2H search at LHC

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<u>Scenario</u>

- LHC has found the Higgs in [120,140] GeV interval (H=>bb).
- Couplings HVV and Hff measured.
- Not found any trace of SUSY q or g.

What can be said about the Higgs boson found? Is there some space left for non-SM physics in the Higgs sector?

<u>2HDM</u>

2 complex $SU(2)_L, \phi_1, \phi_2$

$$\begin{split} V(\phi_{1},\phi_{2}) &= \lambda_{1}(\phi_{1}^{\dagger}\phi_{1} - v_{1}^{2})^{2} + \lambda_{2}(\phi_{2}^{\dagger}\phi_{2} - v_{2}^{2})^{2} \\ &+ \lambda_{3} \left[(\phi_{1}^{\dagger}\phi_{1} - v_{1}^{2}) + (\phi_{2}^{\dagger}\phi_{2} - v_{2}^{2}) \right]^{2} \\ &+ \lambda_{4} \left[(\phi_{1}^{\dagger}\phi_{1})(\phi_{2}^{\dagger}\phi_{2}) \right] + \lambda_{5} \left[(\phi_{1}^{\dagger}\phi_{2})(\phi_{2}^{\dagger}\phi_{1}) \right] \\ &+ \lambda_{6} \left[Re(\phi_{1}^{\dagger}\phi_{2}) - v_{1}v_{2}c_{\xi} \right]^{2} \\ &+ \lambda_{7} \left[Im(\phi_{1}^{\dagger}\phi_{2}) - v_{1}v_{2}s_{\xi} \right]^{2} \\ &\lambda_{i} \in R, \ \lambda_{i} > 0 \end{split}$$

e.g. Gunion & Haber, Phys. Rev. D67 (2003) 075019

$$\begin{split} \langle \phi_1 \rangle^T = & [0 \ v_1] \\ \langle \phi_2 \rangle^T = & [0 \ v_2 e^{i\xi}] \\ \textbf{If:} \quad \lambda_6 = \lambda_7 \longrightarrow \lambda |\phi_1^{\dagger} \phi_2 - v_1 v_2 e^{i\xi}|^2 \end{split}$$

then $~_{\xi}$ can be rotated away by redefining one of the fields

Number of parameters

$$H^{\pm}, \hspace{0.1cm} H^{0}, \hspace{0.1cm} h^{0}$$
 (CP-even) A^{0} (CP-odd)





In the decoupling limit the couplings hVV, hff tend to their SM values with deviations $O(v^2/\Lambda^2)$

$$\Lambda pprox m_S = \sqrt{m_A^2 + \tilde{m}}$$

 $m_h \sim O(v)$



In the decoupling limit...

$$\frac{g_{hVV}^2}{g_{HVV}^{(0)2}} \sim 1 - \epsilon^2$$

$$\frac{g_{htt}^2}{g_{Htt}^{(0)2}} \sim 1 - 2\epsilon \cdot \cot(\beta)$$

$$\frac{\lambda_{3h}^2}{\lambda_{3H}^{(0)2}} \sim 1 - 6\epsilon \hat{\lambda}$$

$$\epsilon = \frac{\hat{\lambda}v^2}{m_A^2} \to 0$$

See Gunion&Haber

The possibility that this ratio can be large allows the 3Higgs self-couplings to remain large even when the other couplings are converging to SM values.

We examine this possibility by varying:

 $1 < tan(\beta) < 50$ $-4\pi < \lambda_i < 4\pi$

The scan in parameter space was subject to constraints of tree-unitarity and to the requirement that hVV, htt, hbb differ from SM values by no more than 30%, 30%, 70% (below the sensitivity range of LHC direct measurement after 300 I/fb)

- The Higgs states in addition to the lightest ones are heavier than 700 GeV (not detectable) in the indicated range.
- Make sure that the small departure of hVV from SM does not lead to any unitarity violating growth of the amplitudes involving them.
- Diagrams involving 3Higgs with the heavy H in the propagators are negligible..
- ...similarly for V2Higgs.
- Hhh, HVV, HQQ weaker than hhh, hVV, hQQ.



Distribution of the values $\lambda_{3h}/\lambda_{3H}^{(0)}$

Simulating the 2HDM

We simulate the 2HDM using ALPGEN by rescaling $\lambda_{3H}^{(0)}$ in all diagrams where 3Higgs are involved.

$$\lambda_{3H}^{(0)} = -3\frac{M_H^2}{v}\eta$$

This rescaling neglects diagrams involving other fields in 2HDM ≥ (not incorporated in ALPGEN). We checked that these contributions are numerically negligible. The rescaling breaks gauge inv. e.g. in



The Yukawa is rescaled while the gauge is not (is kept fixed to SM).

Anyway, little impact on unitarity.

Channels studied both in SM and 2HDM

 $\begin{array}{cc} gg \rightarrow HH & (Gluon fusion) \\ gg, q\bar{q} \rightarrow t\bar{t}HH & (Associated production) \end{array}$ $qq^{(\prime)} \rightarrow qq^{(\prime)}HH$ $q\bar{q}^{(\prime)} \rightarrow VHH$

(VBF) (Higgs-strahlung)

 $H \rightarrow bb$

Additional triggers (with respect to g-fusion) in the studied cases are:

- fwd/bkwd jets in VBF
- leptons/light-jets from V decays and associated production





Signal to Background

One cannot get anything good from a SM study; even at the SLHC one cannot have any statistically significant signal for 2IMH production within SM...but one can find nontrivial limits in the context of 2HDM.

We explore the case where the only low energy trace of a non-SM Higgs sector is a large 3Higgs self-coupling.

Example (SM)

 $VV \to HH$

S/√B≈0.3

Dominant QCD bkg $b\overline{b}b\overline{b}jj$

$$E_{\perp} > 20 \ GeV, \quad \eta_{j_1} > 2.5, \quad \eta_{j_2} < -2.5$$
$$(m_{b_1,b_2} - M_H)^2 + (m_{b_3,b_4} - M_H)^2 < 2(0.12M_H)^2$$
$$m_{bb}^{min} > 50 \ GeV$$
$$m_{bb}^{next-to-min} > 100 \ GeV$$

In the allowed range of r we can observe xsect enhancement by almost two orders of magnitude. The xsects can be directly related to the production rates of hh in 2HDM.



 $pp \rightarrow X H H \rightarrow X 4b (E_{em} = 14 \text{ TeV})$

<u>2H visibility at (S)LHC</u>

	$M_H(GeV)$	120	130	140
95% c.l.	LHC, 95%	-3.6 6.2	-4.7 7.5	-7.8
excl. @	SLHC, 95%	-1.0 2.5	-1.9 4.2	-3.7 6.4
l@ 3σ	LHC, 3σ	-4.8 7.6	-6.3 9.1	-10 13
probed	SLHC, 3σ	-1.9 4.0	-2.7 5.3	-4.9 7.7
	2HDM	-14 8	-12 7	-10 6

 $\lambda_{3h}/\lambda_{3H}^{(0)}$

Conclusions

- Challenge=to determine whether the observed state is the SM Higgs boson or if it is the lowest lying scalar h of some non-minimal Higgs sectors.
- If the latter, it is likely that the additional scalar states are heavy and the decoupling limit applies. It is possible that these heavier states are not detectable at (S)LHC or at e+e- machines.
- We consider the hypothesis that the only visible trace of the non standard sector is an enhancement of λ 3H giving an anomalous visibility of 2IMH final states with respect to SM expectations. Our conclusions are rather model independent since we are not fully implementing the details of 2HDM.
- This study should encourage attempts to look for 2H production at LHC even in the IMH region.

<u>Theorem</u>: In the decoupling limit:

$$\cos(\beta - \alpha) \approx O(\frac{v^2}{m_S^2})$$

0

cos(β-α)	sin(β–α)	
HWW, HZZ	hWW, hZZ	
ZAh	ZAH	
WHh	WHH	

AVV , A2 γ , H2 γ , HVV , ZZA , WWA , HWZ , HW γ forbidden at tree-level

The Higgs coupling to fermions are model dependent. Here:

$$\phi_1 - D - \ell \quad \phi_2 - U - \nu$$

<u>ttHH signal</u>

The bckg. is: ttbbjj (tag 4b), ttbbbb (tag 6b) $\begin{array}{l} & & & \\ & & \\ \hline 1.5 \text{ pb} & & \\ & & \\ & & \\ & (E_{\perp}^{b,j} > 20 \text{ } GeV, \quad |\eta^{b,j}| < 2.5, \quad \Delta R_{bb,bj,jj} > 0.4) \\ & & \\$

Signal = 0.073 (0.033) [0.011] fb vs. Bckg.= 0.08 fb

Signal and bckg. are expected to be sensitive to the choice of factorization/normalization scale as they originate from QCD induced processes primarly via gluon-PDF.