

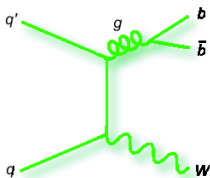
W/Z + Jets from Theory

Challenging Our Tools

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CTEQ W/Z Workshop 2005



Understanding W +Jets is Critically Important

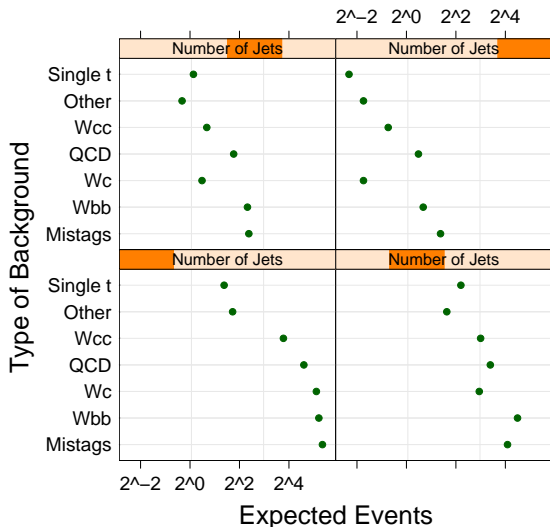
- Signature $Wb\bar{b} + X$ is common to unconfirmed Standard Model processes and many new physics processes
 - $X \Rightarrow$ many boxes to study
 - Many correlations to check
- we “know” that Standard Model top is there
 - $\text{Top} \equiv \text{Data} - \text{Not-Top}$
- As JES uncertainty is reduced (see CDF m_t), understanding of Not-Top sets δm_t
- Not-Top challenges our tools
 - Better tools = more challenging questions



Not-Top Cocktail

CDF PRD, 162 ipb

Top Background Summary



Complicated Structure

$t\bar{t}$ contamination in
 $N_{\text{jets}}=3,4$ (1.0,1,3)

work on
Mistags, Wbb, QCD

QCD, Mistags reducible

trust basic properties
of B, D hadron decays,
e.g. K mesons



95% Confidence Level Expected/Measured Upper Limits
(after final selections, with systematics, using Bayesian statistics)

		s-channel	t-channel
Cut-Based	Electron	11.4/10.8	15.1/17.5
	Muon	13.0/15.2	18.1/13.0
	Combined	9.8/10.6	12.4/11.3
Decision Trees	Electron	6.9/7.9	9.3/13.8
	Muon	7.3/14.8	10.9/7.9
	Combined	4.5/8.3	6.4/8.1
Neural Networks	Electron	7.0/7.3	8.8/7.5
	Muon	7.0/8.7	9.5/7.4
	Combined	4.5/6.4	5.8/5.0



New Physics Warm-Up

- current state of single-Top is where we will be at the LHC with a few quality fb^{-1}
- the size of other NP signals
- it is a playground for new analysis techniques
- it challenges our tools

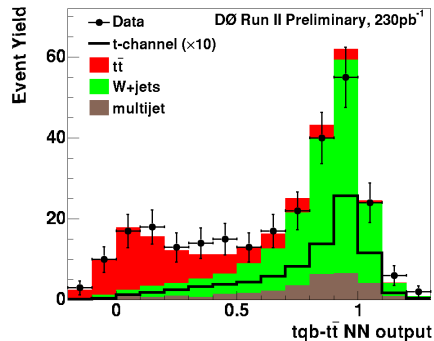
Not specific to NN analyses: may be more sensitive

Many (11) Kinematic Variables

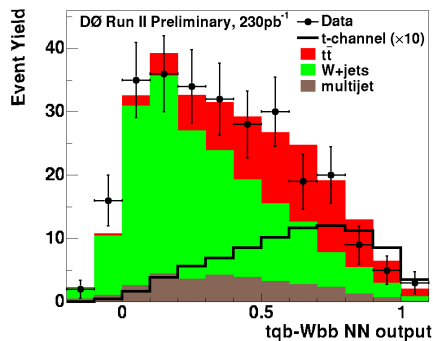
	Signal-Background Pairs			
	$t\bar{b}$		$tq\bar{b}$	
	Wbb	$t\bar{t}$	Wbb	$t\bar{t}$
Individual object kinematics				
$p_T(\text{jet1}_{\text{tagged}})$	✓	✓	✓	—
$p_T(\text{jet1}_{\text{untagged}})$	—	—	✓	✓
$p_T(\text{jet2}_{\text{untagged}})$	—	—	—	✓
$p_T(\text{jet1}_{\text{nonbest}})$	✓	✓	—	—
$p_T(\text{jet2}_{\text{nonbest}})$	✓	✓	—	—
Global event kinematics				
$M_T(\text{jet1}, \text{jet2})$	✓	—	—	—
$p_T(\text{jet1}, \text{jet2})$	✓	—	✓	—
$M(\text{alljets})$	✓	✓	✓	✓
$H_T(\text{alljets})$	—	—	✓	—
$M(\text{alljets} - \text{jet1}_{\text{tagged}})$	—	—	—	✓
$H(\text{alljets} - \text{jet1}_{\text{tagged}})$	—	✓	—	✓
$H_T(\text{alljets} - \text{jet1}_{\text{tagged}})$	—	—	—	✓
$p_T(\text{alljets} - \text{jet1}_{\text{tagged}})$	—	✓	—	✓
$M(\text{alljets} - \text{jet}_{\text{best}})$	—	✓	—	—
$H(\text{alljets} - \text{jet}_{\text{best}})$	—	✓	—	—
$H_T(\text{alljets} - \text{jet}_{\text{best}})$	—	✓	—	—
$M(\text{top}_{\text{tagged}}) = M(W, \text{jet1}_{\text{tagged}})$	✓	✓	✓	✓
$M(\text{top}_{\text{best}}) = M(W, \text{jet}_{\text{best}})$	✓	—	—	—
\sqrt{s}	✓	—	✓	✓
Angular variables				
$\Delta R(\text{jet1}, \text{jet2})$	✓	—	✓	—
$Q(\text{lepton}) \times \eta(\text{jet1}_{\text{untagged}})$	—	—	✓	✓
$\cos(\text{lepton}, Q(\text{lepton}) \times z)_{\text{top}_{\text{best}}}$	✓	—	—	—
$\cos(\text{lepton}, \text{jet1}_{\text{untagged}})_{\text{top}_{\text{tagged}}}$	—	—	✓	—
$\cos(\text{alljets}, \text{jet1}_{\text{tagged}})_{\text{alljets}}$	—	—	✓	✓
$\cos(\text{alljets}, \text{jet}_{\text{nonbest}})_{\text{alljets}}$	—	✓	—	—



$t\bar{t}$ Training



Wb \bar{b} Training



- How do we convince ourselves of a signal?
- How can we improve upon the search?



Mixing the Cocktail

Method 2

Monte Carlo ratio

$$R = (W + b - jets)/(W + jets)$$

- Common factors cancel

Measure $W + jets$ (no b-tag)

$$\text{data}(W + b - jets) = R \times \text{data}(W + jets)$$

W_{cj}/W_{bb} from Monte Carlo

- Several R's

Tools

- Tree-Level (MadGraph, Alpgen, etc.)
- Parton-shower (Pythia, Herwig, etc.)
- NLO-Level (MCFM, etc.)
- Combinations of these



MLM Method

Parton shower and hadronization are essential for studying b-jets

- Parton shower $W+N$ partons but reject emissions that are too hard (i.e. each post-shower jet should have a pre-shower parton associated with it)
- Build up *inclusive* or *exclusive* samples (i.e. allow or disallow pure PS jets)
- $\delta R/R \sim 25\text{-}30\%$

Heavy Flavor (HF)

LEP, Run1 \Rightarrow PS underestimates HF
PS inefficient in generating HF

- $P_{qq}(z) = \frac{1}{2}(z^2 + (1-z)^2)$
no soft ($z \rightarrow 0$) enhancement
subleading log in PS
- Use ME with $b\bar{b}$ explicit
Remove additional HF from PS
- R supplemented by phenomenological factor 1.5



Method 2 at Tree Level

Madevent (Stelzer and Maltoni)

X-Check

Graph	Cross Sect(fb)
Sum (Wbb)	8.934
Sum (Wjj)	1061.627
<hr/>	
$ug \rightarrow e^+ \nu_e dg$	327.810
$ud \rightarrow e^+ \nu_e gg$	257.060
$gd \rightarrow e^+ \nu_e \bar{u}g$	137.300
$dg \rightarrow e^+ \nu_e \bar{u}g$	48.591
<hr/>	
$u\bar{u} \rightarrow e^+ \nu_e \bar{u}d$	47.425
$u\bar{d} \rightarrow e^+ \nu_e d\bar{d}$	36.644
$gu \rightarrow e^+ \nu_e dg$	34.445
$u\bar{d} \rightarrow e^+ \nu_e u\bar{u}$	29.816
...	...

$90 < M_{jj} < 110$ GeV, standard jets

$R \times 1.5 = 1.3\%$ (MLM = 1.4%)

- $\langle R \rangle$ roughly the same

Many different topologies

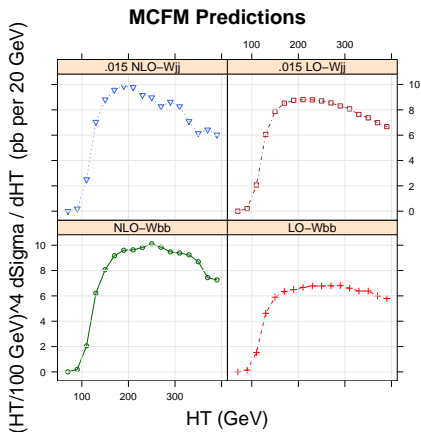
Dominant ones not $q\bar{q}$

- again, no $z \rightarrow 0$ enhancement

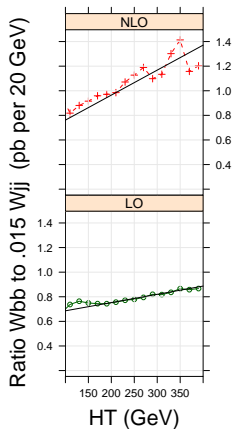
Different topologies parton shower and hadronize differently

Many effects have to be modelled well to have a reliable prediction





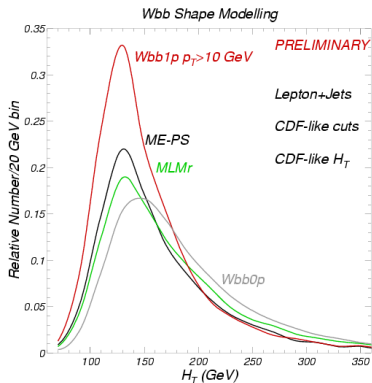
MCFM Predictions



Significant change in normalization and shapes LO \Rightarrow NLO

Matrix Element-Parton Shower Matching

SM, PR *JHEP* 0405:040,2004, SM, JH, JC *in progress*



Testing Different Predictions

- Matching scheme needed to make inclusive predictions with hard emissions
- Pseudoshower Method (ME-PS) reweights matrix elements to look like parton showers where they should. Motivated by Catani et al., but more flexible and tuned to Pythia, Herwig, etc.

Pseudo-Shower Method

- 1 Generate $W + N$ parton events, applying a cut $p_{T\text{cut}}^2$ on shower p_T^2 (p_T^2 for ISR, $z(1-z)m^2$ for FSR)
- 2 Form a p_T^2 -ordered parton shower history
- 3 Reweight with $\alpha_s(p_T^2)$ for each emission
- 4 Add parton shower and keep if no emission harder than $p_{T\text{cut}}^2$:
(save this event)
- 5 Remove softest of N partons, fix up kinematics, add parton shower and keep if no emission harder than $p_{T\text{softest}}^2$
- 6 Continue until no partons remain, or an emission is too hard
- 7 If not rejected, use the saved event



Why it works

- For each N , PS does not add any jet harder than $p_{T\text{cut}}^2$
- Can safely add different N samples with no double-counting
 - Apply looser rejection on highest N
- Pseudo-showers assure correct PS limit, while retaining hard emissions
 - Interpolates between limits

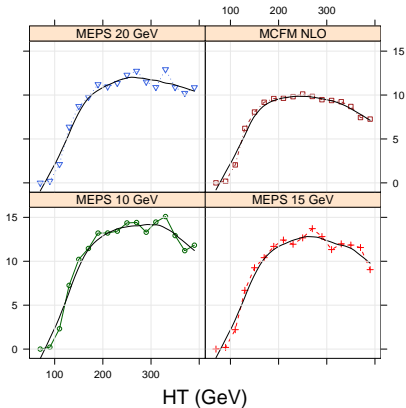
$b\bar{b}$ Modifications

- Apply no cuts on $b\bar{b}$ pair in ME
 - Efficient generation of HF
 - “exact” kinematics
- When $b\bar{b}$ pair is removed from PS history, skip the pseudoshower
 - ME entirely (no Sudakov)
- Use $\alpha_s(\frac{1}{4}m^2)$ for weight



$(HT/100 \text{ GeV})^4 d\text{Sigma} / dHT$ (pb per 20 GeV)

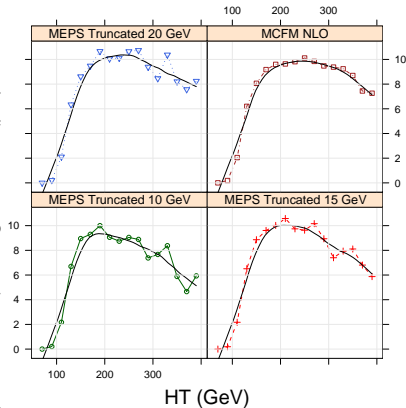
Wbb: MCFM vs MEPS



Matched Datasets have a systematically larger rate and different shape

$(HT/100 \text{ GeV})^4 d\text{Sigma} / dHT$ (pb per 20 GeV)

Wbb: MCFM vs MEPS

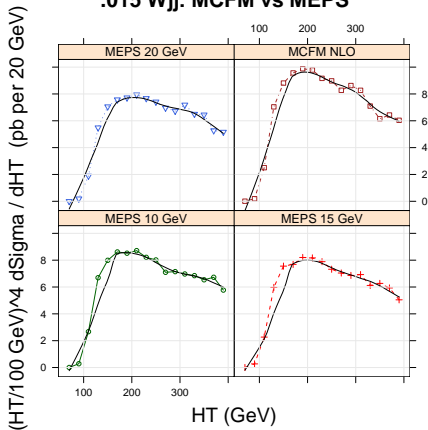


Truncated Datasets contain only $Wb\bar{b} + Wb\bar{b}j$

HO topologies modify shape



.015 Wjj: MCFM vs MEPS



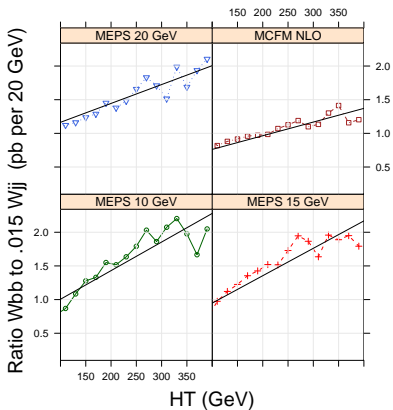
Wjj Matched Datasets have less variation with cutoff

Matched normalization here is smaller (no skipped Sudakov)

Stiffer shape (HO topologies)

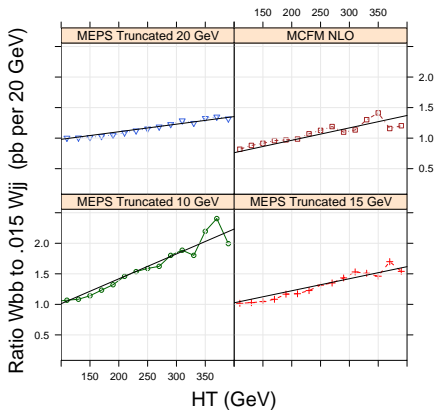


MCFM vs MEPS



Matched Datasets have consistently steeper slopes (note: MCFM steeper than LO)

MCFM vs MEPS



Truncated Datasets contain only $Wb\bar{b} + Wb\bar{b}j$

Slopes more consistent with MCFM

We need to understand Not-Top

- MCFM and Matched ME-PS predictions allow us to study methods for determining the ratio $R = W_{bb}/W_{jj}$
- MCFM already indicated a stiffer dR/dH_T spectrum than “standard” matching methods

Campbell and Huston, confirmed here

- Pseudo-shower predictions are significantly stiffer than MCFM
Topologies up to $Wb\bar{b}jjj$ are included and affect the dR/dH_T tail
- Many questions remain
 - Which distributions are the most important for testing different predictions?
 - Is there a kinematic difference between the different components of Not-Top? Can we discriminate W_{bb} , W_{jj} and W_{cj} ?