

Electroweak physics at LHC

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Outline



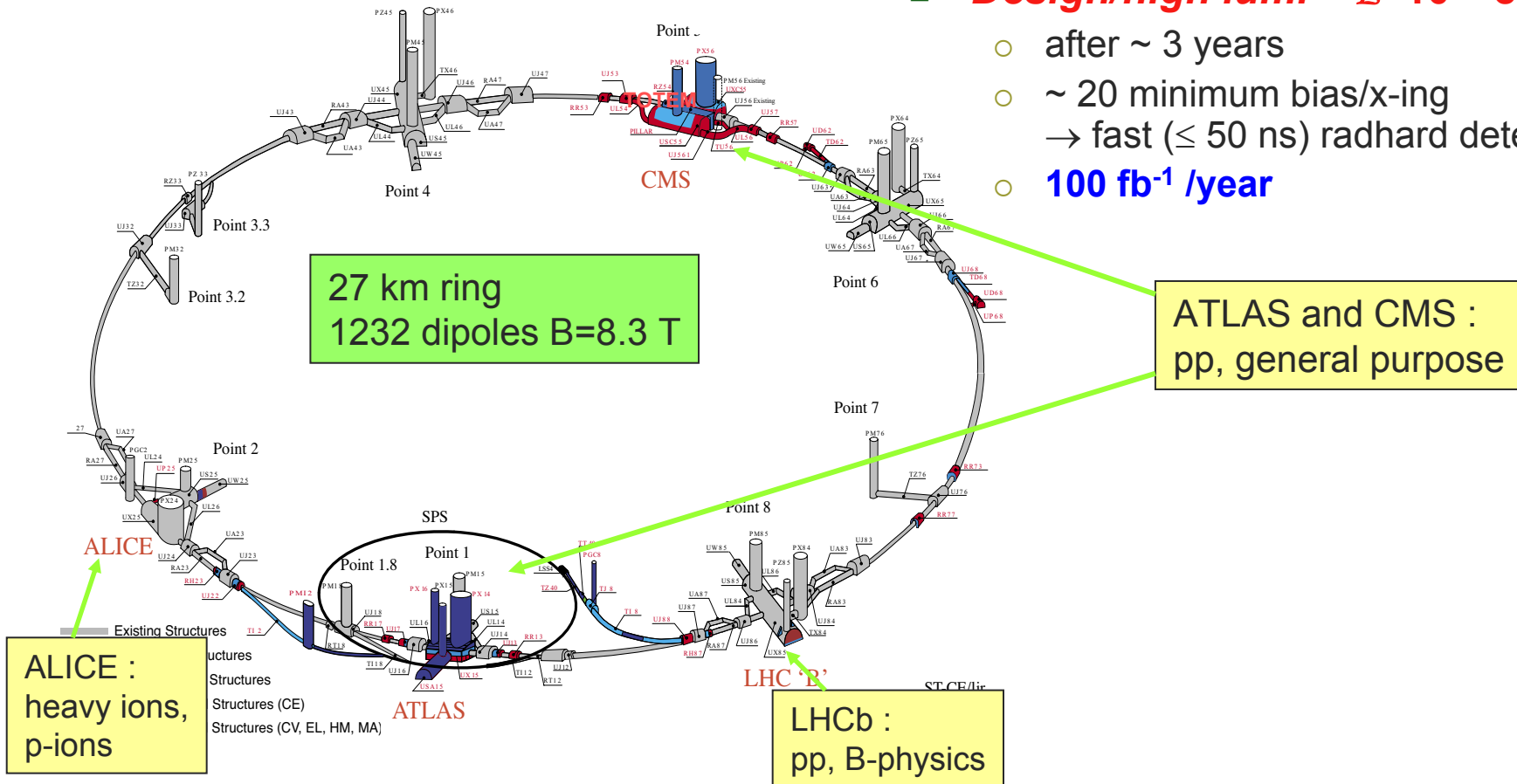
- Introduction
- W mass measurement
- Top mass measurement
- EW single top quark production: measurement of V_{tb} .
- A_{FB} asymmetry in dilepton production: $\sin^2\theta_{\text{eff}}^{\text{lept}}(M_Z^2)$.
- Conclusion.

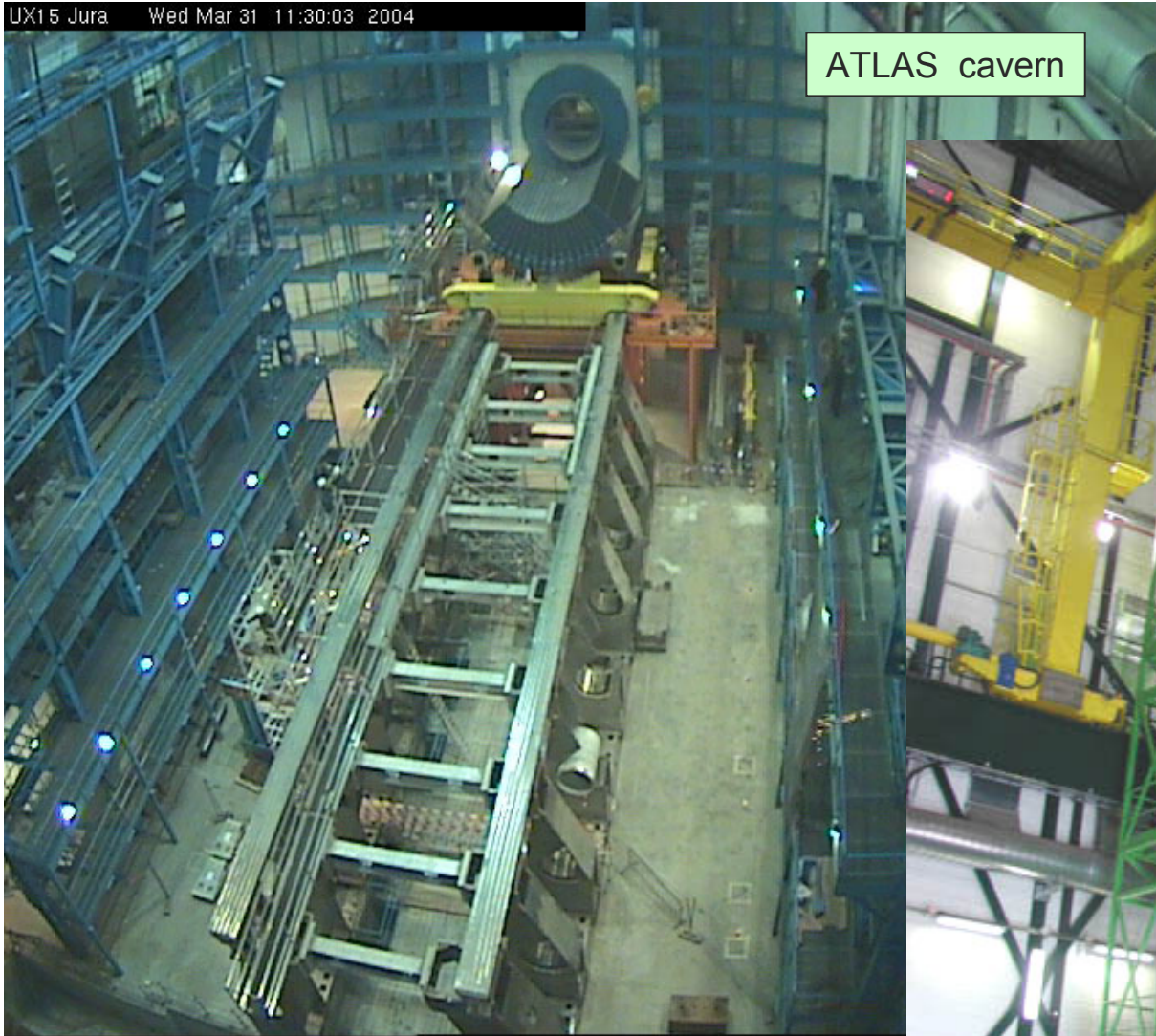


LHC and experiments

- pp (mainly) at $\sqrt{s} = 14 \text{ TeV}$
 - Startup in April 2007

- **Initial/low lumi** $\mathcal{L} \sim 10^{33} \text{ cm}^{-2} \text{ s}^{-1}$
 - ≤ 2 minimum bias/x-ing
→ “Tevatron-like” environment
 - **10 fb⁻¹ /year**
- **Design/high lumi** $\mathcal{L} = 10^{34} \text{ cm}^{-2} \text{ s}^{-1}$
 - after ~ 3 years
 - ~ 20 minimum bias/x-ing
→ fast ($\leq 50 \text{ ns}$) radhard detect
 - **100 fb⁻¹ /year**





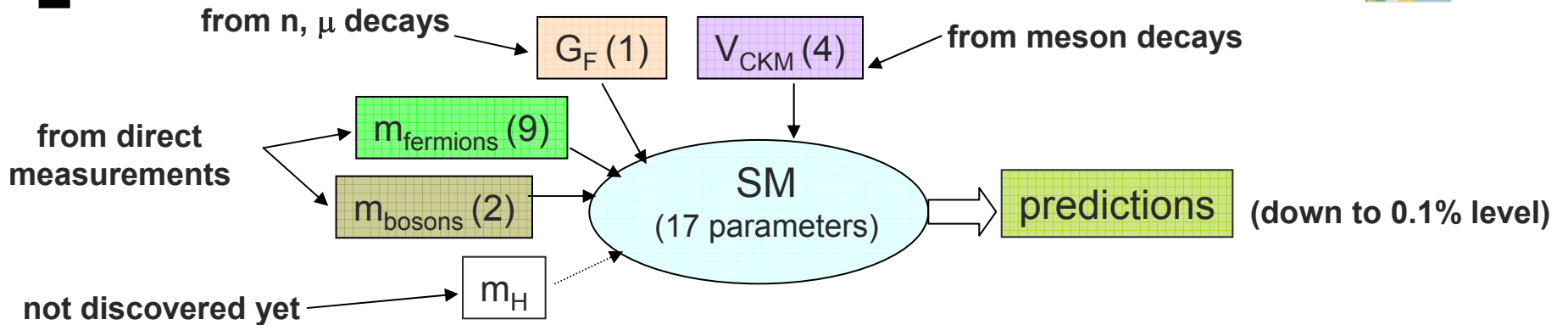
ATLAS cavern



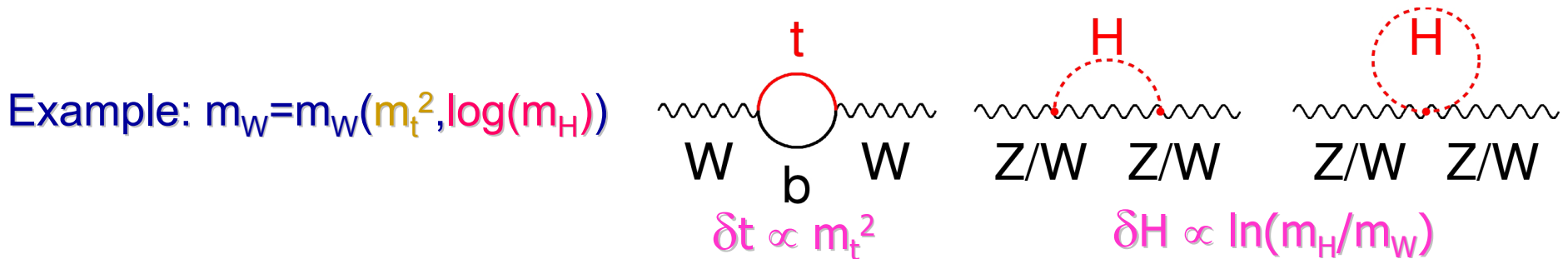
CMS yoke

**Huge activities in construction of both
CMS and ATLAS**

What we know



No observable directly related to m_H . Dependence through radiative corrections.



By making precision measurements (already interesting per se):

- one can get information on the missing parameter m_H
- one can test the validity of the Standard Model

Where we are



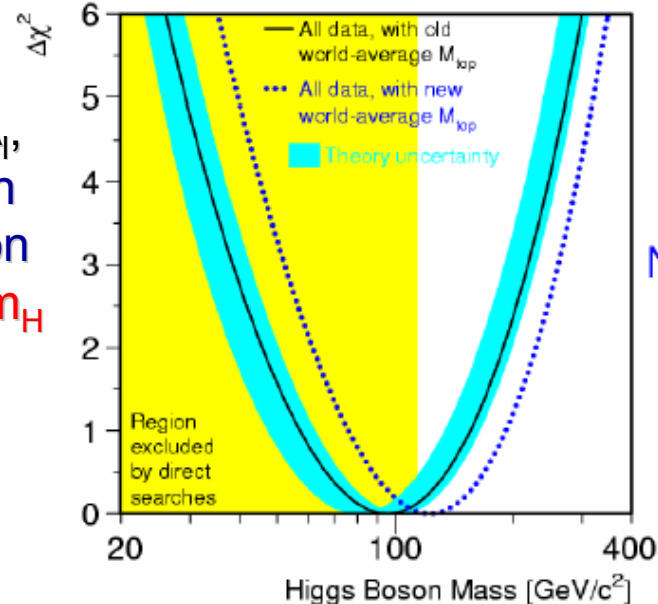
Uncertainties on m_t , m_W are the dominating ones in the ew fit

Consequences for Standard-Model Higgs

Each “observable” (A_q , A_l , R_q , R_l , Γ , m , $\sin\theta_W, \dots$) can be calculated as a function of: $\Delta\alpha_{\text{had}}$, $\alpha_s(m_Z)$, m_Z , m_t , m_H

Precision electroweak data:

Constrain M_H in the MSM



Old:

$$M_{\text{top}} = 174.3 \pm 5.1 \text{ GeV}$$

$$\log M_H = 1.98^{+0.21}_{-0.22}$$

$$M_H = 96^{+60}_{-38} \text{ GeV}$$

$$\text{or } < 219 \text{ GeV (95\% CL)}$$

New:

$$M_{\text{top}} = 178.0 \pm 4.3 \text{ GeV}$$

$$\log M_H = 2.07^{+0.20}_{-0.21}$$

$$M_H = 117^{+67}_{-45} \text{ GeV}$$

$$\text{or } < 251 \text{ GeV (95\% CL)}$$

(Procedure as in hep-ex/0312023!)

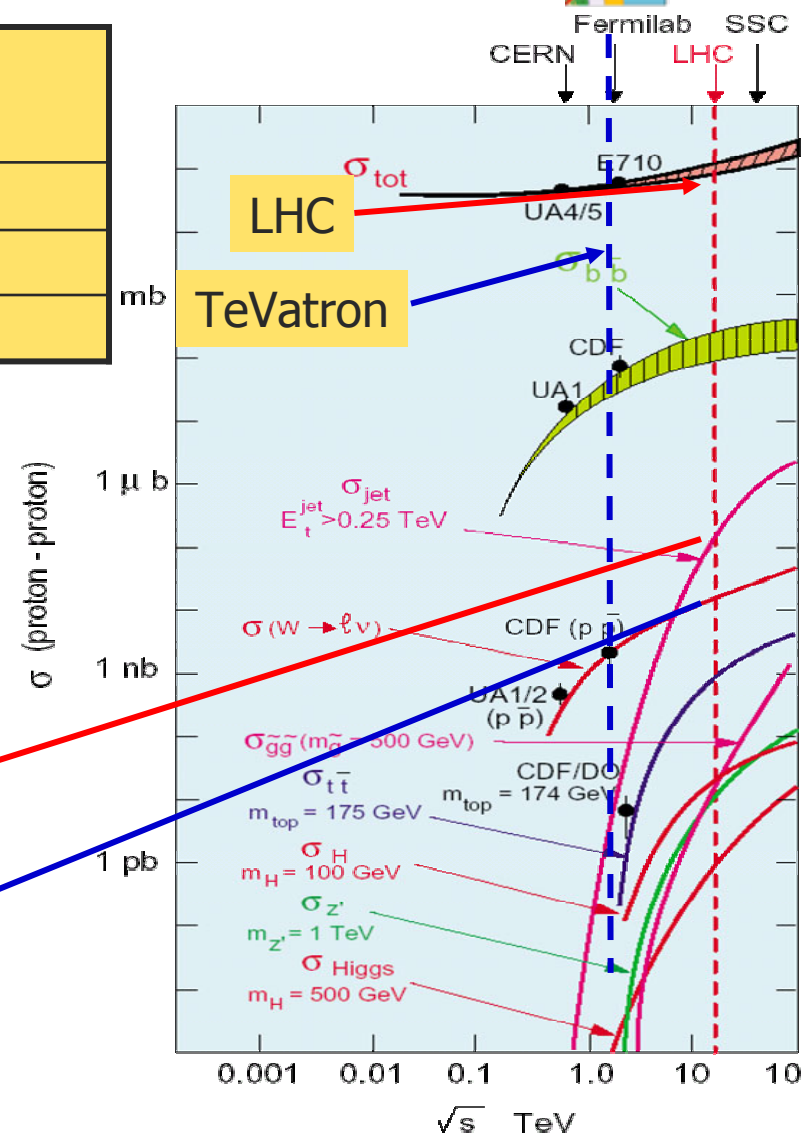
At the Tevatron run II: $\delta m_t \leq 2.5 \text{ GeV}$; $\delta m_W \leq 30 \text{ MeV} \Rightarrow \delta m_H / m_H \leq 35\%$
What can we expect/should be our goal at LHC?

Predictions



	\sqrt{s} [TeV]	Luminosity [cm ⁻² s ⁻¹]	$\int L$ [fb ⁻¹ /y]
TeVatron	2	<10 ³²	0.3
LHC (low lum)	14	10 ³³	10
LHC (high lum)	14	10 ³⁴	100

process	σ (pb)	Events/s	Events/y
$b\bar{b}$	5×10^8	10^6	10^{13}
$Z \rightarrow ee$	1.5×10^3	~ 3	10^7
$W \rightarrow \ell\nu$ ($\ell=e,\mu$)	3×10^4	~ 60	10^8
$WW \rightarrow e\nu X$	6	10^{-2}	10^5
$t\bar{t}$	830	~ 1.7	10^7
$H(700 \text{ GeV}/c^2)$	1	2×10^{-3}	10^4



M_W measurement at the LHC



year 2004: $\Delta M_W \approx 30$ MeV , year 2007: $\Delta M_W < 30$ MeV (Lep2+Tevatron)

- m_{top} and M_W : equal weight in the EW fit if $\Delta M_W \approx 0.007 \Delta m_{\text{top}}$
 at LHC: $\Delta m_{\text{top}} \leq 2$ GeV gives the precision $\Delta M_W : \leq 15$ MeV

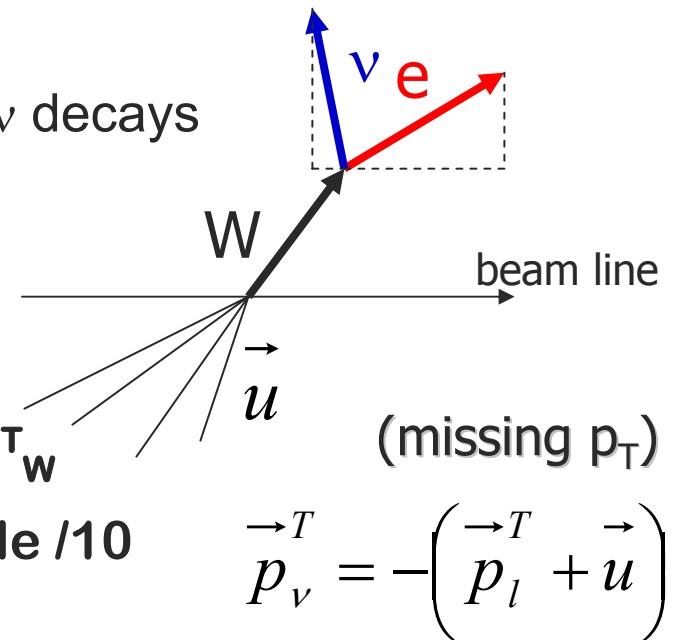
- **Methods:** same as at the Tevatron, with $W \rightarrow l\nu$ decays
but LHC statistics is higher

$W \rightarrow l\nu$ 60 M reconstructed @ low \mathcal{L} (x10 RunII)

✓ PT_l spectrum Pile-up , theo. know. of PT_W

✓ $R = MT_W^2 / MT_Z^2$ spectrum Small syst, sample /10

✓ MT_W^2 Best choice for low lum phase



M_W measurement: Transverse Mass



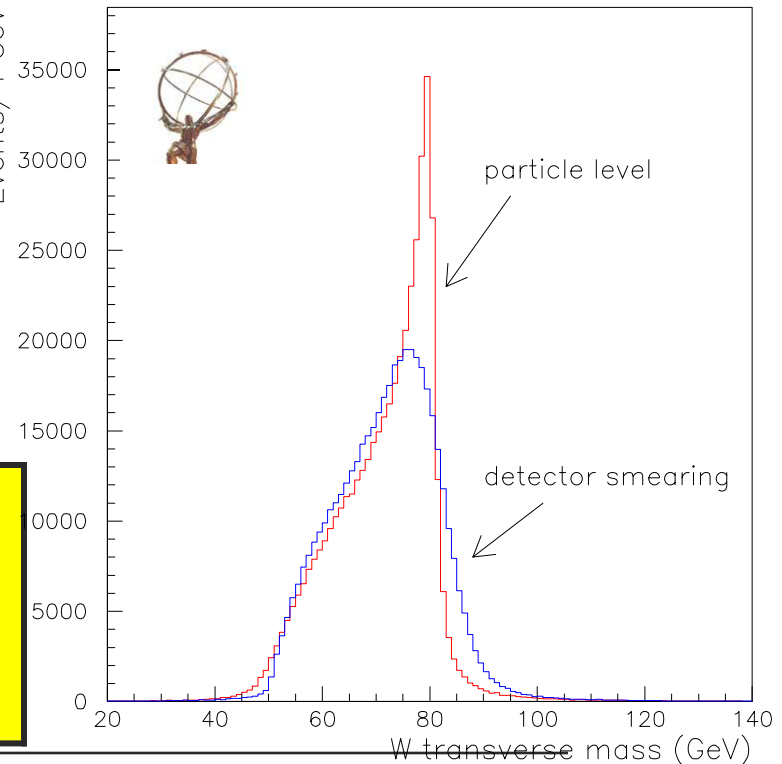
- ✓ Use Transverse mass to cope with **unmeasured $P_{L,\nu}$**

$$M_W^T = \sqrt{2p_T^l \underbrace{p_T^\nu}_{P_T^{miss}} (1 - \cos\Delta\phi^{l,\nu})} \quad l=e,\mu$$

- ✓ **W mass** : fit exp. shape to MC sample with different Values of M_W

- ✓ stat. error negligible
- ✓ syst. error: MC modelling of the physics and the detector responses

Events / 1 GeV



physics		detecto	
P_T^W spectrum	Z→ll	Lep. E/p	Z→ll, E/p for e^\pm
PDF	LHC data	Lep. res.	Z→ll, E/p for e^\pm
W width	Z→ll,R,CDF/D0	Recoil	Z→ll
W rad. decays	Theory, MC		
Background			

Advantages of LHC



Profit from Tevatron experience:

Many potential hidden sources of systematics from the detector description in the simulations (+pile-up, + radiation)

⇒ use data samples for in-situ calibrations !

Advantages of the LHC:

Huge statistics of signal & control samples like Z leptonic decays:

⇒ Larger production cross-section for the control process
 $Z \rightarrow (e/\mu)(e/\mu)$ (6 millions/y/exp)

⇒ granularity + acceptance + resolution are better

Error from control samples at the LHC < than at the Tevatron

Detector systematics



0.02% on lepton E/p scale precision needed

⇒ $Z \rightarrow ee$, $Z \rightarrow \mu\mu$ mass reconstruction

⇒ leptonic decays of Υ , J/ψ

~15 MeV/y-e-l can be reached

... and ~1-2% uncertainty in $E+p$ resolution

⇒ Z width reconstruction

⇒ beam tests data

low extrapolation error $Z \rightarrow W$

~5 MeV/y-e-l can be reached

Recoil modelling (UE + detector)

⇒ determine response/resolution of the recoil (+UE) from $Z \rightarrow ll$ data

~5 MeV/y-e-l can be reached

Physics systematics



$p_T(W)$

⇒ use $p_T(Z)$ from $Z \rightarrow \ell\ell$, use $p_T(W)/p_T(Z)$ to model MC.

~5 MeV/y-e-l can be reached

Uncertainties on the parton density functions

⇒ Compare different models, constrain pdfs through Z+W data

~10 MeV/y-e-l can be reached

W width

⇒ use measurement of

$$R = \frac{\sigma_W}{\sigma_Z} \times \frac{BR(W \rightarrow \ell \nu)}{BR(Z \rightarrow \ell\ell)}$$

Implicit SM assumption
to determine Γ_W

From LEP

From theory

<10 MeV/y-e-l can be reached

Radiative decays

⇒ constrained through $W \rightarrow \ell \nu \gamma$?

<10 MeV/y-e-l, theory work needed

Background

⇒ checks on Z and $W \rightarrow \tau \nu$
(composition similar to Tevatron)

<5 MeV/y-e-l should be reached

M_W measurement: errors



➤ M_W , $W \rightarrow l\nu$ one lepton species low lum, per exp., per year

<u>source</u>	<u>CDF Run1b</u>	<u>LHC</u>
	30K evts, 84pb ⁻¹	60M evts, 10fb ⁻¹
Statistics	65 MeV	< 2 MeV
Lepton scale	75 MeV	15 MeV
Energy resolution	25 MeV	5 MeV
Recoil model	37 MeV	5 MeV
Lepton id.	-----	5 MeV
P_T^W	15 MeV	5 MeV
PDF	15 MeV	10 MeV
W width	-----	7 MeV
Radiative decays	20 MeV	< 10 MeV
Background	5 MeV	5 MeV
TOTAL	92 MeV	< 25 MeV

Much better!

Internal calibration from Z data mainly.
Need excellent control of energy flow+ p scale

➤ Combining channels and exp., should reach $\Delta M_W \approx 15 \text{ MeV}$

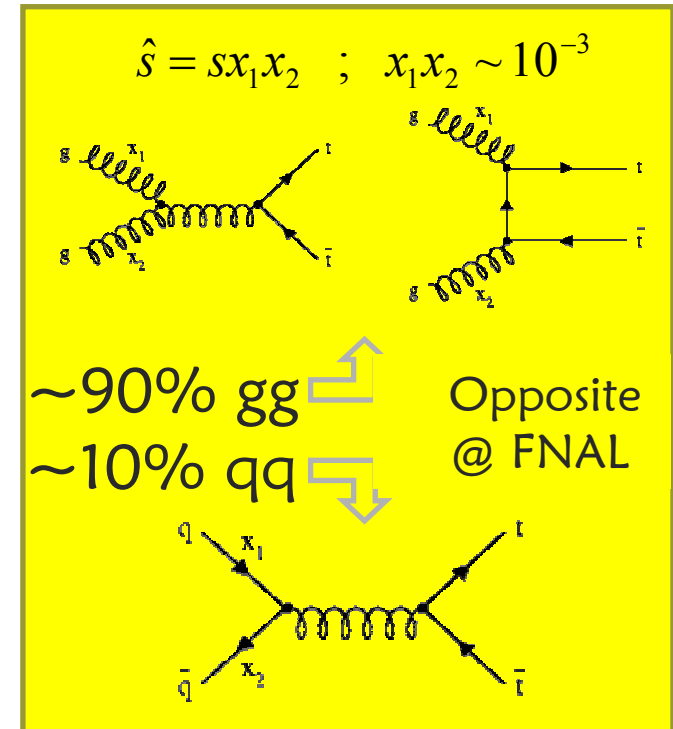
M_{top} measurement: production



- Cross section determined to NLO precision
 - Total $\sigma_{\text{NLO}}(tt) = 834 \pm 100 \text{ pb}$
 - Largest uncertainty from scale variation
- Compare to other production processes:

Low lumi			
Process	N/s	N/year	Total collected before start LHC
$W \rightarrow e\nu$	15	10^8	10^4 LEP / 10^7 FNAL
$Z \rightarrow ee$	1.5	10^7	10^7 LEP
tt	1	10^7	10^4 Tevatron
bb	10^6	10^{12-13}	10^9 Belle/BaBar ?
H (130)	0.02	10^5	?

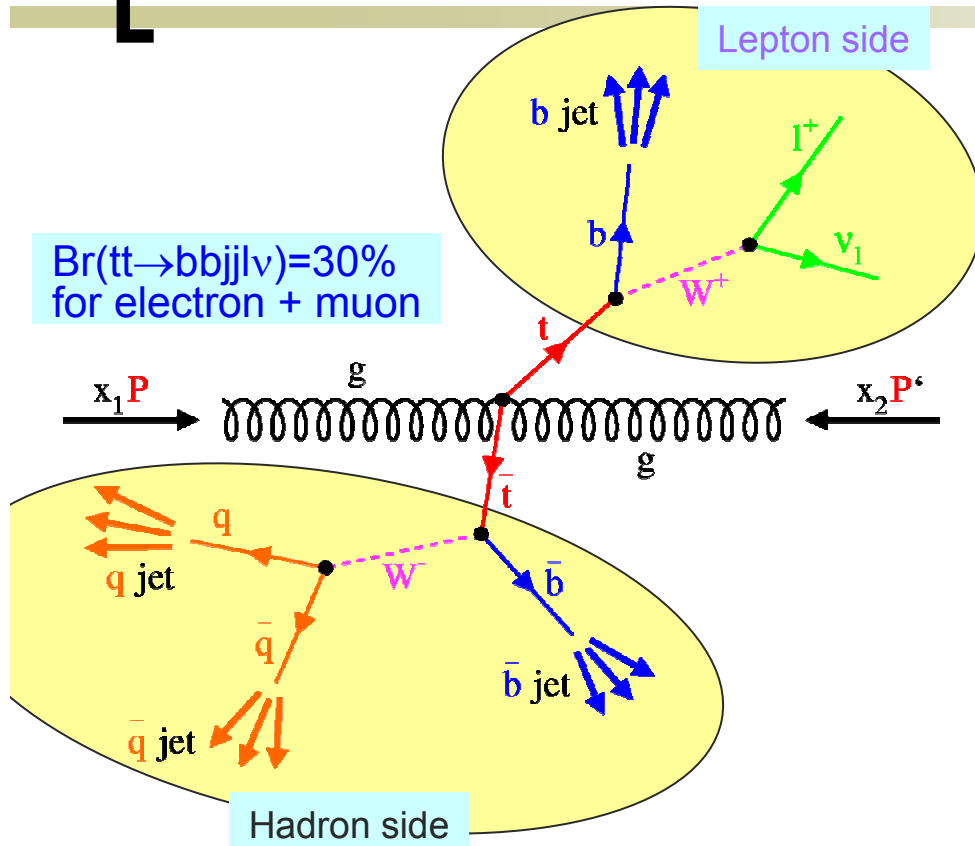
LHC is a top factory!



- Top production cross section approximately 100x Tevatron



M_{Top} from lepton+jet



Typical selection efficiency: $\sim 5\text{-}10\%$:

- Isolated lepton $P_T > 20$ GeV
- $E_{T,\text{miss}} > 20$ GeV
- 4 jets with $E_T > 40$ GeV
- > 1 b-jet ($\epsilon_b \approx 40\%$, $\epsilon_{uds} \approx 10^{-3}$, $\epsilon_c \approx 10^{-2}$)

Background: $< 2\%$

W/Z+jets, WW/ZZ/WZ

- Golden channel
 - Clean trigger from isolated lepton
- The reconstruction starts with the W mass:
 - different ways to pair the right jets to form the W
 - jet energies calibrated using m_W
- Important to tag the b-jets:
 - enormously reduces background (physics and combinatorial)
 - clean up the reconstruction

Lepton + jet: reconstruct top

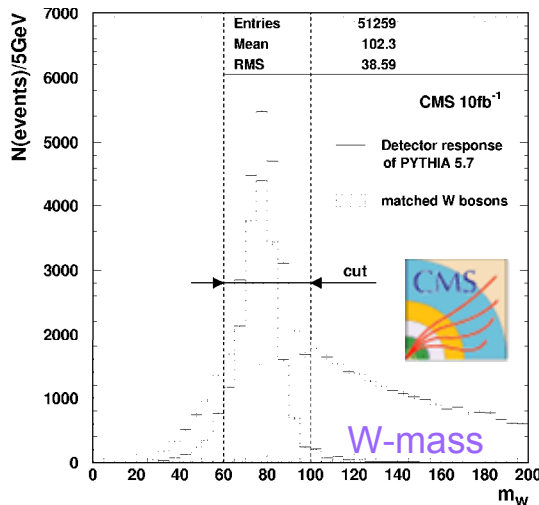
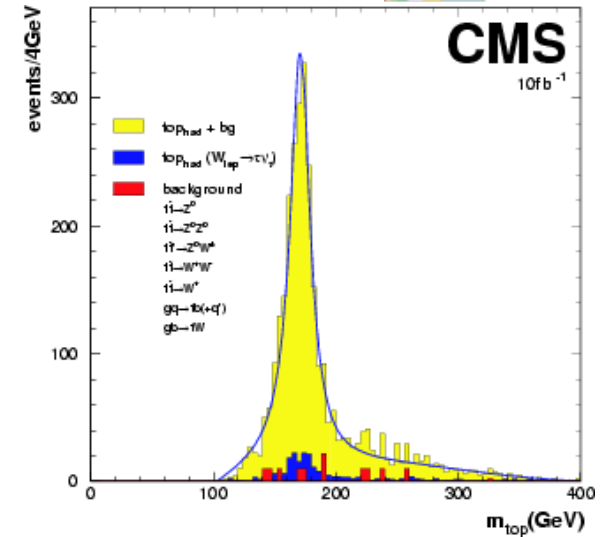


■ Hadronic side

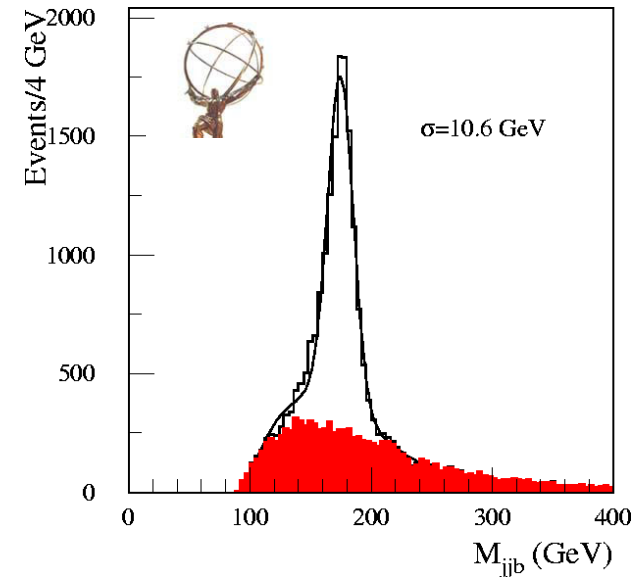
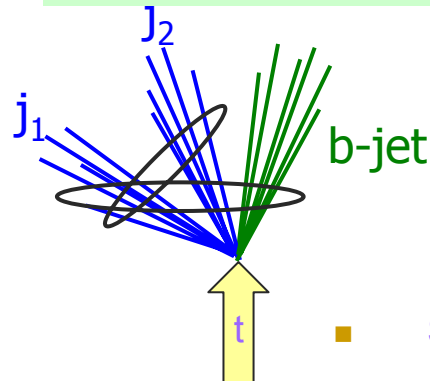
- W from jet pair with closest invariant mass to M_W
 - Require $|M_W - M_{jj}| < 20$ GeV
- Assign a b-jet to the W to reconstruct M_{top}

■ Kinematic fit

- Using remaining l+b-jet, the leptonic part is reconstructed
 - $|m_{lvb} - \langle m_{jjb} \rangle| < 35$ GeV
 - Kinematic fit to the tt hypothesis, using M_W constraints



***Borjanovic et al.,
SN-ATLAS-2004-040***

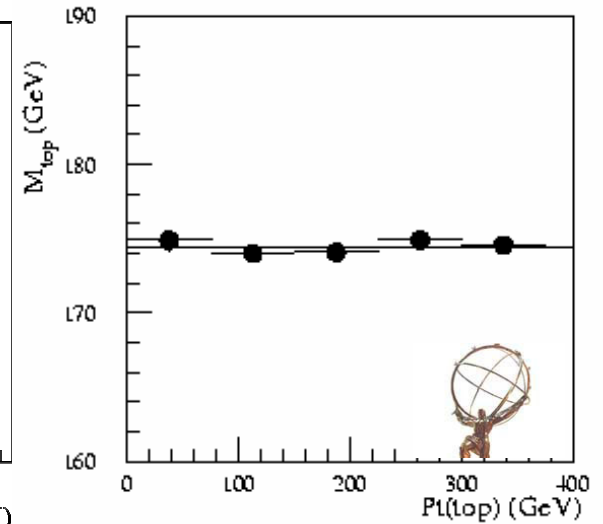
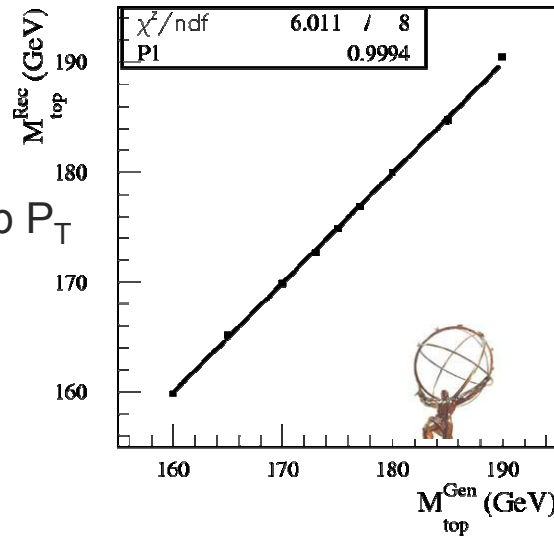


■ Selection efficiency 5-10%

M_{top} systematics



- Method works:
 - Linear with input M_{top}
 - Largely independent on Top P_T
- Biggest uncertainties:
 - Jet energy calibration
 - FSR: 'out of cone' give large variations in mass
 - B-fragmentation
- Verified with detailed detector simulation and realistic calibration



Source of uncertainty	Hadronic δM_{top} (GeV)	Fitted δM_{top} (GeV)
Light jet scale	0.9	0.2
b-jet scale	0.7	0.7
b-quark fragm	0.1	0.1
ISR	0.1	0.1
FSR	1.9	0.5
Comb bkg	0.4	0.1
Total	2.3	0.9

Challenge:
 determine the mass of the top
 around 1 GeV accuracy in one year of LHC

Alternative mass determination



■ Select high P_T back-to-back top events:

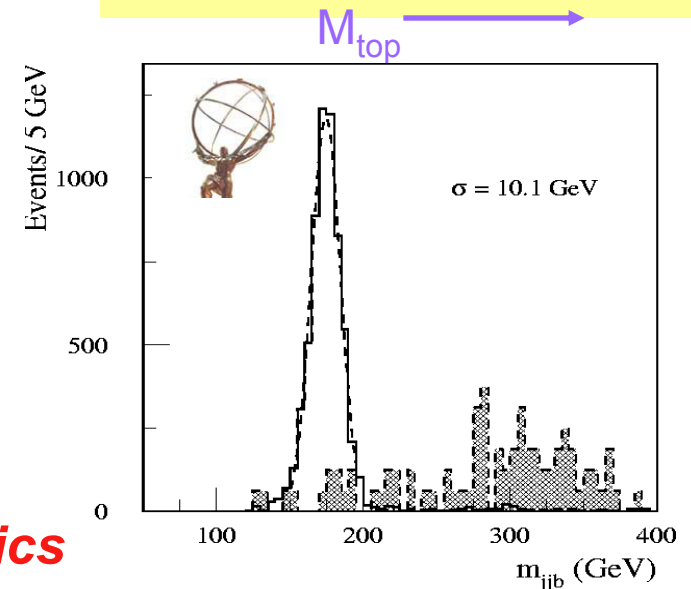
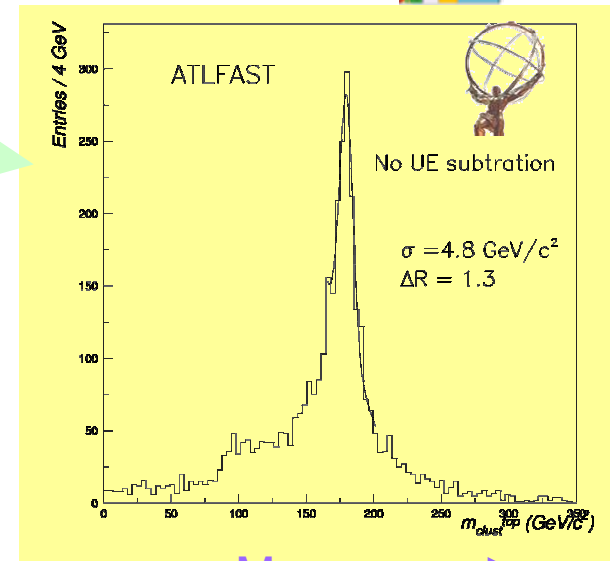
- Hemisphere separation
(bckgnd reduction, much less combinatorial)
- Higher probability for jet overlapping

■ Use the events where both W 's decay leptonically ($Br \sim 5\%$)

- Much cleaner environment
- Less information available from two ν 's

■ Use events where both W 's decay hadronically ($Br \sim 45\%$)

- Difficult 'jet' environment
- Select $P_T > 200$ GeV



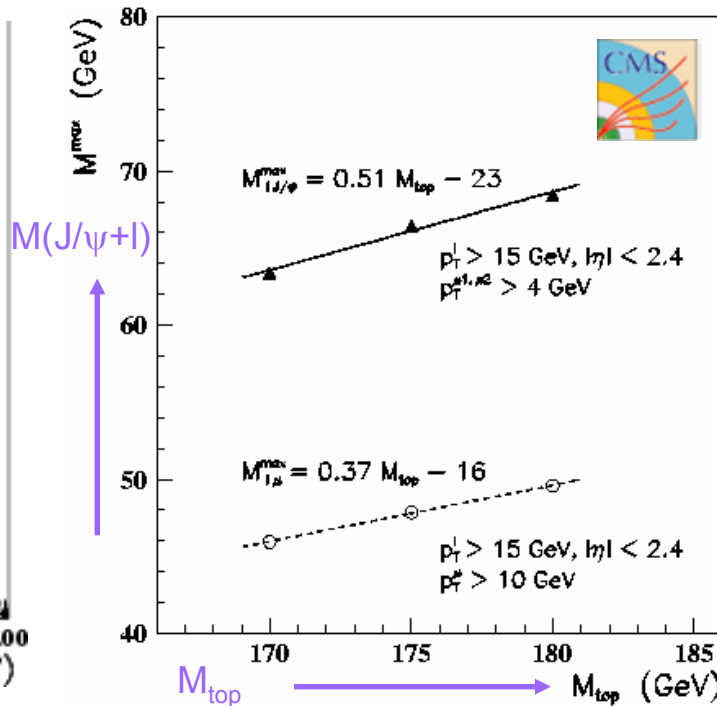
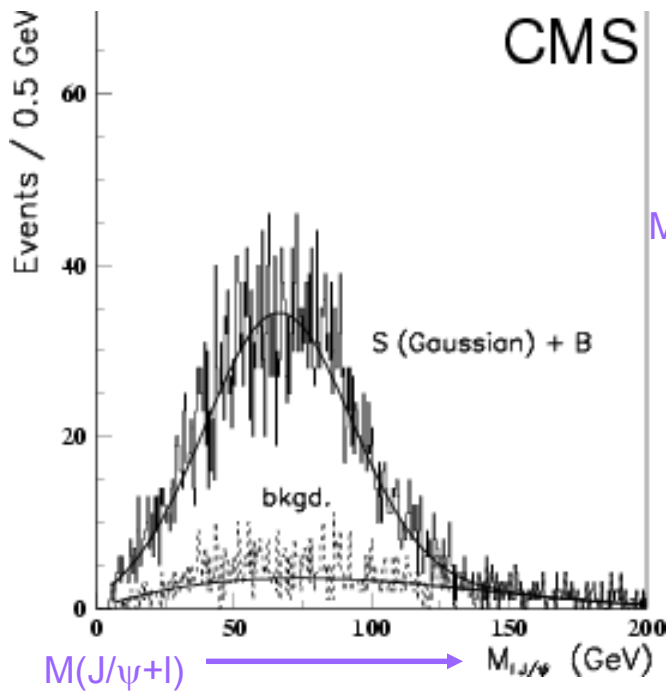
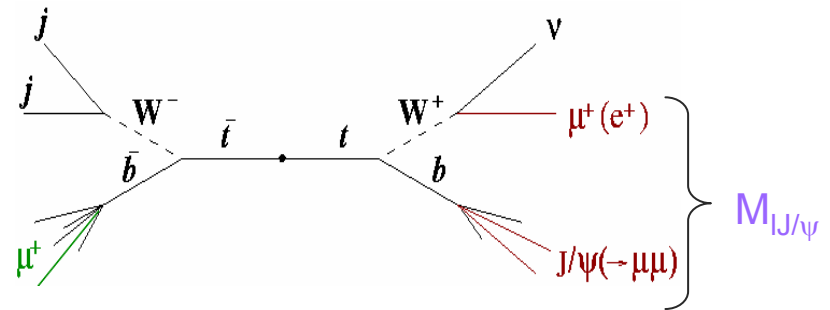
Various methods all have different systematics

M_{top} from J/ψ



- Use exclusive b-decays with high mass products (J/ψ)

- Higher correlation with M_{top}
- Clean reconstruction (background free)
- $BR(tt \rightarrow qqbl\nu + J/\psi \rightarrow ll) \approx 5 \cdot 10^{-5}$
- $\epsilon \sim 30\% \Rightarrow 10^3 \text{ ev./100 fb-1}$ (need high lumi)



Different systematics (almost no sensitivity to FSR)

Uncertainty on the b-quark fragmentation function becomes the dominant error

Commissioning the detectors



- Determination M_{Top} in initial phase
 - Use 'Golden plated' lepton+jet

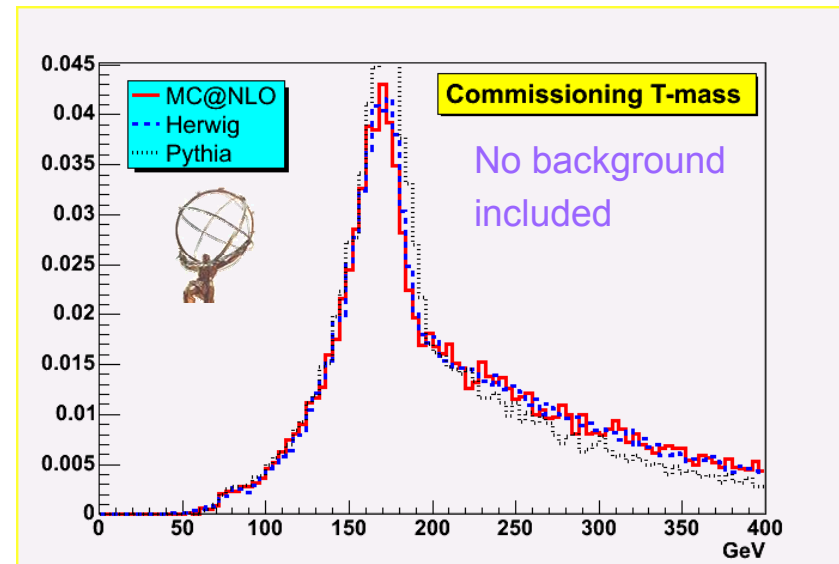
Period	Stat δM_{top} (GeV)	Stat $\delta\sigma/\sigma$
1 year	0.1	0.2%
1 month	0.2	0.4%
1 week	0.4	2.5%

- Selection:
 - Isolated lepton with $P_{\text{T}} > 20$ GeV
 - Exactly 4 jets ($\Delta R = 0.4$) with $P_{\text{T}} > 40$ GeV
- Reconstruction:
 - Select 3 jets with maximal resulting P_{T}

Calibrating detector in commissioning phase

Assume pessimistic scenario:

-) No *b*-tagging
-) No jet calibration
-) *But: Good lepton identification*



- Signal can be improved by kinematic constrained fit
 - Assuming $M_{W_1} = M_{W_2}$ and $M_{T_1} = M_{T_2}$

Commissioning the detectors



- Most important background for top: W+4 jets
 - Leptonic decay of W, with 4 extra 'light' jets
 - ☞ Alpgen, Monte Carlo has 'hard' matrix element for 4 extra jets (not available in Pythia/Herwig)
- Signal plus background at initial phase of LHC

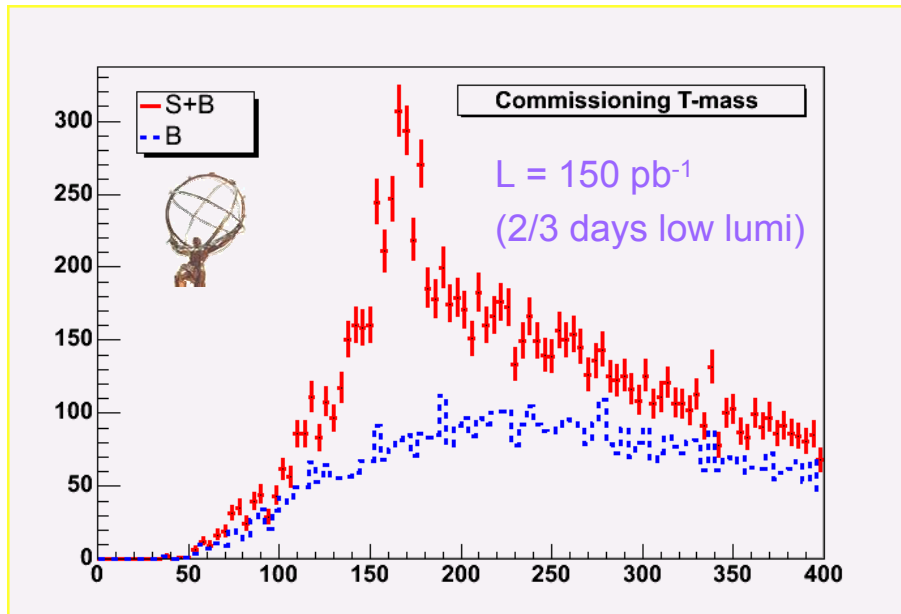
ALPGEN:

W+4 extra light jets

Jet: $P_T > 10$, $|\eta| < 2.5$, $\Delta R > 0.4$

No lepton cuts

Effective σ : ~ 2400 pb



With extreme simple selection and reconstruction the top-peak should be visible at LHC

measure top mass (to 5-7 GeV)

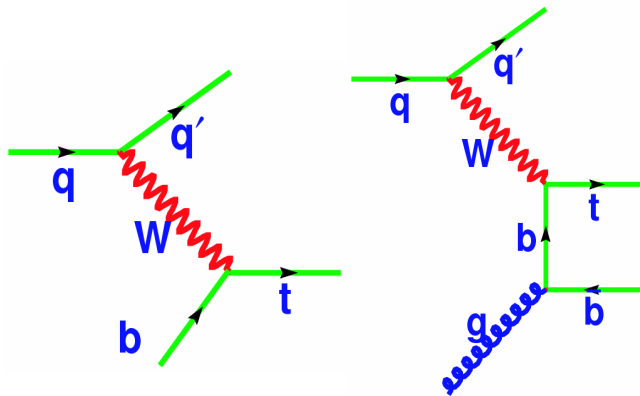
→ give feedback on detector performance

Single top production



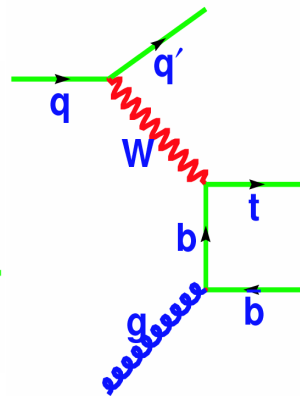
Three production mechanisms:

- 1) Determination of V_{tb}
- 2) Independent mass measurement



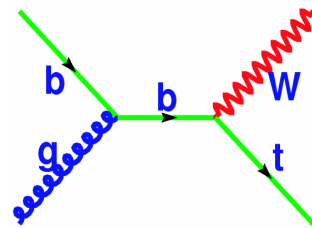
Wg fusion: 245 ± 27 pb

S.Willenbrock *et al.*, Phys.Rev.D56, 5919



Wt: $62.2^{+16.6}_{-3.7}$ pb

A.Belyaev, E.Boos, Phys.Rev.D63, 034012



W* 10.2 ± 0.7 pb

M.Smith *et al.*, Phys.Rev.D54, 6696

■ Main Background [$\sigma \times BR(W \rightarrow \ell \nu)$, $\ell = e, \mu$]:

○ tt	$\sigma = 833$ pb	[246 pb]	Wg	[54.2 pb]
○ Wbb	$\sigma = 300$ pb	[66.7 pb]	Wt	[17.8 pb]
○ Wjj	$\sigma = 18 \cdot 10^3$ pb	[$4 \cdot 10^3$ pb]	W*	[2.2 pb]

Single top results



- Detector performance critical to observe signal

- Fake lepton rate
- b and fake rate id ϵ
- Reconstruction and vetoing of low energy jets
- Identification of forward jets

- Each of the processes have different systematic errors for V_{tb} and are sensitive to different new physics

- heavy W' \Rightarrow increase in the s-channel W^*
- FCNC $gu \rightarrow t \Rightarrow$ increase in the W -gluon fusion channel

- Signal unambiguous, after 30 fb⁻¹:

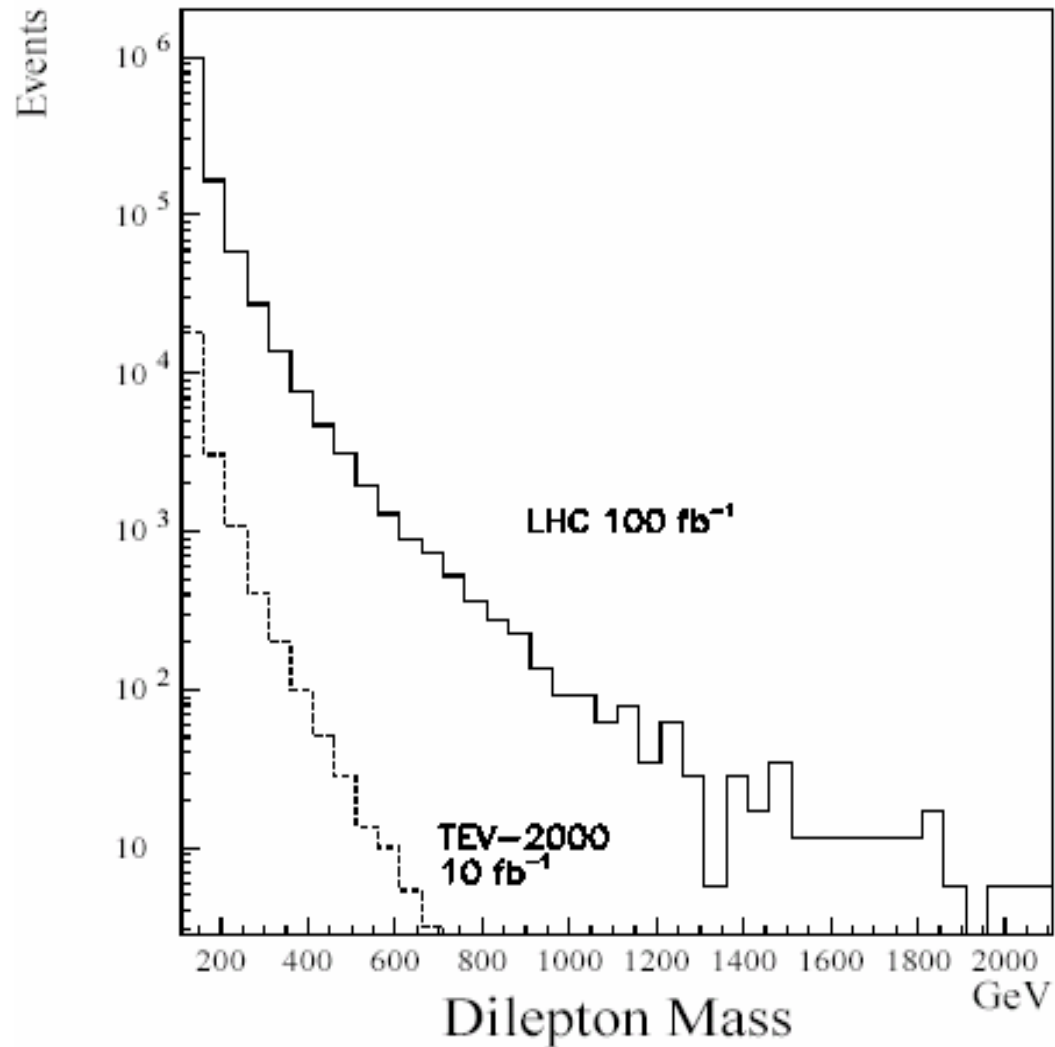
Process	Signal	Bckgnd	S/B
Wg fusion	27k	8.5k	3.1
Wt	6.8k	30k	0.22
W*	1.1k	2.4k	0.46

- Complementary methods to extract V_{tb}

Process	δV_{tb} (stat)	δV_{tb} (theory)
Wg fusion	0.4%	6%
Wt	1.4%	6%
W*	2.7%	5%

- With 30 fb⁻¹ of data, V_{tb} can be determined to %-level or better (experimentally)

Drell-Yan production at the LHC



Goals:

- Measure pdf
- Determine parton lumi
- Measure $\sin^2\theta_w$

$\sin^2\theta_{\text{eff}}^l$ measurement



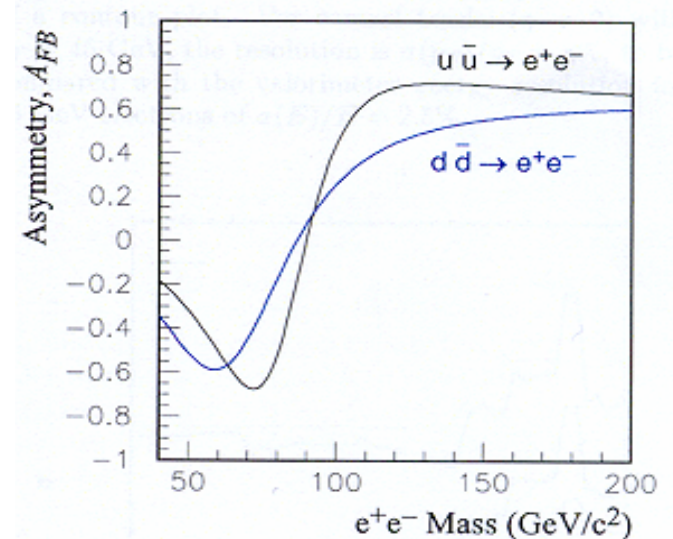
- $\sin^2\theta_{\text{eff}}^{\text{lept}}$ is one of the **fundamental parameters of the SM!**
- precise determination will **constrain the Higgs mass** and check **consistency of the SM.**

➤ From A_{FB} in $p\text{-}p \rightarrow Z, \gamma^* \rightarrow l^+ l^-$

at the Z pole, A_{FB} comes from interference of the V and A components of the couplings

$$A_{\text{FB}} = b \{ a - \sin^2\theta_{\text{eff}}^{\text{lept}}(M_Z^2) \} \quad [\text{hep/ph9707301}]$$

a and b calculated to NLO in QED and QCD.



- ✓ At pp collider, forward direction not naturally defined **BUT**
 - q Always from sea \rightarrow softer: direction given by the sign of $y(\text{ll})$
 - Asymmetry increase with $y(\text{ll})$

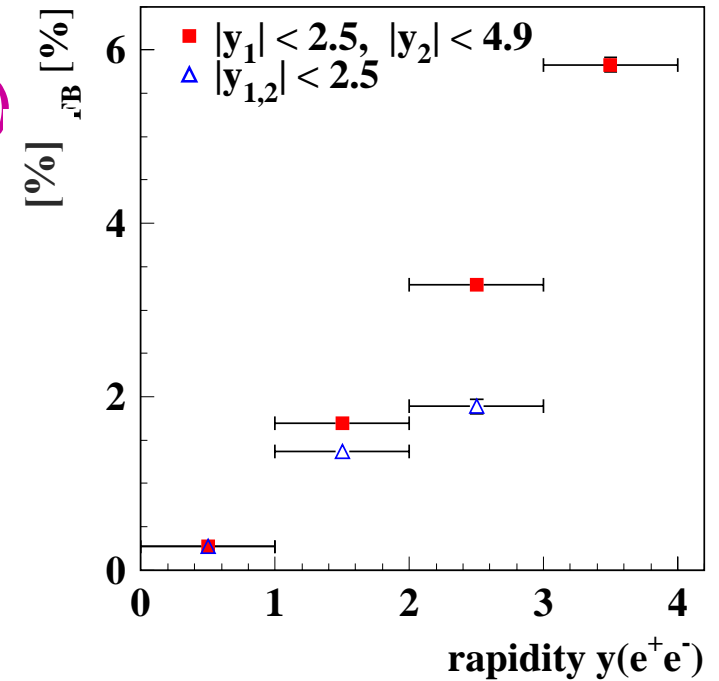


$\sin^2\theta_{\text{eff}}^l$ measurement

To reach World Average precision, need to use full calorimeter coverage (e channel only)

- $Z \rightarrow \mu^+ \mu^- \quad |\eta| < 2.$
- $Z \rightarrow e^+ e^- \quad |\eta| < 2.5 \quad \text{jet rejection factor } 1000$
- $Z \rightarrow e^+ e^- \quad 2.5 < |\eta| < 5 \quad \text{jet rejection factor } 10 - 100$

$\sigma (Z \rightarrow l^+ l^-) \sim 1.5 \text{ nb}$ (for either e or μ)



y cuts - e^+e^- ($ y(Z) > 1$)	ΔA_{FB} (statistical)	$\Delta \sin^2\theta_{\text{eff}}^{\text{lept}}$ (statistical)
$ y(l_{1,2}) < 2.5$	3.03×10^{-4}	4.0×10^{-4}
$ y(l_1) < 2.5; \quad y(l_2) < 4.9$	2.29×10^{-4}	1.41×10^{-4}

$\mathcal{L} = 100 \text{ fb}^{-1}$

- Main sys. effect: **uncertainty on pdf**, lepton acceptance ($\sim 0.1\%$), radiative correction

Can be further improved:
combine channels/experiments.

Conclusions:



- LHC will allow precision measurements: unexplored kinematic regions, high-statistics (W, Z, b, t factory);
- M_W can be measured with a precision of **15 MeV** (combining e/ μ and ATLAS + CMS);
- M_{top} : **$\sim 1 \text{ GeV}$** (combined with $\Delta m_W \sim 15 \text{ MeV}$, constrains M_H to $\sim 25\%$);
- EW single top production: direct measurement of V_{tb} ; measurement of top polarization (Wg with statistical precision of $\sim 1.6\%$);
- $\sin^2\theta_{\text{eff}}^{\text{lept}}(M_Z^2)$ can be determined with statistical precision of 1.4×10^{-4} (competitive to lepton collider measurements!)