

The Search For Nature

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This Section's Goal

To see what people are up to in trying to find “the” vacuum:
to understand the concerns and some current techniques
to see how the techniques we learned might help us do this

(This will only be a sketch, unfortunately.)

To enable you to:

follow current events....

make your own contributions....

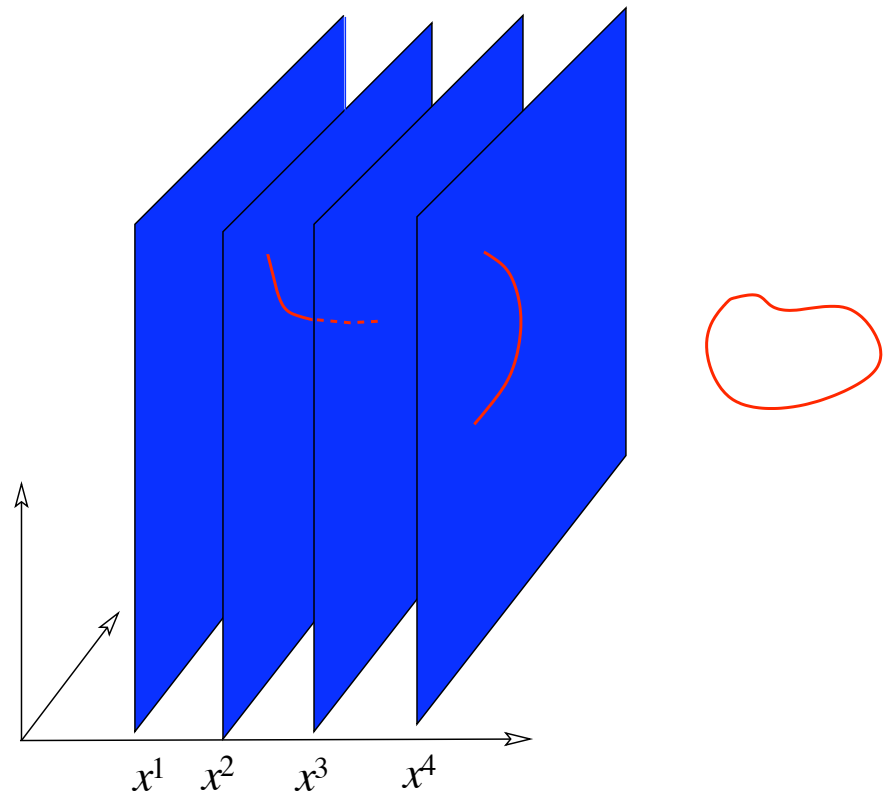
The Tools

Type I

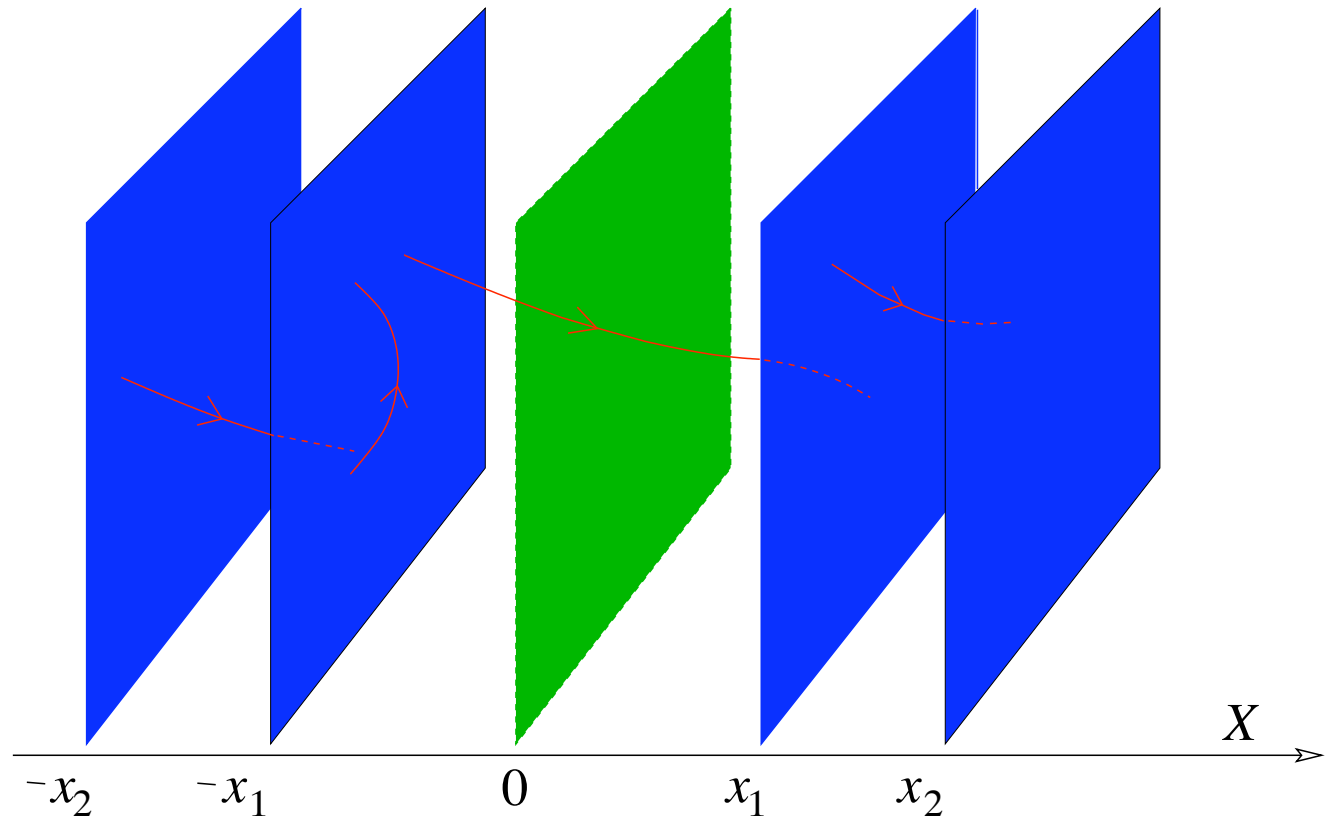
Type IIA
Type IIB

11D Supergravity

Branes



Sometimes with
Orientifolds
present:

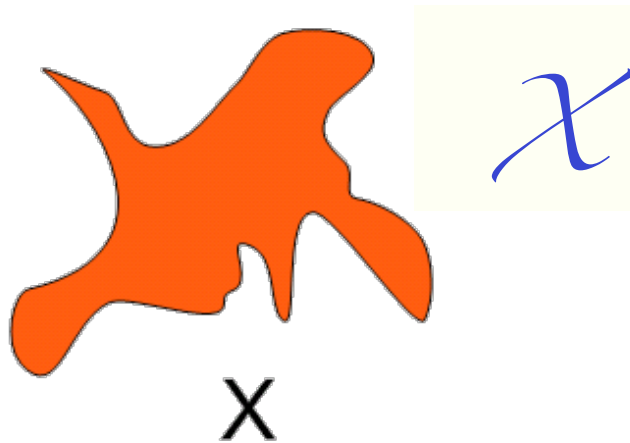


p extended
directions: **O_p -plane**

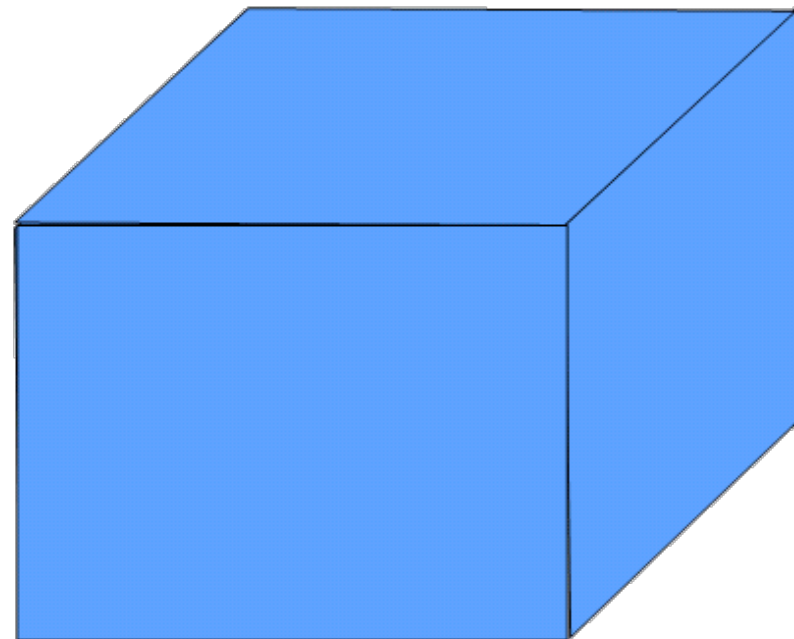
They are non-dynamical
planes with negative tension

Uniqueness of Vacuum?

As usually presented, strings are expected to give a unique answer which will be our universe.



Found increasing number of ways of describing numerous vacua



\mathcal{M}^4

There are two main approaches now

Still looking for dynamics
Better control of vacuum selection

Assume there's no unique vacuum
Take another approach altogether

What Brought Us to This?

Data

Observations that our universe is accelerating have produced an upheaval:

Cosmological Constant?
 $\Lambda > 0$

Scalar Fields?

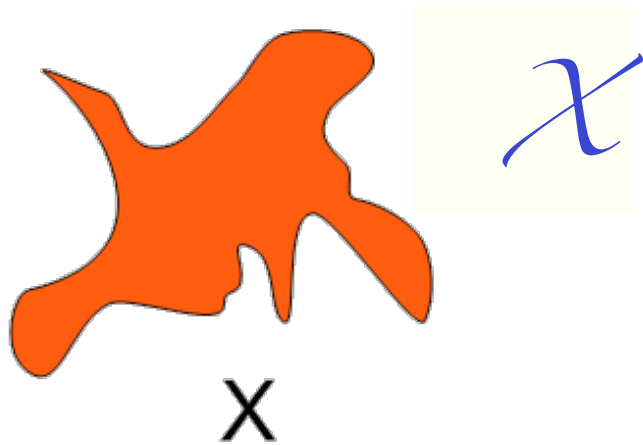
We've developed powerful technology for:

Cosmological constant:
Study of spacetimes with $\Lambda < 0$
Taught us about holography,
black holes, gauge theory....

Scalars:

Very good at studying the many massless scalars which appear
Moduli space problems have taught us a lot about M-theory,
black holes, gauge theory
All helped by Supersymmetry

Where do the Scalars come from?



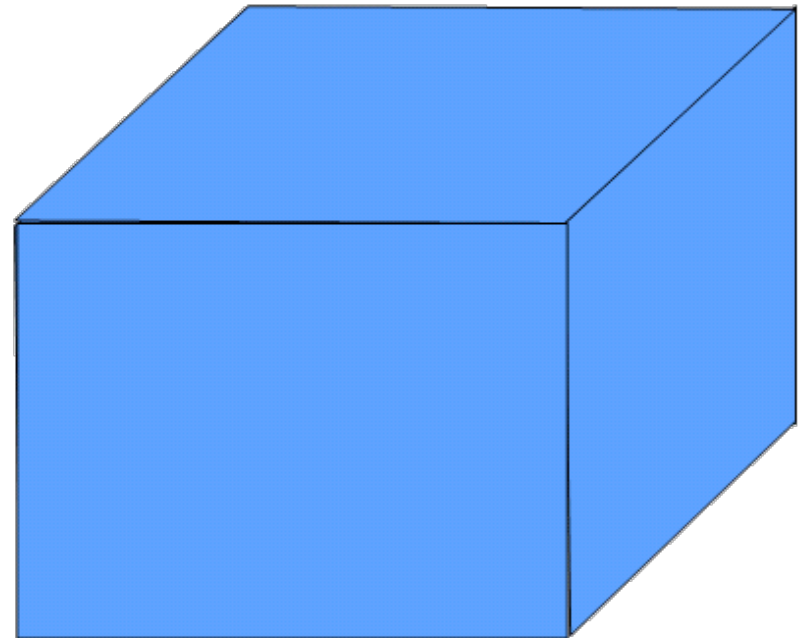
Size of χ ? Shape of χ ?

Susy does not restrict these

Locally adjustable parameters

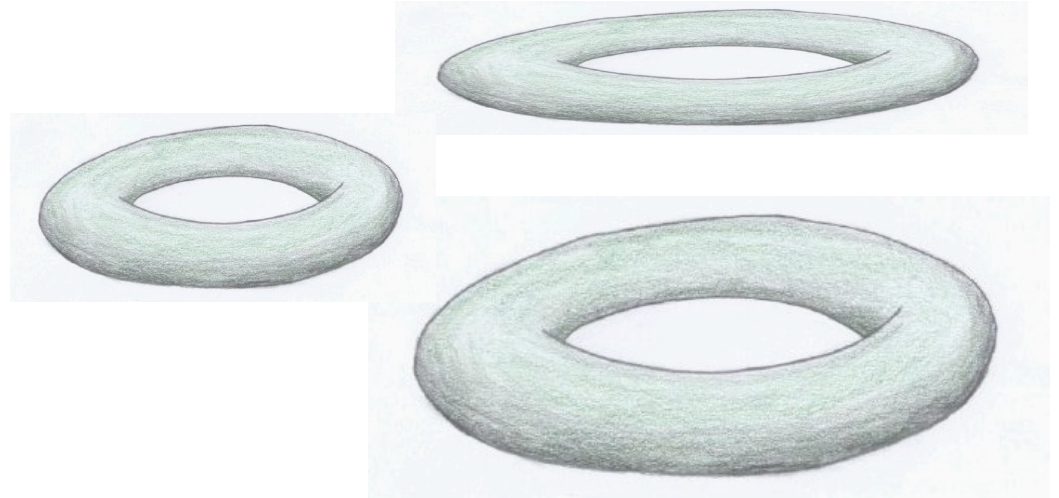
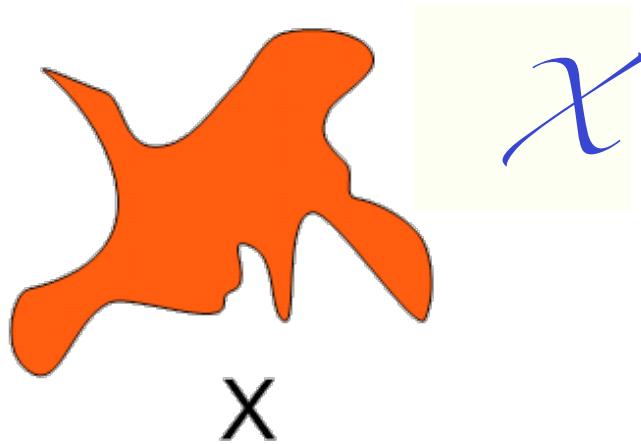
Scalar Fields in $D=4$

\mathcal{M}^4



Where do the Scalars come from?

Size? Shape?



\mathcal{M}^4

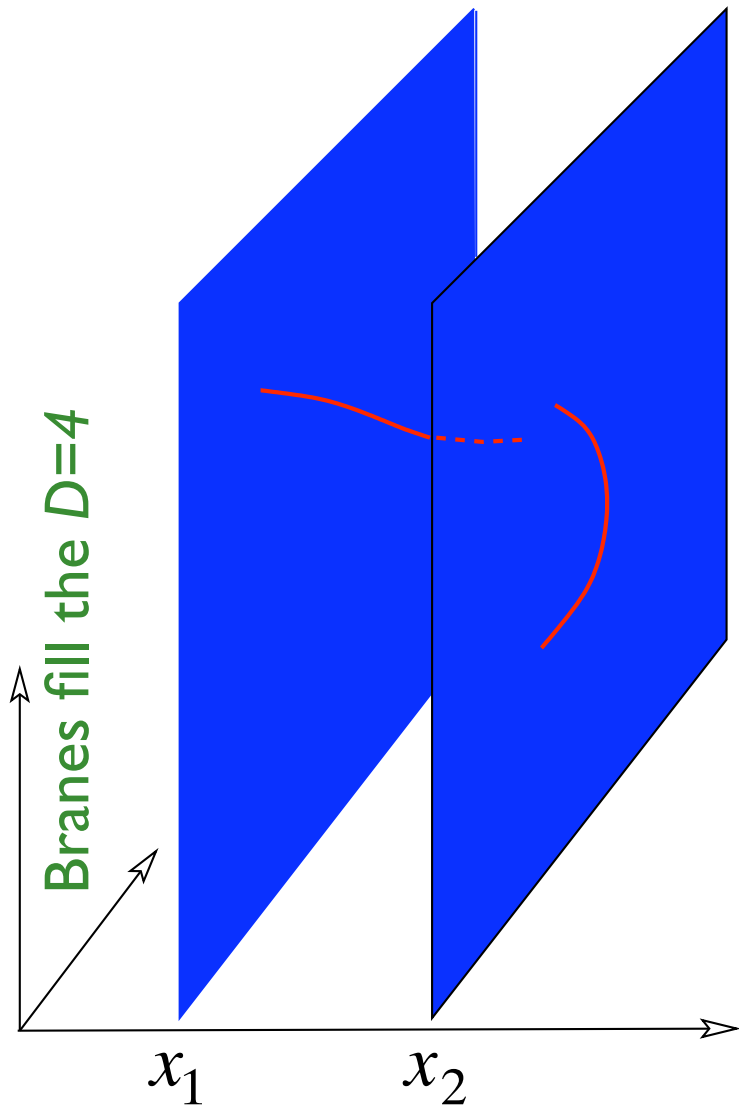
This is also true for subspaces "cycles" of χ

Kahler Moduli

Complex Moduli

Many Scalar Fields
in $D=4$

Where do the Scalars come from?



Positions of branes?
Relative angle?

D-branes are
BPS states.

Susy does not
restrict these

(depending upon space in
which they're embedded.)

Locally adjustable
parameters

Scalar Fields
in $D=4$

This is also true for larger
branes wrapping various
subspaces "cycles" of \mathcal{X}

Many Scalar Fields
in $D=4$

What happens to all these
scalars when Susy broken?

Generate potentials for all?
Physics of these potentials?

Thinking about $AdS_5 \times S^5$

Compactifying on the sphere gives a $D=5$ scalar representing its radius.

(Measuring things in $D=5$ Einstein frame, so got to be careful of powers of dilaton and hence string coupling, right? Check them!)

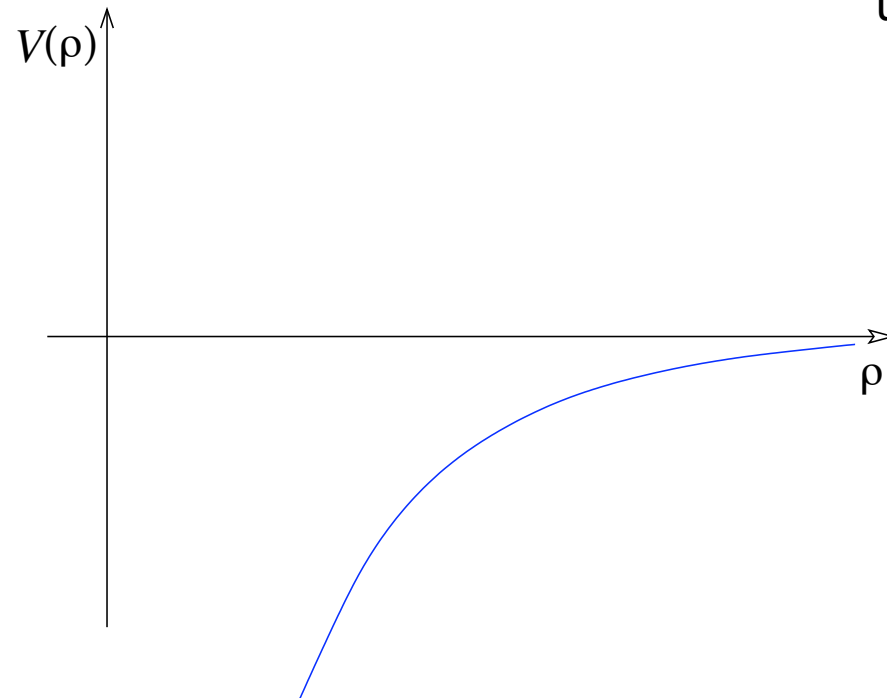
Sphere wants to shrink away...

$$V_{\text{Sph}}(\rho) \sim -\frac{g_s^{p/4}}{\rho^p}$$

positive curvature gives negative potential

$$R = \rho \ell_{\text{Pl}}$$

radius in $D=5$ Planck units

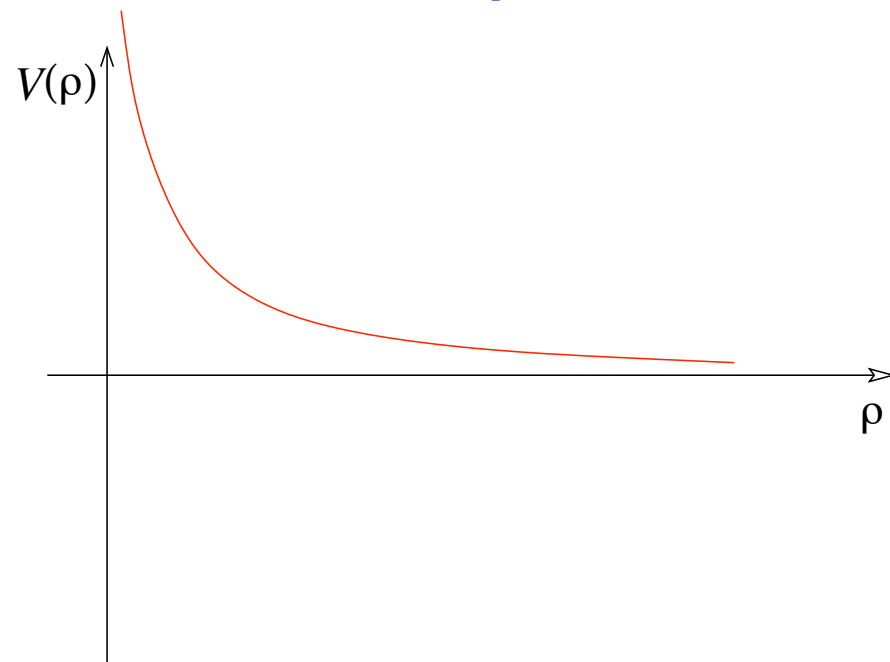


Thinking about $AdS_5 \times S^5$

There are N units of R-R
5-form flux through the
sphere

Reduce energy
by growing the
sphere...

$$V_{\text{Flu}}(\rho) \sim \frac{N^2 g_s^{q/4}}{\rho^q}$$



Thinking about $\text{AdS}_5 \times S^5$

minimum at: $\rho^{q-p} = \frac{q}{p} N^2 g_s^{\frac{q-p}{4}}$

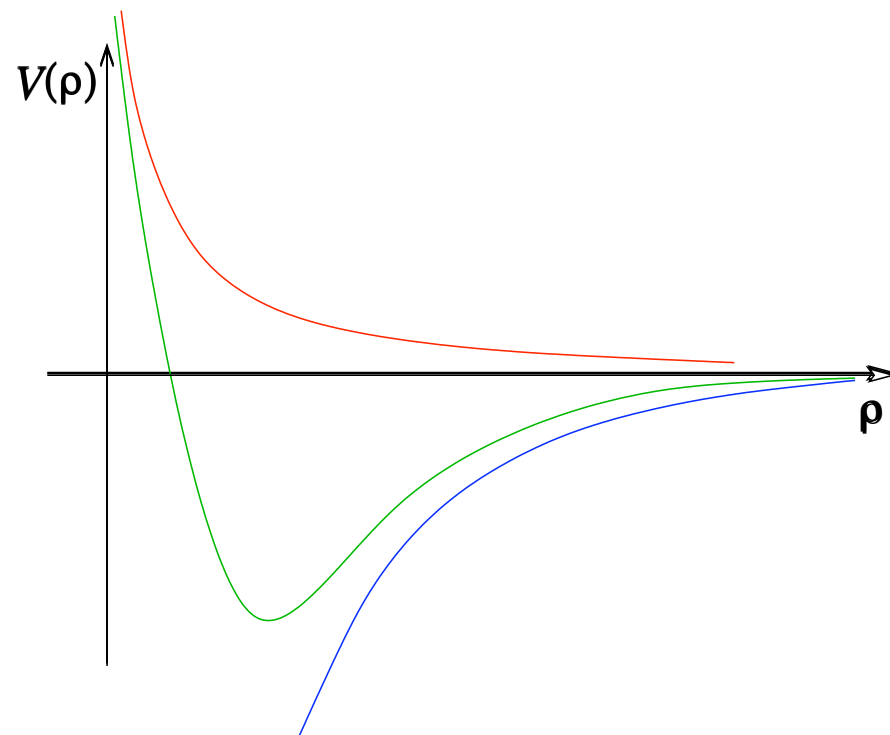


$$\frac{q}{p} = \frac{5}{2}$$
$$q - p = 8$$

$\rho \sim (g_s N)^{1/4}$



$$V(\rho) \sim -\frac{g_s^{p/4}}{\rho^p} + \frac{N^2 g_s^{q/4}}{\rho^q}$$



Thinking about $AdS_5 \times S^5$

So a combination of geometry and R-R flux can stabilize a modulus.

Size of sphere set by units of flux. Can make it large so that supergravity valid.

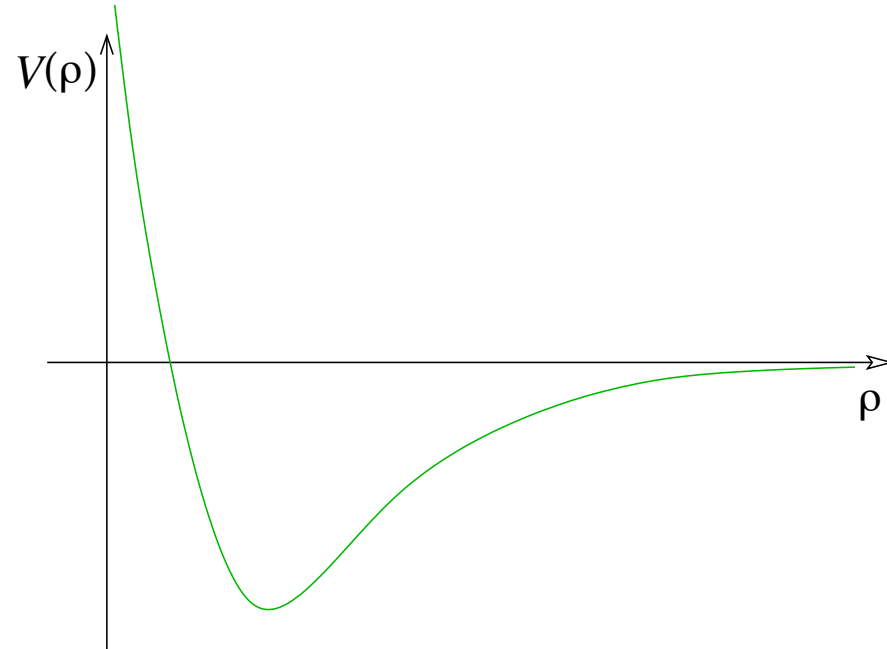
$$\rho \sim (g_s N)^{1/4}$$

Naturally get negative CC this way.

Naturally have reliable control over computations

(Supersymmetry still present)

Can one get positive CC using same tools?



Will need to break Supersymmetry...

Thinking about $AdS_5 \times S^5$

Can one get
positive CC using
same tools?

Need to break
Supersymmetry

But need reliable
computational
control

Tools to obtain positive CC

Content of the
Type II theories

NS-NS: $\longrightarrow G_{\mu\nu}, \Phi, B_{\mu\nu}$

R-R: $\longrightarrow C_{\mu_0\mu_1\cdots\mu_p}$

$$F = dC$$

$$H = dB$$

Flux
Compactifications
are of great
interest

H – flux

Thread these fluxes
through 3-cycles in the
transverse geometry.

F – flux

Play off the different
sectors against each other

Tools to obtain positive CC

Focus on Type IIB theory

$$\frac{\mu_3}{2} \int_{\mathcal{X}} H \wedge F - \frac{1}{4} (N_{O3} - N_{\overline{O3}}) + N_{D3} - N_{\overline{D3}} = 0$$

(“tadpole” consistency constraint)

(D=4 filling branes and planes)

(1-loop contrib'n to h)

The Players from different sectors

D-Branes

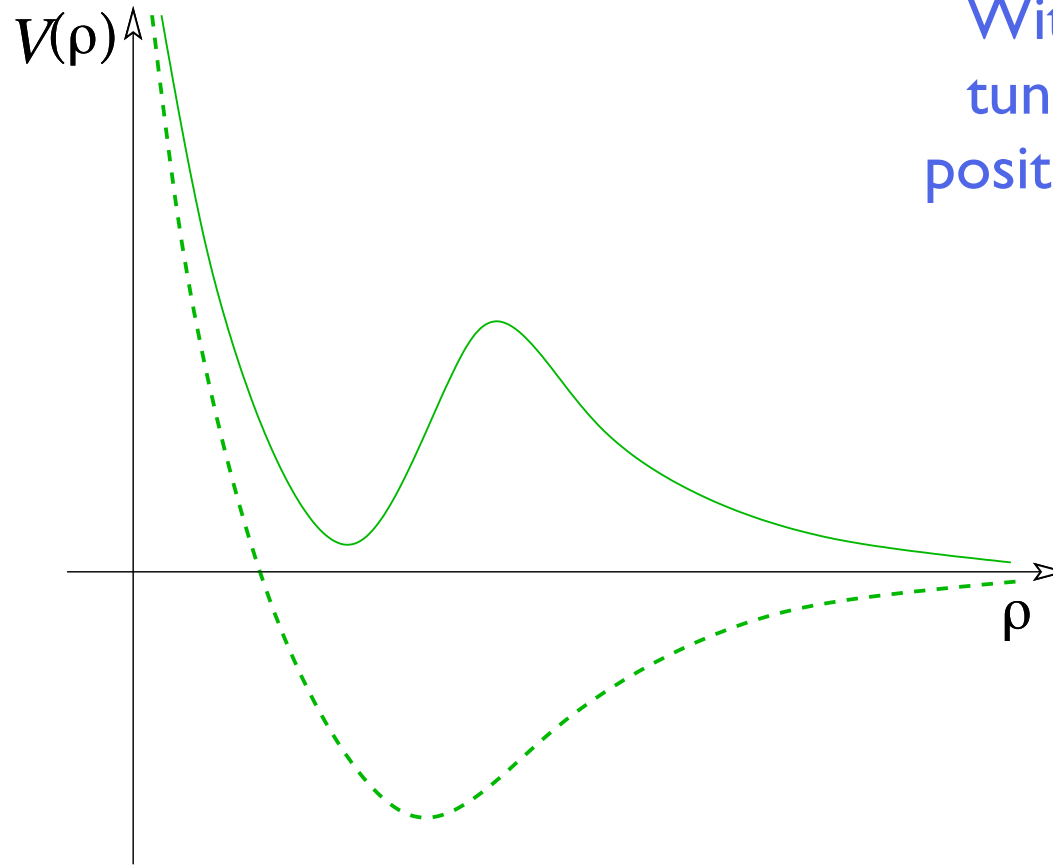
O-Planes

Geometry

Fluxes

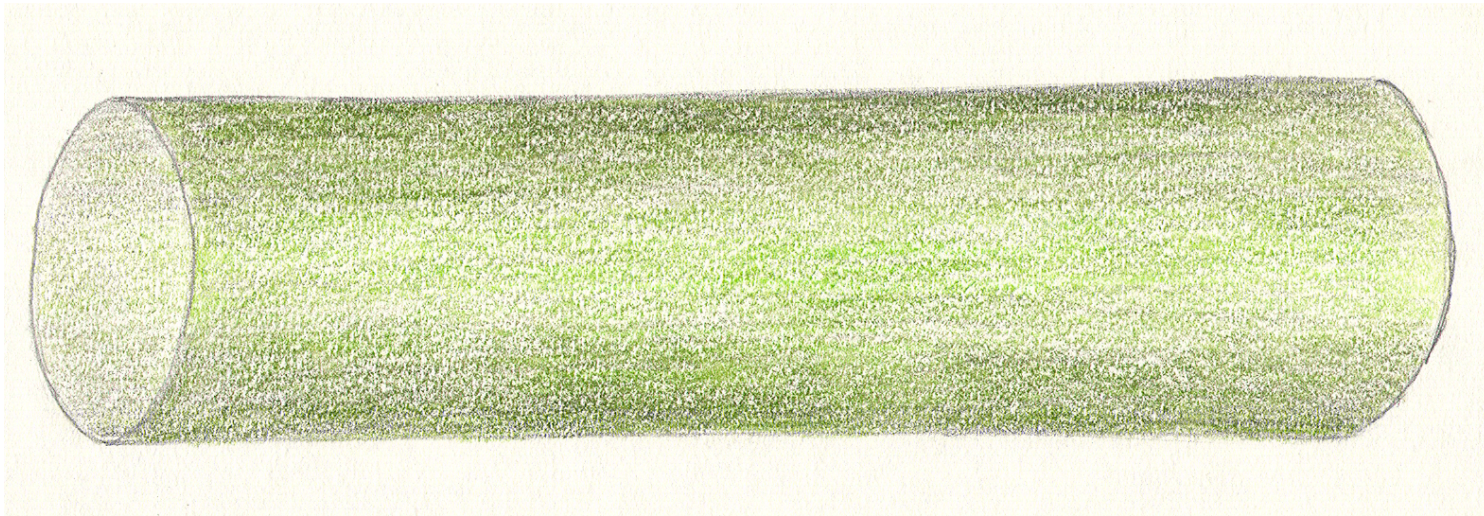
$$V(\Phi, \rho_i) = A e^{4\Phi} (-f e^{-2\Phi} + g e^{-2\Phi} + n e^{-\Phi} + h)$$

Tools to obtain positive CC



With appropriate tuning, can obtain positive (meta)stable minimum

The Usefulness of Throats



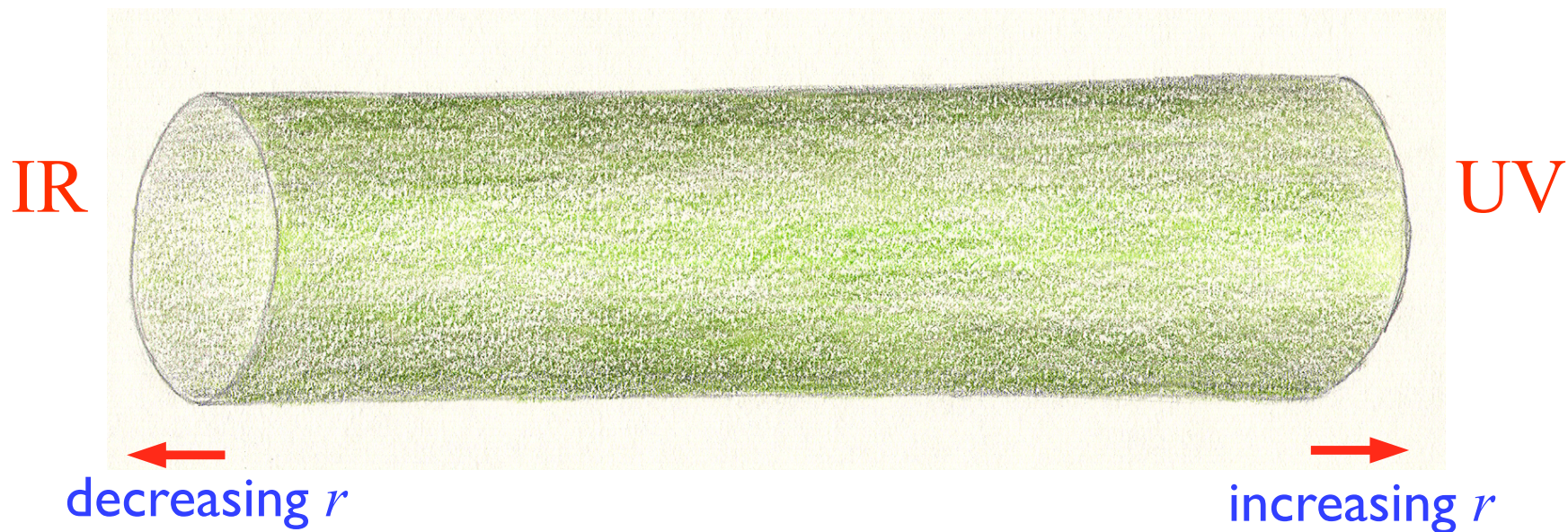
Metric of a
cross-section

$$ds^2 = e^{2A(\perp)} \overbrace{g_{\mu\nu} dx^\mu dx^\nu} + ds_\perp^2$$



“warp factor”

The Usefulness of Throats



$$ds^2 = e^{2A(\perp)} g_{\mu\nu} dx^\mu dx^\nu + ds_\perp^2$$

AdS₅ :

$$A(\perp) = \frac{r}{\ell}$$

$$ds_\perp^2 = dr^2$$

$$g_{\mu\nu} = \eta_{\mu\nu}$$

At some value of r : $L_{10}^2 = e^{2A(r)} L_4^2$

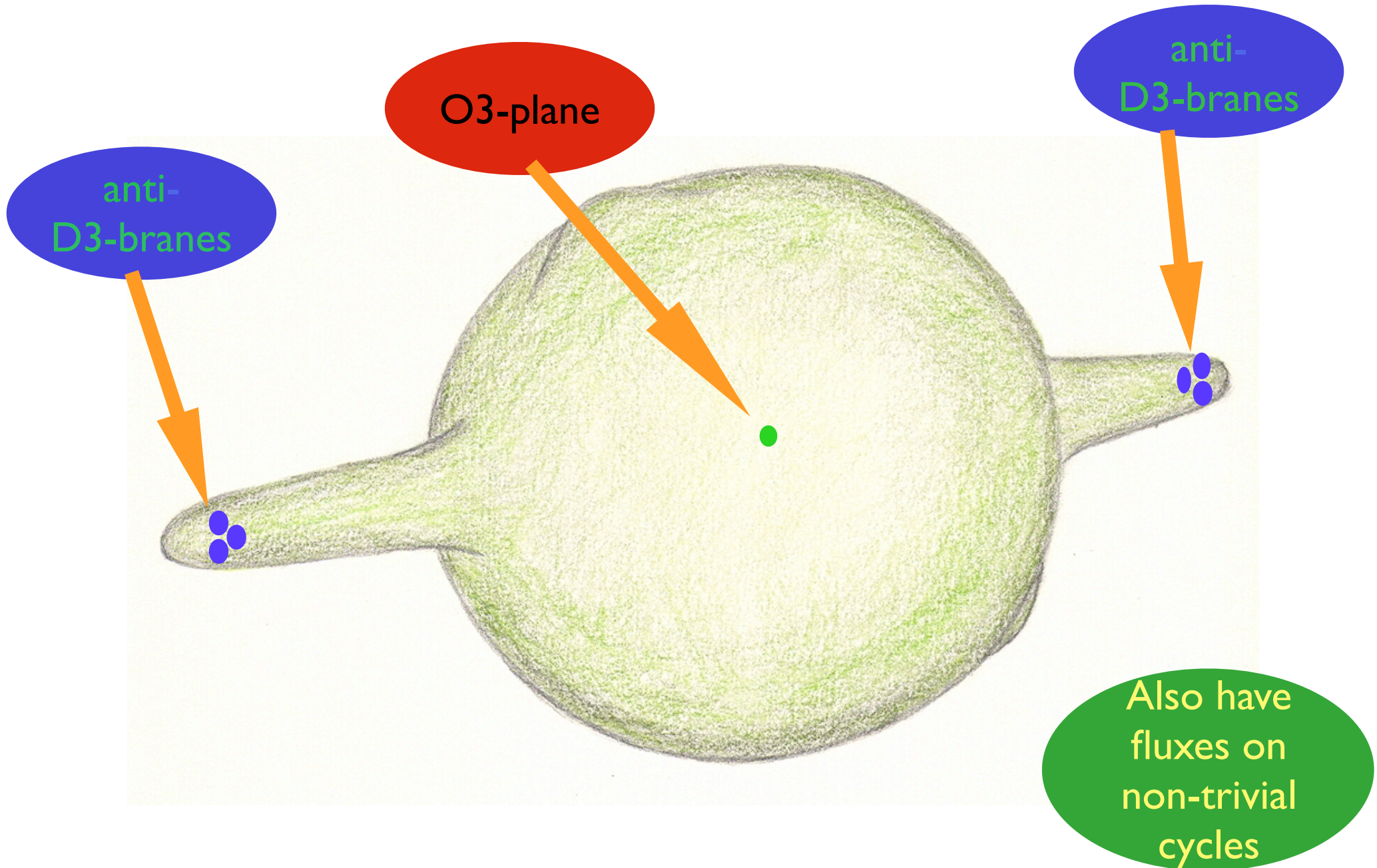
So the warp factor gives small $D=4$ scales for large r and vice-versa!

The KKLT Scenario

The manifold \mathcal{X} with all ingredients.....



The KKLT Scenario



The KKLT Scenario

Worry:
Non-perturbative
effects under
control?

world-sheet
instantons

$e^{-\frac{A}{\alpha'}} effects$

D3-branes can
wrap non-trivial
4-cycles

$e^{-V} effects$

D7-branes can
wrap non-trivial
4-cycles

$e^{-\frac{V}{g_s}} effects$

Hard to stabilize
Kahler moduli
especially

Stabilize at weak
coupling and low
curvature?



Viable Scenario?

It is generally believed that it is possible that many such solutions exist



There is considerable disagreement about whether any have been found!

Evidently a problem of great interest and a subject of heated debate

Brane-AntiBrane Inflation: DT Scenario

Revisit the
brane scalars

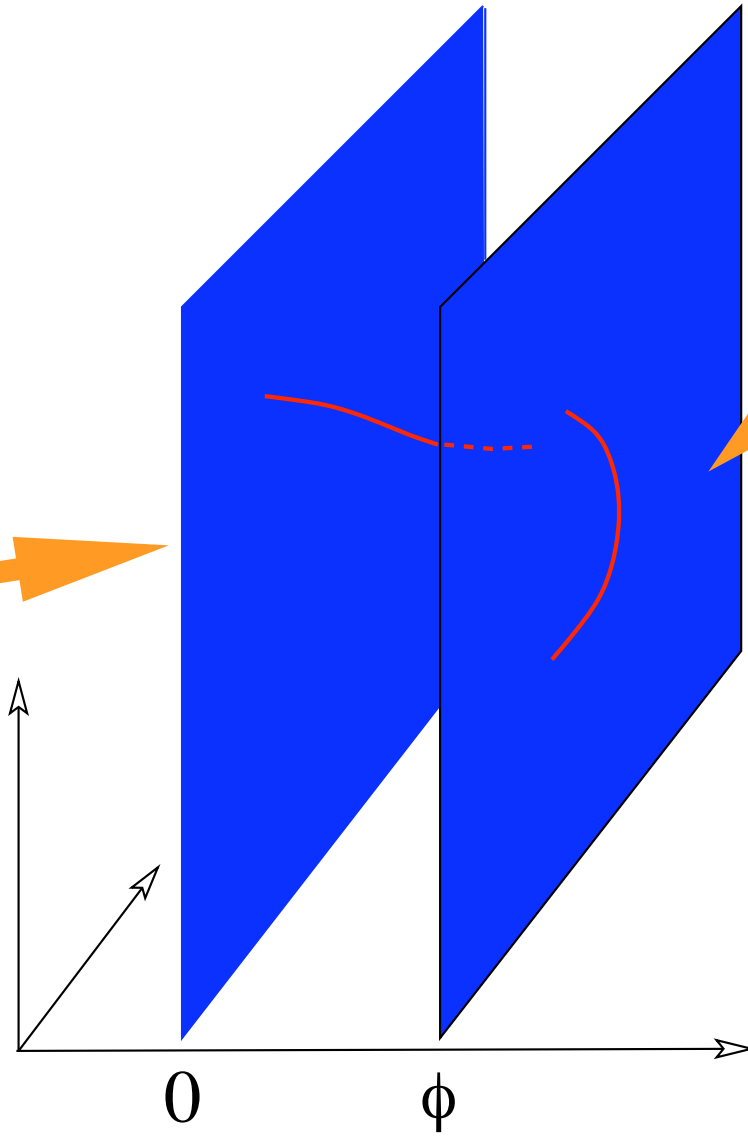
D3-brane

anti-
D3-brane

distance
between them
is a $D=4$ scalar

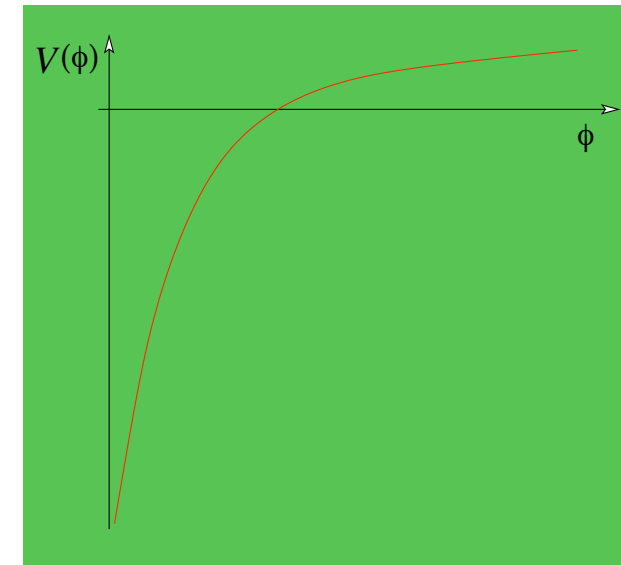
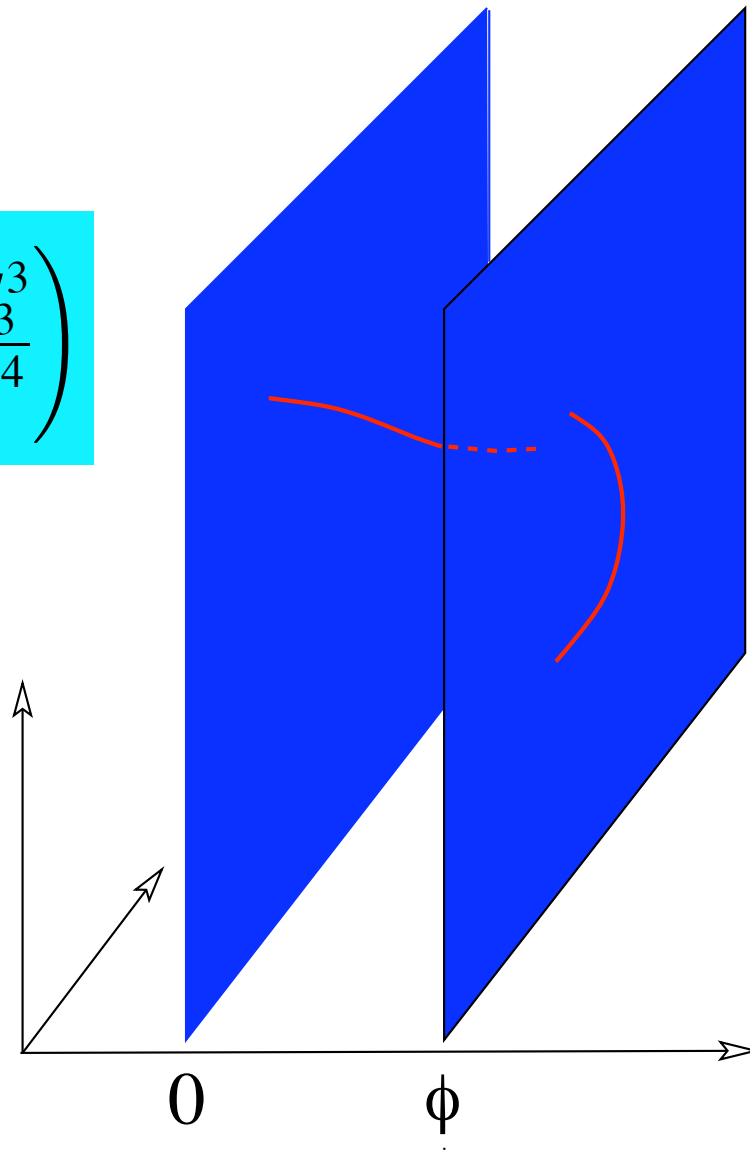
possible
inflaton?

examine form
of potential,
look at slow
roll conditions



Brane-AntiBrane Inflation: DT Scenario

$$V(\phi) = 2T_3 \left(1 - G_N^{10} \frac{T_3^3}{\phi^4} \right)$$



It does not work.
Slow roll needs
the branes to be
separated by a size
bigger than the
space they're in

KKLMMT Scenario

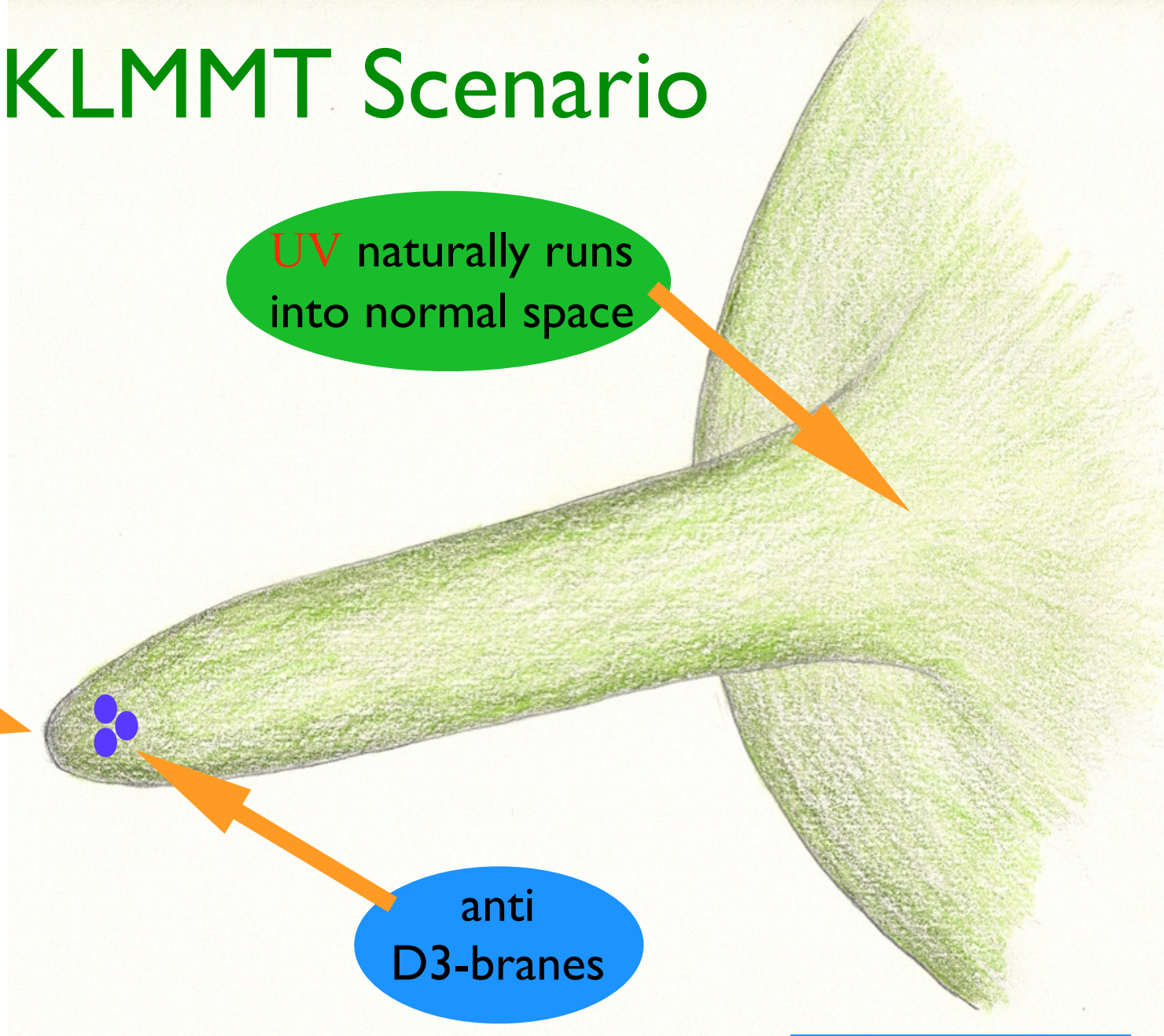
KKLT Scenario has natural throats with warped geometry

UV naturally runs into normal space

IR naturally capped

anti D3-branes

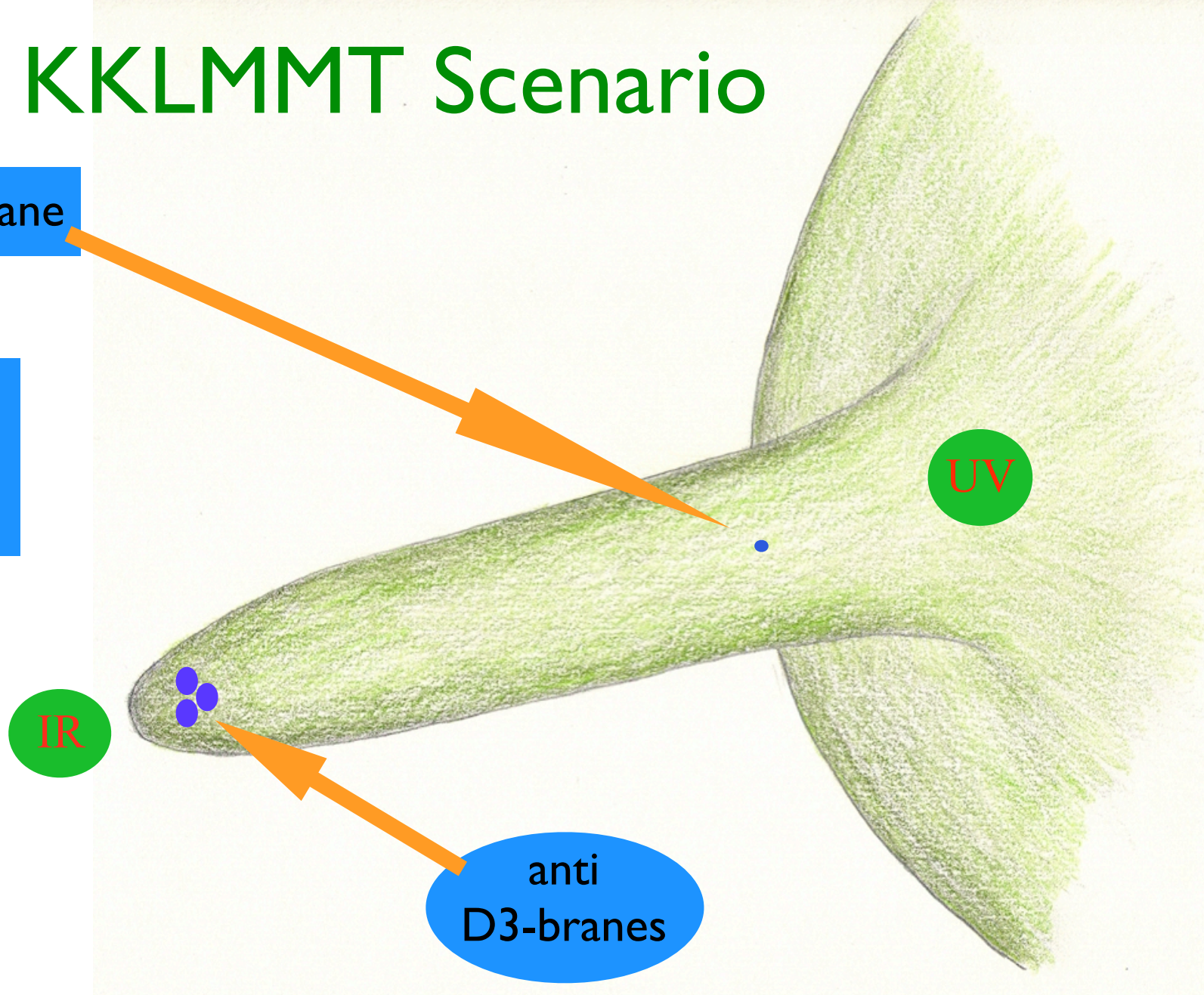
Natural realization of RS scenario



KKLMMT Scenario

Now add a D3-brane

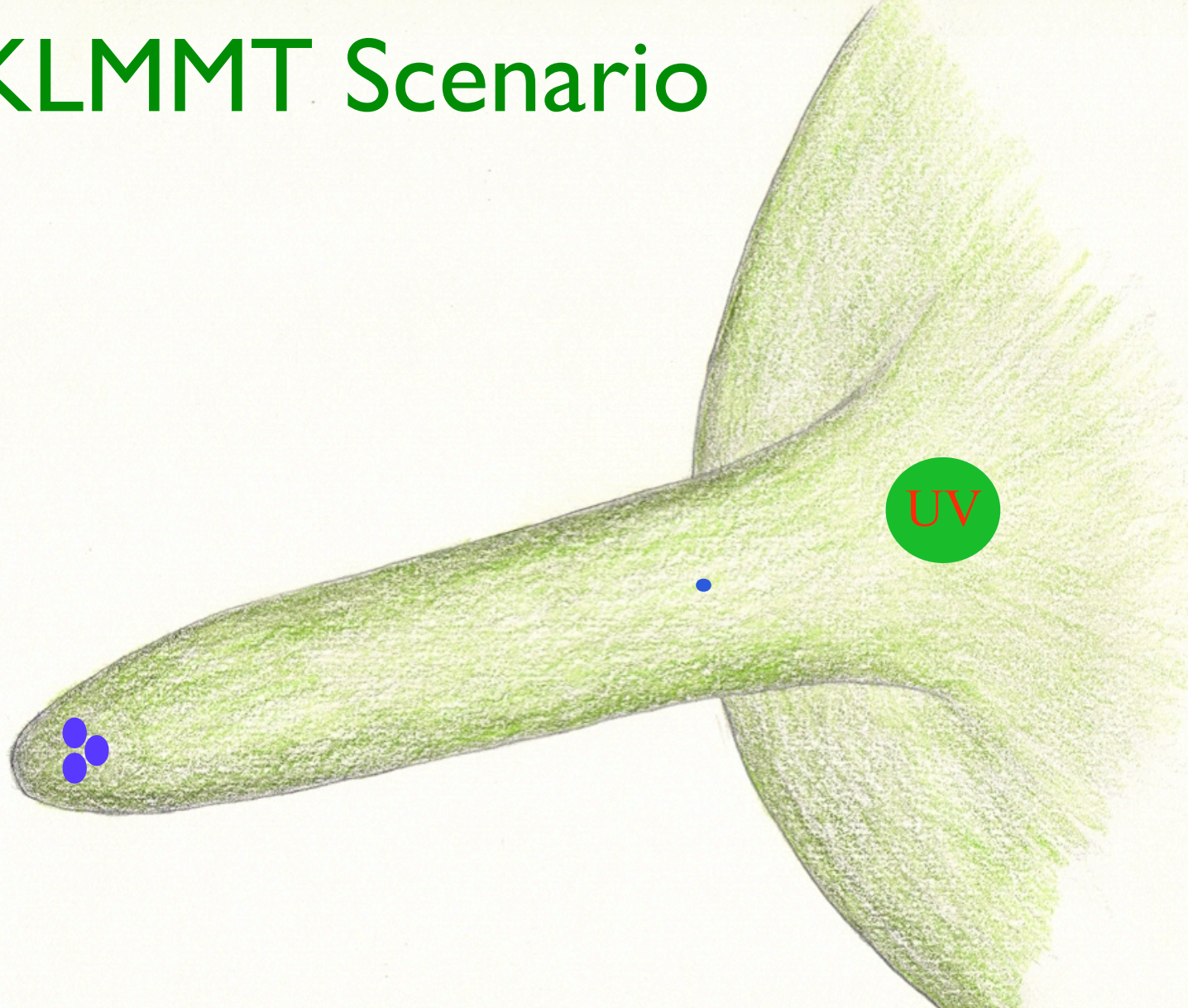
It will roll down to annihilate with the anti-branes.



KKLMMT Scenario

recompute
potential

IR



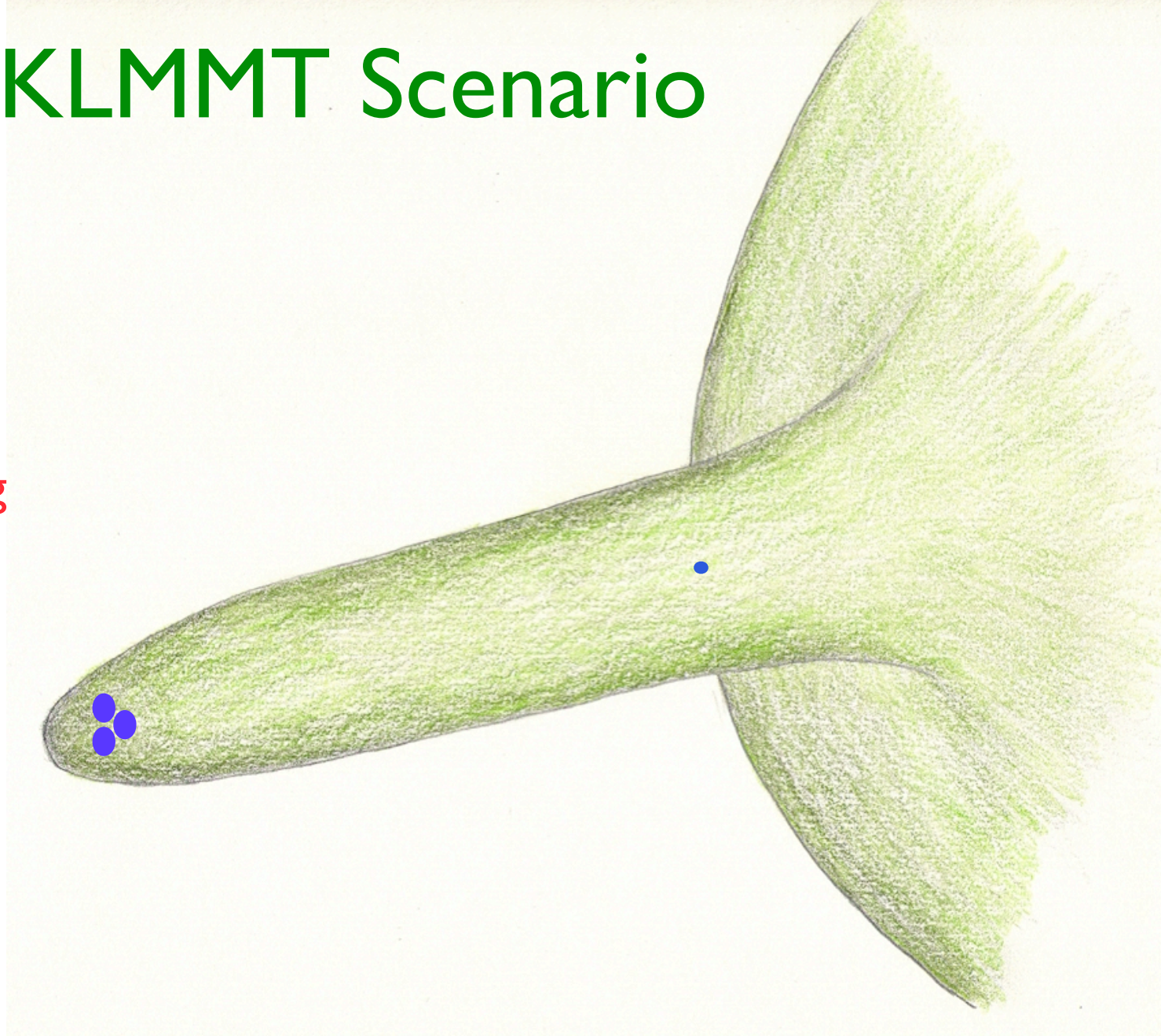
$$e^{2A(UV)} \sim 1$$
$$e^{2A(IR)} \ll 1$$

The warping fixes the
problem of scales in the
brane-antibrane inflation
scenario

KKLMMT Scenario

This is a very natural scenario.

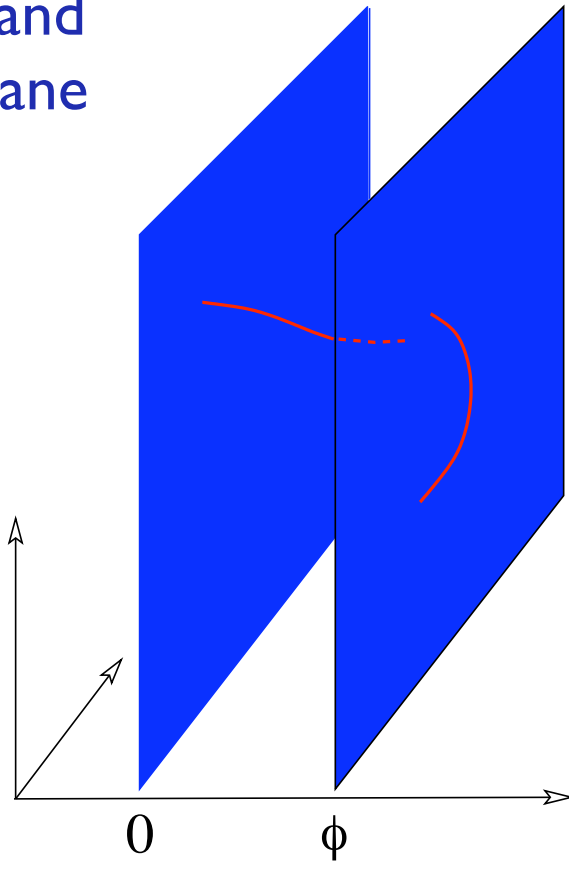
...it offers a very exciting framework.



if it can be kept under reliable control.

Cosmic D and F Strings: CMP Scenario

D3-brane and
anti-D3-brane

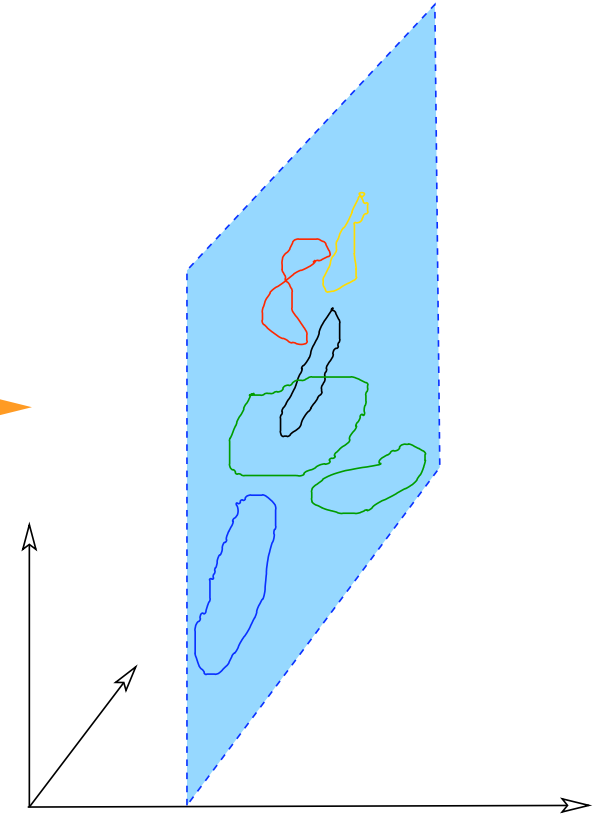
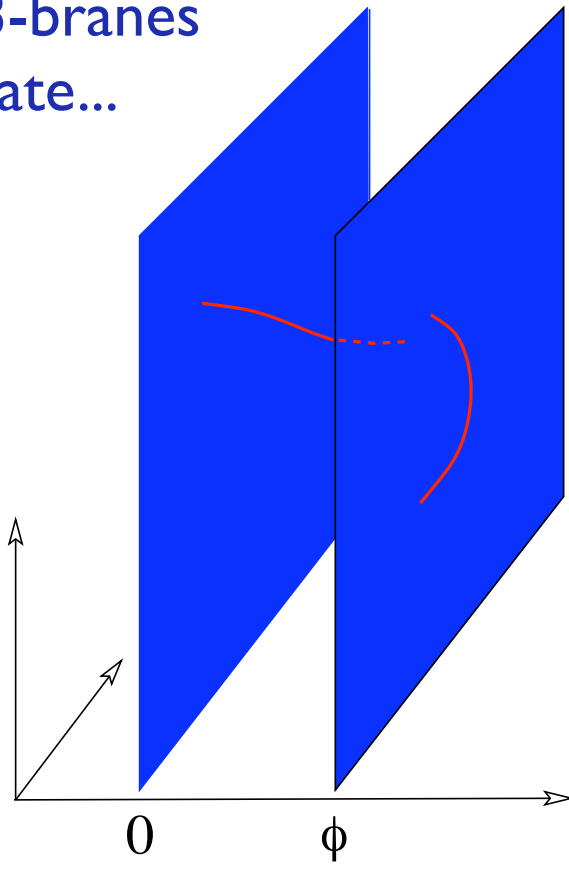


Study of open string sector
reveals a tachyon in the
spectrum.

That's ok... it is just the
mode telling you that they
attract each other....

Cosmic D and F Strings: CMP Scenario

When D3-branes annihilate...



The strings are topological structures in the “tachyon” field

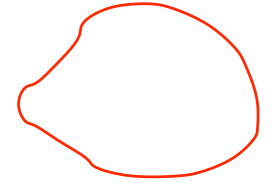
...they can leave strings behind.

Cosmic D and F Strings: CMP Scenario

What type of string?

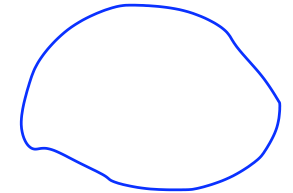
F-string

$(1,0)$



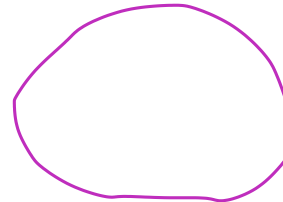
D-string

$(0,1)$



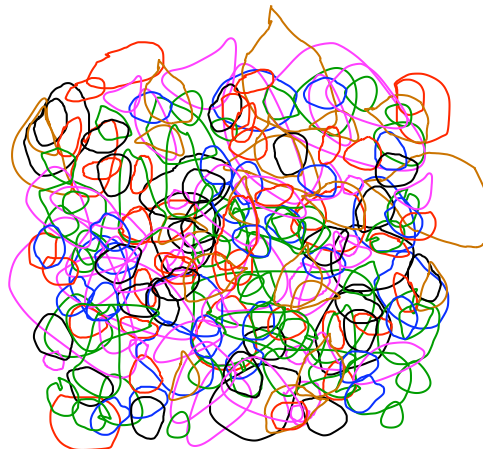
Most importantly, these strings can form bound states:

$(1,1)$



(p,q) in general

...they can form networks



They will form and get inflated... are their effects visible in our universe?

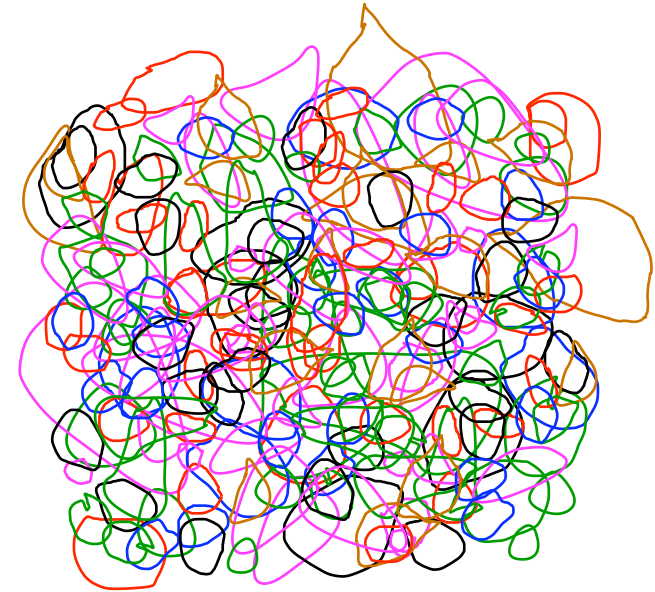
Cosmic D and F Strings: CMP Scenario

Strings seem to be long-lived in these scenarios

What are the properties of the network?

How does it evolve?

Subject of debate and research...



The Landscape

GKP, KKLT, and BP: Very large number of flux vacua consistent with small positive cc.

Makes more urgent the need to search for mechanism for selecting vacuum dynamically

Perhaps there is no such mechanism!

Susskind: Perhaps we need to appeal to an anthropic argument for the properties of our universe?

Douglas et. al.: Seek to gain better understanding of the landscape by doing statistics of vacua with various properties.

Tackles head on the issue of whether we can make testable detailed predictions in string/M-theory at all.

All approaches being pursued right now. Much to be done.

Conclusion

- Since the Revolution, a large number of tools have been developed.
- We are beginning to put these tools together to learn more about how string theory might relate to our world.
- Tantalizing glimpses of a mature picture emerging.
- **Might even make contact with data!**
- Lots to do... It is an exciting time.

