

# Status of a measurement of the Higgs-Bosons parity at the ILC

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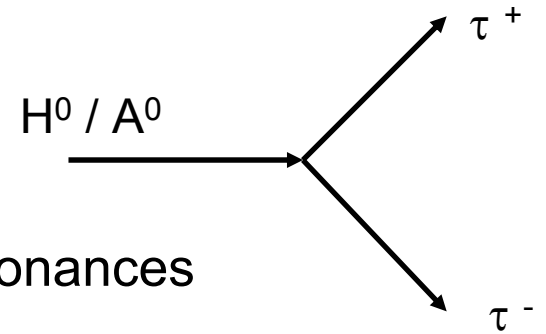
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## Content:

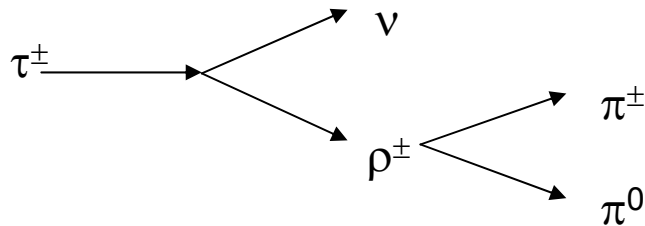
- The CP-sensitive observable
- The detector simulation
- Selection from SM background
- Today's status of the study
- Conclusion / outlook

# Higgs-parity $J^{PC} = 0^{??}$

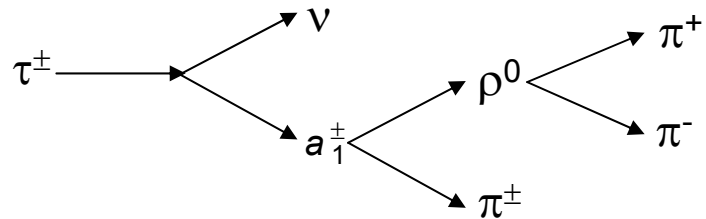
- $h\tau\tau$  - coupling transmits Higgs-parity into spin-polarisation of the  $\tau$ 's.



- For  $\tau$ -decays into 2 or 3 pions via  $\rho$ -, or  $a_1$ - resonances



$$\frac{\Gamma(\tau^+ \xrightarrow{\rho} \pi^+ \pi^0 \nu)}{\Gamma_{total}} \approx 25\%$$



$$\frac{\Gamma(\tau^+ \xrightarrow{a} \pi^+ \pi^+ \pi^- \nu)}{\Gamma_{total}} \approx 10\%$$

- Reconstruct  $\tau$ -polarisation from the final-states
- Correlate the transverse spin-components

**$\tau$  decays simulated with Tauola**

# The observable

- Planes spanned by the reconstructed 4-momenta of the pions
- Correlation sensitive to Higgs-parity :

## the Acoplanarity $\Phi$ .

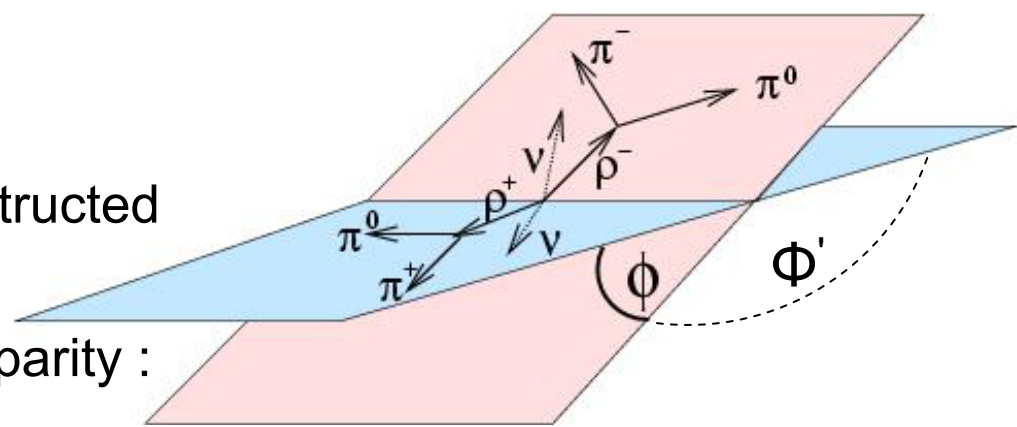
- Use energies to distinguish between  $\Phi$  and  $\Phi'$  by the sign of  $y_1 \cdot y_2$

$$y_1 = \frac{E_{\pi^+} - E_{\pi^0}}{E_{\pi^+} + E_{\pi^0}}$$

$$y_2 = \frac{E_{\pi^-} - E_{\pi^0}}{E_{\pi^-} + E_{\pi^0}}$$

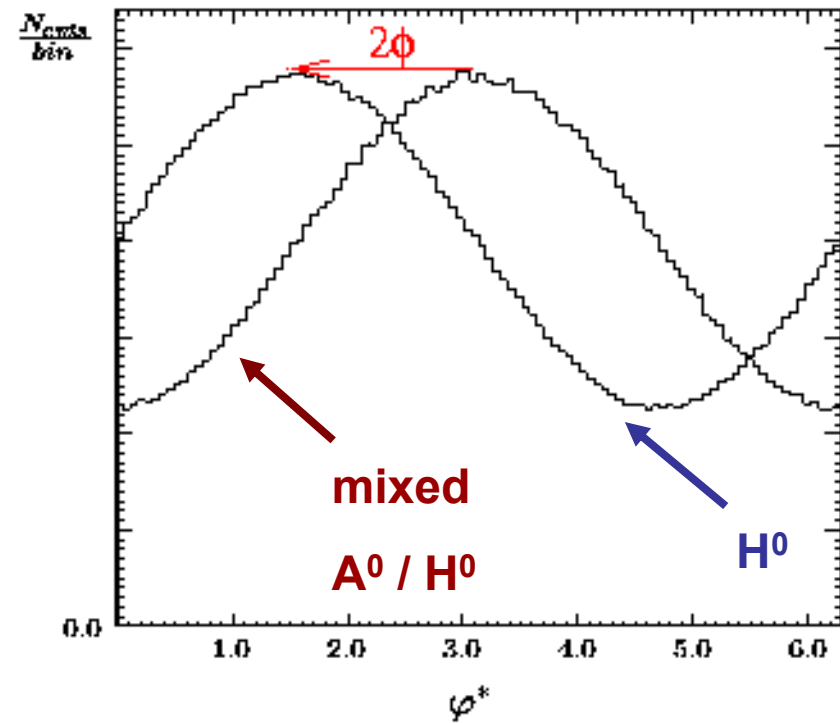
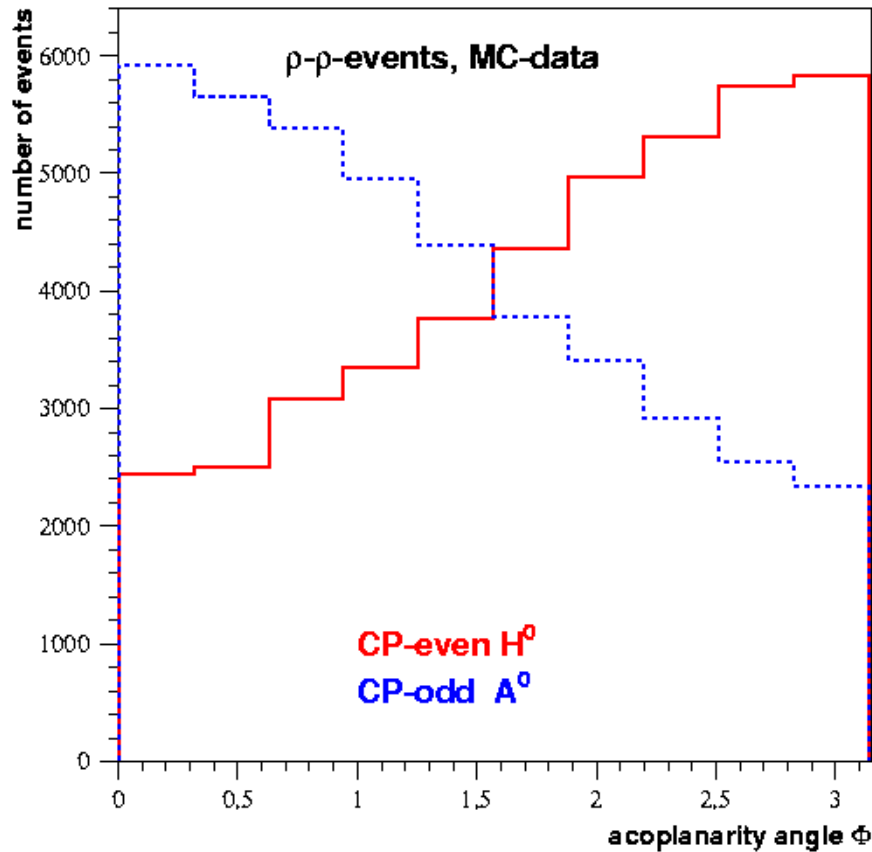
→ only direct accessible information from reconstructed momenta used

- THUS:** precise reconstruction of the 4-momenta from (simulated) detector-output necessary. E.g. find the neutral energy (the 2 photons from the  $\pi^0$ ) close to the  $\pi^\pm$  and reconstruct the  $\pi^0$ -momentum.



# Theoretical distributions

For mass eigenstates = CP eigenstates:



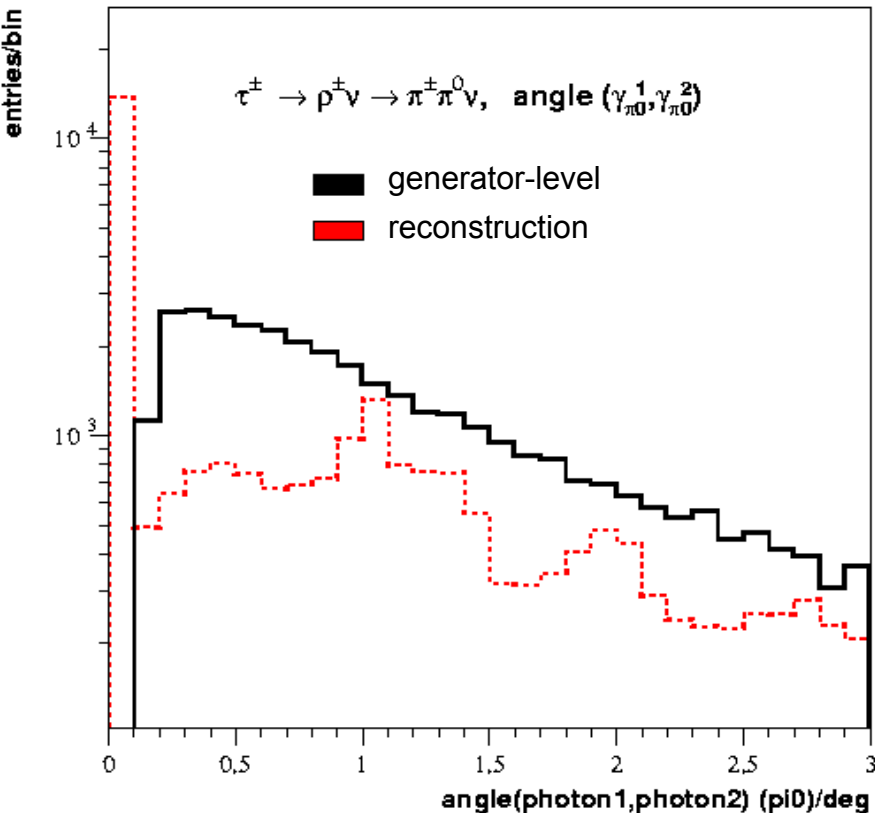
For mass-eigenstates consisting of a mixing of CP-eigenstates (mixing-angle  $\Phi$ ):

→ phase-shift of  $2\Phi$  in modified acoplanarity-distribution of  $\phi^*$ .

**BUT...**

# Quality / reliability of the simulation

- Usage of the fast (parameterized) detector simulation SIMDET
- Problem: calorimeter description too much simplified for very specific tasks (mainly done for the sake of CPU-time...)



Effect for  $\pi^0 \rightarrow \gamma\gamma$ :

- artifacts in the position-resolution
- too high separability

(2 at exact the same position on the calorimeter surface are (without e.g. usage of shower-shapes) separately reconstructed.

→ if a realistic precision of the reconstructed 4-momenta of single (neutral) particles is needed, this simulation tool needs improvement !

# Task for the simulation-tool

Main question: neutral energy in the ECAL from the photons from e.g.  $\pi^0$ :

- precision of the reconstruction of
  - the particle energy
  - the position and thus the direction of the momentum
- separability of energy-depositions close to each other
  - neutral close to an other neutral
  - neutral close to a charged energy-deposition

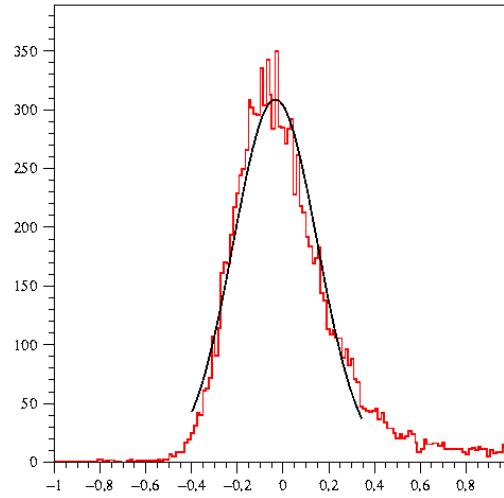
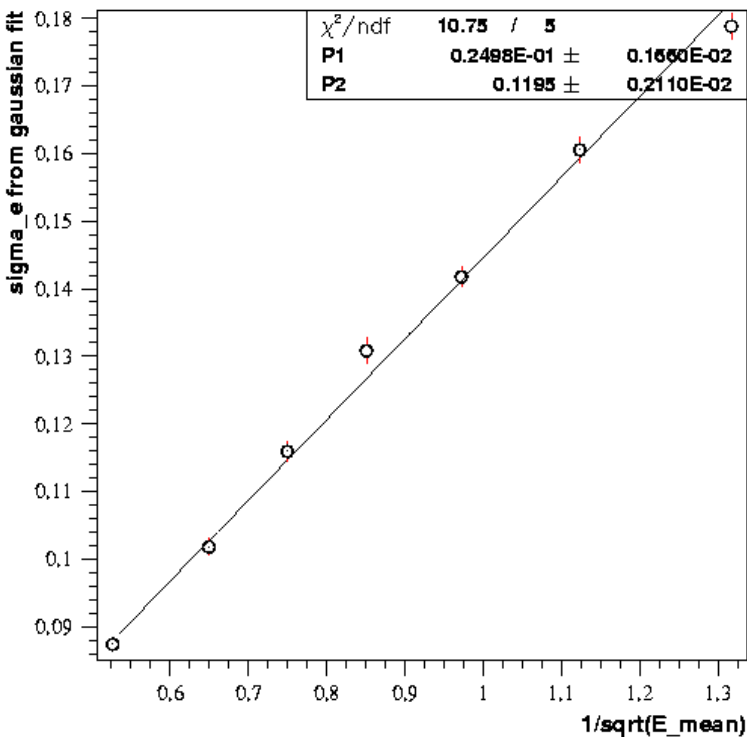
→ New parameterization and new simulation routines necessary

- Extraction of parameters from the GEANT3 based full simulation BRAHMS
  - a) isolated photons
  - b) photons close to each other
  - c) photons close to charged objects(studied with signal events  $HZ \rightarrow \tau^+ \tau^- \nu \nu$  with  $\tau^\pm \rightarrow \rho^\pm \nu \rightarrow \pi^\pm \pi^0 \nu$ )
- Implementation of a post processing routine for the simulation

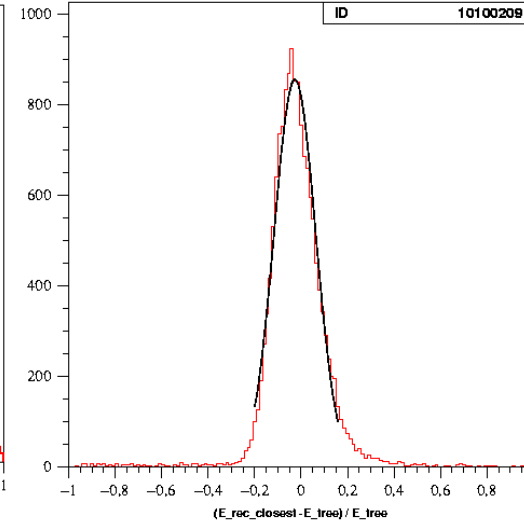
# a) Isolated photons: Energy resolution

For different bins in  $\frac{1}{\sqrt{E}}$  :  
 Gaussian fits to

$$\frac{E_{rec} - E_{generator}}{E_{generator}}$$



.48 GeV < E < .69 GeV



2.8 GeV < E < 5 GeV

Resulting energy resolution:

$$\sigma = \frac{12\%}{\sqrt{E}}$$

Offset of 2.5% from method/tools,  
 not expected in experiment. Thus skipped...

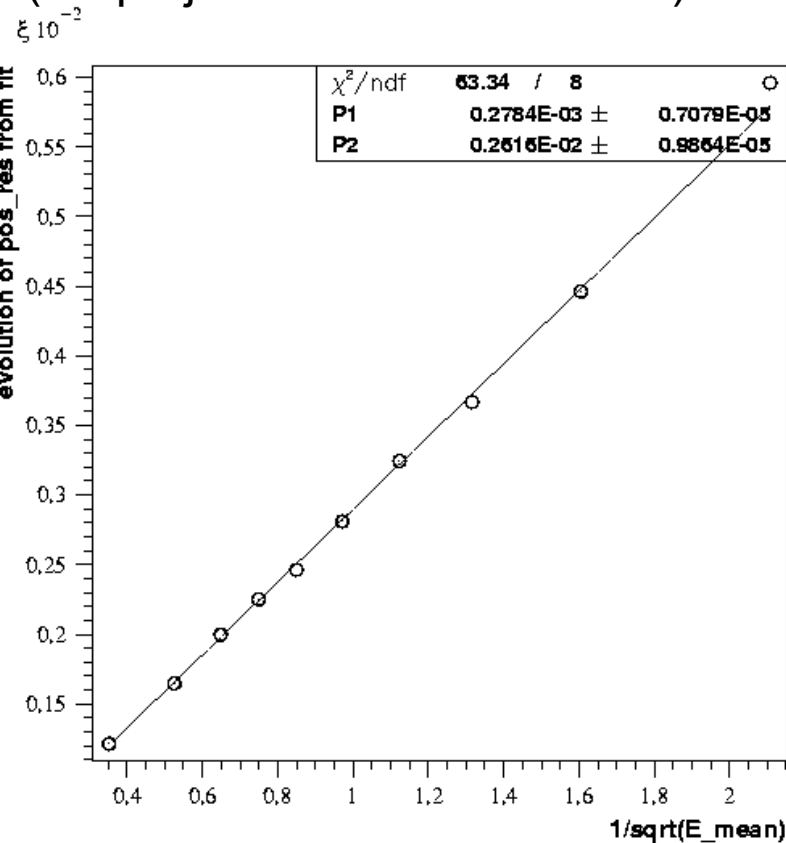
# Position resolution

Fit function:

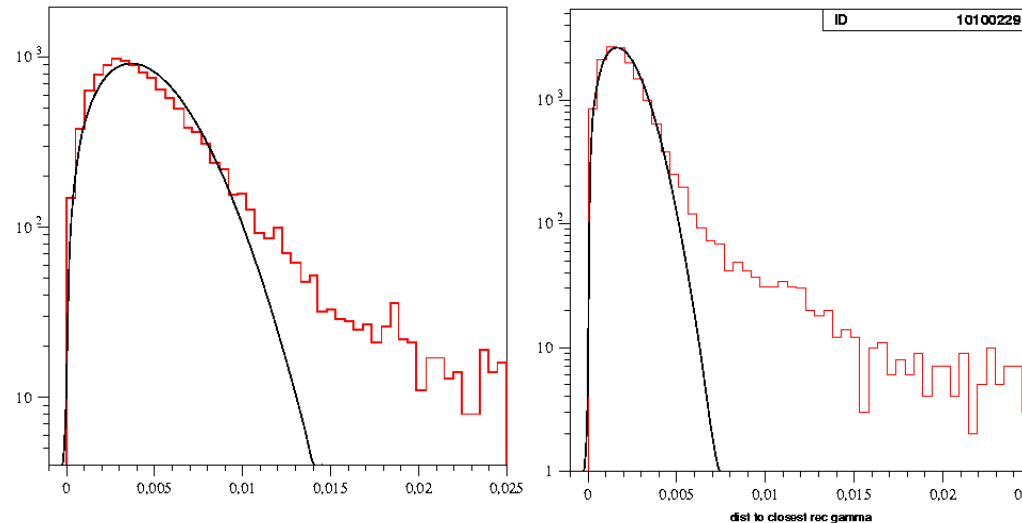
$$f(x) = a \cdot x \cdot \exp(-b \cdot x^2)$$

with  $b = \frac{1}{2 \cdot \sigma^2}$

(1D projection of 2D-Gaussian)



Distance at the calorimeter surface  
(generator-level to closest reconstructed)



.48 GeV < E < .69 GeV

2.8 GeV < E < 5 GeV

Resulting resolutions:

$$\sigma = 5.5 \text{ mm for } E \leq 0.25 \text{ GeV}$$

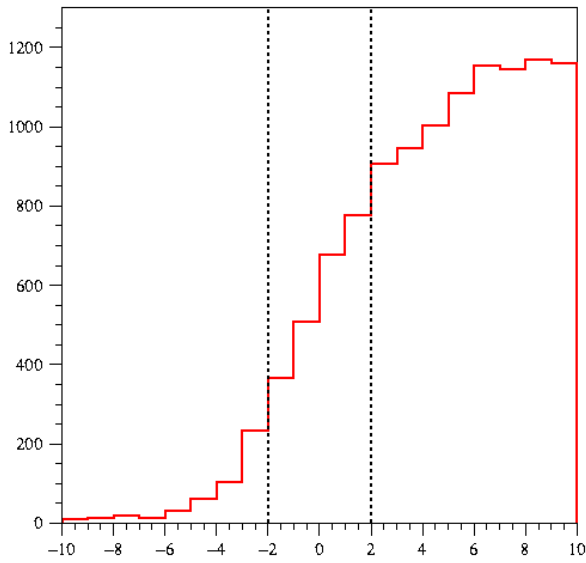
$$\sigma = .8 \text{ mm for } E \geq 25 \text{ GeV}$$



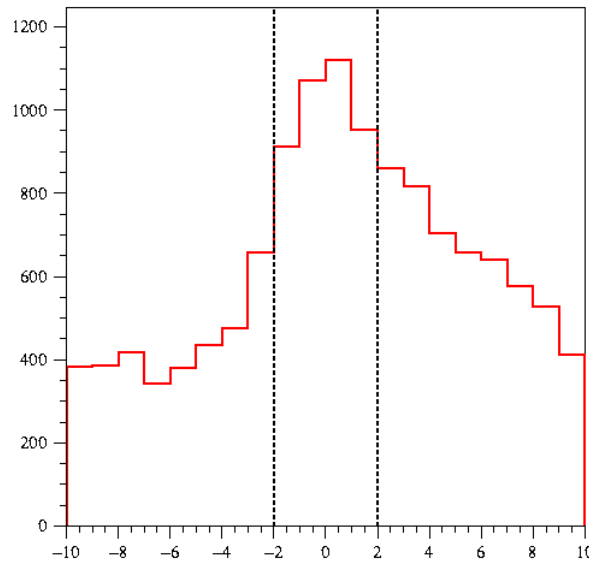
## b) Photons close to each other

- Probability that 2 photons can be reconstructed separately:

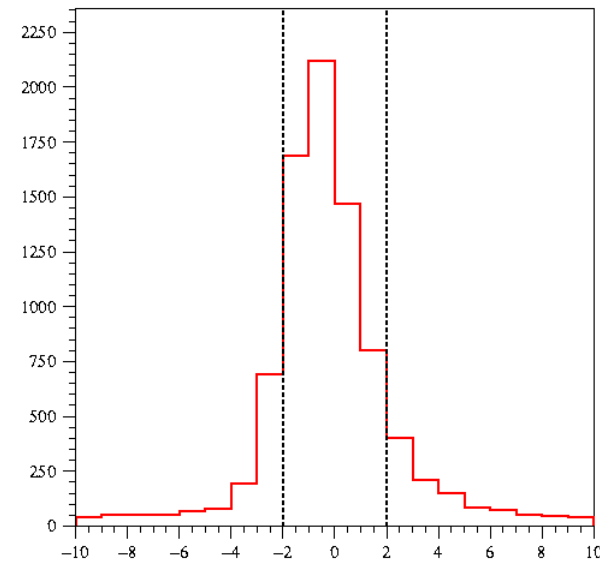
Fraction with  $\left| \frac{E_{rec} - E_{generator}}{\sigma_E \cdot \sqrt{E_{generator}}} \right| \leq 2$  for different  $\Delta_{(\gamma 1, \gamma 2)}$ :



$2\text{ cm} \leq \Delta < 3\text{ cm}$



$5\text{ cm} \leq \Delta < 6\text{ cm}$



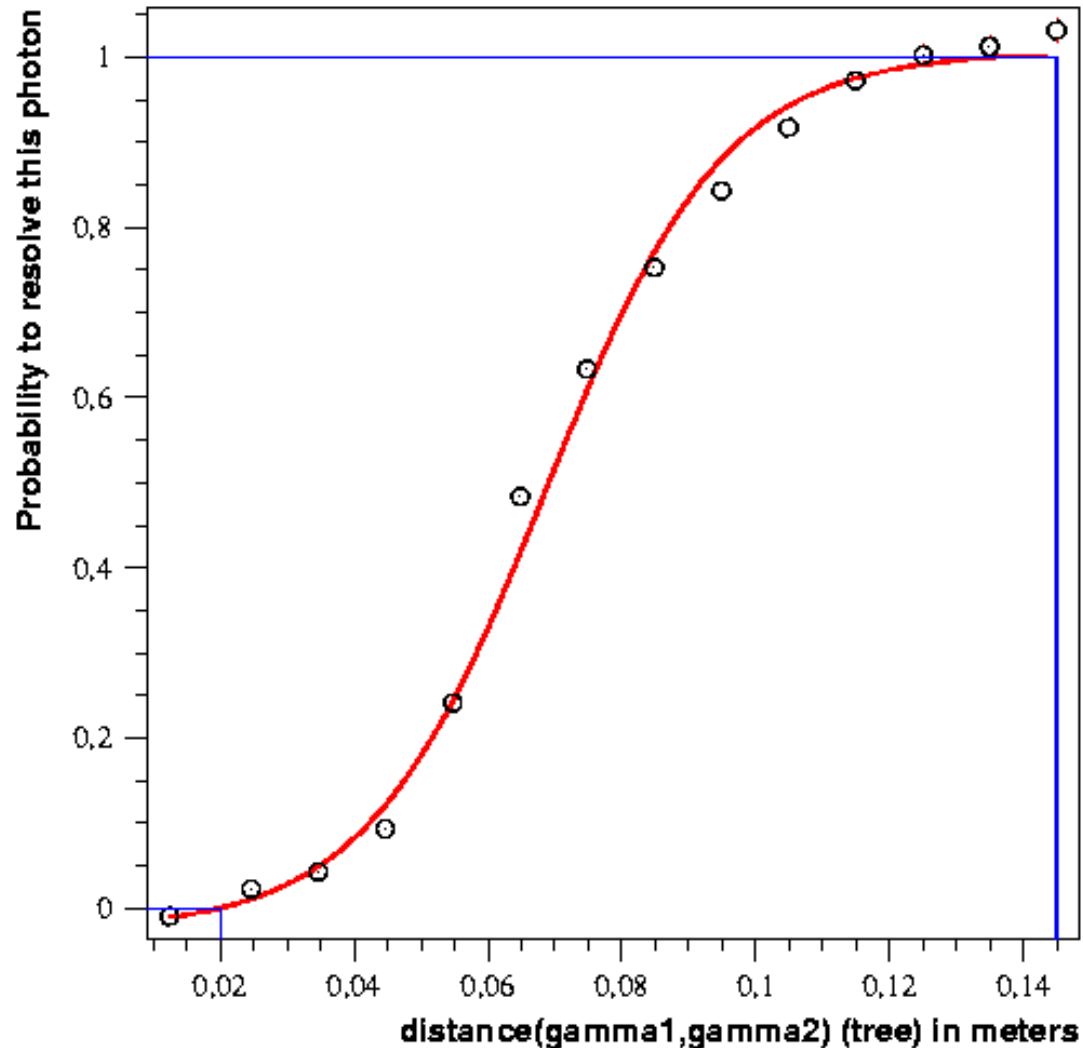
$10\text{ cm} \leq \Delta < 11\text{ cm}$

# Resolvability of 2 photons

Fit scaled to:

$P_{\text{resolve}} = 0$  for  $\Delta < 2$  cm  
( $\sim 2 \cdot$  Moliere radius)

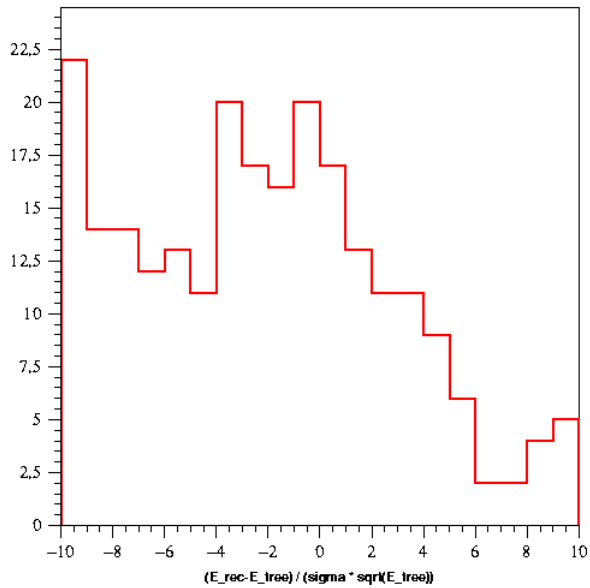
$P_{\text{resolve}} = 1$  for  $\Delta > 14.5$  cm  
(photons treated as  
isolated)



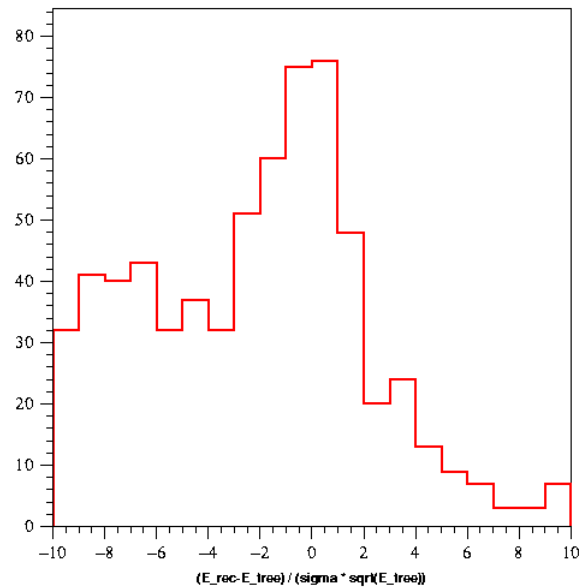
## c) Photons close to charged objects

- Probability that photons can be reconstructed separately:

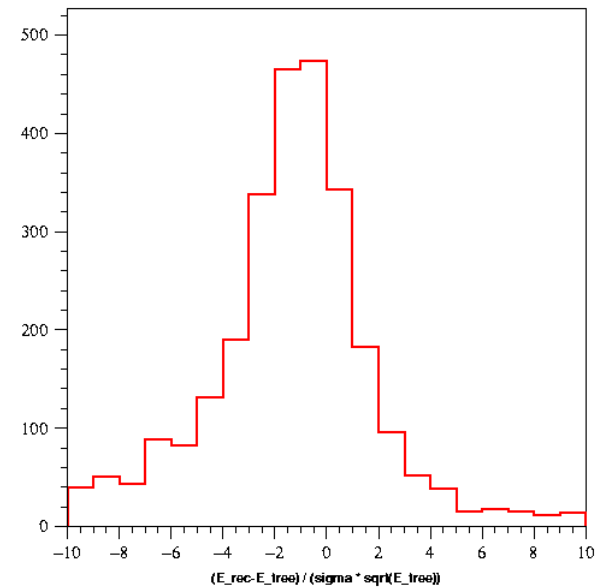
Fraction with  $\left| \frac{E_{rec} - E_{generator}}{\sigma_E \cdot \sqrt{E_{generator}}} \right| \leq 2$  for different  $\Delta_{(\gamma, \text{charged})}$ :



$1\text{ cm} \leq \Delta < 2\text{ cm}$



$5\text{ cm} \leq \Delta < 6\text{ cm}$



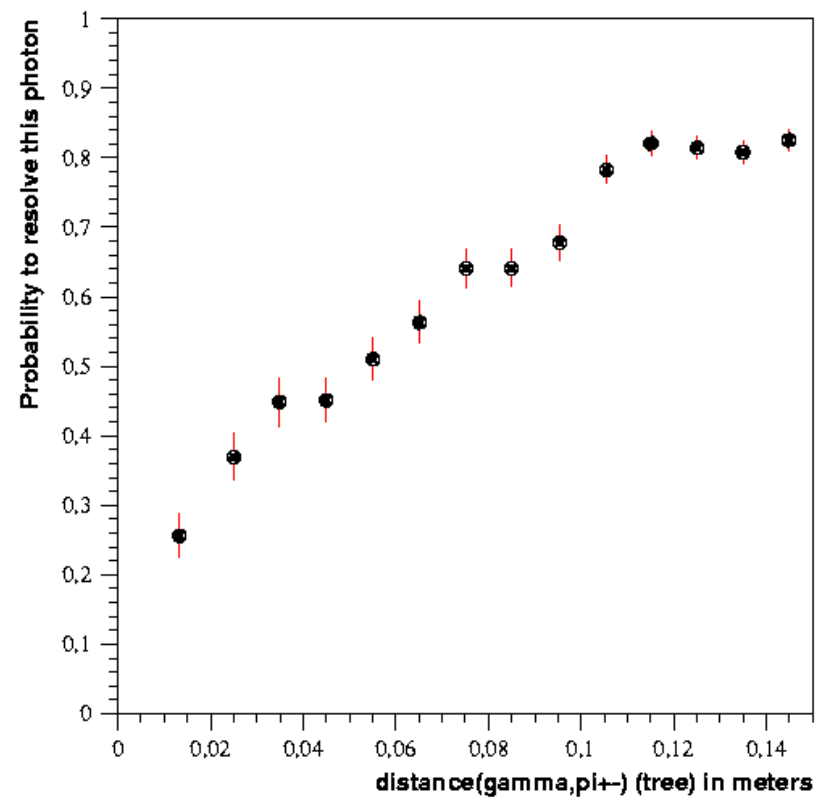
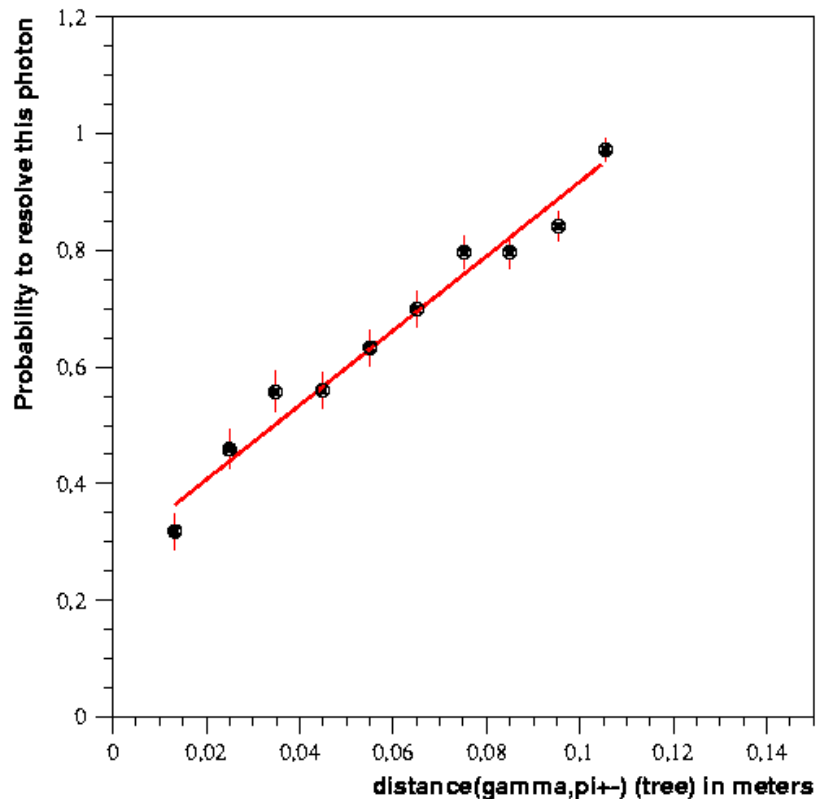
$10\text{ cm} \leq \Delta < 11\text{ cm}$

# Resolvability $\gamma \leftrightarrow \pi^\pm$

Plateau at  $\Delta = 11.5$  cm reached

→ Fit scaled to:

$P_{\text{resolve}} = 1$  for  $\Delta = 11.5$  cm



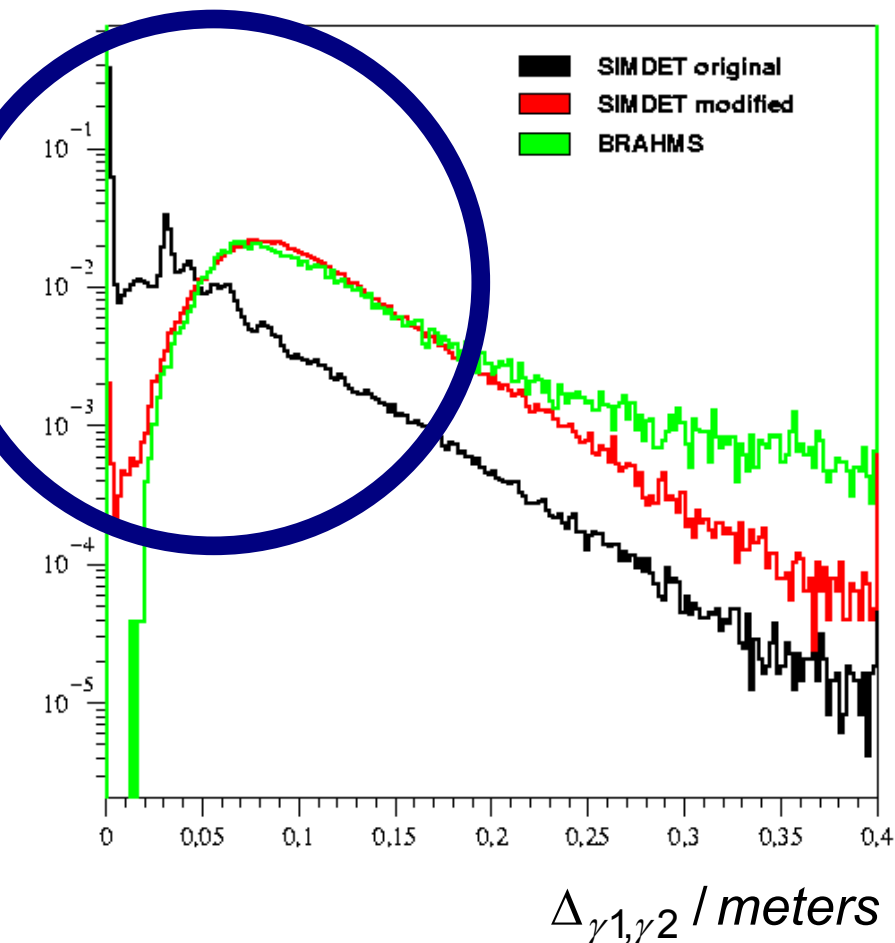
Linear fit for smaller distances.

Resulting in

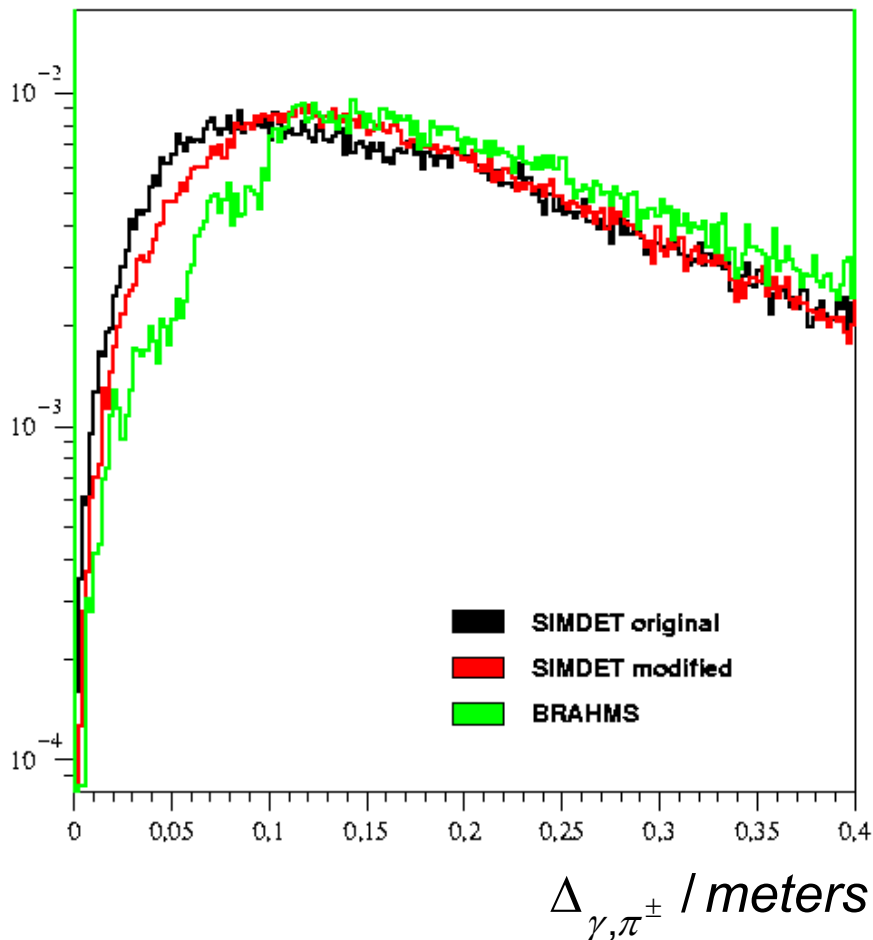
$P_{\text{resolve}} = 28\%$  for  $\Delta = 0$  cm.

# Comparison of old and new detector-output...

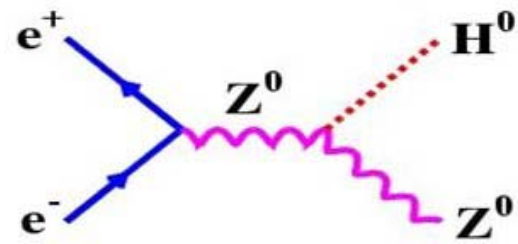
Distance at calo surface between 2 rec  $\gamma$ 's



$\gamma$  close to charged object ( $\pi^\pm$ )



# Back to the main task



Find and reconstruct the useful  $H \rightarrow \tau\tau$  events.

Example: Higgsstrahlung-process at  $\sqrt{s} = 350 \text{ GeV}$  and  $m_H = 120 \text{ GeV}$

:

$$\sigma(e^+e^- \rightarrow Z^0 H^0) = 0.148 \text{ pb} \quad \frac{\Gamma(H^0 \rightarrow \tau^+\tau^-)}{\Gamma_{total}} = 9.2\%$$

$$\frac{\Gamma(\tau^+ \xrightarrow{\rho} \pi^+ \pi^0 \nu)}{\Gamma_{total}} \approx 25\% \quad \frac{\Gamma(\tau^+ \xrightarrow{a} \pi^+ \pi^+ \pi^- \nu)}{\Gamma_{total}} \approx 10\%$$

Take all useful combinations of decays together with  $Z \rightarrow X$ ,  $X \neq \tau^+\tau^-$ :

**$\sim 1600 \text{ events} / 1\text{ab}^{-1}$  available**

Also the background has to be taken into account (here full SM-bckg):

$Z^0 Z^0$ ,  $W^+ W^-$ ,  $e_i \gamma \rightarrow e_i Z^0$ ,  $e_i \gamma \rightarrow f_j W^\pm$ ,  $\gamma/Z^0$  (together  $\sim 72 * 10^6 \text{ events} / 1\text{ab}^{-1}$ )

$\gamma \gamma \rightarrow \text{ff}$   $O(10^{10})$ ,  $HZ \rightarrow X$ ,  $X \neq \text{signal}$  (140 k)

Dominate background classes (from now on:  $l = e, \mu$ ):

Signal	Backgrounds	$N_{\text{evt}} / 1 \text{ ab}^{-1}$
$\tau\tau \nu\nu$ (~300 evt / $1\text{ab}^{-1}$ )	$ZZ \rightarrow \tau\tau \nu\nu$ $WW \rightarrow \tau\nu \tau\nu$ $\gamma/Z^* \rightarrow \tau\tau$	16 870 155 800 2 505 000
	others like $WW \rightarrow l\nu \tau\nu$	623 000 (after presel. 140 left, ~ 0.02%)
$\tau\tau ll$ (~100 evt / $1\text{ab}^{-1}$ )	$ZZ \rightarrow \tau\tau ll$ $e_i \gamma \rightarrow e_i Z^0 \rightarrow e_i \tau\tau$ $WW \rightarrow qq \tau\nu$ $WW \rightarrow qq l\nu$	9 024 1 896 000 1 952 000 3 898 000
$\tau\tau qq$ (~1000 evt / $1\text{ab}^{-1}$ )	$ZZ \rightarrow \tau\tau qq$ $ZZ \rightarrow qq qq$ $WW \rightarrow qq \tau\nu$ $WW \rightarrow qq qq$	65 270 477 000 1 952 000 6 081 000

# Selection from the SM background

- Cone-based search for  $\tau$ -candidates  
requiring e.g. appropriate invariant mass, isolation to the next track
- (Soft) preselection:
  - minimal visible mass (112 GeV)
  - less than full energy detected ( $< 340$  GeV at  $\sqrt{s} = 350$  GeV)
  - at least 1 pair of hadronic  $\tau$ -candidates, e.g. with
    - angle between the candidates:  $77^\circ < \alpha < 176^\circ$
    - $17$  GeV  $<$  invariant di-candidate mass  $<$  117 GeV

This reduces backgrounds with very different topology to a few percent.

Example:  $e^i \gamma \rightarrow e_i Z^0 \rightarrow e_i qq$  from  $13.3 \cdot 10^6$  to 9100 ( $\sim 0.07\%$ )

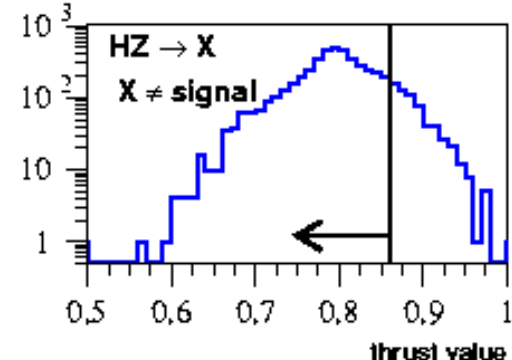
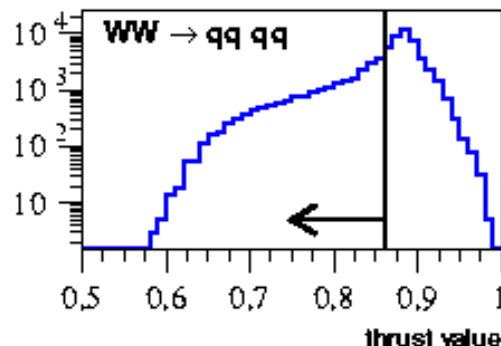
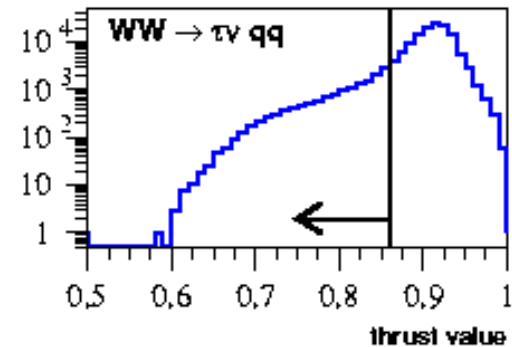
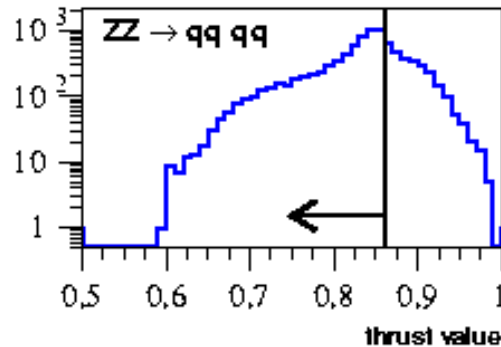
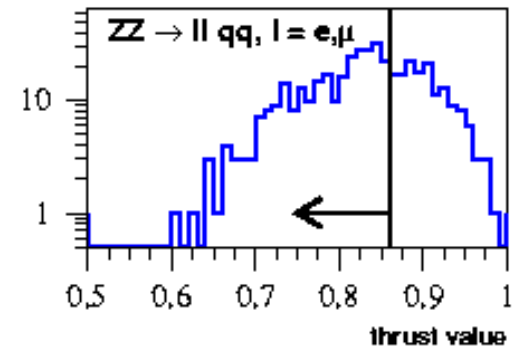
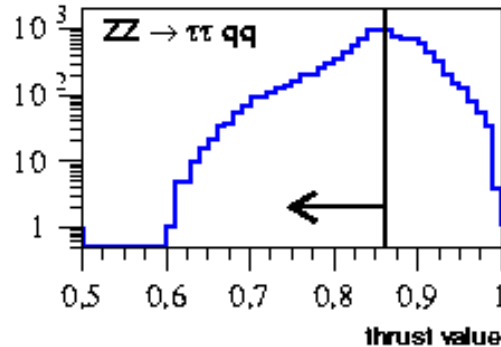
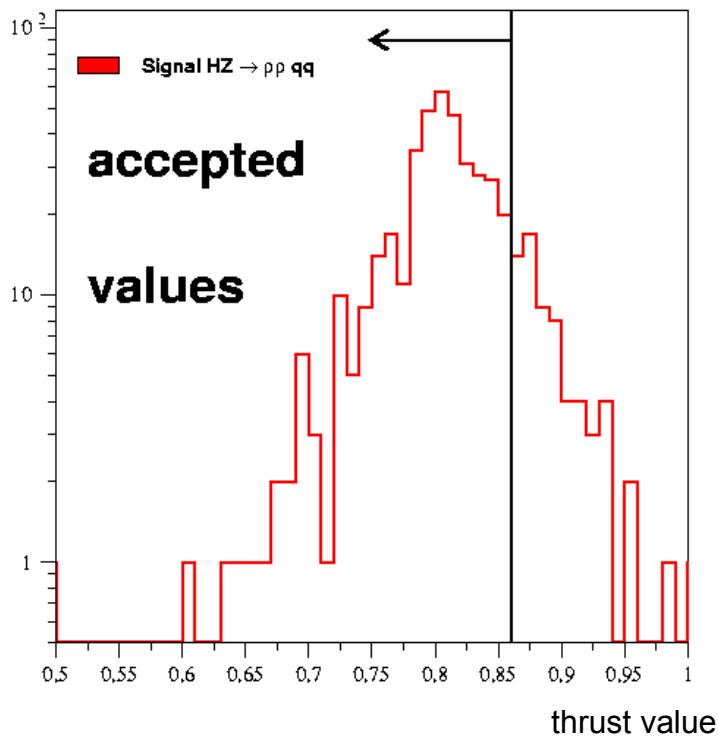
Following: a few examples of the search for  $\tau\tau qq$  final-states:

1. event shape
2.  $\tau$  candidates and  $\tau$ -pair candidates
3. hadronic Z-decay
4. kinematic fit to the HZ system



# Selection cont.

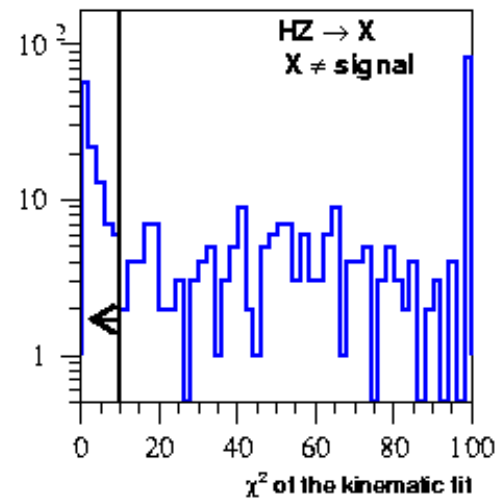
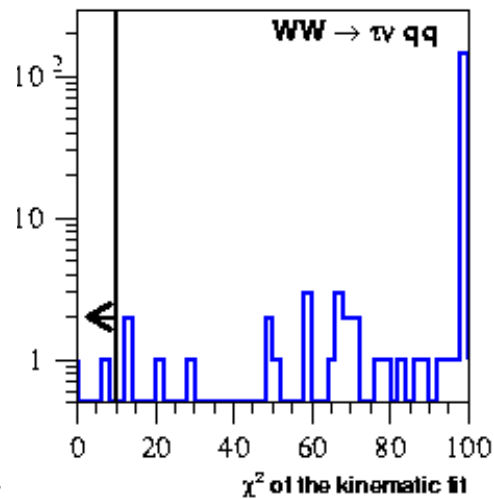
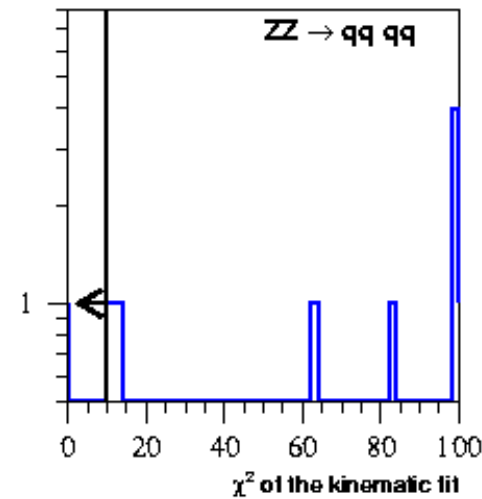
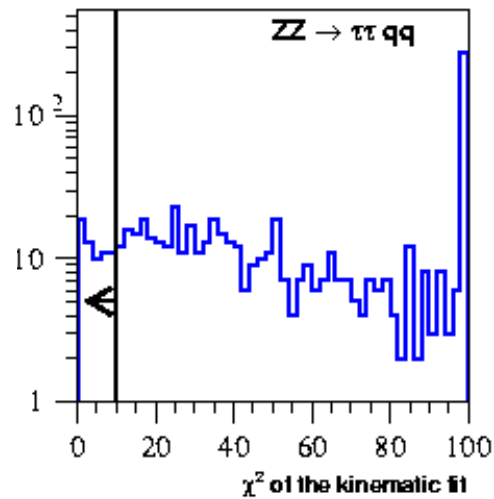
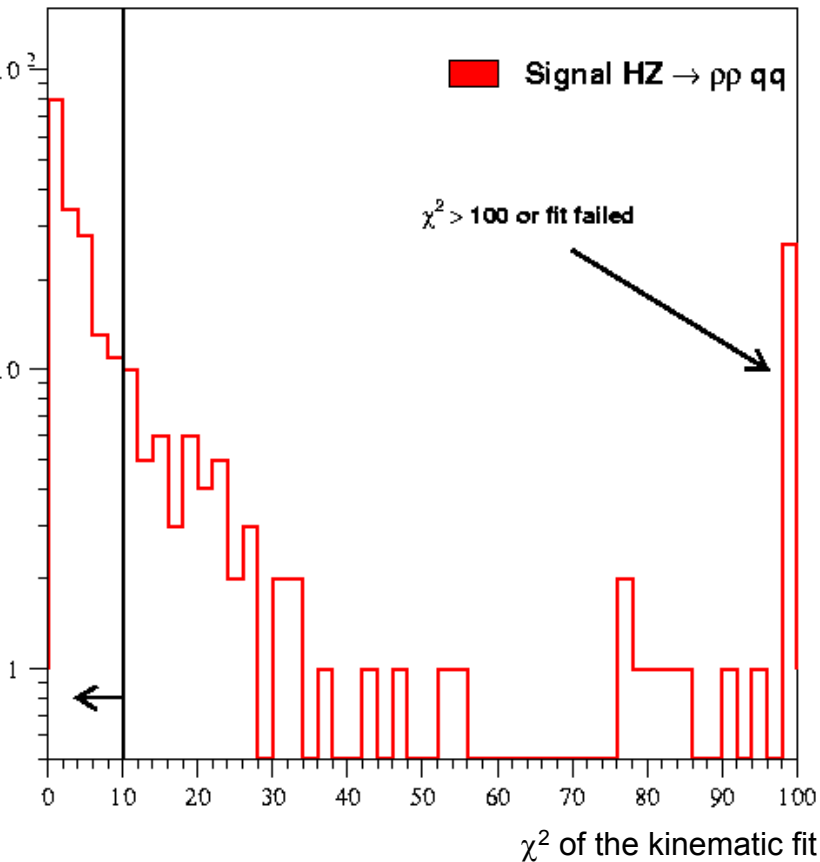
Example for event shape:  
require the thrust to be less than 0.86



# Kinematic Fit

- $Z \rightarrow qq$  system forced into 2 jets
- Input into the fit:
  - 4-momenta of the hadronic jets
  - 3-momenta of the  $\tau$ -candidates, used only as directions
  - $\sqrt{s} = 350 \text{ GeV}$
- Constraints:
  - invariant mass of the  $Z^0$  system =  $M_Z = 91.19 \text{ GeV}$
  - invariant mass of the H/A system =  $M_{H/A} = 120 \text{ GeV}$
  - Energy and momentum conservation
- Only those events with a  $\chi^2 < 10$  are accepted

# Results of the fit



Hard but effective cut, rejecting all backgrounds beside  $ZZ \rightarrow \tau\tau\ qq$  and  $HZ$ -bckg:

$N_{\text{Signal}}$  drops from 445 events to 296 (total efficiency drops to 28%),  $N_{\text{Bckg}}$  from 1368 to 180

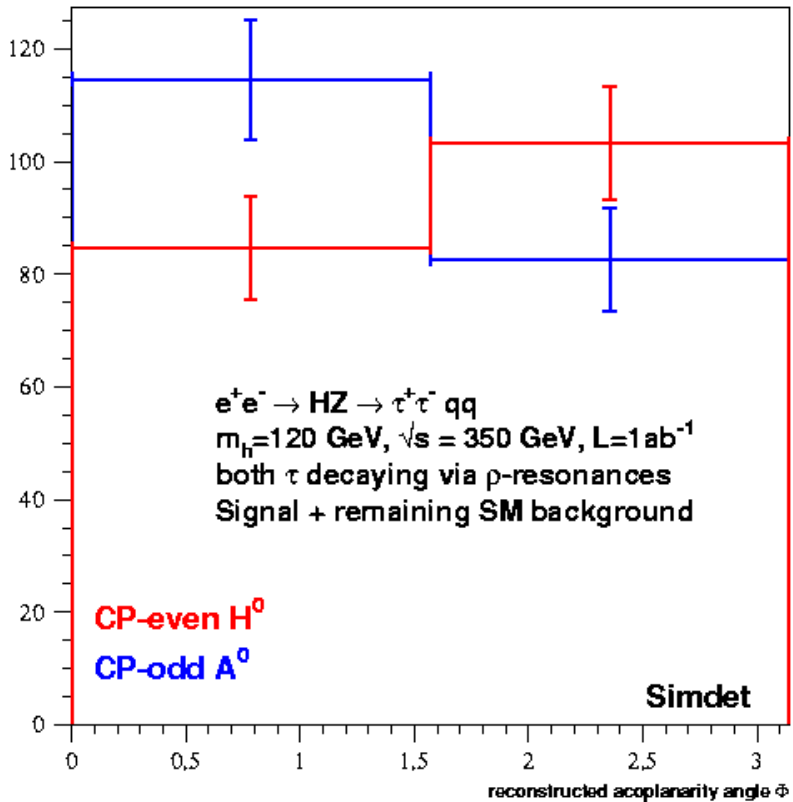
# Cut-flow for $\tau\tau$ qq search (most relevant)

	Signal	$ZZ \rightarrow \tau\tau$ qq	$ZZ \rightarrow qq$ qq	$WW \rightarrow qq\tau\nu$	$WW \rightarrow qq$ qq
$N_{\text{evt}} / 1 \text{ ab}^{-1}$	1040	65 270	477 000	1 952 000	6 081 000
preselection	838	12 350	9 373	194 127	67 124
event shape	610	6 051	3 920	8 403	12 056
$\tau$ -cand.	503	1 193	25	355	106
$Z \rightarrow qq$ side	455	803	9	172	18
kin. fit	296	65	/	/	/

Resulting in  $S / N \sim 3.55$  for  $\rho\rho$

$S / N \sim 1.26$  for  $a_1\rho$

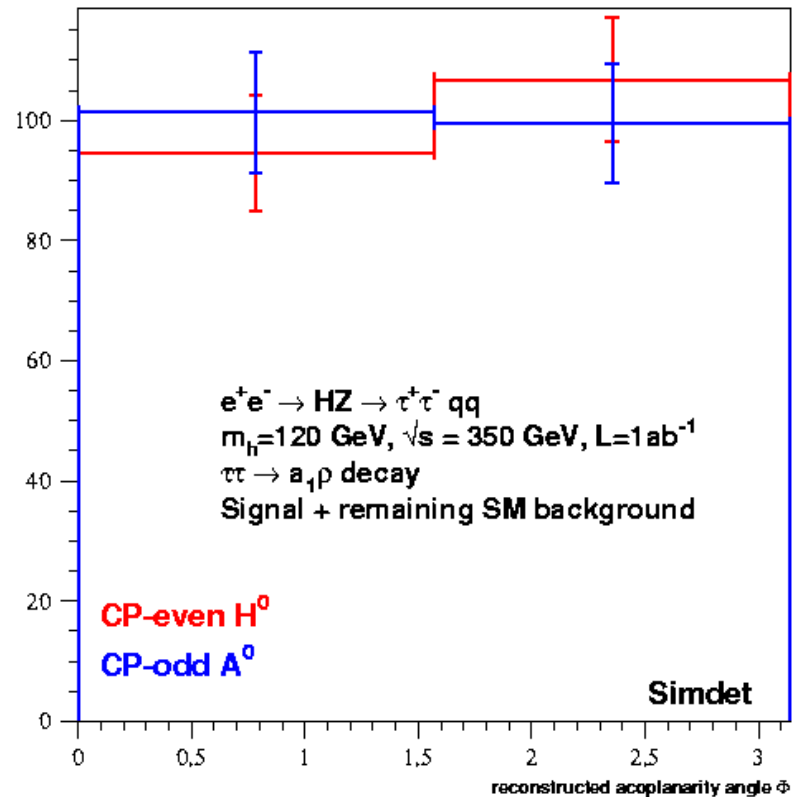
# Today's status



$$A_{co_H} = .099 \pm .073$$

$$A_{co_A} = -.162 \pm .070$$

$$\rightarrow \Delta A = .261$$



$$A_{co_H} = .035 \pm .140$$

$$A_{co_A} = -.084 \pm .138$$

$$\rightarrow \Delta A = .118$$

# Selection status for $Z \rightarrow \nu\nu$ and $H$

- In both cases no kinematic fit implemented (yet)
- Signals with  $Z \rightarrow e^+e^-$  or  $\mu^+ \mu^-$  :
  - also primarily ZZ and HZ backgrounds left
  - $\rho\rho$  -case:  $S / B \sim 1.2$  and  $A_{\text{co}_H} = .035 \pm .140$  vs.  $A_{\text{co}_A} = -.084 \pm .138$
  - $a_1\rho$ -case:  $S / B \sim .49$  and  $A_{\text{co}_H} = .143 \pm .119$  vs.  $A_{\text{co}_A} = -.028 \pm .118$
  - deliver each  $\leq 1$  sigma only
  - signal efficiency still above 50%, thus still room to play...
- Signals with  $Z \rightarrow \nu\nu$ :
  - hard to identify from backgrounds
  - at 30% efficiency, still other backgrounds like  $WW \rightarrow \tau\nu \tau\nu$  left
  - $\rho\rho$  -case:  $S / B \sim .77$
  - $a_1\rho$ -case:  $S / B \sim .35$

→ preliminary status / still some way to go....

# Conclusion

- Much more realistic and reliable description for neutral energy deposition in the ECAL implemented
- The signal process is studied including
  - detector effects and
  - the full SM-background statistics
- Preliminary selection strategy shows reasonable results / performance. Especially for decay in  $\rho\rho qq$
- But there is still quite some room for improvements
- If mixed eigenstates can be determined has to be checked
- But a significance e.g. to distinguish a CP-even from a CP-odd Higgs-Boson of **more than  $3\sigma$**  can be expected with improvements and combination of the channels.