

Topics on non leptonic B_s decays

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based on work in collaboration with
R. Ferrandes and F. De Fazio

Simple considerations and consequences
starting from few results obtained at the B factories

- ✱ annihilation diagrams can be sizeable
- ✱ strong phases are not always small
- ✱ several B_s non leptonic decay rates can be carefully predicted

immediate example of synergy between flavour factories
and hadron colliders (-> M.Mangano)

Flavour in the era of the LHC
CERN - 7/10 November 2005

decays induced by the $b \rightarrow c \bar{u} d$ and $b \rightarrow c \bar{u} s$ transitions

$B \rightarrow D_{(s)} P$

$$B^- \rightarrow D^0 \pi^-$$

$$B^- \rightarrow D^0 K^-$$

$$\bar{B}^0 \rightarrow D^0 \pi^0$$

$$\bar{B}^0 \rightarrow D^0 \bar{K}^0$$

$$\bar{B}^0 \rightarrow D^0 \eta$$

$$\bar{B}^0 \rightarrow D_s^+ K^-$$

$$\bar{B}^0 \rightarrow D^+ \pi^-$$

$$\bar{B}^0 \rightarrow D^+ K^-$$

$$\bar{B}^0 \rightarrow D^0 \eta'$$

precisely measured by BaBar and Belle
(previous data from Cleo)

- Isospin analysis possible
- evidence of sizeable annihilation contribution
- sensitivity to $\eta - \eta'$ mixing

decay mode	BR
$B^- \rightarrow D^0 \pi^-$	$(4.98 \pm 0.29) \times 10^{-3}$
$\bar{B}^0 \rightarrow D^0 \pi^0$	$(2.91 \pm 0.28) \times 10^{-4}$
$\bar{B}^0 \rightarrow D^+ \pi^-$	$(2.76 \pm 0.25) \times 10^{-3}$
$\bar{B}^0 \rightarrow D_s^+ K^-$	$(3.8 \pm 1.3) \times 10^{-5}$
$\bar{B}^0 \rightarrow D^0 \eta$	$(2.2 \pm 0.5) \times 10^{-4}$
$\bar{B}^0 \rightarrow D^0 \eta'$	$(1.7 \pm 0.4) \times 10^{-4}$
$B^- \rightarrow D^0 K^-$	$(3.7 \pm 0.6) \times 10^{-4}$
$\bar{B}^0 \rightarrow D^0 \bar{K}^0$	$(5.0 \pm 1.4) \times 10^{-5}$
$\bar{B}^0 \rightarrow D^+ K^-$	$(2.0 \pm 0.6) \times 10^{-4}$

$B \rightarrow DK$

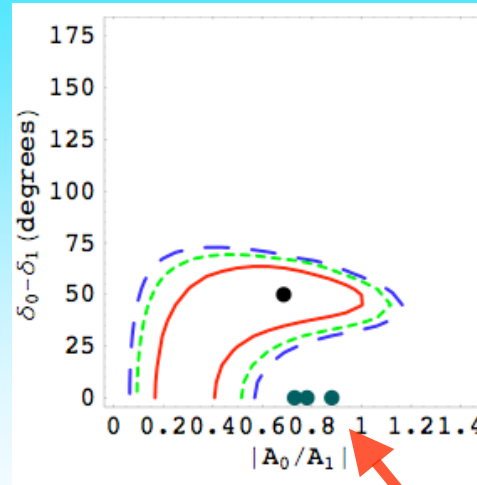
Two isospin amplitudes

$$A(B^- \rightarrow D^0 K^-) = \sqrt{2} A_1$$

$$A(\bar{B}^0 \rightarrow D^0 \bar{K}^0) = \frac{1}{\sqrt{2}} (A_1 - A_0)$$

$$A(\bar{B}^0 \rightarrow D^+ K^-) = \frac{1}{\sqrt{2}} (A_1 + A_0)$$

$$A(\bar{B}^0 \rightarrow D^+ K^-) + A(\bar{B}^0 \rightarrow D^0 \bar{K}^0) = A(B^- \rightarrow D^0 K^-)$$



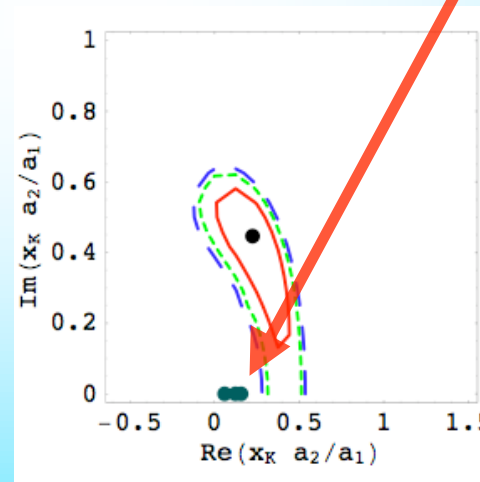
range of phase difference extends to zero
the preferred value is rather large

naive (generalized) factorization fails

$$A(B \rightarrow DK)_{FACT} \rightarrow a_i \langle P|J|B \rangle \langle P'|J|0 \rangle$$

combinations of Wilson coefficients (or parameters)

matrix elements of quark currents



related analyses by Neubert & Petrov
Xing
Wolfenstein
Rosner
Kim et al.

$$x_K = \frac{(M_B^2 - M_K^2) f_D F_0^{BK}(M_D^2)}{(M_B^2 - M_D^2) f_k F_0^{BD}(M_K^2)}$$

observation of the annihilation process $\bar{B}^0 \rightarrow D_s^+ K^-$

further evidence of the failure of naive (generalized) factorization

$$A(\bar{B}^0 \rightarrow D_s^+ K^-)_{FACT} \rightarrow \langle 0 | J | B \rangle \langle D_s^+ K^- | J | 0 \rangle \rightarrow (M_D^2 - M_K^2) F_0^{0 \rightarrow D_s K}(M_B^2)$$

small

$$\frac{A(\bar{B}^0 \rightarrow D_s^+ K^-)_{FACT}}{A(\bar{B}^0 \rightarrow D^+ \pi^-)_{FACT}} \rightarrow \frac{a_2 (M_D^2 - M_K^2) f_B F_0^{0 \rightarrow D_s K}(M_B^2)}{a_1 M_B^2 f_k F_0^{BD}(M_K^2)}$$

tiny

$$\left. \frac{B(\bar{B}^0 \rightarrow D_s^+ K^-)}{B(\bar{B}^0 \rightarrow D^+ \pi^-)} \right|_{\text{exp}} = 1.4 \%$$

SU(3) analysis

$$H_W = V_{cb} V_{ud}^* T_{01-1}^{(8)} + V_{cb} V_{us}^* T_{-1\frac{1}{2}-\frac{1}{2}}^{(8)}$$

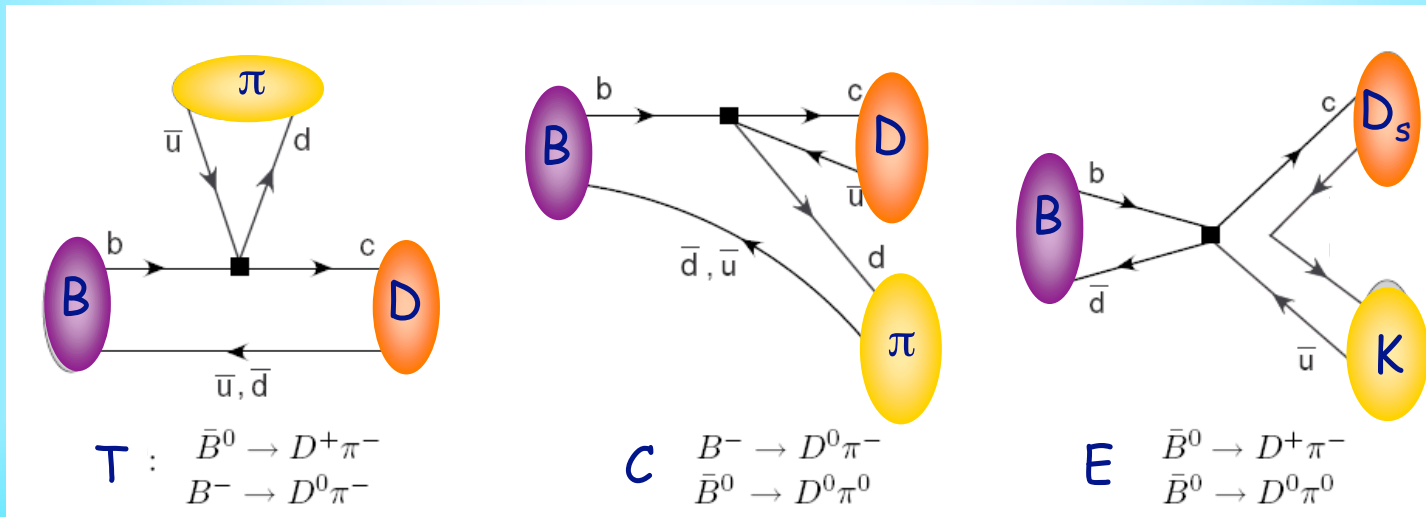
$$T_v^{(\mu)} \quad v = (Y, I, I_3)$$

combining with the initial B mesons (3^*) one obtains 3^* , 6 and 15^* reprs. which coincide with the multiplets obtained combining P and $D_{(s)}$

only three independent amplitudes

they can be rearranged to reproduce three quark topologies: T, C and E

Zeppenfeld
Chau
Grinstein & Lebed

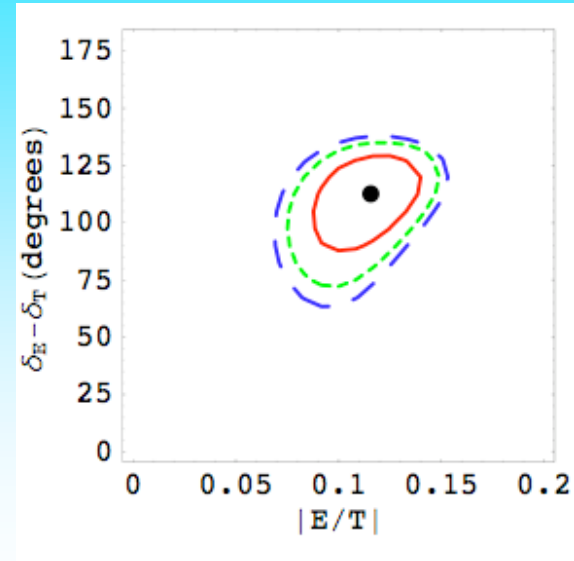
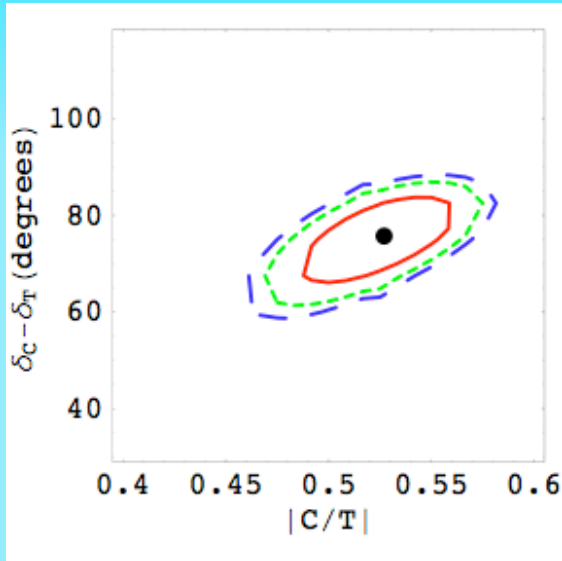


decay mode	amplitude	BR
$B^- \rightarrow D^0 \pi^-$	$V_{ud}^* V_{cb} (C + T)$	$(4.98 \pm 0.29) \times 10^{-3}$
$\bar{B}^0 \rightarrow D^0 \pi^0$	$\frac{1}{\sqrt{2}} V_{ud}^* V_{cb} (C - E)$	$(2.91 \pm 0.28) \times 10^{-4}$
$\bar{B}^0 \rightarrow D^+ \pi^-$	$V_{ud}^* V_{cb} (T + E)$	$(2.76 \pm 0.25) \times 10^{-3}$
$\bar{B}^0 \rightarrow D_s^+ K^-$	$V_{ud}^* V_{cb} E$	$(3.8 \pm 1.3) \times 10^{-5}$
$\bar{B}^0 \rightarrow D^0 \eta_8$	$-\frac{1}{\sqrt{6}} V_{ud}^* V_{cb} (C + E)$	
$\bar{B}^0 \rightarrow D^0 \eta_0$	$V_{ud}^* V_{cb} D$	
$\bar{B}^0 \rightarrow D^0 \eta$		$(2.2 \pm 0.5) \times 10^{-4}$
$\bar{B}^0 \rightarrow D^0 \eta'$		$(1.7 \pm 0.4) \times 10^{-4}$
$B^- \rightarrow D^0 K^-$	$V_{us}^* V_{cb} (C + T)$	$(3.7 \pm 0.6) \times 10^{-4}$
$\bar{B}^0 \rightarrow D^0 \bar{K}^0$	$V_{us}^* V_{cb} C$	$(5.0 \pm 1.4) \times 10^{-5}$
$\bar{B}^0 \rightarrow D^+ K^-$	$V_{us}^* V_{cb} T$	$(2.0 \pm 0.6) \times 10^{-4}$

data are sufficient to determine T , C and E in moduli and phase differences

input: $\left| \frac{V_{us}}{V_{ud}} \right| = 0.226 \pm 0.003$

and to determine D input: $\vartheta_{\text{mixing}}$



large phase differences

precise determination of the T, C and E independent amplitudes

see also Chua & Hou

the singlet amplitude D determined using an $\eta - \eta'$ mixing angle of -15.4°
(in a one angle mixing scheme)

Feldmann

$$\left| \frac{D}{T} \right| = 0.41 \pm 0.11$$

$$\delta_D - \delta_T = -(25 \pm 11)^\circ$$

consequences for B_s :

in the SU(3) limit $B_s \rightarrow D_{(s)}$ P amplitudes in terms of T, C and E

decay rates precisely predicted

Decay mode	Amplitude	BR
$\bar{B}_s^0 \rightarrow D_s^+ \pi^-$	$V_{ud}^* V_{cb} T$	$(2.9 \pm 0.6) \times 10^{-3}$
$\bar{B}_s^0 \rightarrow D^0 \bar{K}^0$	$V_{ud}^* V_{cb} C$	$(8.1 \pm 1.8) \times 10^{-4}$
$\bar{B}_s^0 \rightarrow D^0 \eta_8$	$\frac{1}{\sqrt{6}} V_{ud}^* V_{cb} (2C - E)$	
$\bar{B}_s^0 \rightarrow D^0 \eta_0$	$V_{ud}^* V_{cb} D$	
$\bar{B}_s^0 \rightarrow D^0 \eta$		$(4.1 \pm 2.3) \times 10^{-4}$
$\bar{B}_s^0 \rightarrow D^0 \eta'$		$(1.9 \pm 1.6) \times 10^{-4}$
$\bar{B}_s^0 \rightarrow D^0 \pi^0$	$-\frac{1}{\sqrt{2}} V_{us}^* V_{cb} E$	$(1.0 \pm 0.3) \times 10^{-6}$
$\bar{B}_s^0 \rightarrow D^+ \pi^-$	$V_{us}^* V_{cb} E$	$(2.0 \pm 0.6) \times 10^{-6}$
$\bar{B}_s^0 \rightarrow D_s^+ K^-$	$V_{us}^* V_{cb} (T + E)$	$(1.8 \pm 0.3) \times 10^{-4}$

(Ferrandes et al., PLB 05)

information useful to the physics programmes for B_s at LHC and Tevatron

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observed mode for B_s

$$\frac{\Gamma(B_s^0 \rightarrow D_s^- \pi^+)}{\Gamma(B^0 \rightarrow D^- \pi^+)} = 1.05 \pm 0.24$$

$$\frac{\Gamma(B_s^0 \rightarrow D_s^- \pi^+)}{\Gamma(B^0 \rightarrow D^- \pi^+)} = 1.32 \pm 0.18 \pm 0.38$$

CDF Coll. hep-ex/0508014

(Ferrandes et al., PLB 05)

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sensitive to $\eta - \eta'$ mixing
important for CP violation studies
through the modes

$$\bar{B}_s^0 (B_s^0) \rightarrow D_{\pm} \eta^{(\prime)}$$

(Fleischer)

(Ferrandes et al., PLB 05)

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← purely annihilation processes

(Ferrandes et al., PLB 05)

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$\bar{B}_s^0 \rightarrow D_s^+ K^-$	$V_{us}^* V_{cb} (T + E)$	$(1.8 \pm 0.3) \times 10^{-4}$

← bckg

important channel to determine γ
(Aleksan et al., Fleischer)
O. Schneider's talk

(Ferrandes et al., PLB 05)

information useful to the physics programmes for B_s at LHC and Tevatron

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(Ferrandes et al., PLB 05)

information useful to the physics programmes for B_s at LHC and Tevatron

SU(3) breaking terms involve additional parameters

(Rosner et al.)

-> at present they are compatible with zero

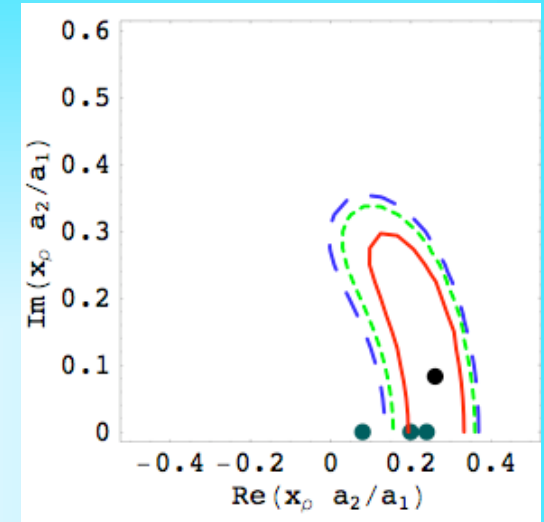
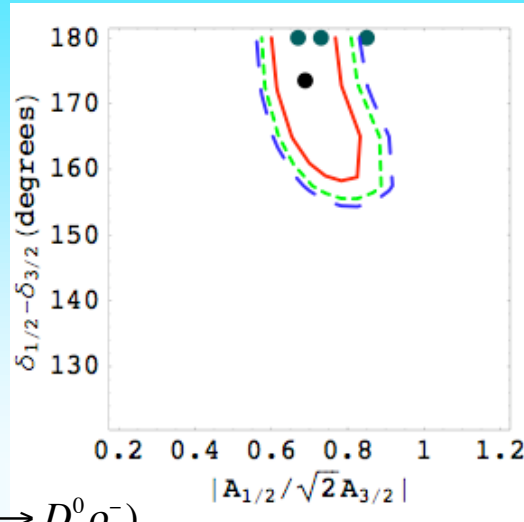
$B \rightarrow D\rho$

$$A(B^- \rightarrow D^0 \rho^-) = \sqrt{3} A_{\frac{3}{2}}$$

$$A(\bar{B}^0 \rightarrow D^0 \rho^0) = \sqrt{\frac{2}{3}} A_{\frac{3}{2}} - \frac{1}{\sqrt{3}} A_{\frac{1}{2}}$$

$$A(\bar{B}^0 \rightarrow D^+ \rho^-) = \frac{1}{\sqrt{3}} A_{\frac{3}{2}} + \sqrt{\frac{2}{3}} A_{\frac{1}{2}}$$

$$A(\bar{B}^0 \rightarrow D^+ \rho^-) + \sqrt{2} A(\bar{B}^0 \rightarrow D^0 \rho^0) = A(B^- \rightarrow D^0 \rho^-)$$



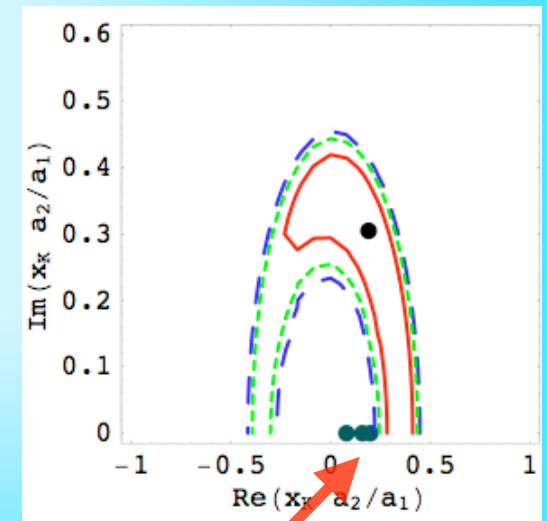
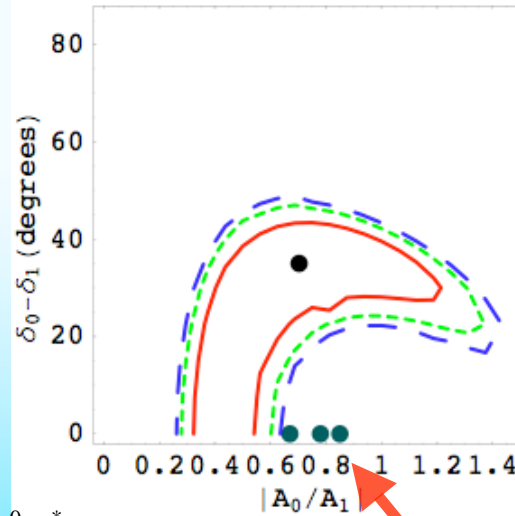
$B \rightarrow DK^*$

$$A(B^- \rightarrow D^0 K^{*-}) = \sqrt{2} A_1$$

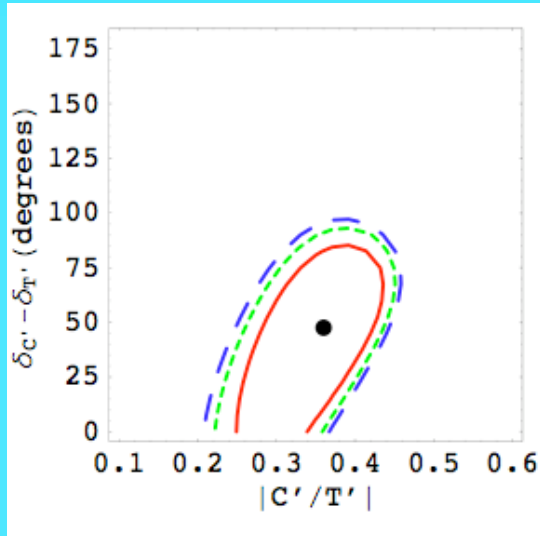
$$A(\bar{B}^0 \rightarrow D^0 \bar{K}^{*0}) = \frac{1}{\sqrt{2}} (A_1 - A_0)$$

$$A(\bar{B}^0 \rightarrow D^+ K^{*-}) = \frac{1}{\sqrt{2}} (A_1 + A_0)$$

$$A(\bar{B}^0 \rightarrow D^+ K^{*-}) + A(\bar{B}^0 \rightarrow D^0 \bar{K}^{*0}) = A(B^- \rightarrow D^0 K^{*-})$$



naive (generalized) factorization marginal



predictions

decay mode	BR	decay mode	BR
$B^- \rightarrow D^0 \rho^-$	$(1.34 \pm 0.18) \times 10^{-2}$	$\bar{B}_s^0 \rightarrow D_s^+ \rho^-$	$(7.2 \pm 3.5) \times 10^{-3}$
$\bar{B}^0 \rightarrow D^0 \rho^0$	$(2.9 \pm 1.1) \times 10^{-4}$	$\bar{B}_s^0 \rightarrow D^0 \bar{K}^{*0}$	$(9.6 \pm 2.4) \times 10^{-4}$
$\bar{B}^0 \rightarrow D^+ \rho^-$	$(7.7 \pm 1.3) \times 10^{-3}$		
$\bar{B}^0 \rightarrow D_s K^{*-}$	$< 9.9 \times 10^{-4}$		
$B^- \rightarrow D^0 K^{*-}$	$(6.1 \pm 2.3) \times 10^{-4}$	$\bar{B}_s^0 \rightarrow D^0 \rho^0$	$(0.28 \pm 1.4) \times 10^{-4}$
$\bar{B}^0 \rightarrow D^0 \bar{K}^{*0}$	$(4.8 \pm 1.2) \times 10^{-5}$	$\bar{B}_s^0 \rightarrow D^+ \rho^-$	$(0.57 \pm 2.8) \times 10^{-4}$
$\bar{B}^0 \rightarrow D^+ K^{*-}$	$(3.7 \pm 1.8) \times 10^{-4}$	$\bar{B}_s^0 \rightarrow D_s^+ K^{*-}$	$(4.5 \pm 3.1) \times 10^{-4}$

✱ less accuracy in the predictions
annihilation processes poorly determined



improvements expected
in the near future

some modes are relevant for CP violation studies in B_s

$$B_s \rightarrow D_{(s)}^* \pi(K)$$

$$B_s \rightarrow D_{(s)}^* \rho(K^*)$$

present data on $B \rightarrow D^* \pi(K)$ and $B \rightarrow D^* \rho(K^*)$ are not precise enough for reliably predicting the rates of B_s decays

decay mode	experimental BR	decay mode	predicted BR
$B^- \rightarrow D^{*0} \pi^-$	$(4.6 \pm 0.4) \times 10^{-3}$	$\bar{B}^0 \rightarrow D_s^* K^-$	$(1.7 \pm 3.8) \times 10^{-4}$
$\bar{B}^0 \rightarrow D^{*0} \pi^0$	$(2.7 \pm 0.5) \times 10^{-4}$	$\bar{B}^0 \rightarrow D^{*0} \bar{K}^0$	$(3.8 \pm 8.1) \times 10^{-5}$
$\bar{B}^0 \rightarrow D^{*+} \pi^-$	$(2.76 \pm 0.21) \times 10^{-3}$	$\bar{B}_s^0 \rightarrow D^{*0} \bar{K}^0$	$(7.7 \pm 16) \times 10^{-4}$
$\bar{B}^0 \rightarrow D^{*+} K^-$	$2.0 \pm 0.5 \times 10^{-4}$	$\bar{B}_s^0 \rightarrow D^{*0} \pi^0$	$(4.6 \pm 10.2) \times 10^{-6}$
$B^- \rightarrow D^{*0} K^-$	$(3.6 \pm 1.0) \times 10^{-4}$	$\bar{B}_s^0 \rightarrow D^{*+} \pi^-$	$(9.3 \pm 20.4) \times 10^{-6}$
		$\bar{B}_s^0 \rightarrow D_s^{*+} K^-$	$(2.8 \pm 1.3) \times 10^{-4}$

(for $B \rightarrow D^* \rho(K^*)$ the three helicity amplitudes need to be determined for each decay mode)

Conclusions and perspectives

✦ SU(3) decomposition is a powerful method to classify and evaluate non leptonic decay amplitudes

- independent of hadronic models
- all dynamical information encoded
- based on experimental data

the huge amount of measurements collected at the B factories can be fully exploited to make predictions for B_s

systematic numerical improvement following the improvements in the accuracy of B measurements

- all the amplitudes have to be considered on the same basis - no physical content is included in the decomposition (amplitude democracy)

Conclusions and perspectives

- ✱ However, as soon as the number of independent amplitudes increases, data can be not sufficient to determine them ($B_s \rightarrow PP$)

In that case, the $SU(3)$ approach could be complemented by arguments about the **amplitude hierarchy**, paying the price of degraded predictivity and numerical accuracy

- ✱ As for direct theoretical evaluation

- old fashioned methods not always enough accurate
- at present there is not a general approach valid for all the situations ($QCDF, PQCD, SCET, QCDSR$ applied in selected cases)
determinations based on $SU(3)$ complementary tool (-> Nir's talk)

- ✱ B_s is a natural sector for applications, important for the elaboration of the physics programmes at the new experiments

Addendum (not related to non leptonic B_s decays)

The way of using existing data to make predictions for the (bq) - (bs) sectors invoking QCD symmetries is not restricted to B_s non leptonic decay amplitudes

Example: masses and strong decay widths of orbitally excited beauty mesons
input: charm data and HQET&chiral symmetry + $1/m_Q$ corrections

masses:

	$B_{(s)0}^* (0^+)$	$B'_{(s)1} (1^+)$	$B_{(s)1} (1^+)$	$B_{(s)2}^* (2^+)$
$b\bar{q}$	$5.70 \pm 0.025 \text{ GeV}$	$5.75 \pm 0.03 \text{ GeV}$	$5.774 \pm 0.002 \text{ GeV}$	$5.790 \pm 0.002 \text{ GeV}$
$b\bar{s}$	$5.71 \pm 0.03 \text{ GeV}$	$5.77 \pm 0.03 \text{ GeV}$	$5.877 \pm 0.003 \text{ GeV}$	$5.893 \pm 0.003 \text{ GeV}$

corresponding to D_{sJ}^* (2317) and D_{sJ} (2460)

observable in $B_s \pi^0$, $B_s^* \pi^0$, $B_s \gamma$, $B_s^* \gamma$

strong decay widths

Mode	$\Gamma(\text{MeV})$	BR	Mode	$\Gamma(\text{MeV})$	BR
$B_2^{*0} \rightarrow B^+ \pi^-$	20 ± 5	0.34	$B_{s2}^{*0} \rightarrow B^+ K^-$	4 ± 1	0.37
$B_2^{*0} \rightarrow B^0 \pi^0$	10.0 ± 2.3	0.17	$B_{s2}^{*0} \rightarrow B^0 K^0$	4 ± 1	0.34
$B_2^{*0} \rightarrow B^{*+} \pi^-$	18 ± 4	0.32	$B_{s2}^{*0} \rightarrow B^{*+} K^-$	1.7 ± 0.4	0.15
$B_2^{*0} \rightarrow B^{*0} \pi^0$	9.3 ± 2.2	0.16	$B_{s2}^{*0} \rightarrow B^{*0} K^0$	1.5 ± 0.4	0.13
B_2^{*0}	57.3 ± 13.5		B_{s2}^{*0}	11.3 ± 2.6	
$B_1^0 \rightarrow B^{*+} \pi^-$	28 ± 6	0.66	$B_{s1}^0 \rightarrow B^{*+} K^-$	1.9 ± 0.5	0.54
$B_1^0 \rightarrow B^{*0} \pi^0$	14.5 ± 3.2	0.34	$B_{s1}^0 \rightarrow B^{*0} K^0$	1.6 ± 0.4	0.46
B_1^0	43 ± 10		B_{s1}^0	3.5 ± 1.0	

(De Fazio, Ferrandes et al., 05)

useful information for the physics programmes at LHC and Tevatron