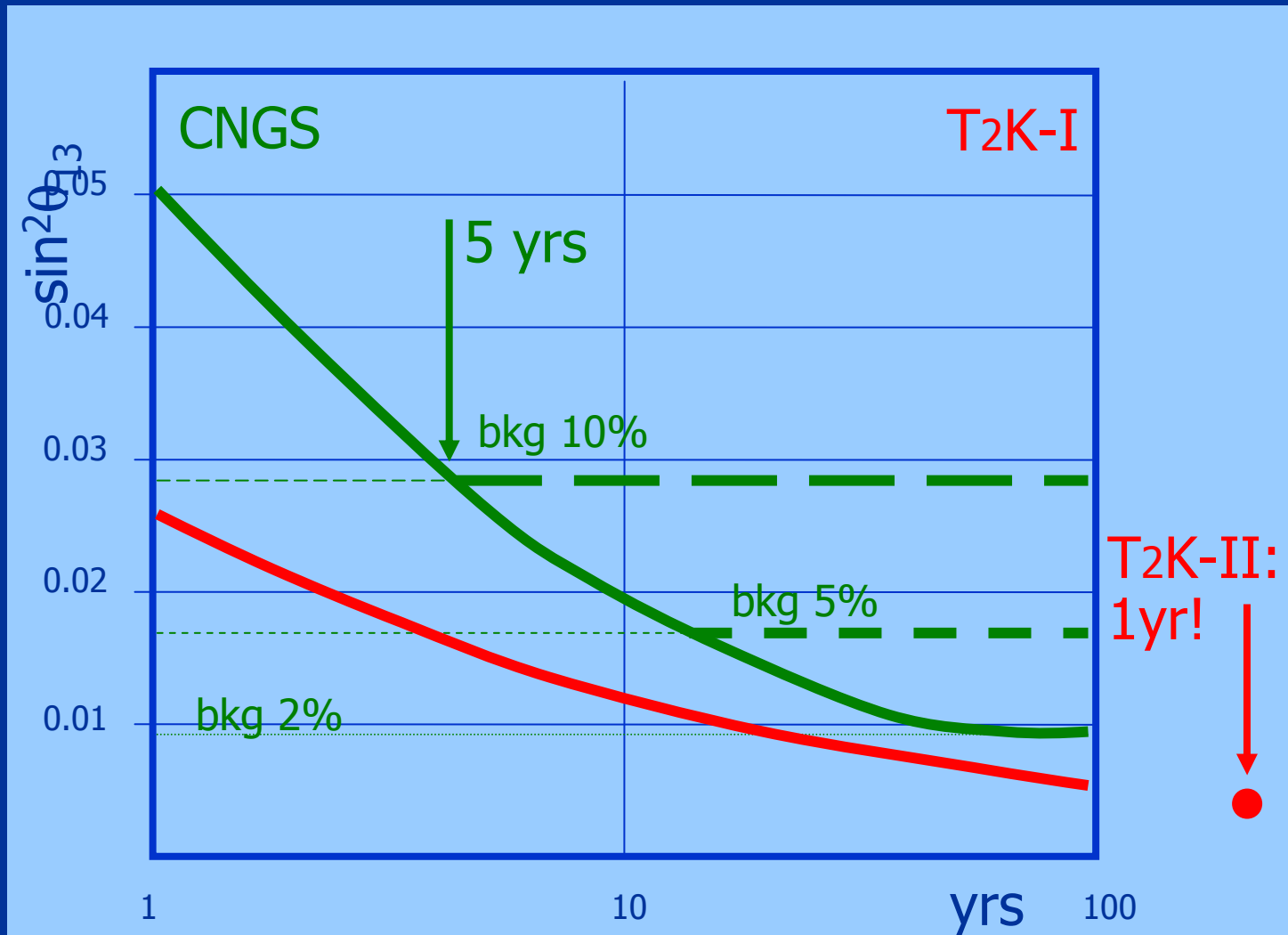
# T2K-I vs CNGS

- Sensitivity to  $\theta_{13}$  as a function of  $\delta$
- T2K:  $O_2$  even in  $\Delta$
- CNGS:  $O_3$  odd in  $\Delta$



# *T2K I/II vs CNGS*

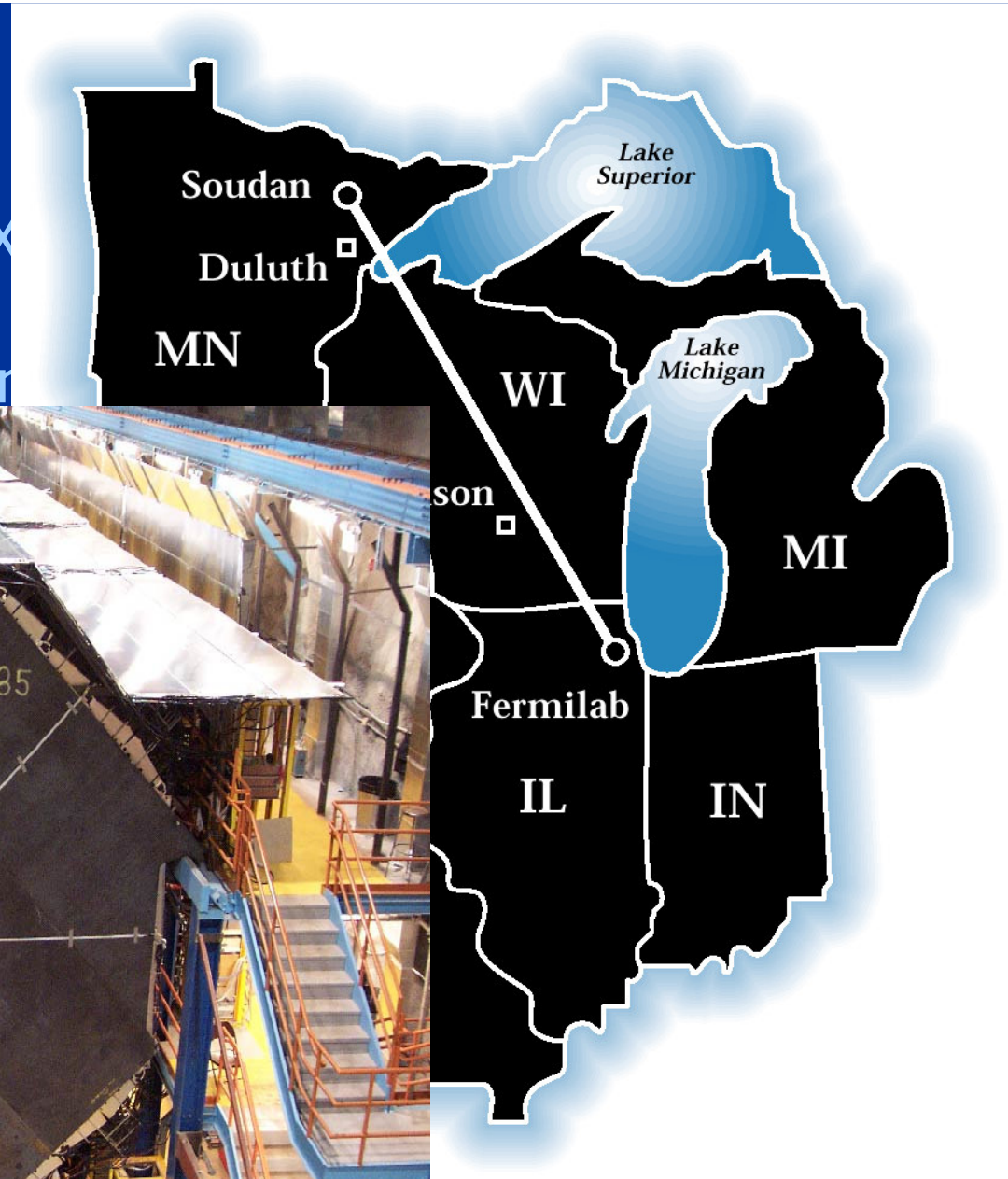
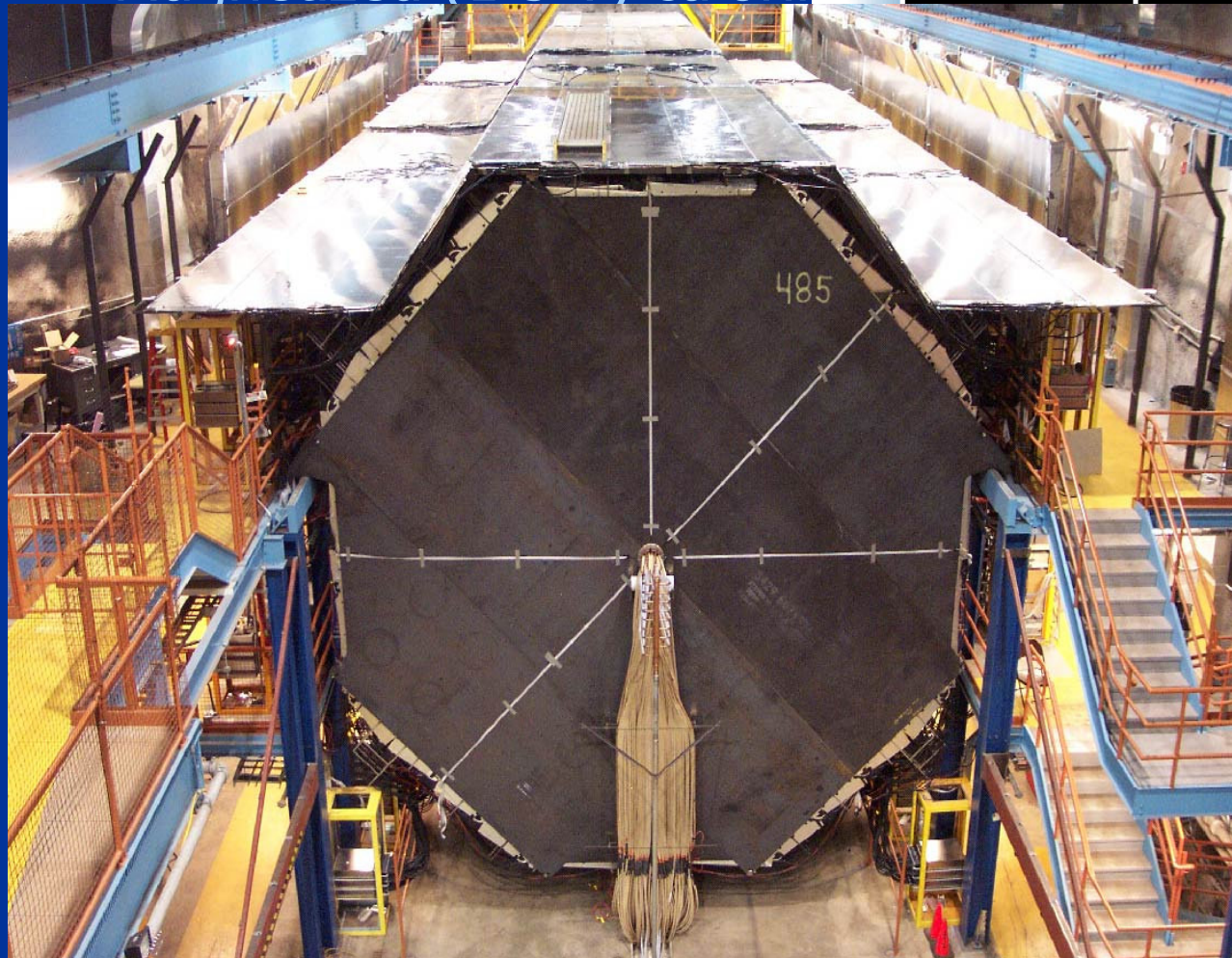
- Sensitivity to  $\theta_{13}$ :



15/04/2004

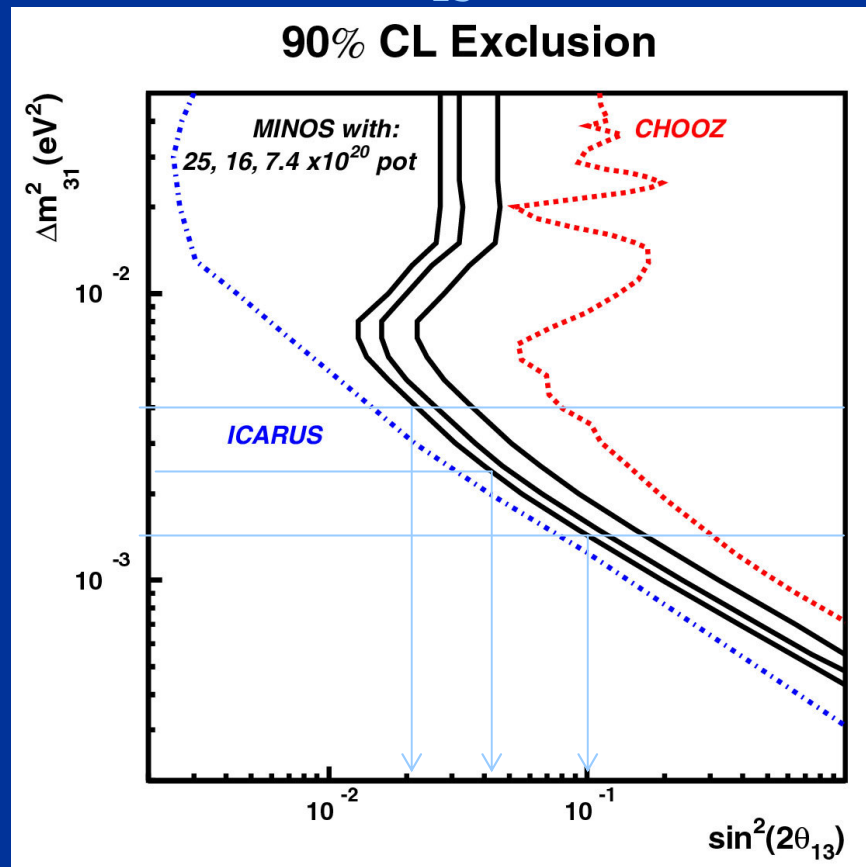
# Minos

- L/E tuned to the first MAX ( $\sim 730\text{km}/3\text{GeV}$ )
- Magnetized (1.5 T) calorimeter



# Minos (cont'd)

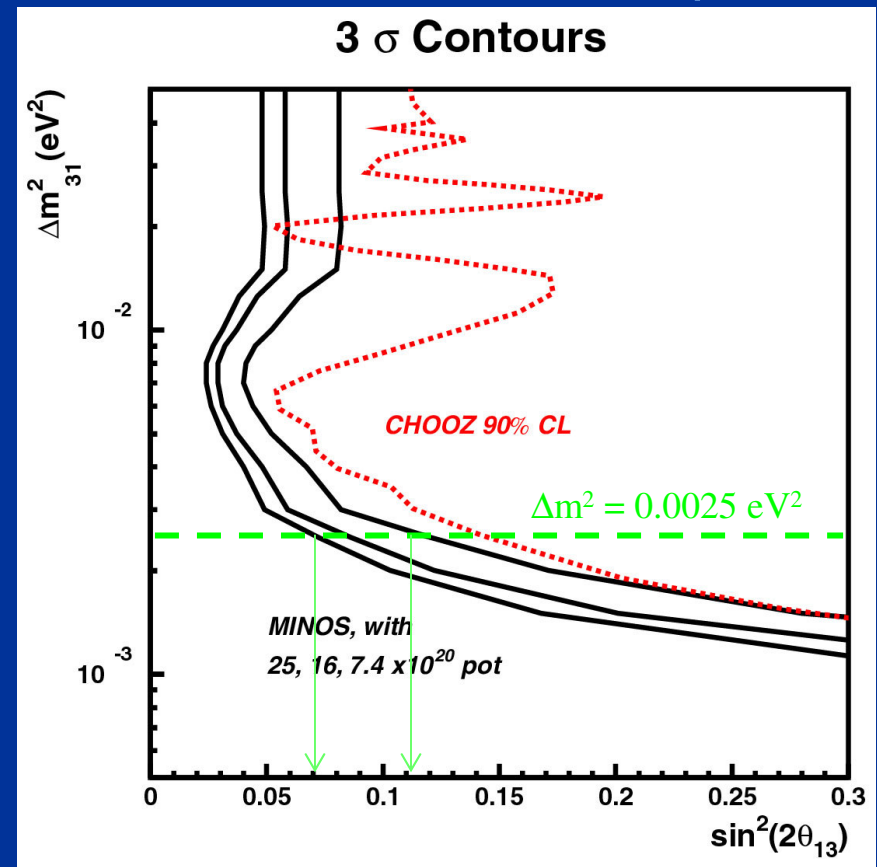
Sensitivity to  $\theta_{13}$



15/04/2004

IFAE 2004, Torino

MINOS  $3\sigma$  discovery limits



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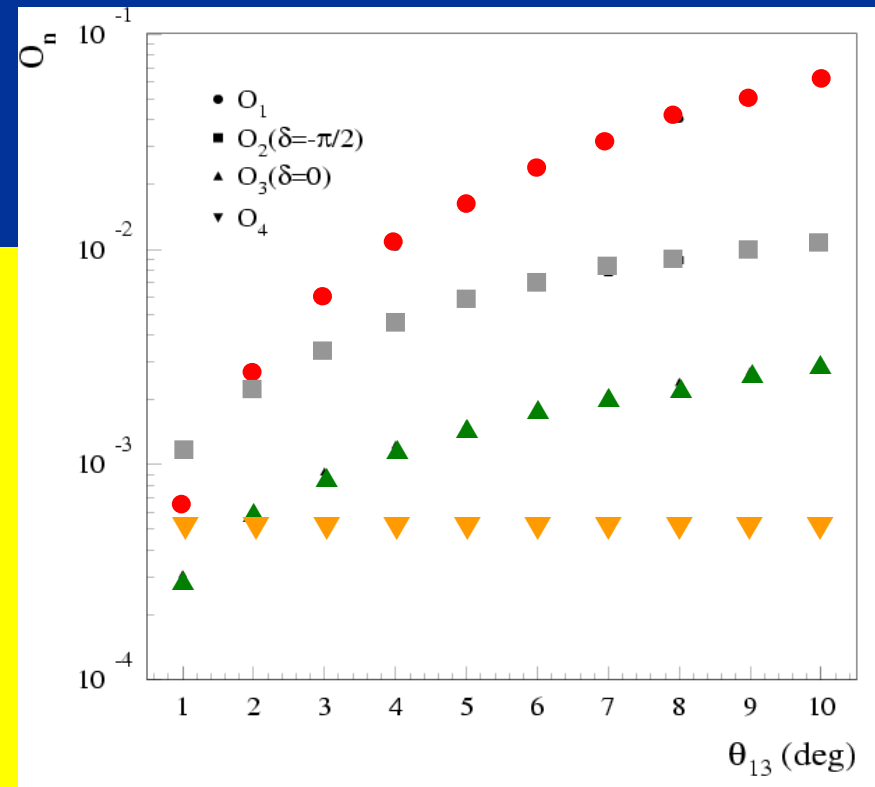
# *NuMI-OA*

- OA:  $\theta \sim 0.7^\circ$
- $L \sim 712$  km,  $\langle E \rangle \sim 2.2$  GeV  $\rightarrow$  on peak
- $|A| \sim 0.2 \rightarrow$  matter effects NOT negligible  $\rightarrow$  sensitivity to  $\text{sign}(\Delta m^2_{13})$

# Relative importance of terms in $P$ : *case* ON-PEAK: $\Delta \sim \pi/2$

$$A_i \sim O(1), \hat{A}_{\text{JPARC}} \sim 0$$

- $A_i \sim O(1)$
- Effect  $(\delta - \theta_{13})$



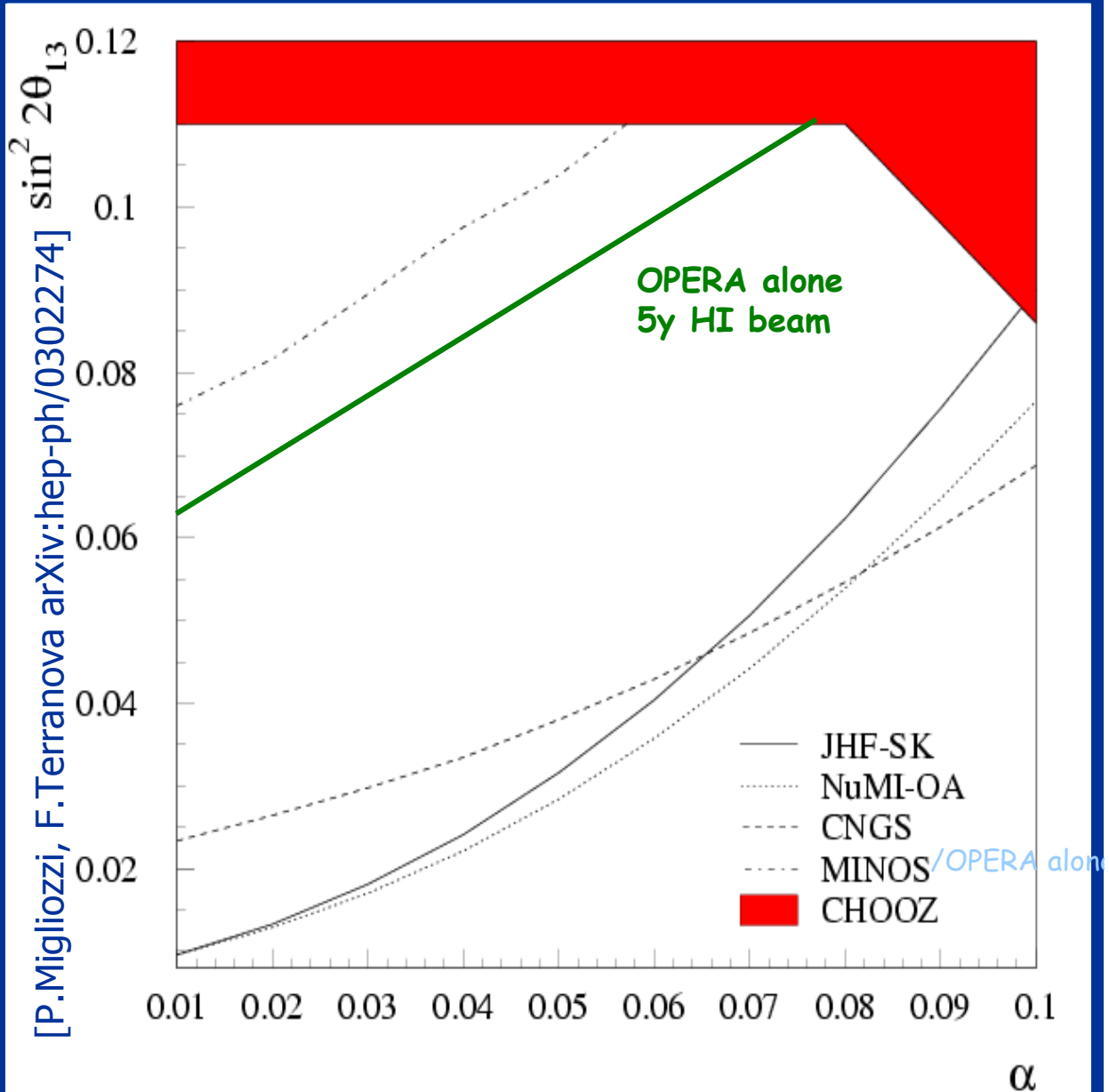
$O_1$   
 $O_2$   
 $O_3$   
 $O_4$

Deterioration effect from

$\theta_{13} \sim 3^\circ$

# (A) sensitivity to $\theta_{13}$ (90% C.L.)

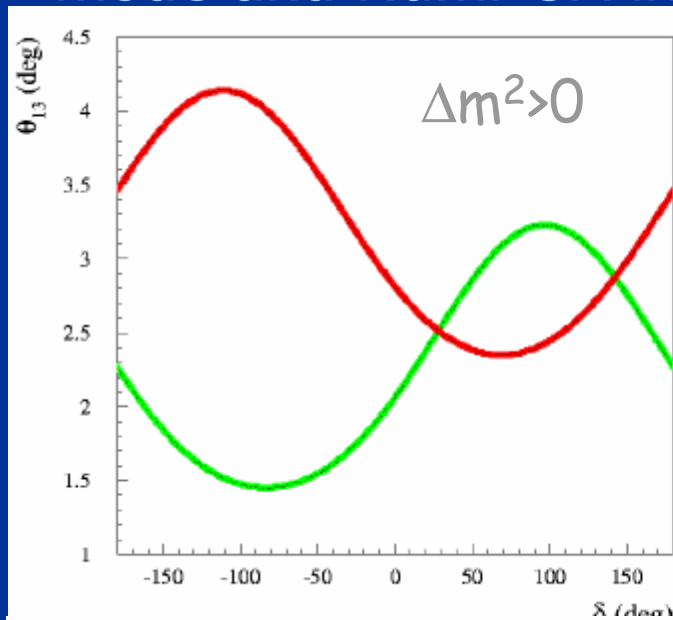
- as a function of  $\alpha$



15/04/2004

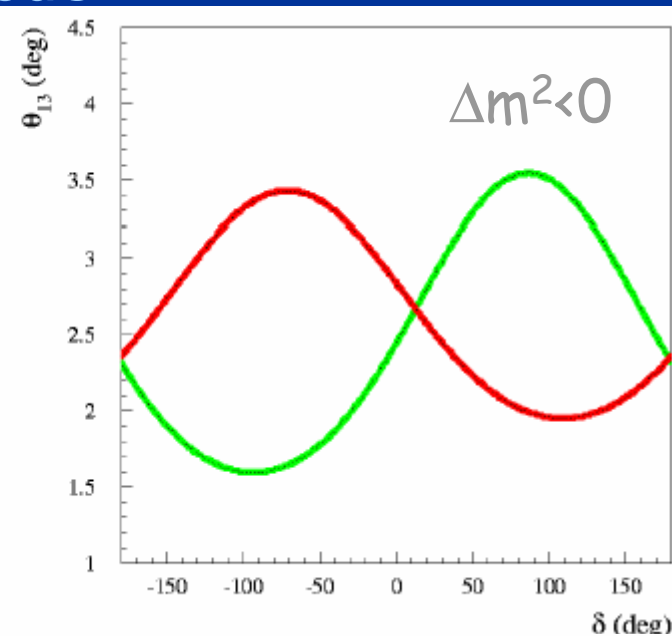
# $\theta_{13}$ at (A)

- Measurement made difficult by matter effects and CP violation
- Sensitivity to  $\theta_{13}$  strongly depends on  $\delta$
- Synergies among different experiments could help
- Ex.: sens. to  $\theta_{13}$  in T<sub>2</sub>K + Numi-OA: start T<sub>2</sub>K in  $\nu$ -mode and Numi-OA in  $\bar{\nu}$ -mode



1

NUMI-OA in anti- $\nu$  mode (5y). Yield corrected for  $\sigma(\text{anti-n})$  and  $\pi^-/\pi^+$  yield

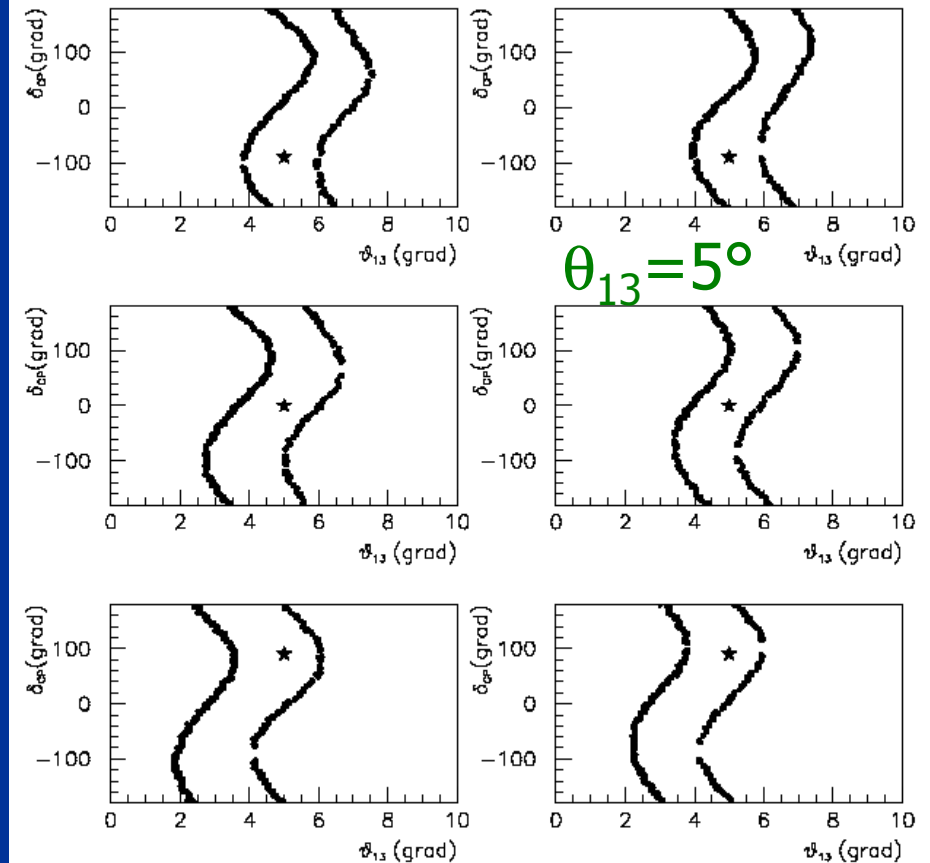


JPARC-Ph1 in  $\nu$  mode (5y)

40



- If  $\theta_{13} > 7^\circ$  then: indication of appearance at 90% C.L.
- Ex1:  $\theta_{13} = 10^\circ$
- CNGS: 3 yrs of data taking (T<sub>2</sub>K-I start),  $\Delta m^2 < > 0$
- 8 yrs CNGS d.t. + 5 yrs T2K d.t.
- Ex2:  $\theta_{13} = 5^\circ$

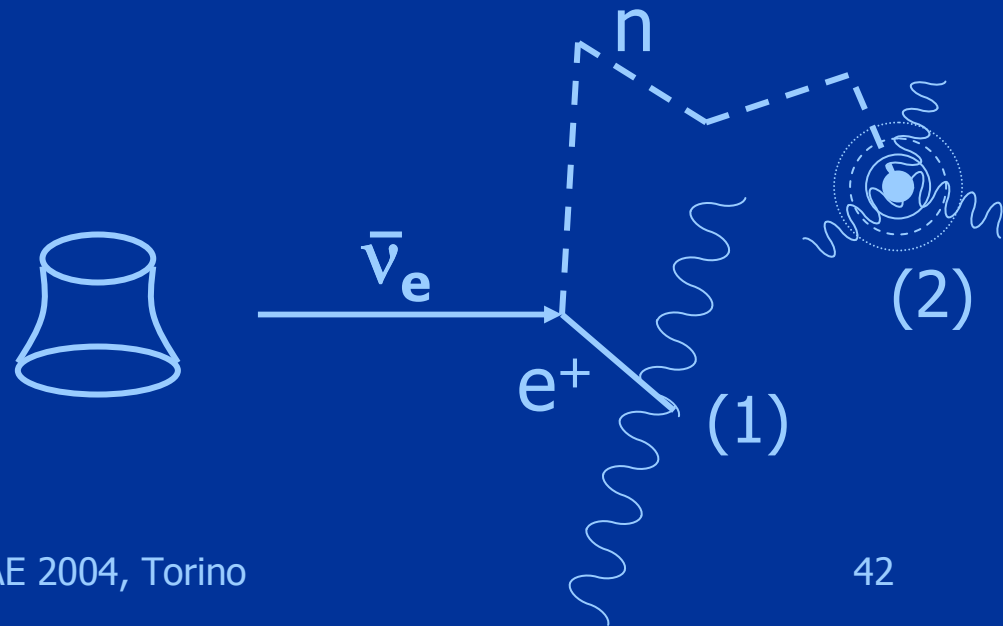


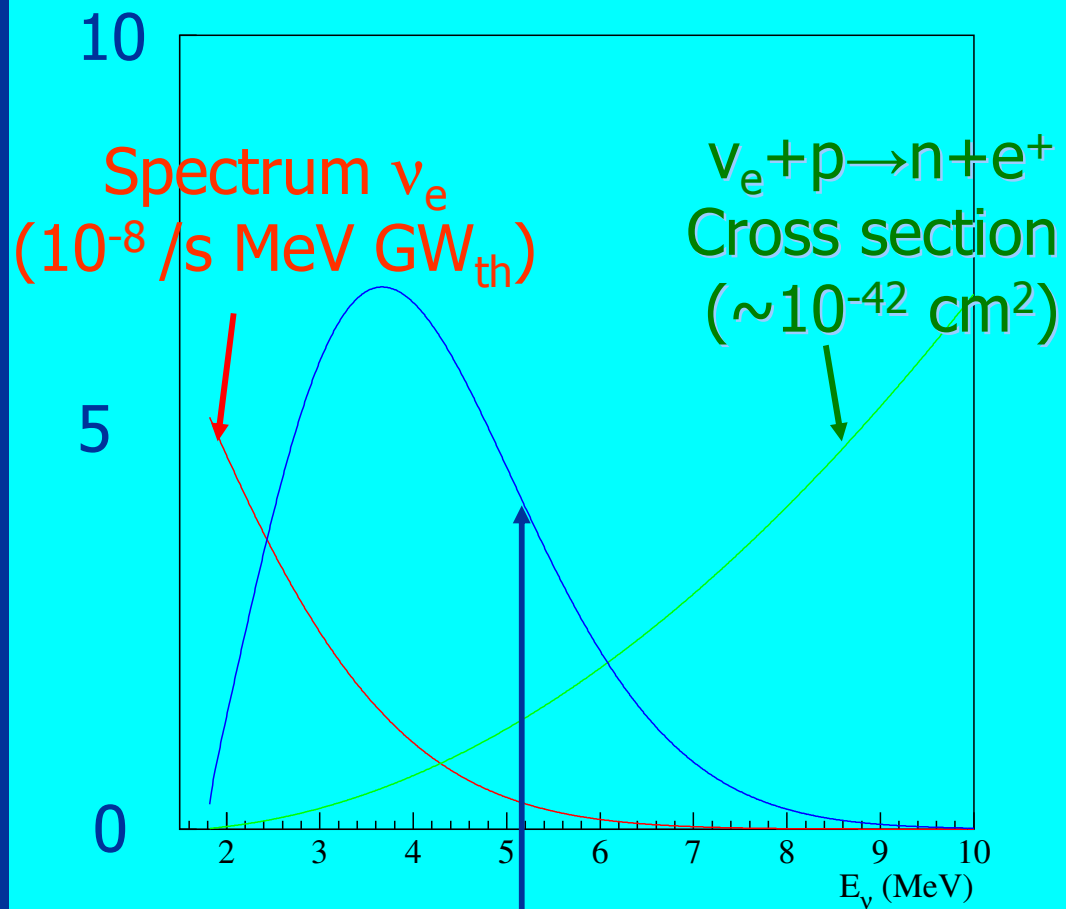
# disappearance exp.: Reactors

- Reactors: P NOT sensitive to  $\delta \rightarrow$  can do a **pure** measurement of  $\theta_{13}$
- Typical reaction:  $\bar{\nu}_e + p \rightarrow e^+ + n$ 
  - Detection: “prompt” signal from positron (1) + delayed capture of n on Gd (p) (2) [a la Chooz]

$$\begin{aligned} P(\nu_e \rightarrow \nu_e) &= \\ &= 1 - \sin^2 2\theta_{13} \cdot A_1 + \alpha^2 \cdot A_2 \\ A_1 &= \sin^2 \Delta \\ A_2 &= \cos^4 \theta_{13} \cdot \sin^2 2\theta_{12} \cdot \Delta^2 \\ \Delta &= \Delta m_{13}^2 \left( \frac{L}{4E} \right) \\ \alpha &= \frac{\Delta m_{21}^2}{|\Delta m_{31}^2|} \end{aligned}$$

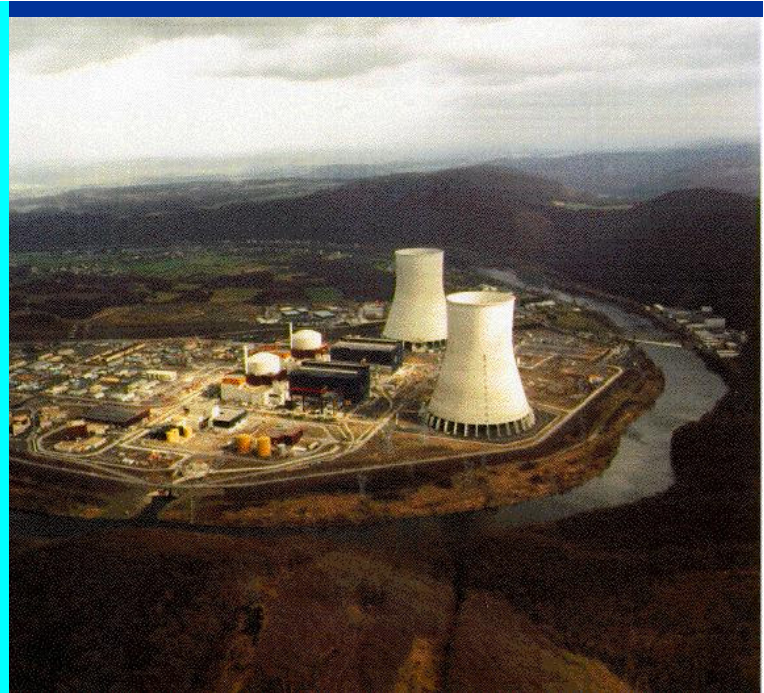
[F. Dalnoki-Veress, La Thuile 2004]





$$E_{\bar{\nu}} \cong E_{e^+} + E_n + (M_n - M_p) + m_{e^+}$$

Observed spectrum  
(interactions/MeV ton  
day)



Chooz

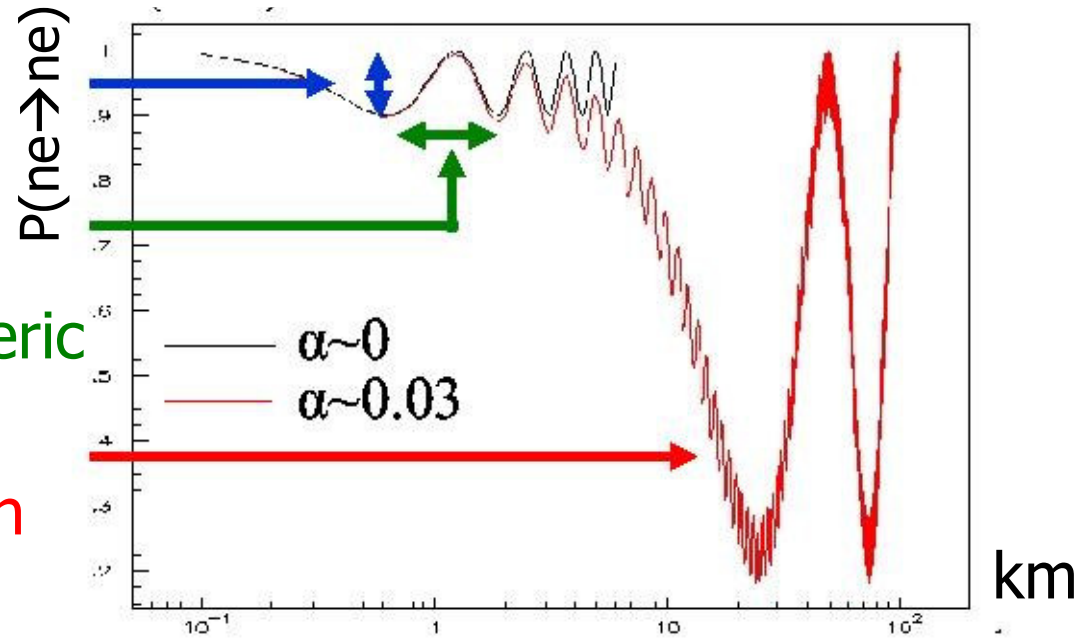
# $P(\nu_e \rightarrow \nu_e)$

$$P(\nu_e \rightarrow \nu_e) = 1 - \sin^2 2\theta_{13} \cdot A_1 + \alpha^2 A_2$$

$\theta_{13}$ : amplitude

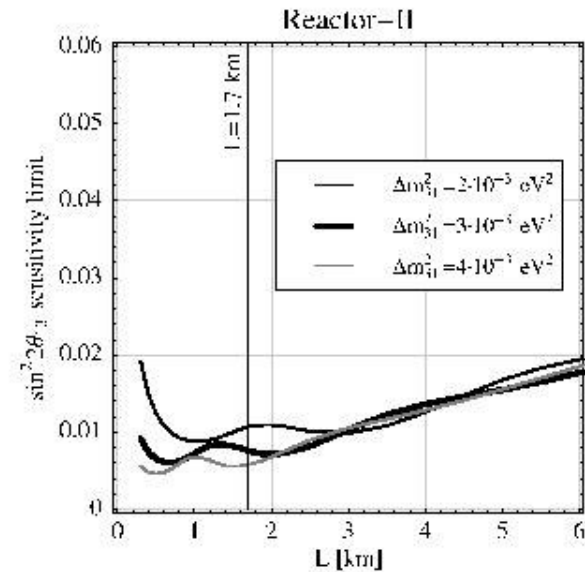
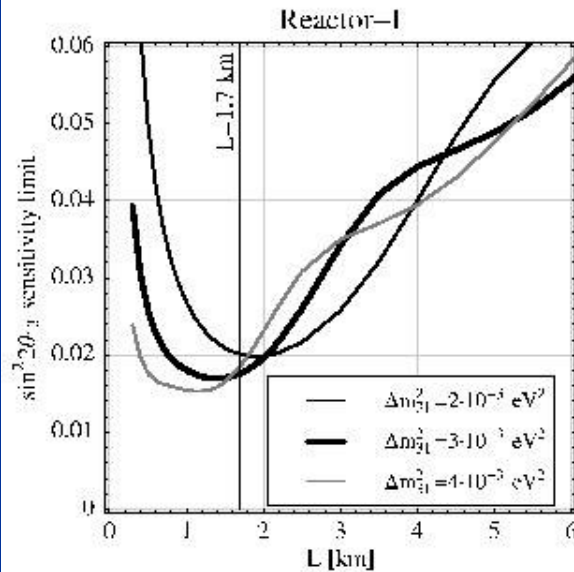
$A_1 = A_1(\Delta)$ : atmospheric modulation

$A_2$ : solar modulation



[F. Dalnoki-Veress, La Thuile 2004]

RI 400 t GW y  
RII 8000 t GW y



15/04/2004

[Huber et al., hep-ph/0303232]

# *Chooz: an example of reactor experiment*

- Relied on
  - calculation of  $\nu_e$  flux from the two reactor cores
  - computation of the active mass of the target
  - evaluation of the absolute efficiency
  - knowledge of  $\nu_e$  cross section
- **Systematics** kept at **2.8%** ← finally limited the experimental result

- The key for a successful new reactor experiment (measuring  $\theta_{13}$ ) is reducing the systematics ( $<1\%$ ) and reach enough statistics ( $<0.5\%$ )
- This can be achieved by using a pair of “identical” detectors (near/far technique)
- Some ideas are being pursued:
  - A case: Double Chooz
- CAVEAT-1: you never have 2 identical detectors!
  - Different bkg (and dead times)
  - S/N different
- CAVEAT-2: energy scale and relative non-linearities to be held into account

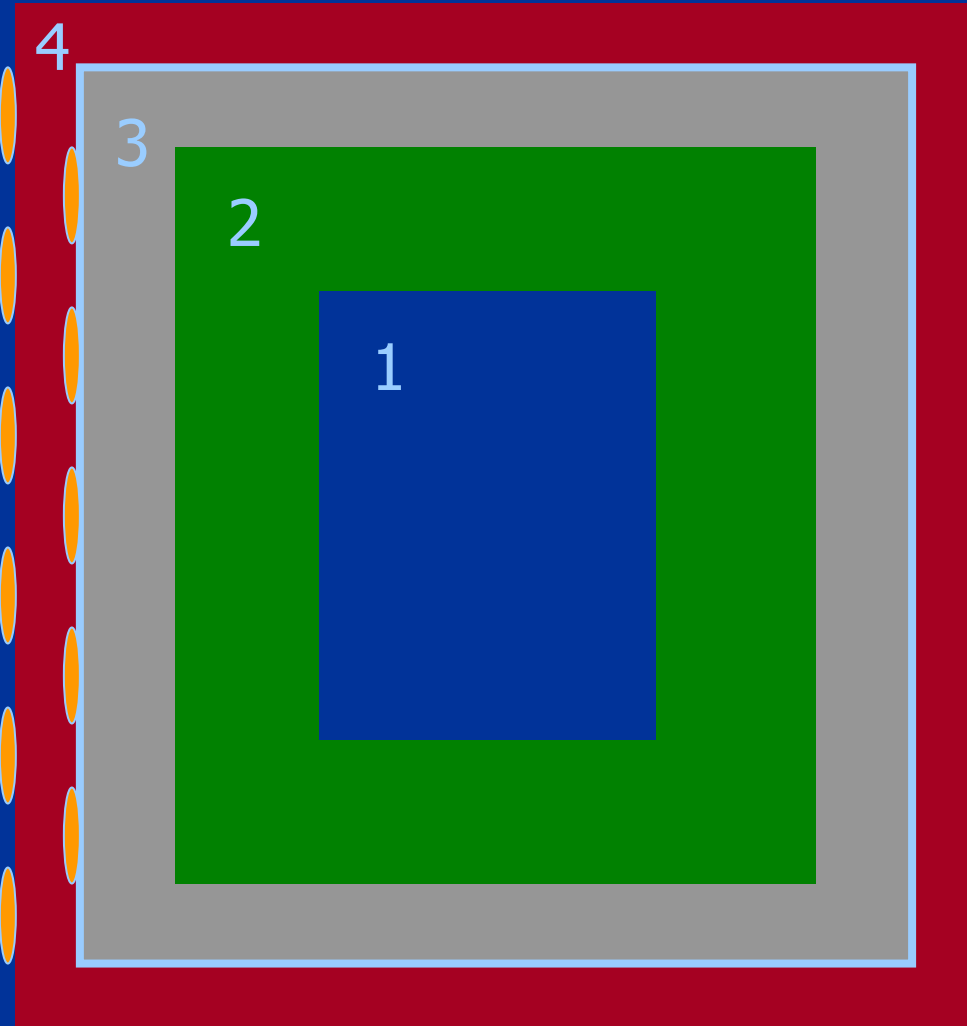
# *strategies*

- Faster:
  - Use existing facilities/places with proper “refurbishing”
  - Try to get some result before or at the same time as LBL exp’s (e.g. T2K-I, Numi-OA)
- Reactors complementarity:
  - No need to go faster: try instead to perform a highly precise measurement
  - Build new brand detectors (sophisticated too: e.g. with movable baselines)
  - You pay it with a later start

# from CHOOZ to double-CHOOZ

- Detector Basics: 2 identical detectors (12.6 m<sup>3</sup>) at
  - 150 m
  - 1050 m
- 1. Gd (0.1%) loaded LS
  - ~ 10 ton
- 2. LS buffer
- 3. Non-scintillating buffer
- 4. VETO

H.deKerret, NO-VE 2003



K.Anderson et al., arXiv:hep-ex/0402041 v1 26 Feb 2004



# From CHOOZ to Double-CHOOZ

Mainly canceled using the near/far technique

systematics	CHOOZ	D-CHOOZ
Reactor flux	1.9%	-
Reactor power	0.7%	-
E/fission	0.6%	-

systematics	CHOOZ	D-CHOOZ
LS density	0.3%	-
%H	1.2%	-
N <sub>p</sub> target	0.8%	0.2%
ε(Ee+)	1.5%	0.5%
Target volume	0.3%	0.2%

Relative error:  
 $\sigma_{rel} \sim 0.6\%$

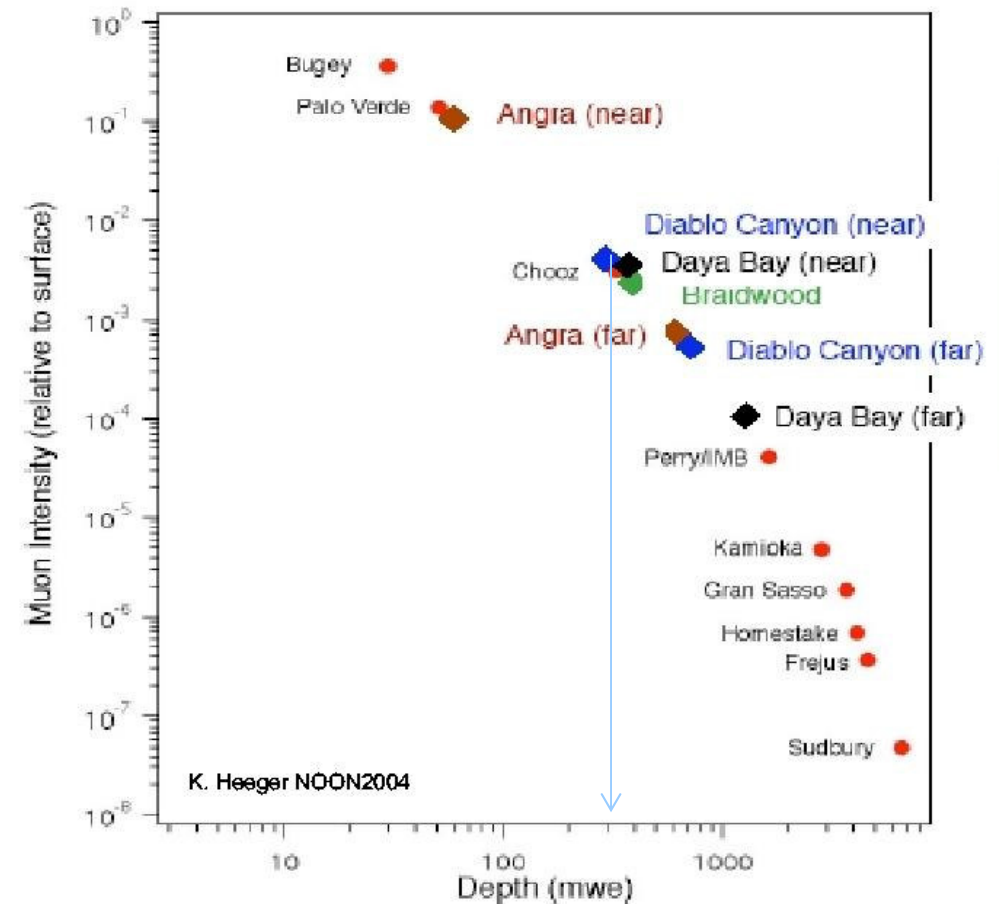


$\sigma_{sist} \sim 1\%$

Using the same LS/LS+Gd should help a lot to improve these systematics

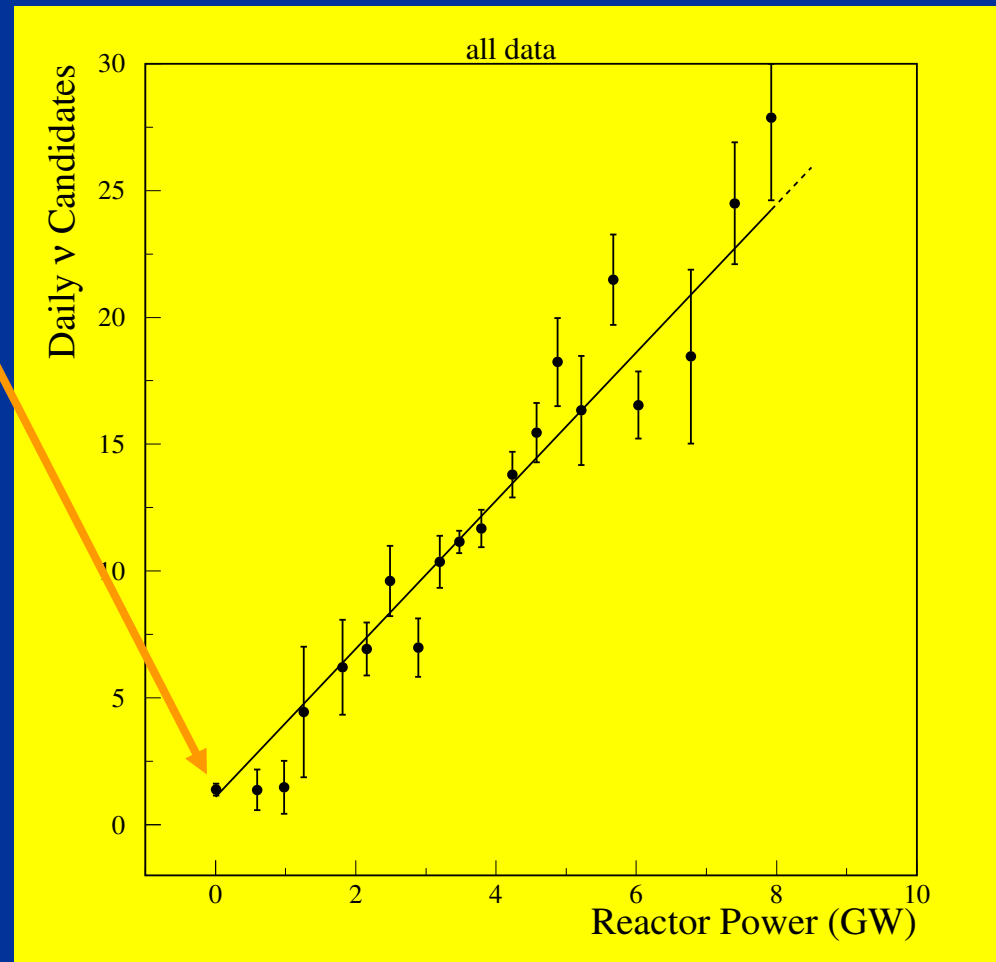
# *from CHOOZ to double-CHOOZ*

- Important: reduce the muon flux  $\rightarrow$  main cause of correlated background!
- Also present the accidental background from natural radioactivity  $\rightarrow$  LS buffer + veto
- BKG can be measured when (if) reactor is OFF



# CHOOZ: $rate_n$ vs thermal power

- NB: when  $GW \rightarrow 0$  you get the bkg (accid.+correlated)



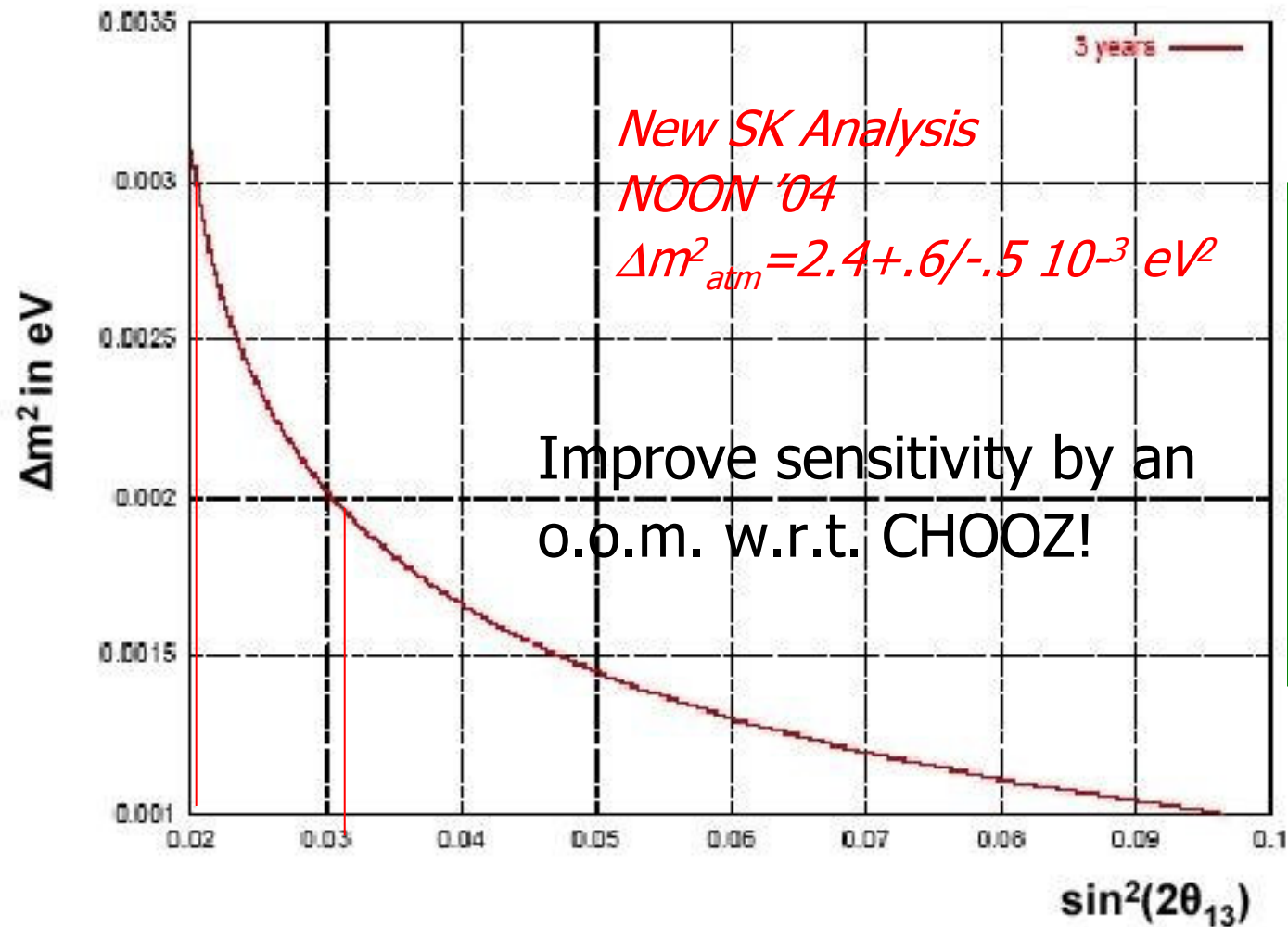
# D-CHOOZ

- $S/B > 100$  (in Chooz  $\sim 18$ )
- Increase  $S$  by a factor 2.2 (from 5 to 11 tons)
- Reduce  $B$  by a factor 3 with a careful design of the detector (double buffer)

## schedule

- 2006: FAR detector
- 2007: NEAR detector
- 2008 first results

# Sensitivity to $\theta_{13}$ (R): D-CHOOZ



## *Other reactor experiments:*

Site	Near/Far (tons)	Expected starting date	Sensitivity to $\theta_{13}$
Angra dos reis	25t/50t	?	<0.02-0.03
Diablo canyon	25t/50t	2009	<0.01-0.02
Braidwood	25t/50t	2009	<0.02-0.03
Daya Bay	50t	2009	0.012
Kashiwazaki	8.5t/8.5t	2008	0.026
Krasnoyarsk	46t/46t	?	0.016

# Summary

- I have considered two categories of experiments investigating about  $\theta_{13}$ 
  - Accelerator based
  - Reactor Based
- (A) many possible phases and time scales (2006→2020)
  - In general sensitivity to  $\theta_{13}$  spoiled by our ignorance of  $\delta$  CP term (and  $\text{sign}(\Delta)$ )
  - Synergies between different experiments to reduce this effect
  - Reachable sensitivities
    - Phase I (2005-2006):  $\sim 5^\circ$
    - Phase II (2008-2009):  $\sim 2.5^\circ$
    - Phase III (2015-2020):  $\sim 0.5^\circ$ - $1^\circ$
- (R) several projects as well and time-scales (though less spread)
  - Here  $\delta$  CP term not involved: pure measurement of  $\theta_{13}$
  - But the hard thing is reducing detector systematics: if this is done at the  $<1\%$  then
  - Reachable sensitivities:
    - In the range  $[3^\circ$ - $5^\circ]$
- Ex.: CNGS starting in 2006+5 yrs of data taking  $\rightarrow \theta_{13} < 5^\circ$  in 2011  
D-CHOOZ starting in 2006+3 yrs of d.t.  $\rightarrow \theta_{13} < 5^\circ$  in 2009/2010

*The End*