

GEM-DHCal Performance and Energy Flow Algorithm Studies

LCWS 2004, SLAC

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- Single Pion Performance Study
- Study of $e^+e^- \rightarrow t\bar{t} \rightarrow 6\text{jets}$ Pythia events
- Energy Flow Algorithm
 - Two pion cluster matching and energy subtraction
- Conclusions

*On behalf of the HEP group at UTA.

Introduction

- DHCAL: a solution for keeping the cost manageable for EFA
- Fine cell sizes are needed for efficient calorimeter cluster association with tracks and subsequent energy subtraction
- UTA focused on DHCAL using GEM for
 - Flexible geometrical design, using printed circuit pads
 - Cell sizes can be as fine a readout as in a GEM tracking chamber!
 - Gains, above $10^{3\sim 4}$, with spark probabilities per incident π less than 10^{-10}
 - Fast response
 - 40ns drift time for 3mm gap with ArCO_2
 - Relatively low HV
 - A few 100V per each GEM foil
 - Possibility for reasonable cost
 - Foils are basically etched, copper-clad kapton
 - 3M produces foils in large quantities (12"x500ft rolls)

UTA GEM Simulation

- Use Mokka as the primary tool
 - Kept the same detector dimensions as TESLA TDR
 - Replaced the HCAL scintillation counters with GEM (18mm SS + 6.5mm GEM, 1cmx1cm cells)
- Single Pions used for performance studies
 - 5 – 100 GeV single pions
 - Analyzed them using ROOT
 - Compared the results to TDR analog as the benchmark
 - GEM Analog and Digital (w/ and w/o threshold)
 - ECal is always analog
- Two pion studies for EFA development

UTA Double GEM Geometry

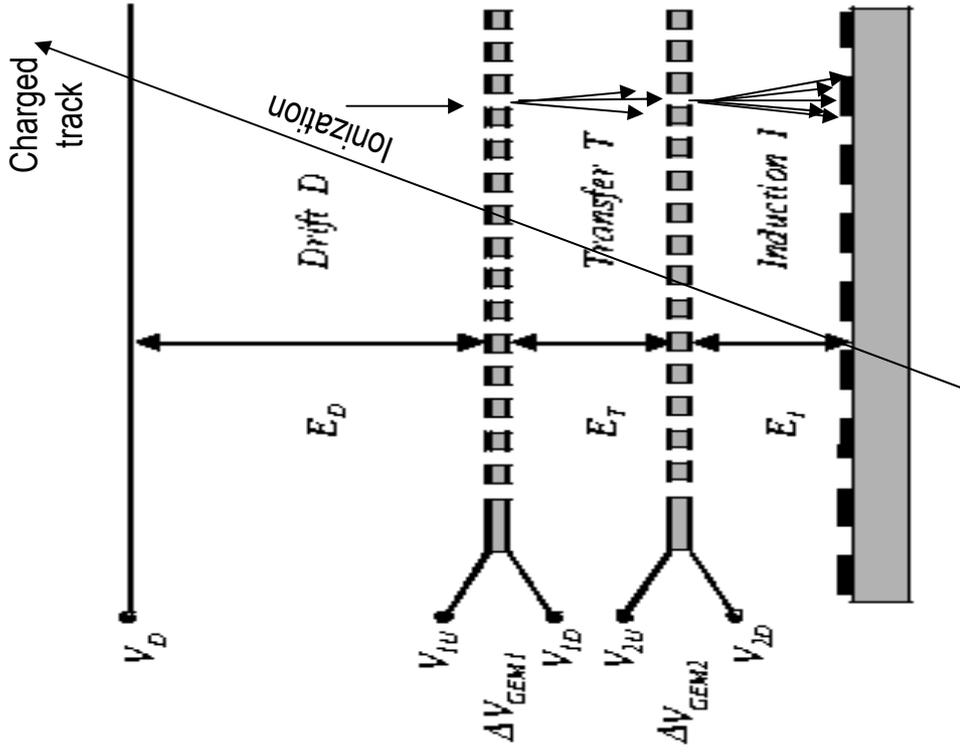
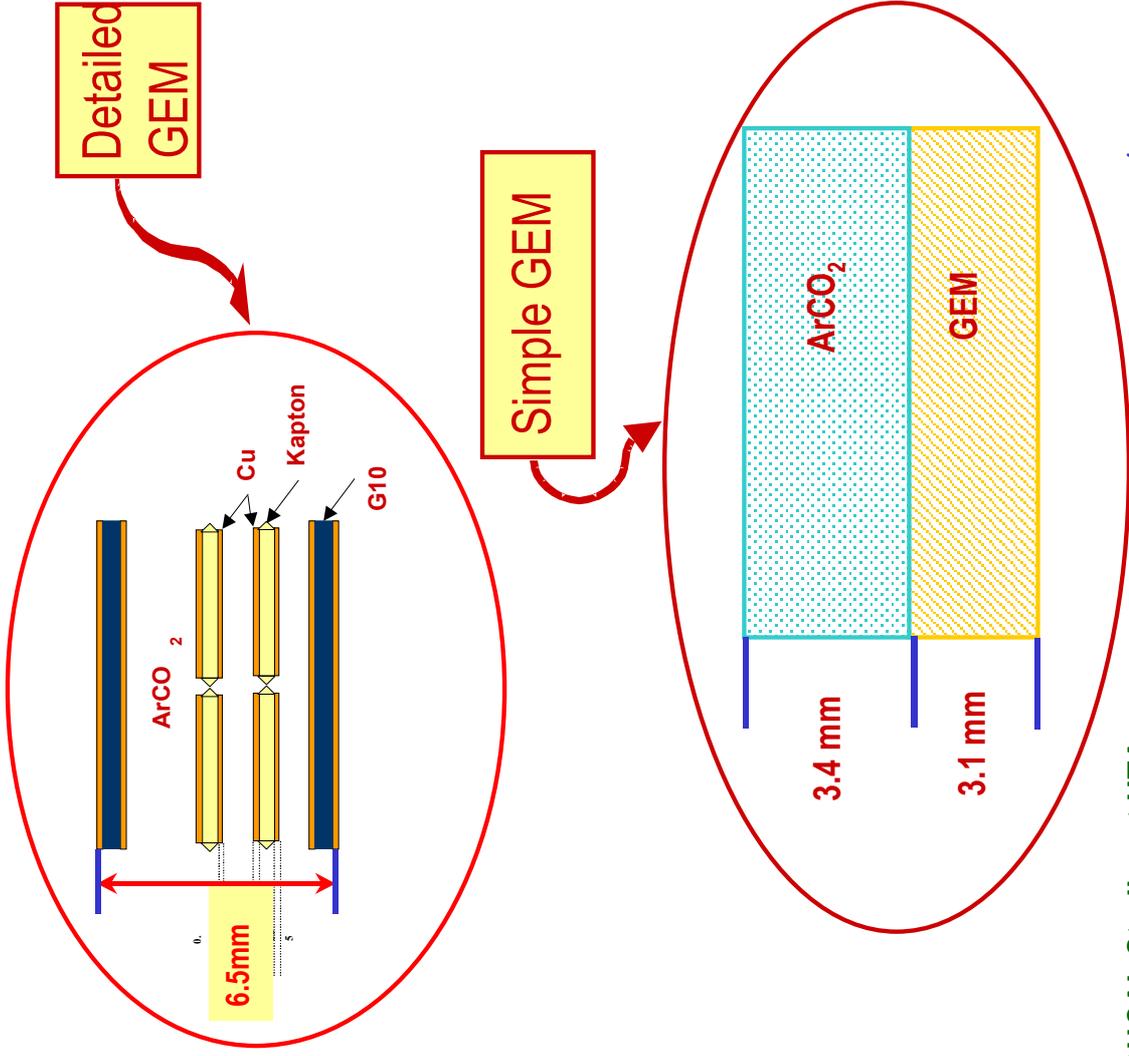
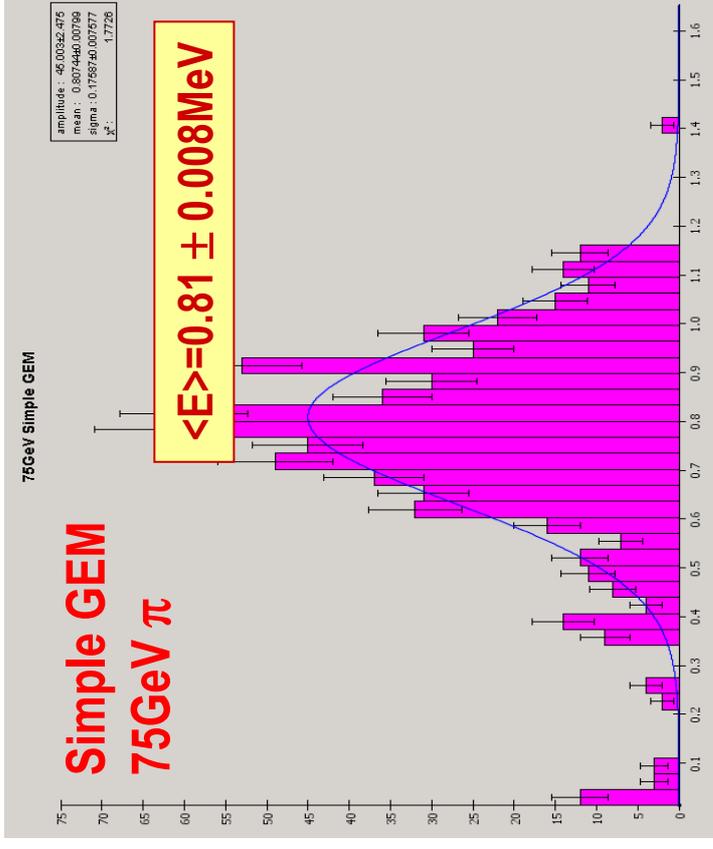
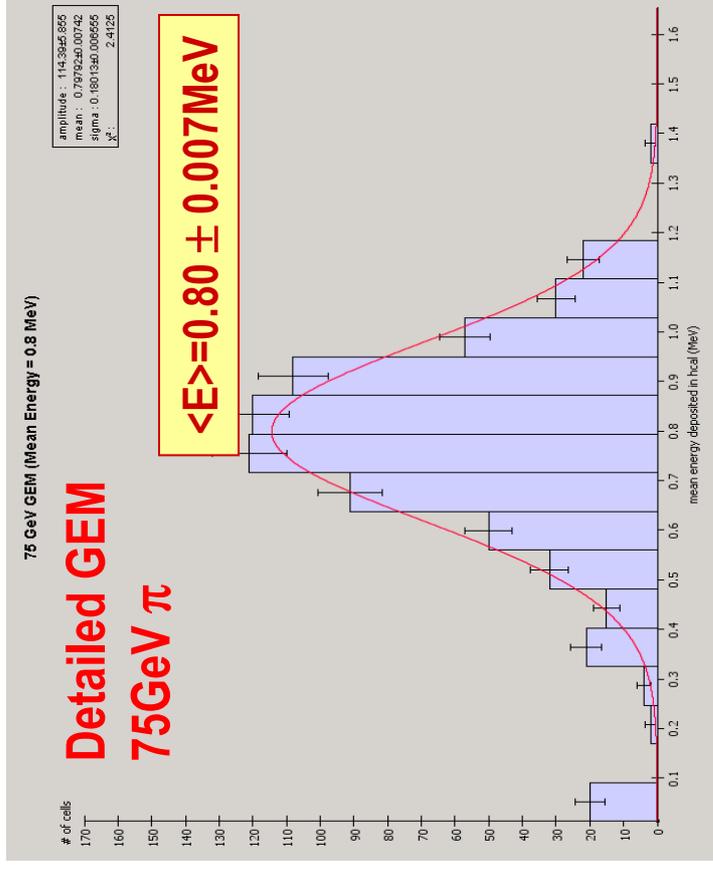


Fig. 1: Schematics of a double-GEM detector.

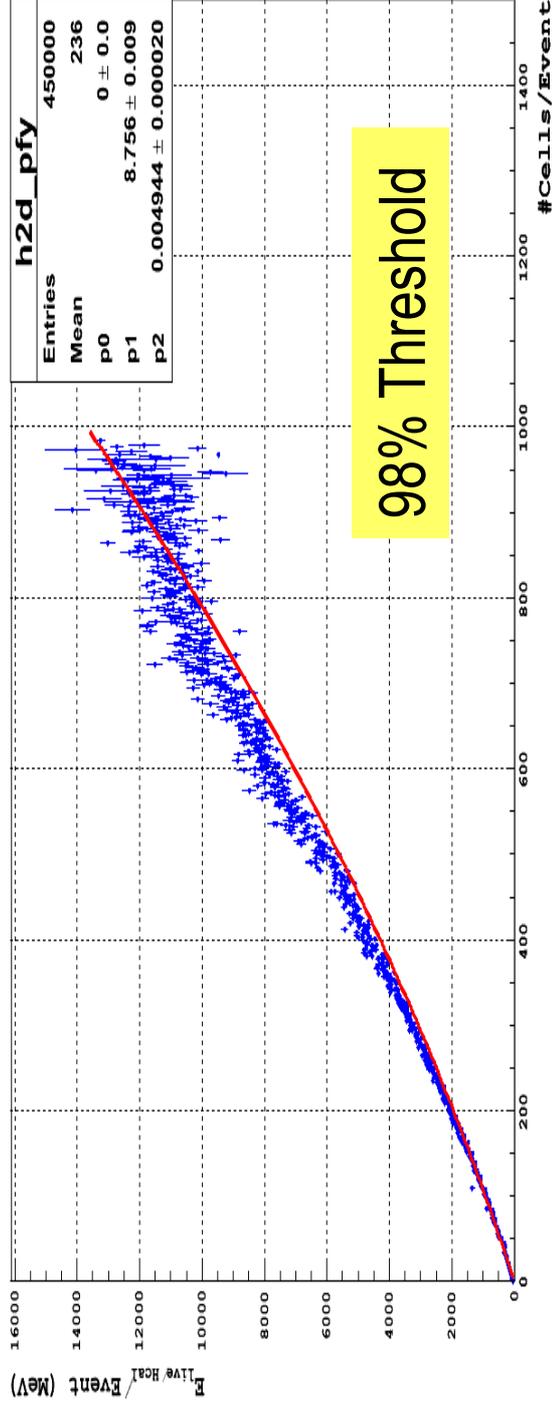
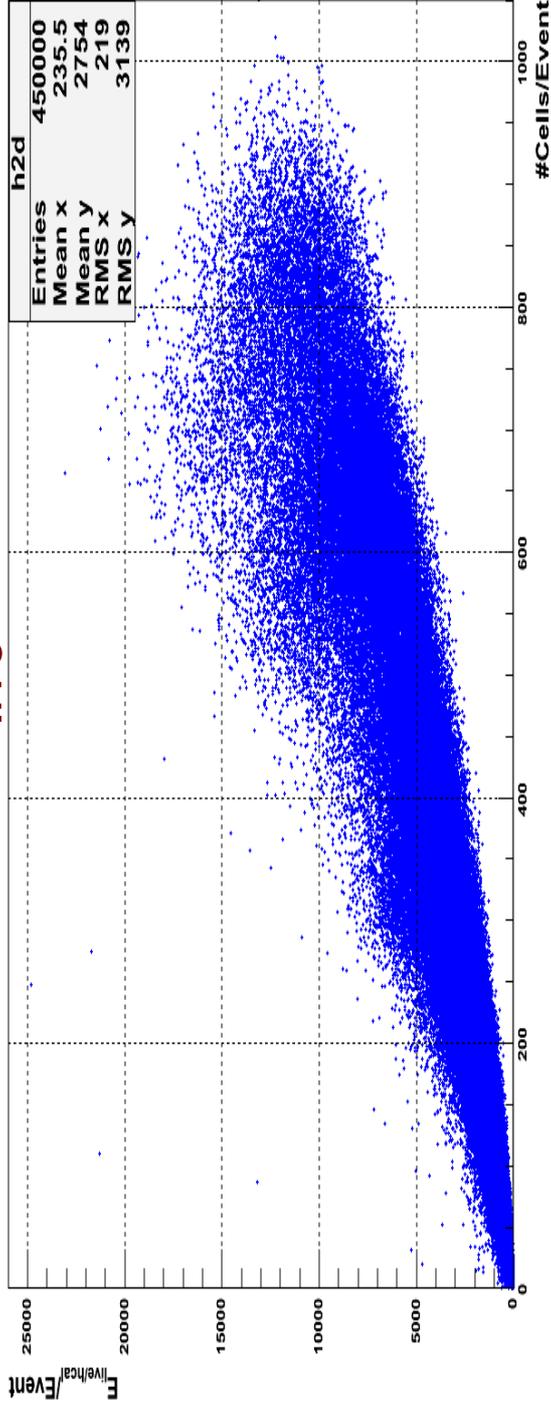


Performance Comparisons of Detailed and Simple GEM Geometries



- 25 sec/event for Simple GEM v/s 44 sec/event for Detailed GEM
- Responses look similar for detailed and simple GEM geometry
- Simple GEM sufficient

GEM-Digital: E_{live} vs # of hits for π^-

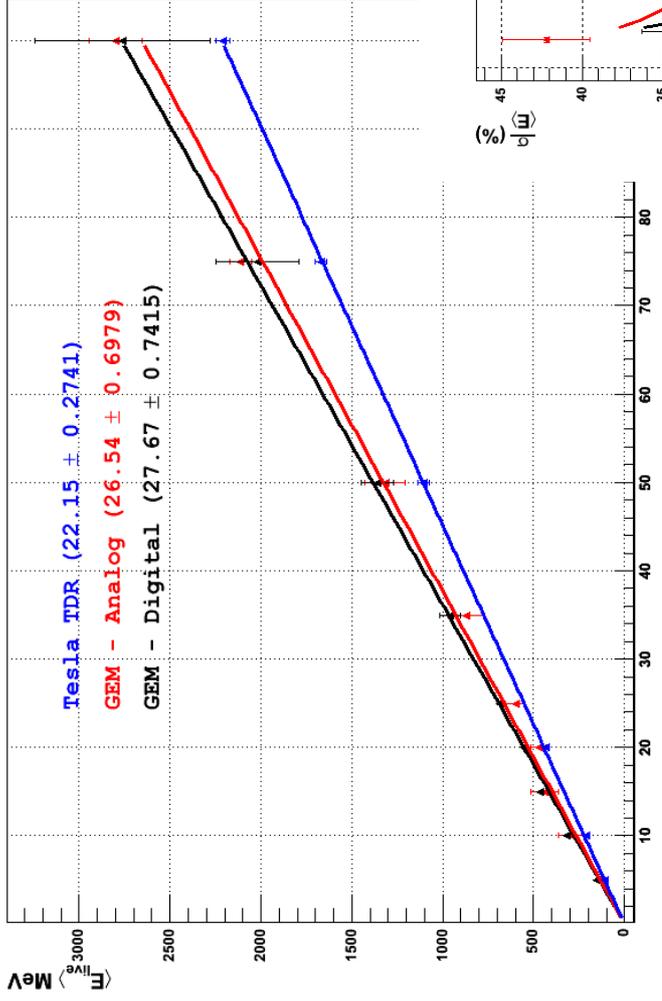


Profile

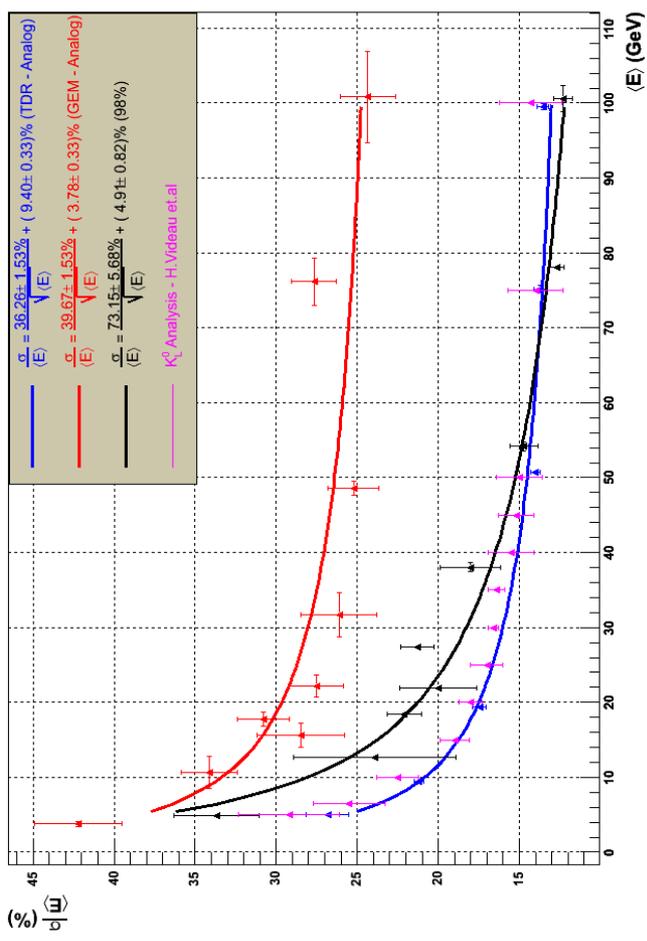
EM-HCAL Weighting Factor

- $E_{\text{Live}} = \sum E_{\text{EM}} + \mathcal{W} \sum G E_{\text{HCAL}}$
- For analog:
 - Landau + Gaussian (L+G) fit is used to determine the mean values as a function of incident pion energy for EM and HAD
 - Define the range for single Gaussian (G) fit using the mean
 - Take the mean of the G-fit as central value
 - Choose the difference between G and L+G fit means as the systematic uncertainty
- For digital:
 - Gaussian for entire energy range is used to determine the mean
 - Fit in the range that corresponds to 15% of the peak
 - Choose the 15% G fit mean as the central value
 - Difference between the two G as the systematic uncertainty
- Obtained the relative weight \mathcal{W} using these mean values for EM only v/s HCAL only events
- Perform linear fit to Mean values as a function of incident pion energy
- Extract ratio of the slopes \rightarrow Weight factor \mathcal{W}
- $E = C * E_{\text{Live}}$

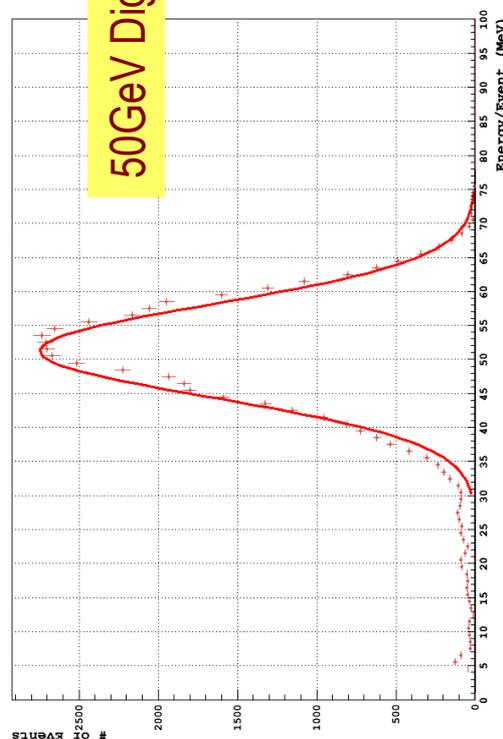
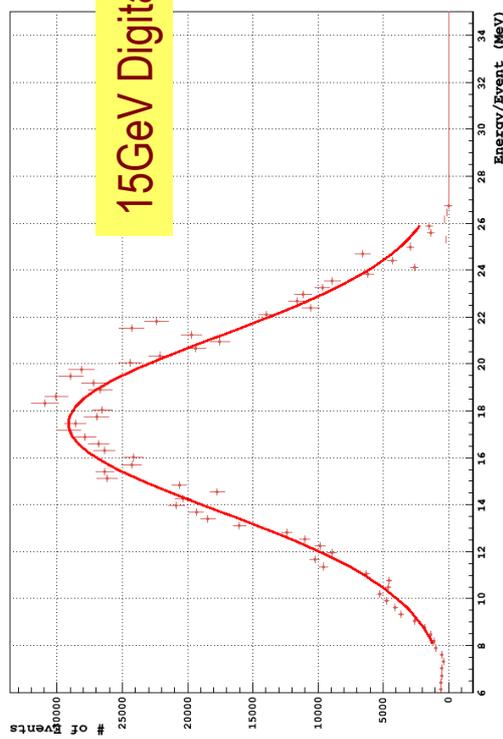
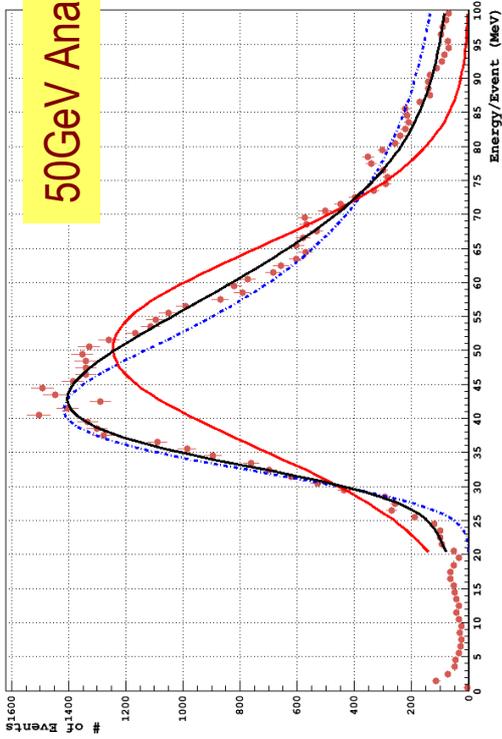
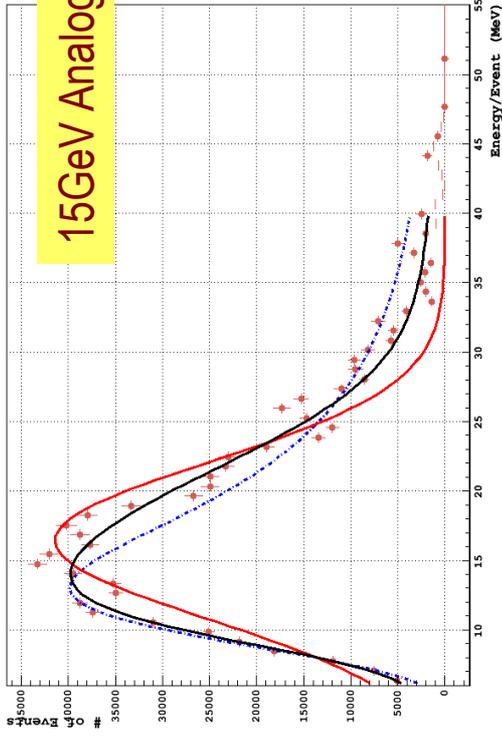
GEM HCAL Responses and Resolutions



DHCAL w/ 98% Threshold



GEM Analog & Digital Converted: 15 and 50 GeV π^-



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GEM DHCAL Studies at UJA
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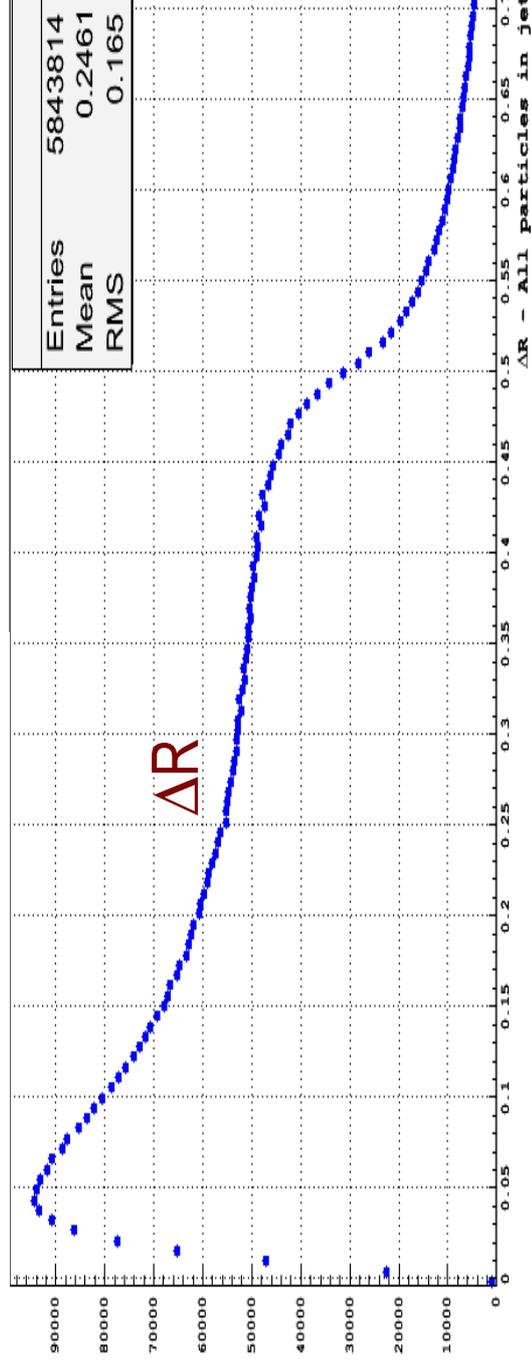
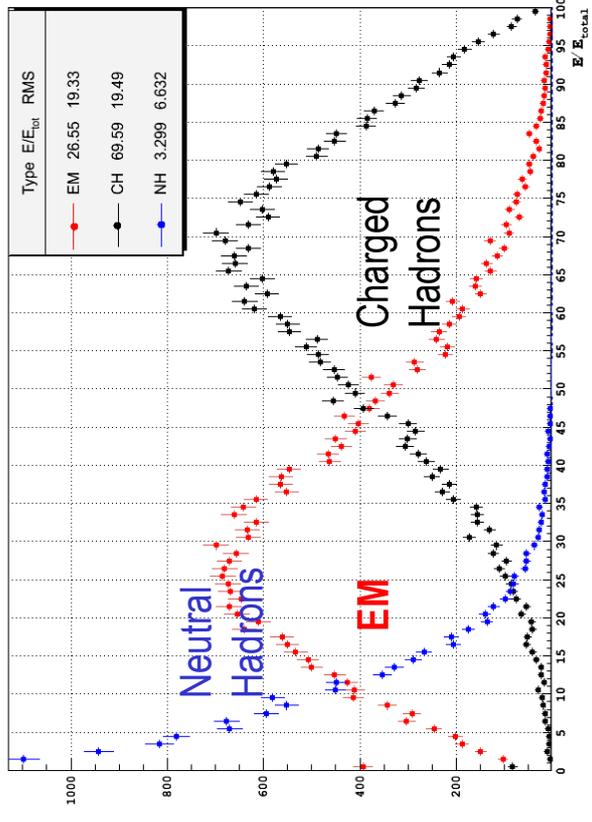
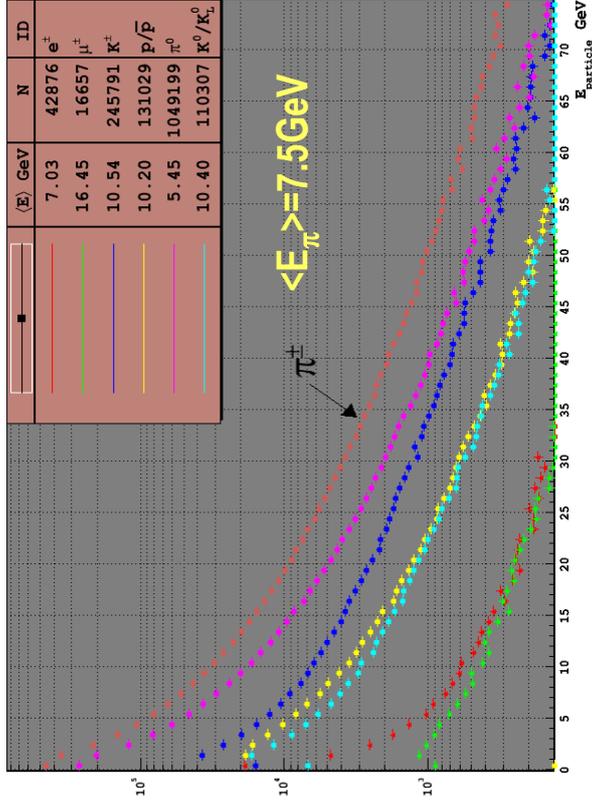
GEM Performance Study Summary

- GEM digital and analog responses comparable
 - Large remaining Landau fluctuation in analog mode observed
 - Digital method removes large fluctuation → Becomes more Gaussian
- GEM Energy resolutions
 - Digital comparable to TDR
 - Analog resolution worse than GEM digital or TDR
- GEM is as good detector for DHCAL and EFA as Tesla-TDR

Analysis of $e^+e^- \rightarrow t\bar{t} \rightarrow 6 \text{ jets}$

- Energy distribution of final state particles in jets
- Choose a $\Delta R = 0.5$ cone around a quark to define a jet
- Determine energy fraction of jets carried by EM, Neutral and Hadrons
- Determine the relative distances between all pairs of charged, neutral particles in the cone
- Use two pions to study effective charged hadron energy subtraction
- Study of centroid finding algorithm

Particle Properties in a jet



Energy Flow Studies with two π^-

- Based on the studies of particles in jet events

$$e^+e^- \rightarrow t\bar{t} \rightarrow 6 \text{ jets } \sqrt{s} = 1.0 \text{ TeV}$$

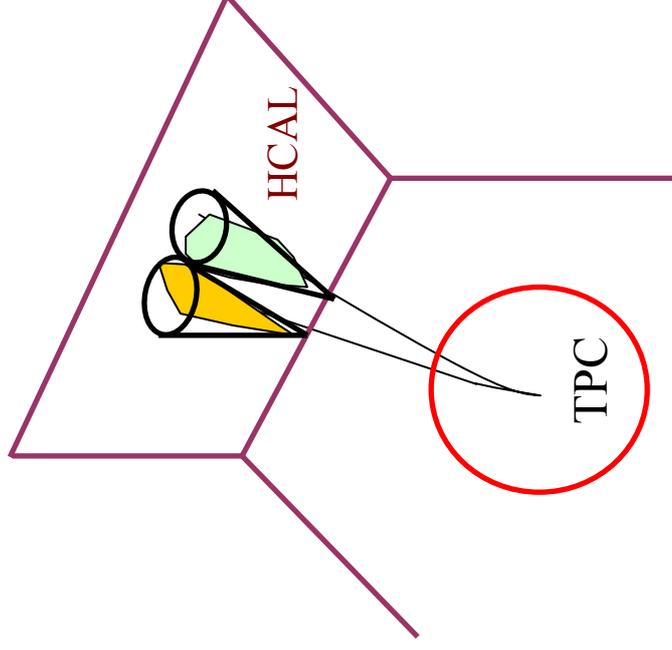
Half mean separation

- Pions $\langle E_{\pi^-} \rangle = 7.5 \text{ GeV}$ chosen for study
- Chose the distance between two pions $\Delta R = 0.12$
- Develop an algorithm to subtract charged pion energies
- Use the density weighted method

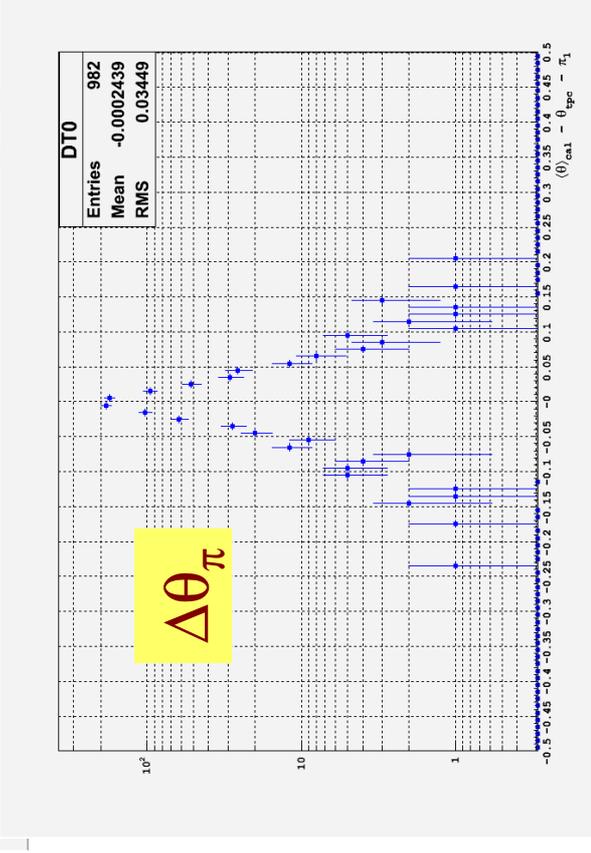
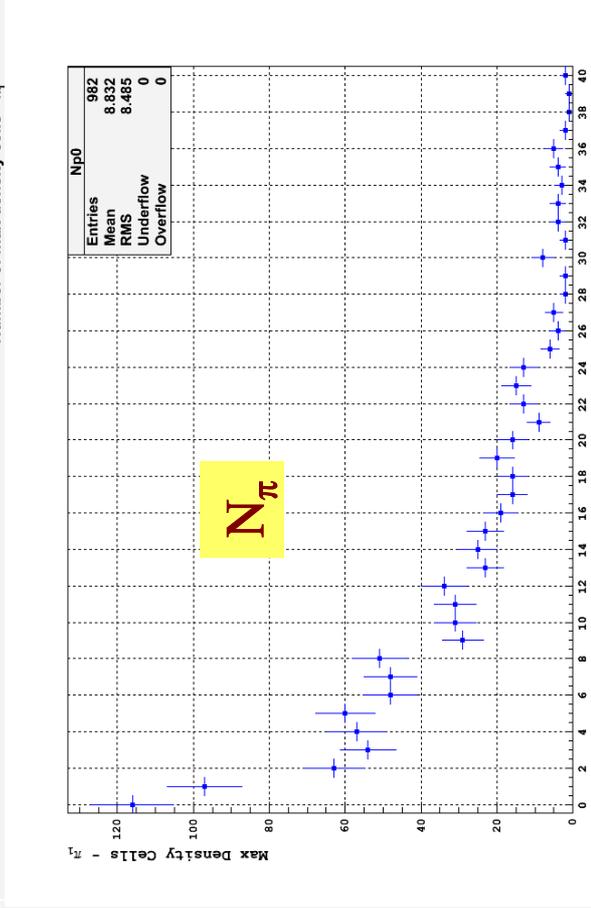
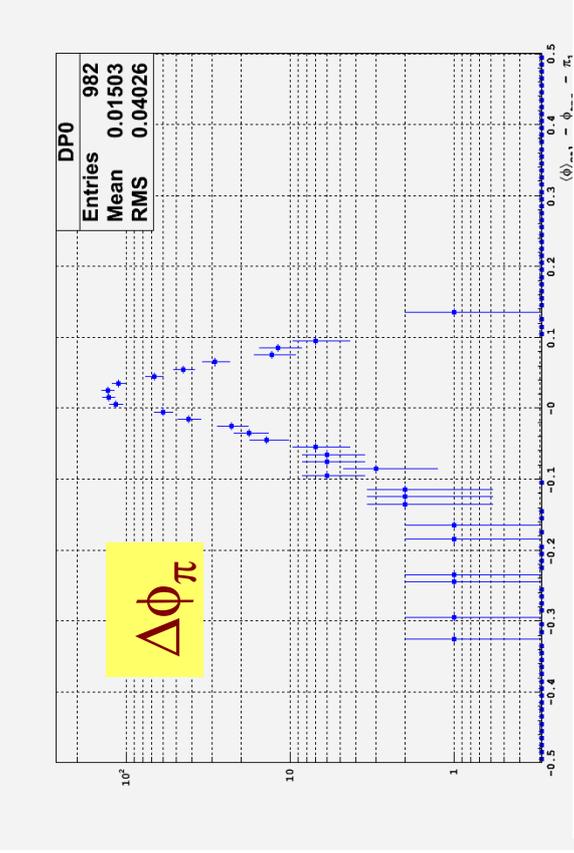
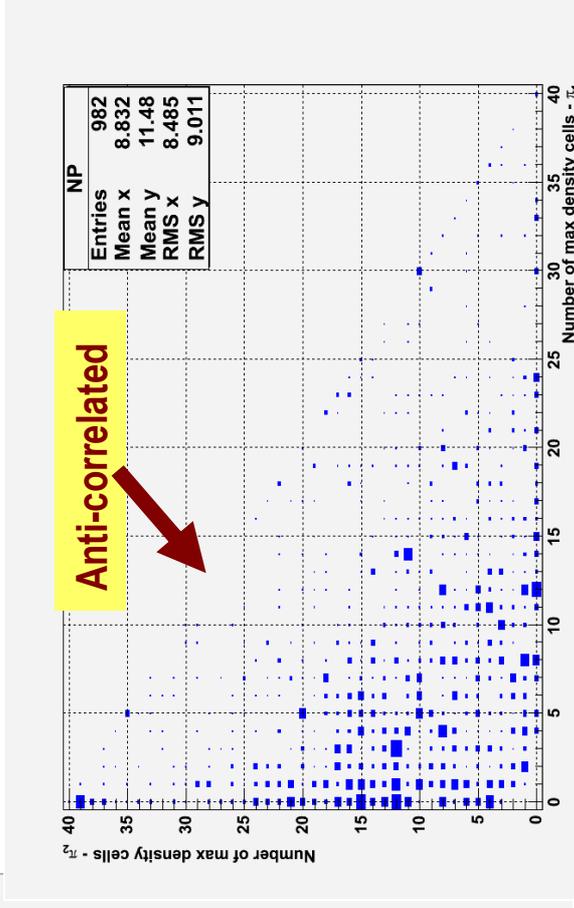
$$d_i = \sum_{j=1, j \neq i}^n \frac{1}{R_{ij}} \quad \bar{\theta}_i = \frac{\sum_{j=1}^n d_{ij} \theta_{ij}}{\sum_{j=1}^n d_{ij}} \quad \bar{\phi}_i = \frac{\sum_{j=1}^n d_{ij} \phi_{ij}}{\sum_{j=1}^n d_{ij}}$$

Two π Energy Flow Algorithm

1. Fit the tracks in TPC and extrapolate to Hadronic Calorimeter
2. Find the maximum density cell/layer in HCAL
3. Associate the cell with each π based on distance to the extrapolated track position
4. Compute cal-centroid using the max cells
5. Draw fixed size cones w/ radius half the distance between the two π cal-centroids
6. Compute the density weighted center of each π shower in each layer
7. Re-determine the cal-centroid using the density weighted center
8. Use the new centroid to add energy in the cone of half the distance of the two π



TPC and Cal-Centroid Match: First Pass



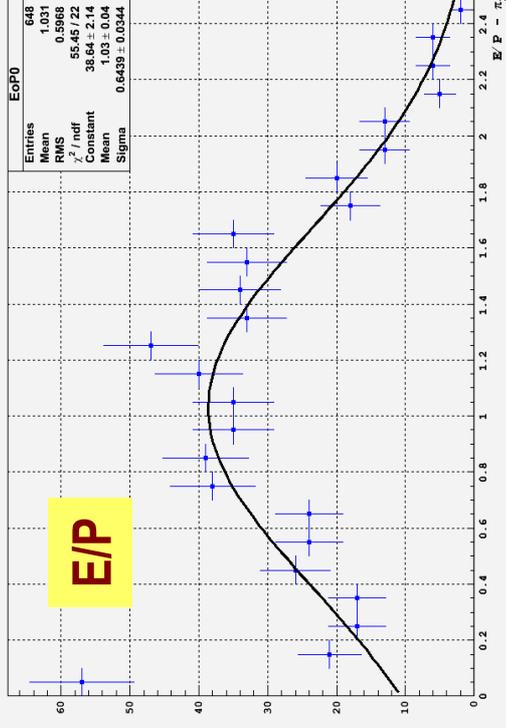
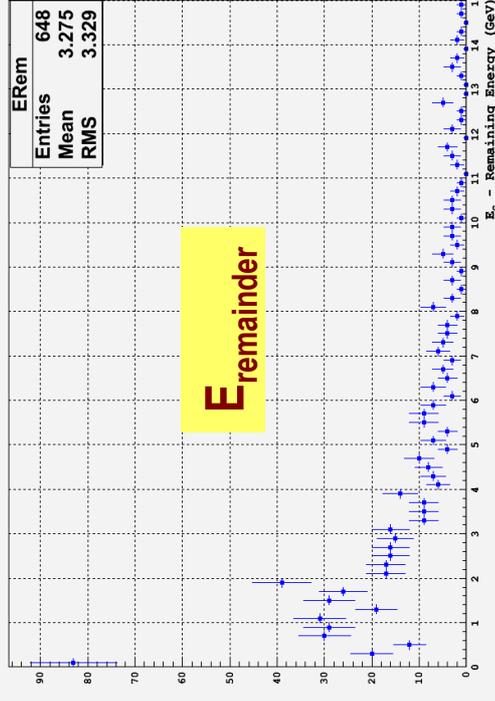
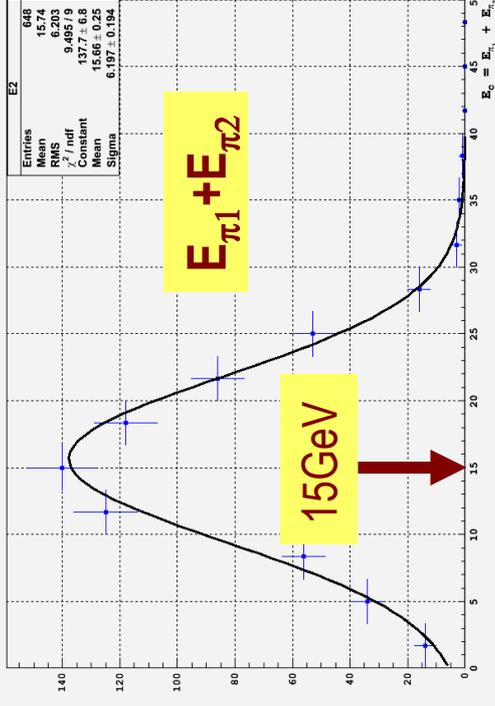
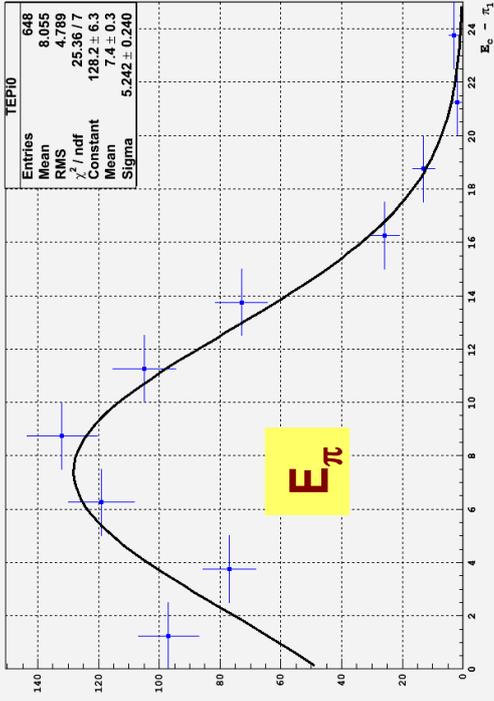
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GEM DHCA

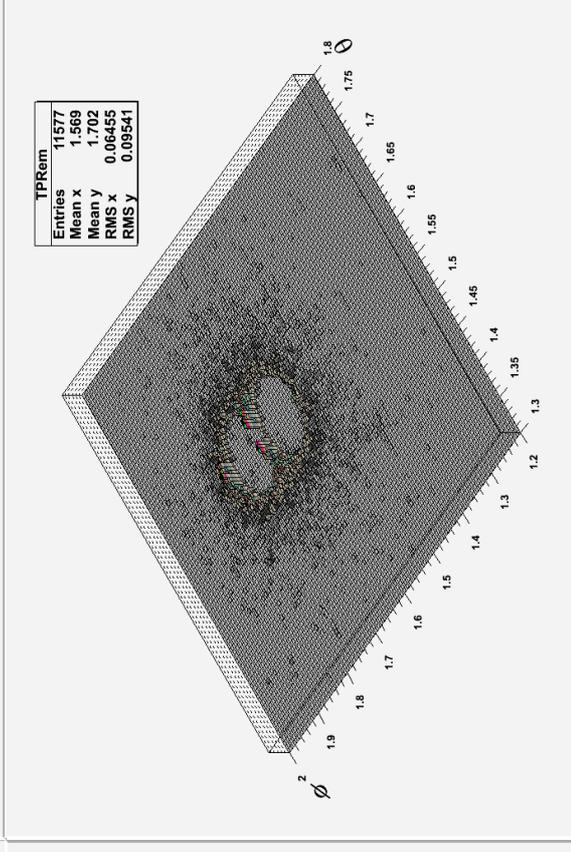
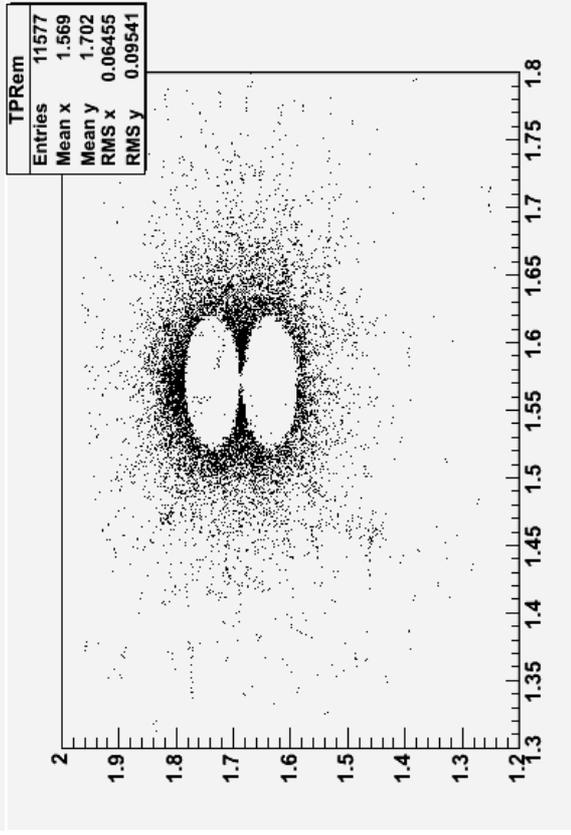
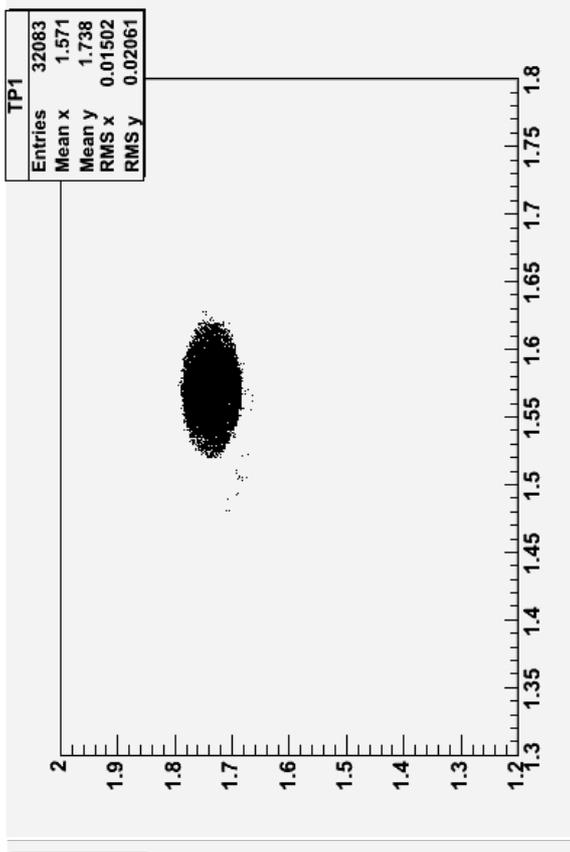
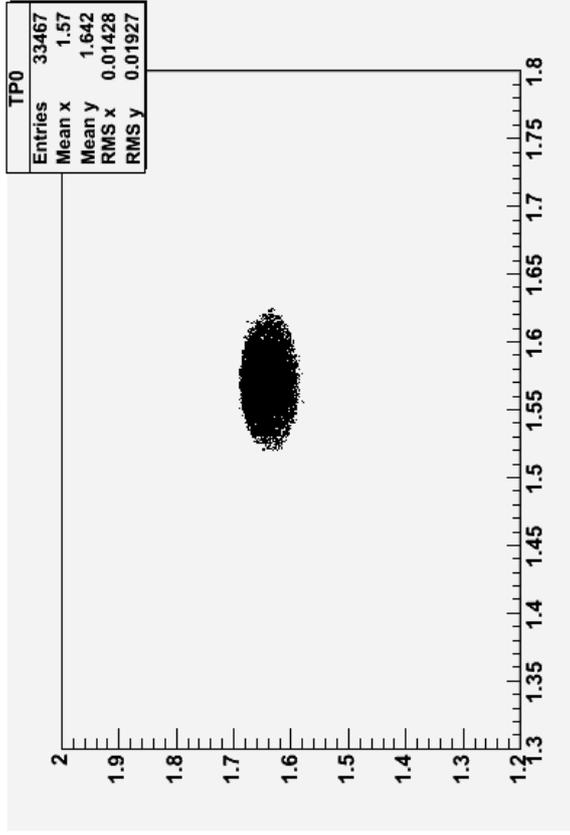
A. White

Nmax

Energy in the cluster



Energy Subtraction Performance



Conclusions

- GEM Analog and digital performance studies completed
 - Completed DHCAL performance study with a reasonable threshold
 - GEM Analog resolution found a bit worse than TDR and other studies due to large Landau like fluctuation
 - GEM Digital resolution w/ and w/o threshold comparable with TDR and other studies
- Initial results of energy flow algorithm study using two-single pion events look encouraging
 - Resolving 2 pions as function of ΔR using Mokka
 - $\Delta\theta$ and $\Delta\phi$ using the density weighted method
 - The energy subtraction seems reasonable
 - Will need to make the algorithm more sophisticated
- Kaushik is almost done with his thesis
- A visiting professor and an undergraduate student started working with the group
 - Start developing two-pion Mokka input generator