Black Body Limit in Cosmic Ray Air Showers

Hans-Joachim Drescher (Johann Wolfgang Goethe-University, Frankfurt)

with Adrian Dumitru, Mark Strikman

- scattering on dense targets
- Black body limit
- suppression of forward scattering
- Monte Carlo implementation
- application to air showers

Hadronic models in Air Shower

- Air shower simulations
 - Needed to reconstruct primary properties
 - Study physics with natural acelerators
- GZK energy much higher than LHC
 - Hadronic physics biggest uncertainty in airshowers
- Extrapolation of physics to high E in air shower event generators:
 - Implement energy dependent pt-cutoff Engel, ICRC99
 - Enhanced Pomeron diagrams Ostapchenko, ICRC2001

Black Body Limit

Calculate qA scattering within color glass condensate approach

$$\sigma^{\rm el} = \int d^2 b [1 - e^{-Q_s^2/4\pi\Lambda^2}]^2$$

$$\sigma^{\rm tot} = 2 \int d^2 b [1 - e^{-Q_s^2/4\pi\Lambda^2}]$$

 \rightarrow See talk by Dumitru

Dumitru, Jalilian-Marian PRL 89 (2002)

- → Suppression of soft physics
- → Suppression of forward scattering (no leading particle)

Gerland, Dumitru, Strikman PRL 90 (2003)

BBL code



BBL code

Valence quarks, gluon distribution:

$$P_{i}(x) = f_{i}(Q_{s}^{2}(x), x)$$
$$< p_{t} > \approx Q_{s}(x)$$

valence quarks: GRV94 PDF (xf(x) dominant at high x)

gluons:
$$x g(x, q_t^2) \propto \frac{1}{\alpha_s} \min(q_t^2, Q_s^2(x))(1-x)^4$$

(Kharzeev, Levin, Nardi, NPA 2004)

 Q_{s} evolution scenarios Fixed coupling: $Q_{s}^{2}(x, A) = Q_{0}^{2}(A) \left(\frac{x_{0}}{r}\right)^{\lambda}$ $\lambda = 0.28$

$$Q_0^2(A) \sim A^{(1/3)} \log(1+A) \sim N_{\text{part}}(b)$$

Running coupling: $\alpha_s(Q^2) = b_0 / \log(Q^2 / \Lambda^2)$





Monte Carlo implementation

• Choose model as function of density, energy

 $Q_s(b, x_F = 0.001) > 1 \text{ GeV}$ → BBL else → Sibyll (standard pQCD EG, p_t(s) cut-off)

- Generate partons according to PDF
- Valence quarks and gluons form strings with kinks:
 - Collinear g absorbed (low q_t)
 - Low invariant mass of quarks forms diquark recovers leading particle effect for low Qs

Fraction of BBL events versus Sibyll events for min bias p-Air









Event shape

<multiplicity>

Multiplicity

Inelasticity

 $K=1-\langle x_F \text{ of fastest particle} \rangle$ K inelasticity 1 QGS SIB **10**⁴ BBL 0.8 **BBL** fixed 10³ 0.6 0.4 10^2 QGS 0.2 SIB BBL **BBL** fixed **10**¹ 0 10^{10} 10¹⁰ **10**⁴ 10⁸ 10^{2} **10**⁴ 10⁶ 10⁸ 10^2 10⁶ energy [GeV] energy [GeV] H.D., Glennys Farrar Phys.Rev.D67:116001,2003

- Air shower calculation with the Seneca model
- one dimensional transport equation (CE)
- initial fluctuation via MC
- low energy particles via MC or table
- \bullet Hadronic model is discretized in dN_i/dE
- Electromagnetic part: EGS4

$$\frac{\partial h_n (E, X)}{\partial X} = -h_n (E, X) \left| \frac{1}{\lambda_n (E)} + \frac{B_n}{E X} \right|$$
$$+ \sum_m \int_{E_{min}}^{E_{max}} h_m (E', X) \left| \frac{W_{mn} (E', E)}{\lambda_m (E')} + \frac{B_m D_{mn} (E', E)}{E' X} \right| dE$$
$$W \equiv \frac{dN}{dE} \qquad D \equiv \text{decays}$$



ground level

Air showers measurements



X_{max} plot for fixed and running coupling



•Xmax sensitive to evolution scenario

H.D, Dumitru, Strikman hep-ph/0408073

Lateral Distribution function compared to AGASA parameterization

