

Semiconductor Detectors basic structures

OUTLINE Part I:

1. Semiconductors
2. Basic semiconductor structures
 - (a) the pn diode
 - (b) the MOS structure
3. Semiconductor fabrication: detectors and electronics
4. Simple pn-diode type detectors
5. Applications in high energy physics

Semiconductors as detector and electronics material



1. Semiconductors: $E_{\text{Gap}} \approx 1 - 3 \text{ eV}$
 - small leakage currents
 - low noise, operation @ r.t.

2. Pair creation energy: $w = 2 - 5 \text{ eV}$
 - large number of signal charges per energy deposit in detector

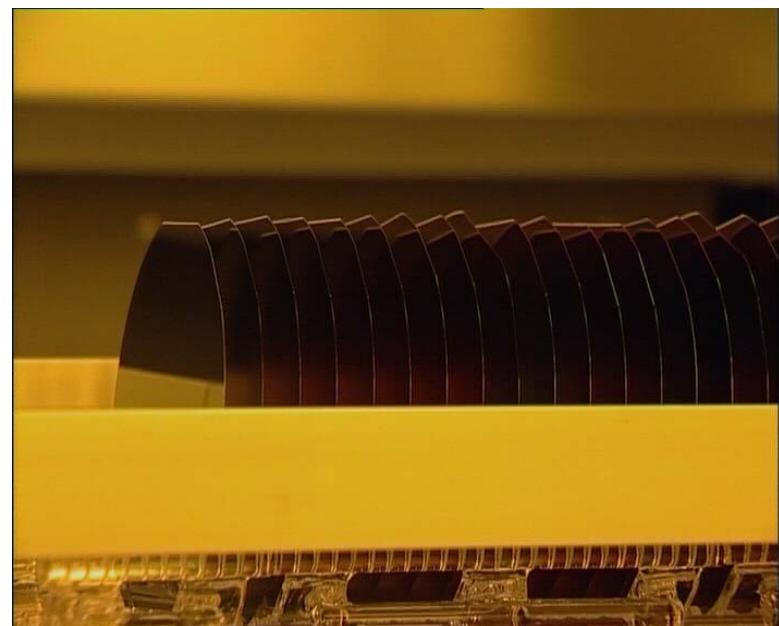
3. Density: $\rho = 2 - 10 \text{ g cm}^{-3}$
 - high energy loss per unit length
 - low range of δ - electrons

This leads to:

good energy resolution
 high spatial resolution
 high quantum and detection efficiency
 good mechanical rigidity and thermal conductivity

Semiconductors equally offer:

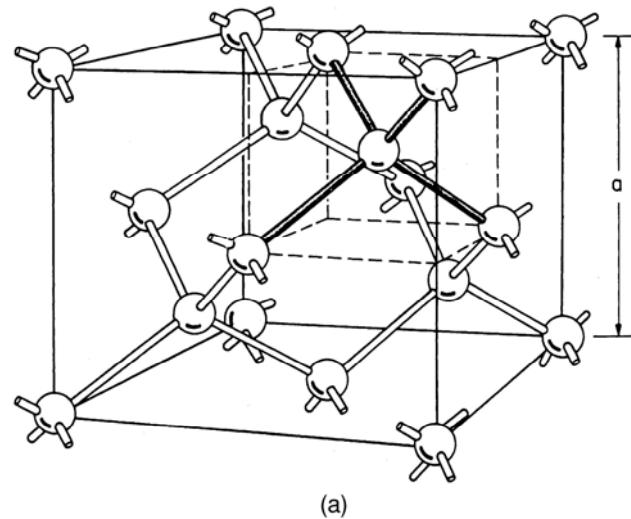
fixed space charges
 high mobility of charge carriers



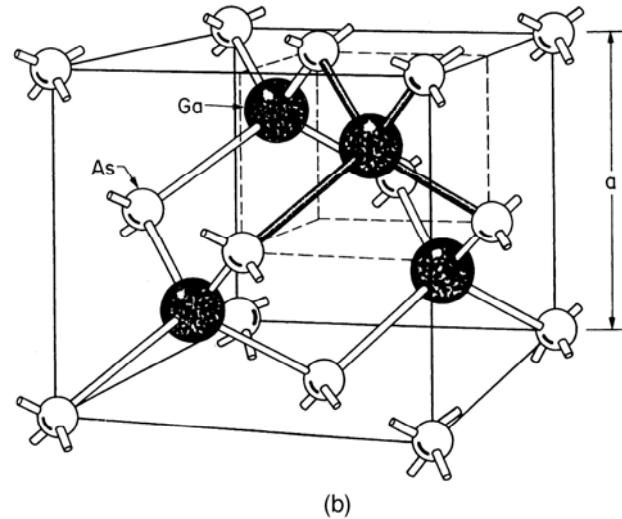


Crystal structure of most commonly used semiconductors:

Si ; Ge



GaAs



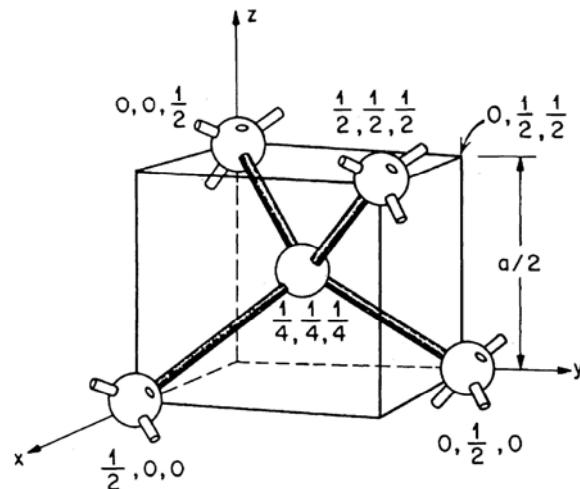
Diamond lattice

Zinc blende lattice

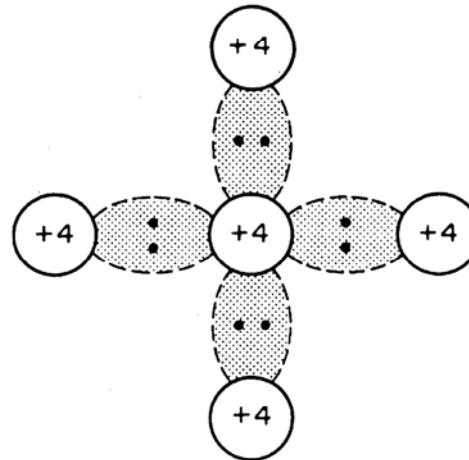
Can be considered as two interpenetrating face centered cubic sublattices displaced by one quarter of the diagonal of the cube

Lattice structure

Tetrahedron bond to closest neighbors



(a)



(b)

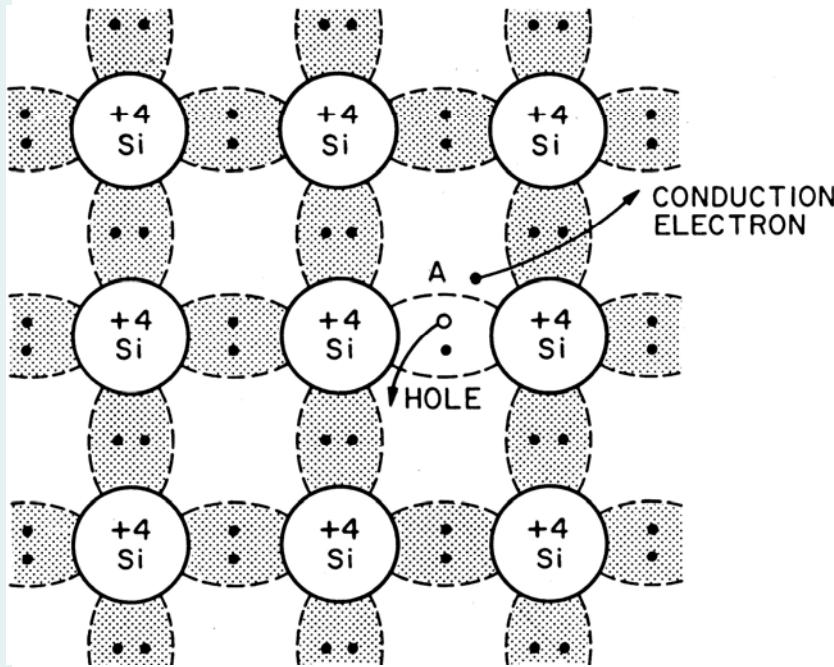
Three dimensional arrangement and symbolic two dimensional representation

The silicon lattice

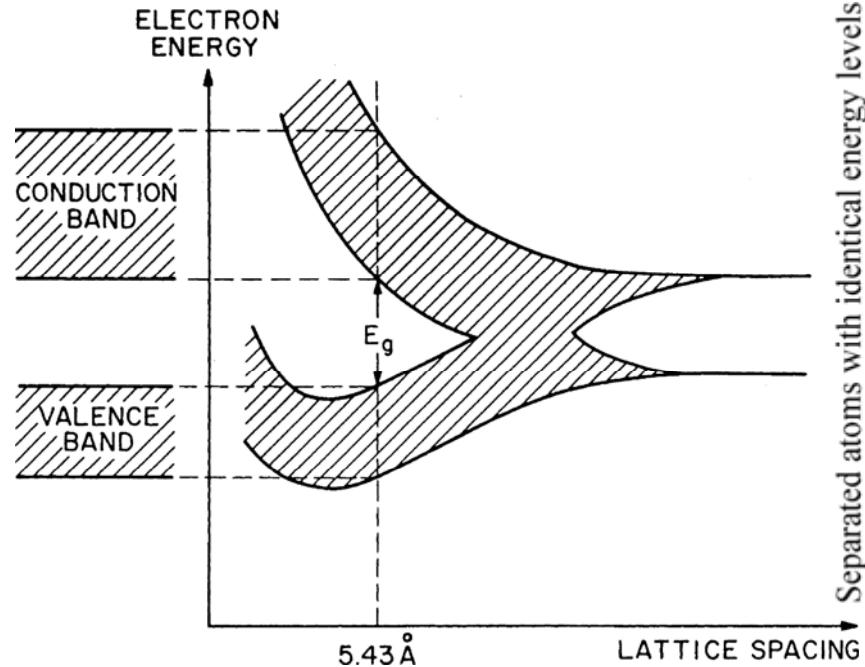


Reduce lattice spacing from infinity to lowest potential energy value

Bond representation



Band representation

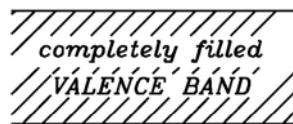


Separated atoms with identical energy levels

Isolators, conductors and in between

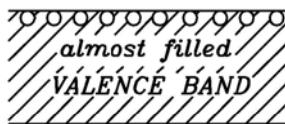


completely empty
CONDUCTION BAND



a)

almost empty
CONDUCTION BAND



b)

CONDUCTION BAND



c)

partially filled
CONDUCTION BAND



d)

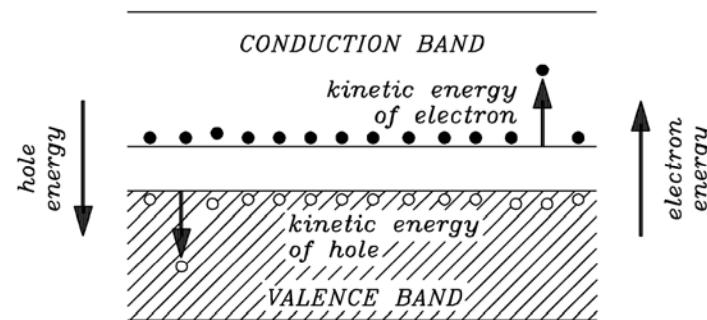
isolator

$E_{\text{gap}} \approx 5 \text{ eV}$

semiconductor

$E_{\text{gap}} \approx 1 \text{ eV}$

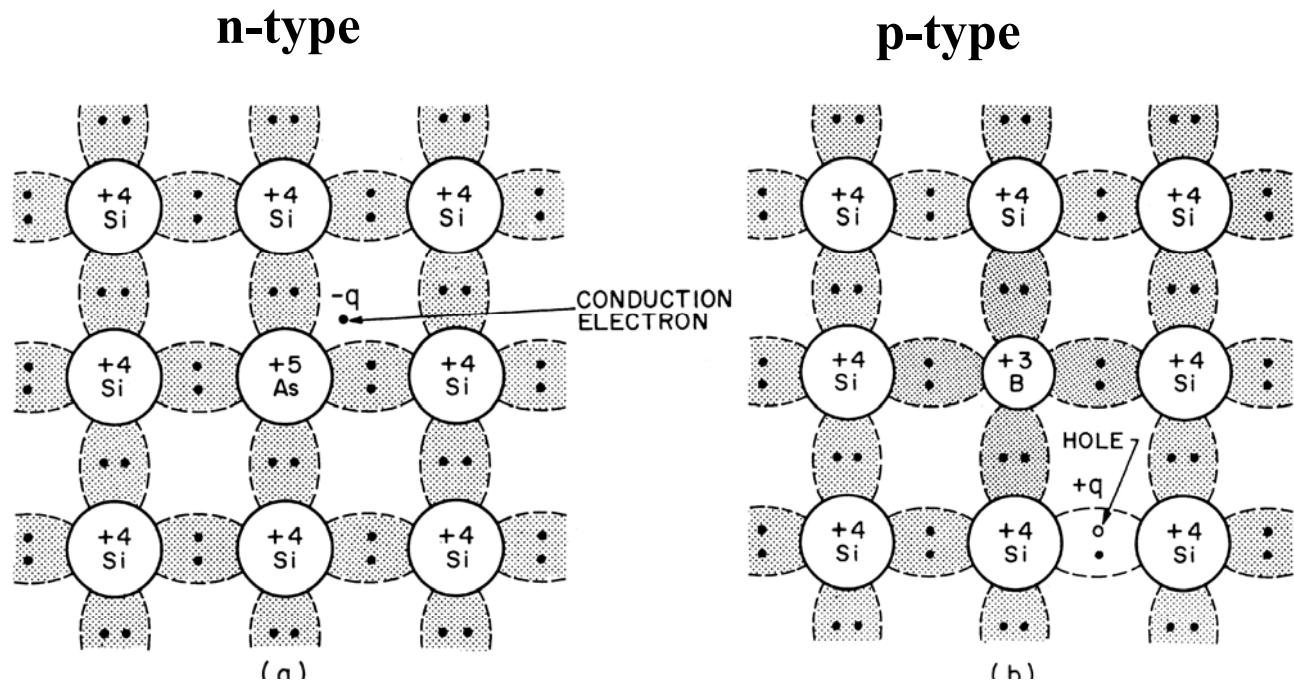
metal



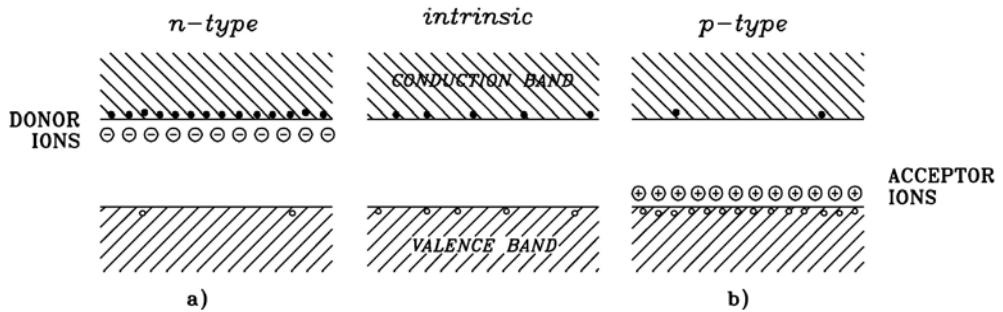


The silicon lattice

Bond picture

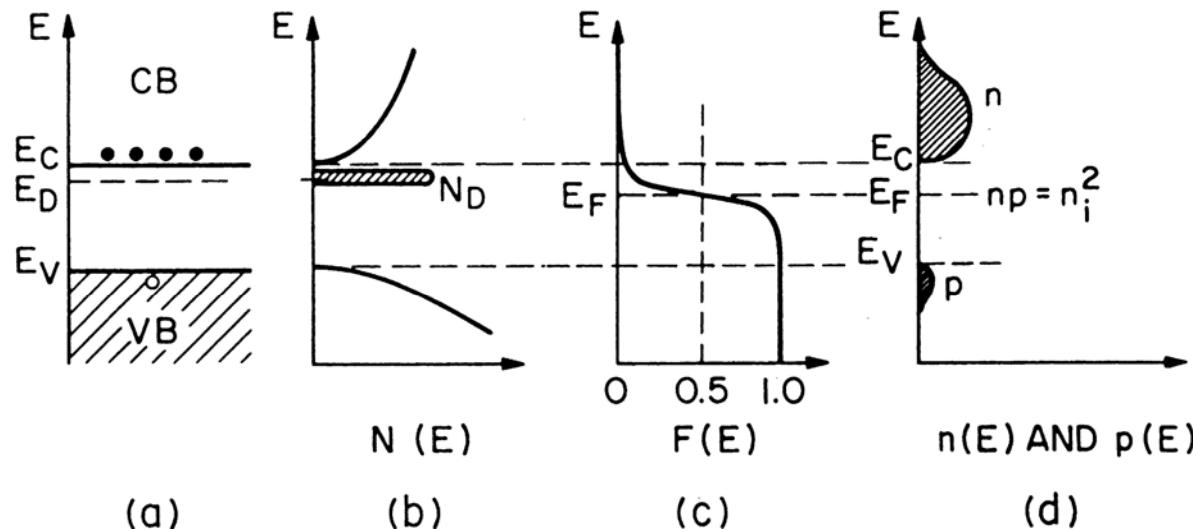


Band representation



Intrinsic and extrinsic semiconductors

Band structure



Localized energy levels
shown in this figure
not present in intrinsic
semiconductors

Energy Band	Density of States	Occupation probability	Carrier concentration
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$$F(E) = \frac{1}{1 + \exp\left(\frac{E-E_F}{kT}\right)}$$

$$n = 2 \left(\frac{2\pi m_n k T}{h^2} \right)^{\frac{3}{2}} e^{-\frac{E_C - E_F}{kT}} = N_C e^{-\frac{E_C - E_F}{kT}}$$

$$N(E_{\text{kin}}) dE_{\text{kin}} = 4\pi \cdot \left(\frac{2m}{h^2} \right)^{\frac{3}{2}} E_{\text{kin}}^{\frac{1}{2}} dE_{\text{kin}}$$

$$p = 2 \left(\frac{2\pi m_p k T}{h^2} \right)^{\frac{3}{2}} e^{-\frac{E_F - E_V}{kT}} = N_V e^{-\frac{E_F - E_V}{kT}}$$

Carrier transport



Drift (acceleration between random collisions)

$$\vec{v}_n = -\frac{q \cdot \tau_c}{m_n} \mathcal{E} = -\mu_n \mathcal{E}$$

$$\vec{v}_p = \frac{q \cdot \tau_c}{m_n} \mathcal{E} = \mu_p \mathcal{E}$$

Diffusion

$$\vec{F}_n = -D_n \nabla n$$

$$\vec{F}_p = -D_p \nabla p$$

Current density (drift and diffusion)

$$\vec{J}_n = q\mu_n n \mathcal{E} + qD_n \nabla n$$

$$\vec{J}_p = q\mu_p p \mathcal{E} - qD_p \nabla p$$

Einstein equation

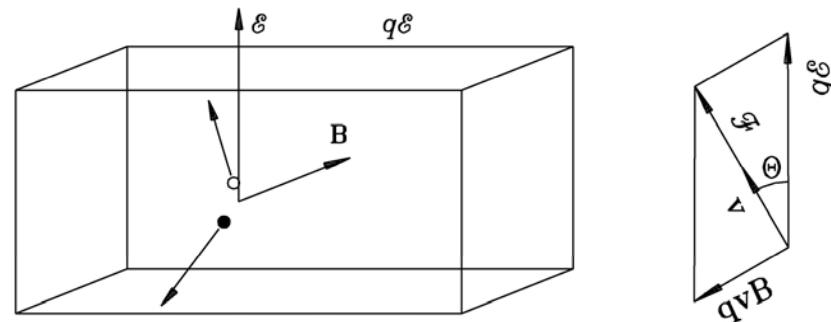
$$D_n = \frac{kT}{q} \mu_n$$

$$D_p = \frac{kT}{q} \mu_p$$

Inside magnetic field

$$\tan \theta_p = \mu_p^H \mathcal{B}$$

$$\tan \theta_n = \mu_n^H \mathcal{B}$$



Continuity equations



Simultaneous consideration of

Generation

Recombination

Drift

Diffusion

$$\frac{\partial n}{\partial t} = \mu_n n \nabla \mathcal{E} + D_n \nabla^2 n + G_n - R_n$$

$$\frac{\partial p}{\partial t} = -\mu_p p \nabla \mathcal{E} + D_p \nabla^2 p + G_p - R_p$$

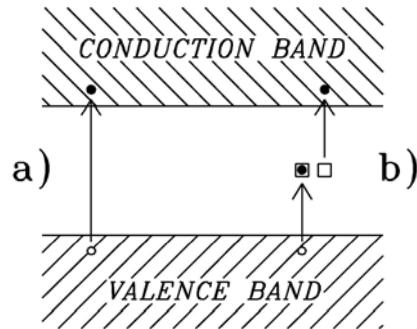
Drift due to electric field derived from Poisson Equation

$$\nabla \mathcal{E} = \frac{\rho}{\epsilon \epsilon_0} , \quad \text{with } \rho = q(p - n + N_D - N_A)$$

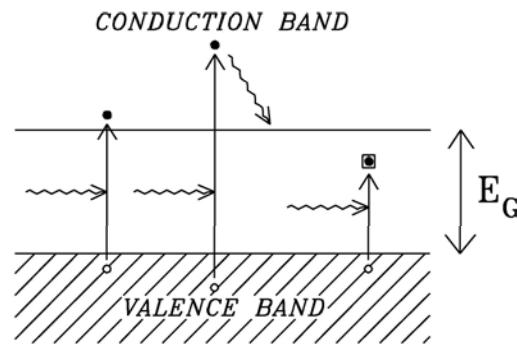
Numerical simulation: simultaneous solution of diffusion and Poisson equation with boundary conditions

Charge carrier generation

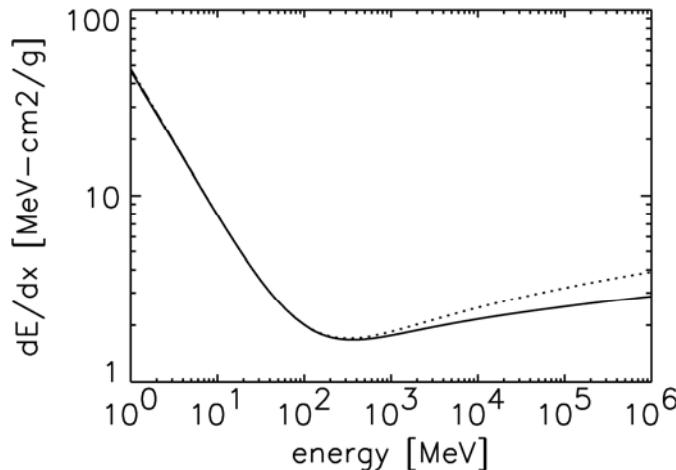
Thermal generation



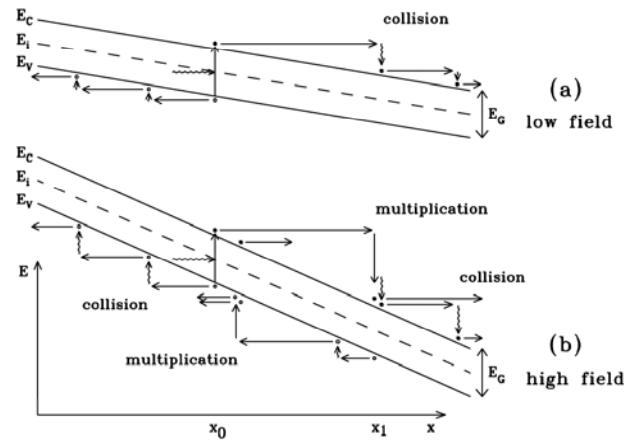
By photons



By charged particles (Bethe-Bloch)



Charge multiplication

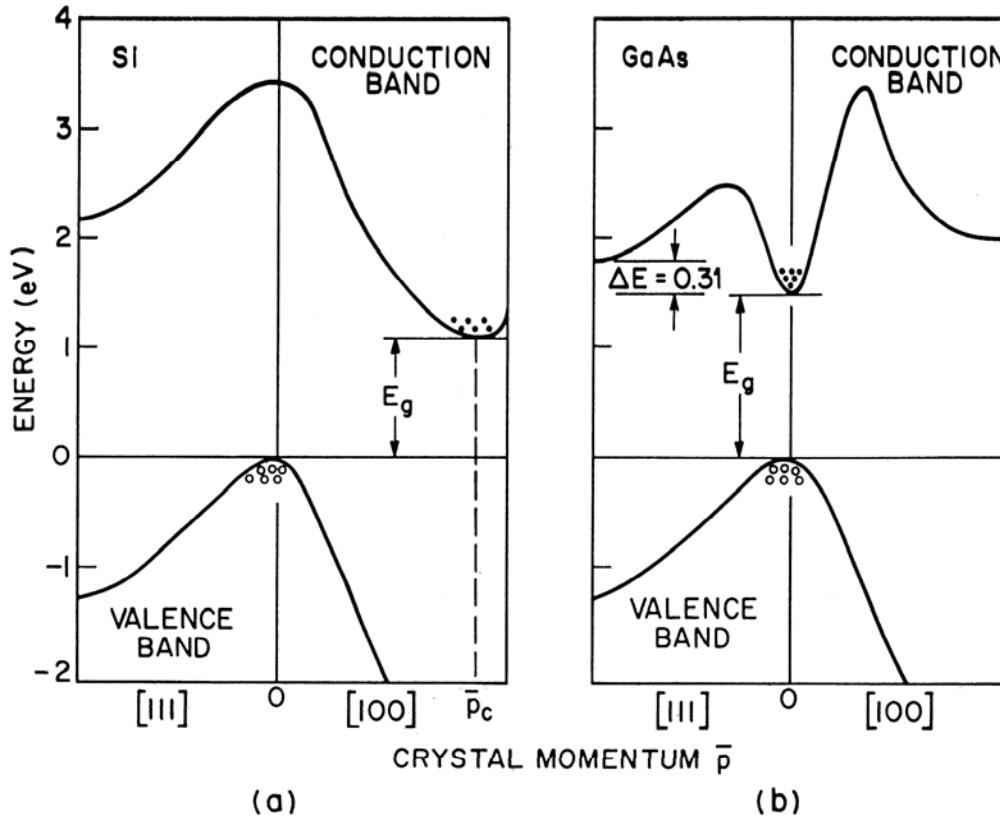


Recombination



◆ Direct and indirect semiconductors

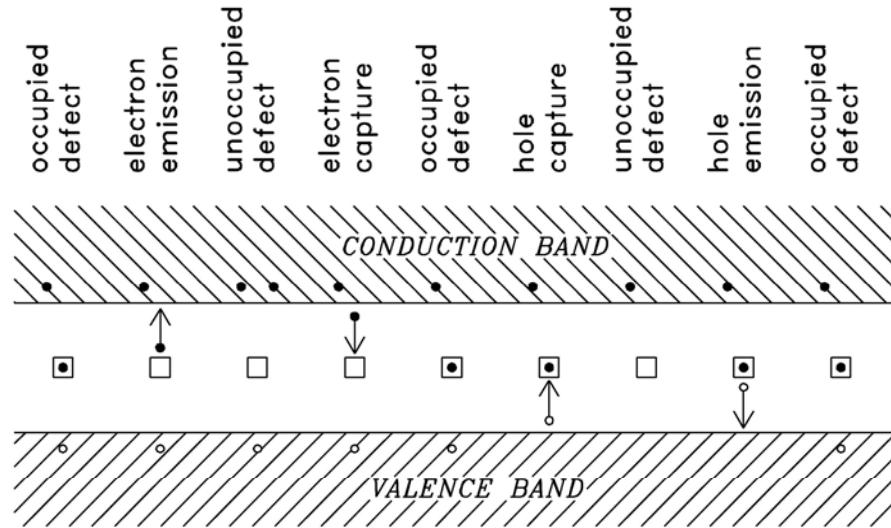
Si
indirect



GaAs
direct

Charge carrier lifetimes

- ◆ Generation and recombination through two step processes



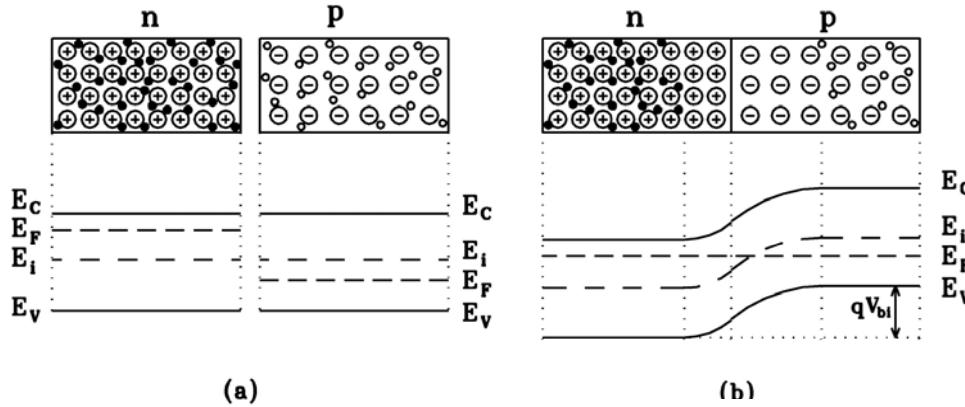
- ◆ Characterized by lifetimes
- ◆ Generation and recombination lifetimes are differently defined:
 - Recombination: return to equilibrium in neutral semiconductor (emission and capture processes)
 - Generation: approach to intrinsic carrier density in fully depleted semiconductor (emission processes only)

BASIC STRUCTURES

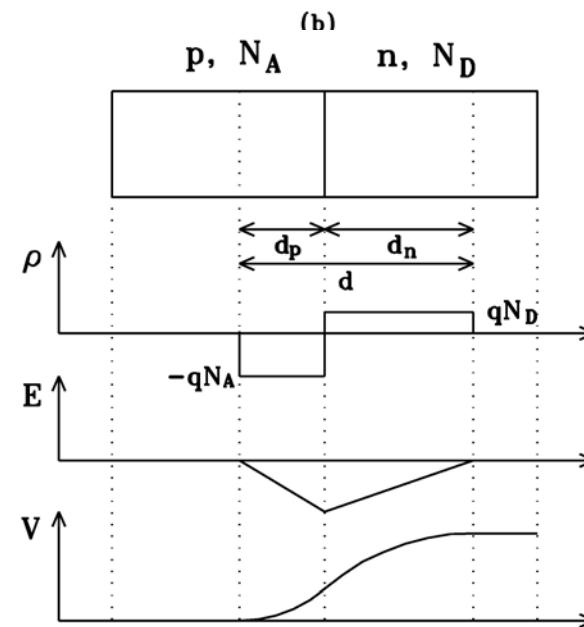
p-n junction



◆ Connection between n-type and p-type semiconductor:



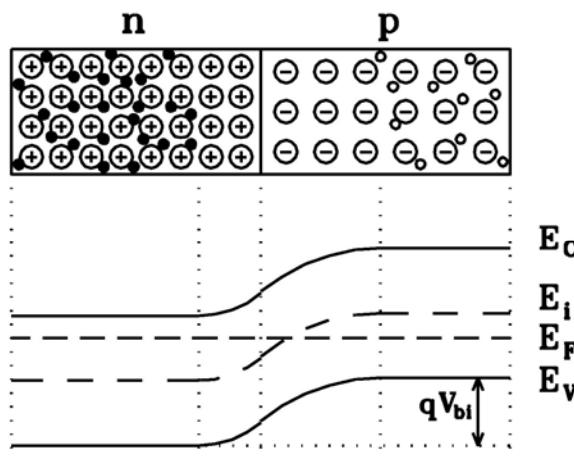
Approximation:
abrupt change from
neutral semiconductor
to space charge region



p-n junction



- ◆ Thermal equilibrium
 - Constant Fermi level
 - Drift current equal diffusion current
 - Built in voltage



**Shallow dopants
majority carriers**

$$n_n = N_D = n_i e^{\frac{E_F - E_i^n}{kT}}$$

$$p_p = N_A = n_i e^{\frac{E_i^p - E_F}{kT}}$$

$$N_A \cdot N_D = n_i^2 e^{\frac{E_i^p - E_i^n}{kT}}$$

Built in voltage

$$\begin{aligned} V_{bi} &= \frac{1}{q}(E_i^p - E_i^n) = \frac{kT}{q} \ln \frac{N_A N_D}{n_i^2} \\ &= 0.0259 \ln \frac{10^{16} \cdot 10^{12}}{(1.45 \times 10^{10})^2} = 0.458 \text{ V} \end{aligned}$$

Example: high doped n (1e16) on low doped p(1e12)

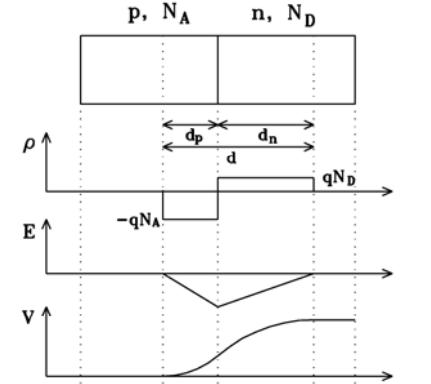
p-n junction



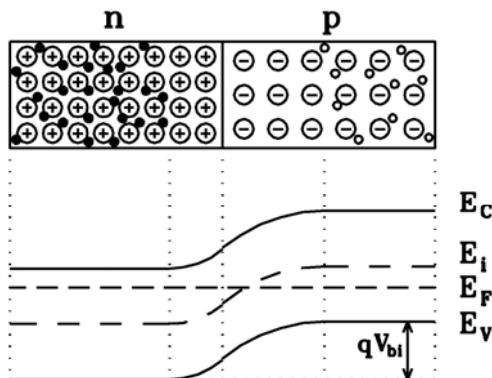
Application of an external voltage

- Change extent of space charge region

$$d = \sqrt{\frac{2\epsilon\epsilon_0(N_A + N_D)}{qN_A N_D}(V_{bi} - V)}$$



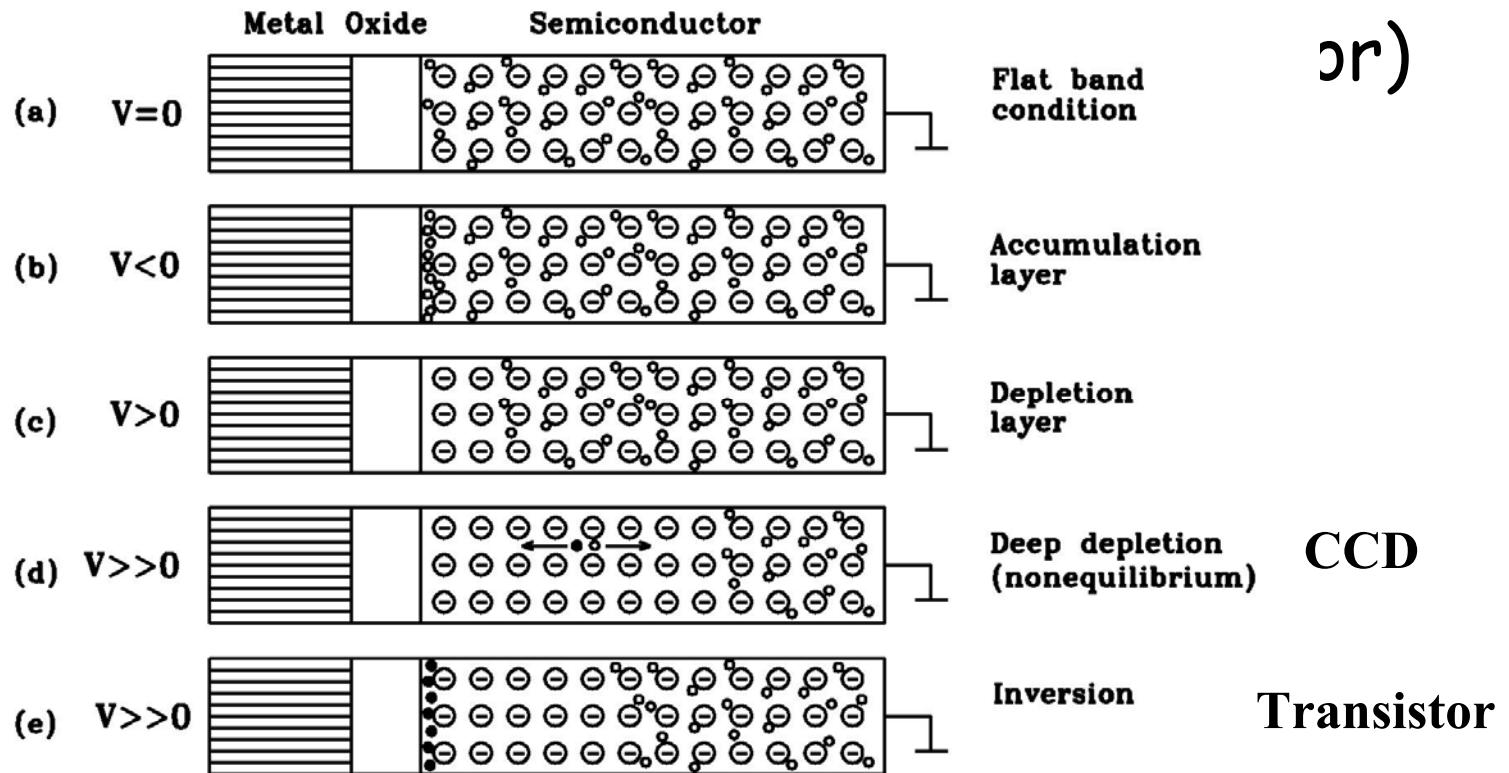
- Non-equilibrium: Fermi level not defined
- Drift current not equal diffusion current
- Diffusion of minority carriers into (out of) space charge region



$$J = (J_{s_n} + J_{s_p}) \left(e^{\frac{qV}{kT}} - 1 \right) = J_s \left(e^{\frac{qV}{kT}} - 1 \right)$$

$$J_s = q \left(\frac{n_{p0} D_n}{\sqrt{D_n \tau_{r_n}}} + \frac{p_{n0} D_p}{\sqrt{D_p \tau_{r_p}}} \right)$$

MOS (Metal-Insulator-Semiconductor) Structure



Basic structure in MOS transistor and in MOS CCDs

Semiconductors as Nuclear Radiation Detectors



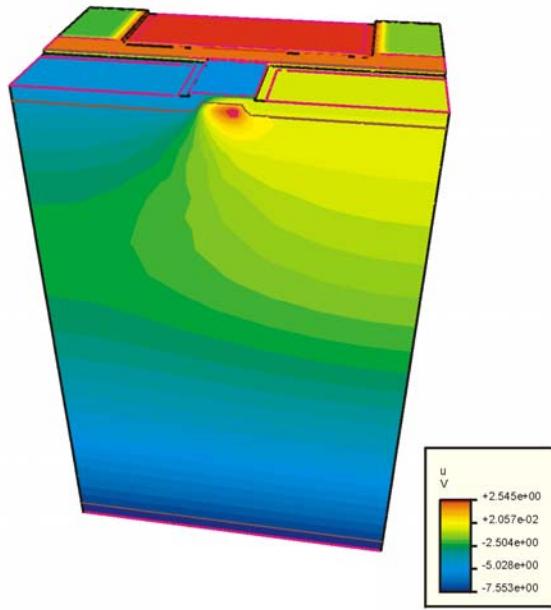
Outstanding Material Properties

- small band gap (Si 1.12eV) \Rightarrow low e-h pair generation energy (Si 3.6 eV) (ionisation energy for gases \approx 30 eV)
- High density (Si 2.33 g/cm²) \Rightarrow large energy loss/length for ionising particles \Rightarrow thin detectors; small range δ -electrons; precise position measurement
- Almost free movement of electrons and holes
- Mechanical rigidity; self supporting structure
- Doping creates fixed space charges; building of sophisticated field structures
- integration of detector and electronics in single device

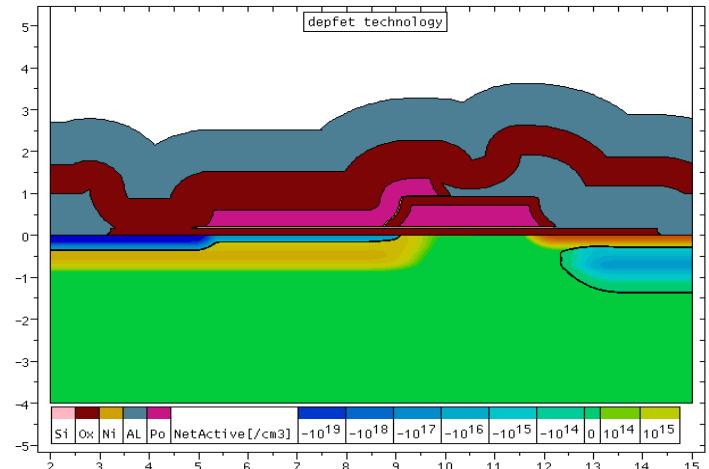
Detector and electronics simulation and layout



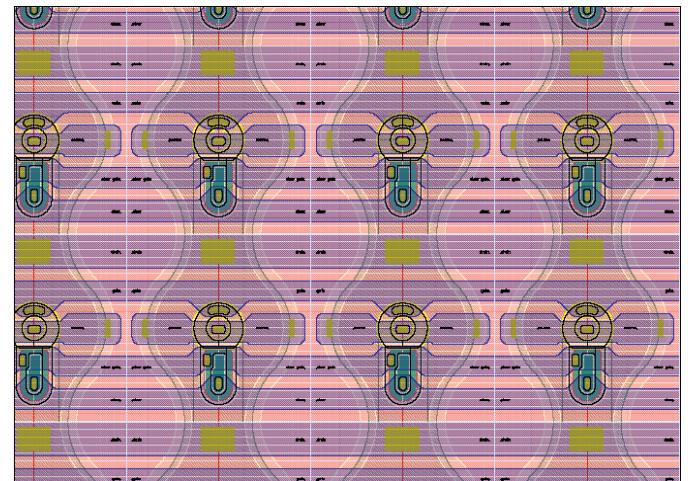
1. The detector idea: simulation of electrical properties



2. Simulation of the production process



3. Design and layout of the entire detector system, including signal processing and DAQ



Detector and electronics fabrication

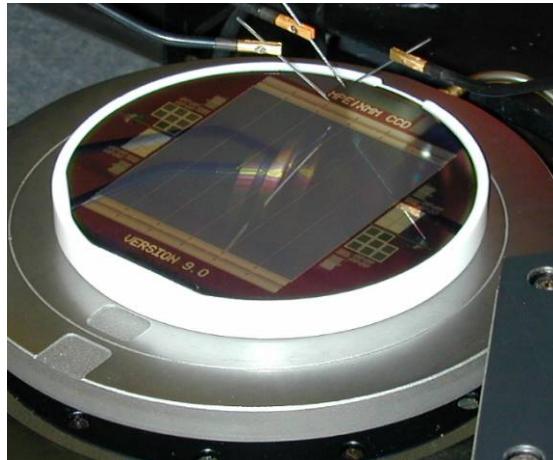


**4. Fabrication facility
at the MPI - HLL**

from outside



5. Quality assurance and control



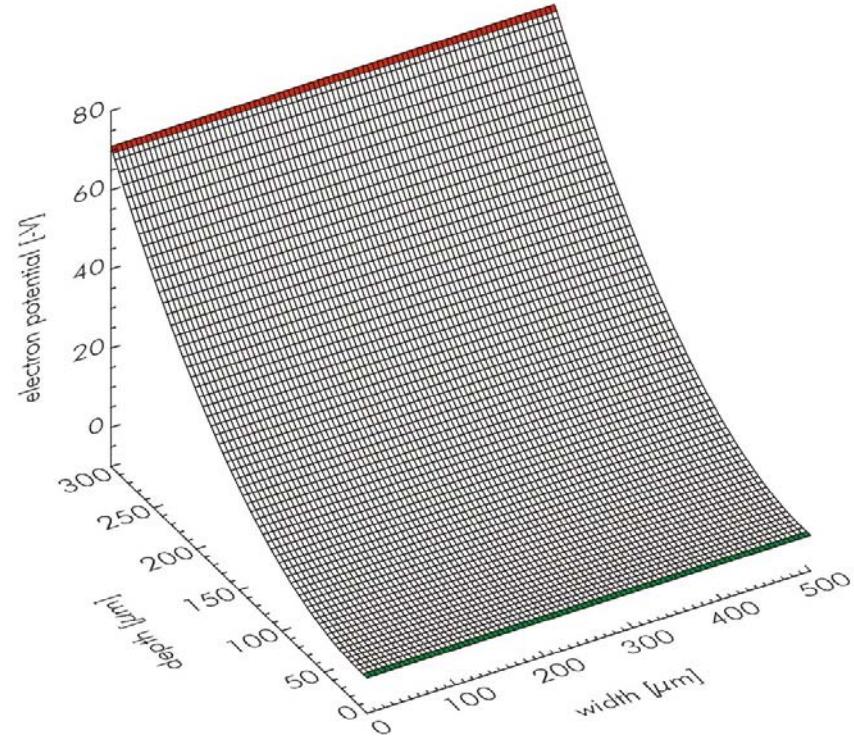
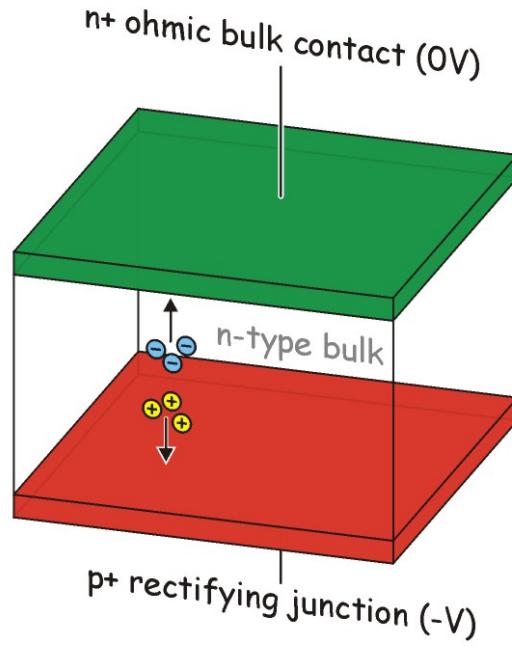
**6. Separation, mounting,
bonding**



**7. System test, field test,
data analysis and modelling**



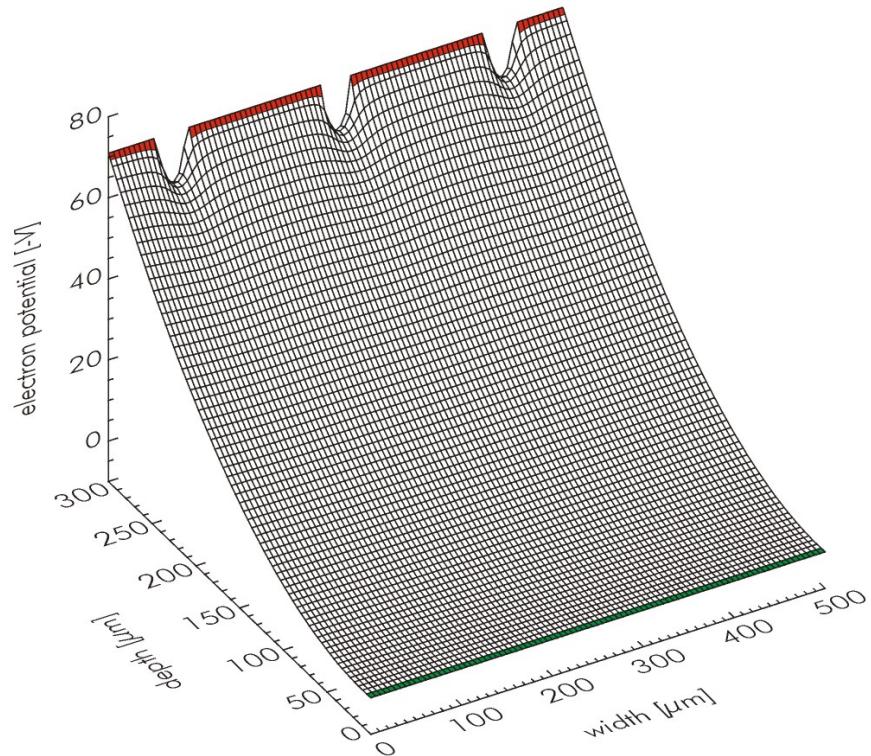
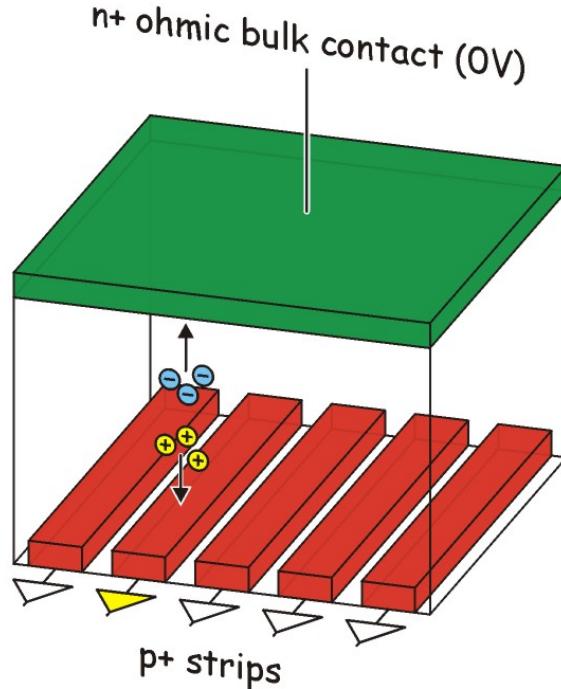
Diode type detectors



$$C = \frac{A \epsilon_r \epsilon_0}{d}$$

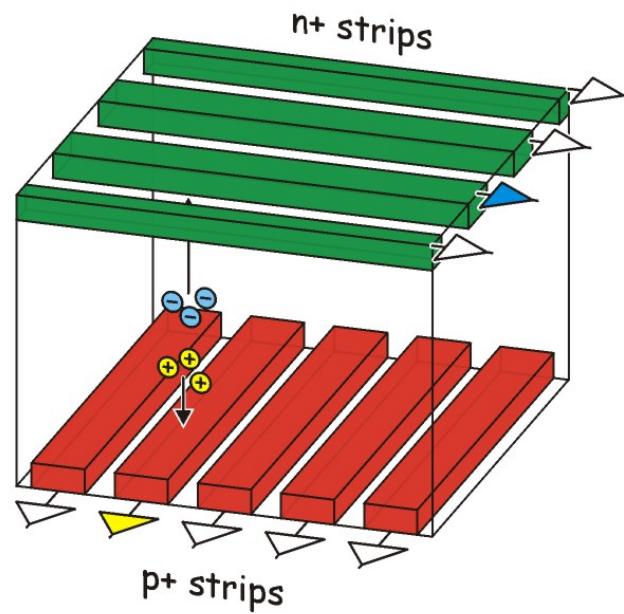
$$d = \sqrt{\frac{2\epsilon\epsilon_0(N_A + N_D)}{qN_A N_D}(V_{bi} - V)}$$

Structured Diode - Strip Detector

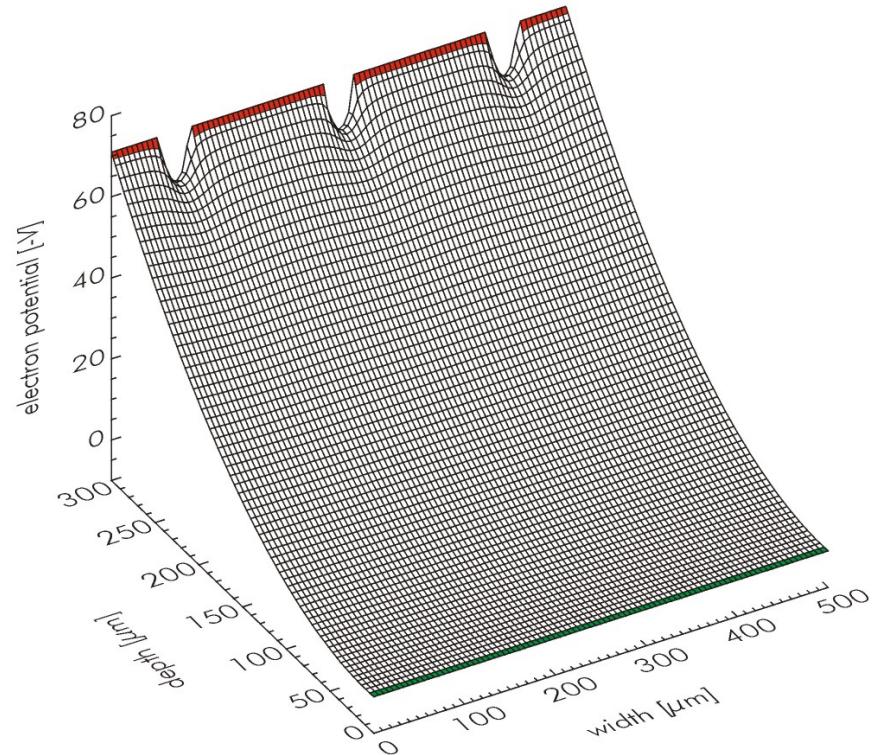


particle tracking = detection of individual charged particles
1D resolution

Structured Diode - Strip Detector



particle tracking
2D resolution



Strip Detector example



ATLAS Silicon Tracker @ CERN LHC

application

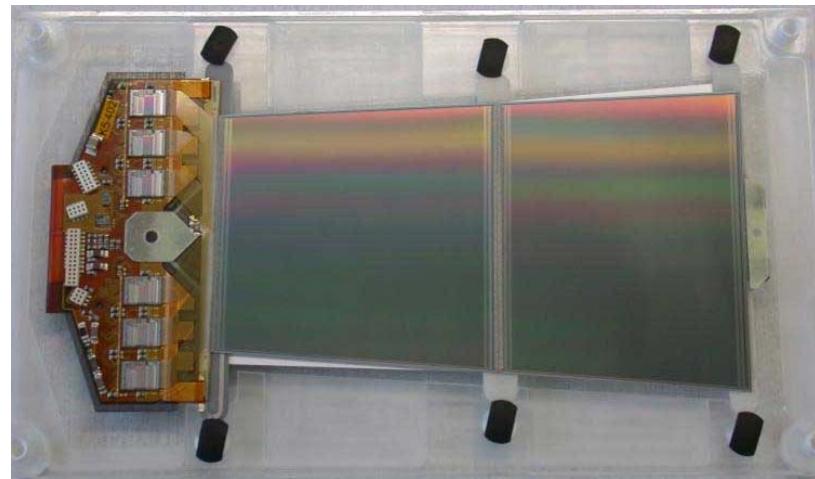
particle tracking

strip detector

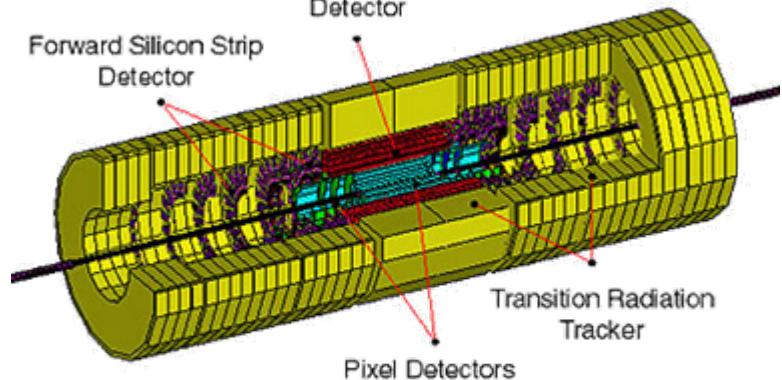
format	$6 \times 6 \text{ cm}^2 \times 280 \mu\text{m}$
	single-sided
	p-strips on n-substrate
strips	768
strip pitch	$80 \mu\text{m}$
strip width	$20 \mu\text{m}$
resolution	$23 \mu\text{m rms}$
readout	ac-coupled, binary
strip capacitance	$20 \text{ pF/cm coupling}$ $1 \text{ pF/cm interstrip}$

ATLAS silicon tracker

55 m^2 of silicon strip and pixel detectors!



ATLAS strip detector, wedge shape, forward
Barrel Silicon Strip
Detector



Inner Tracker

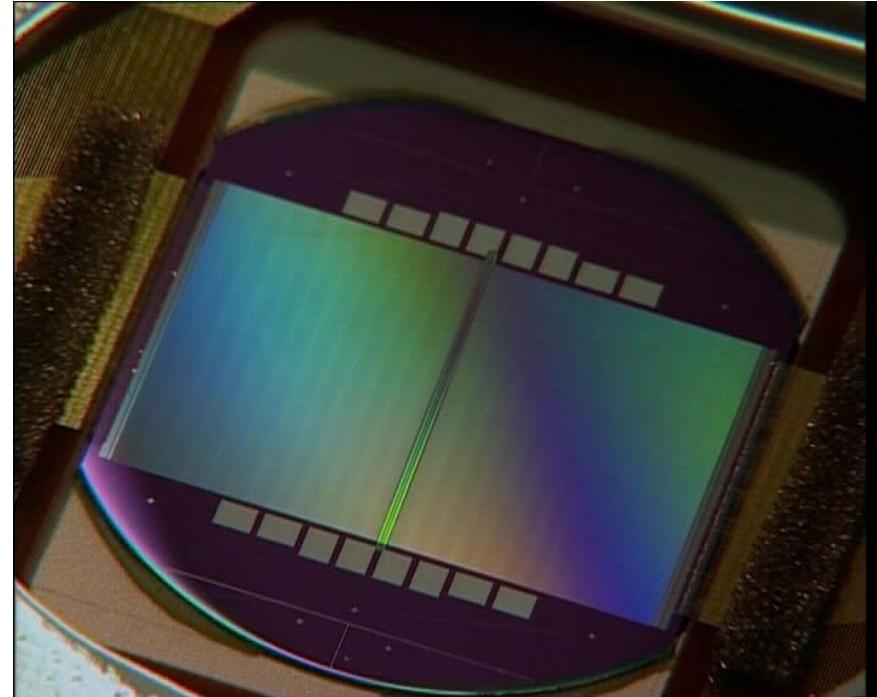
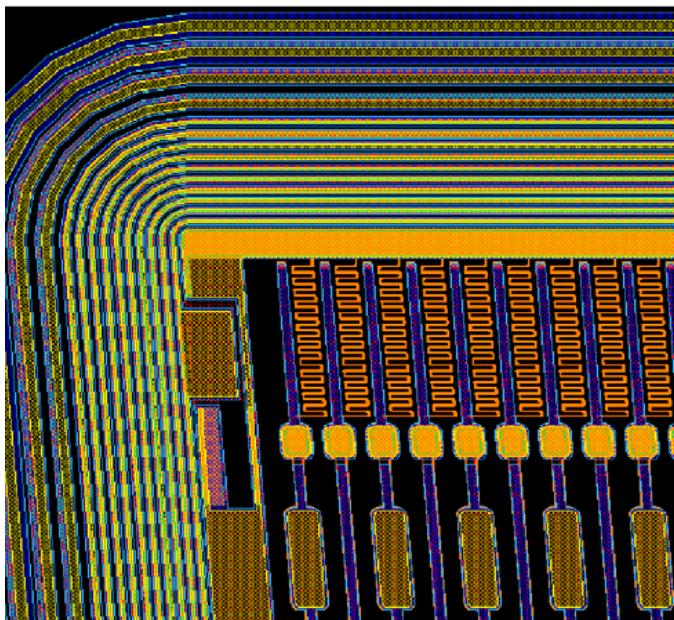


Silicon strip detectors for position resolution



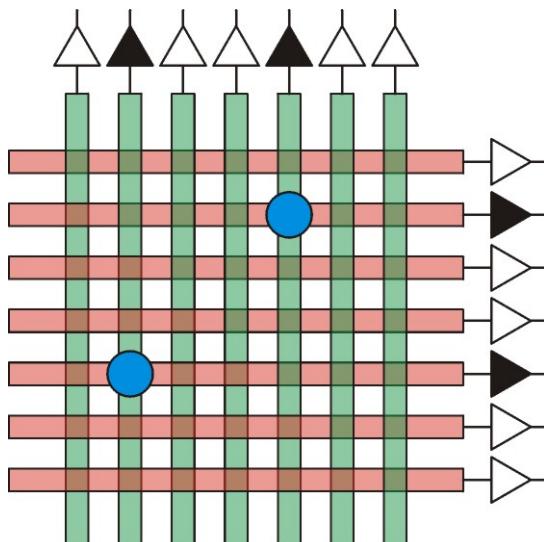
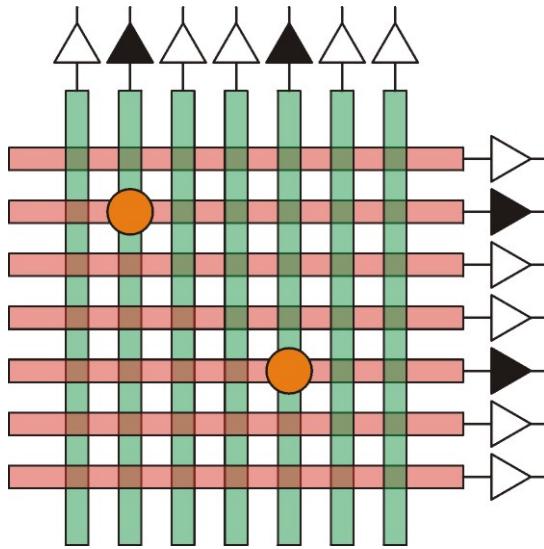
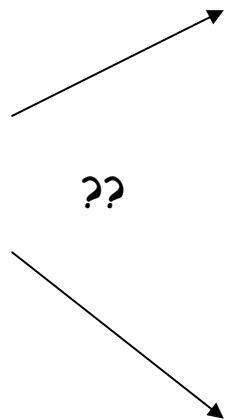
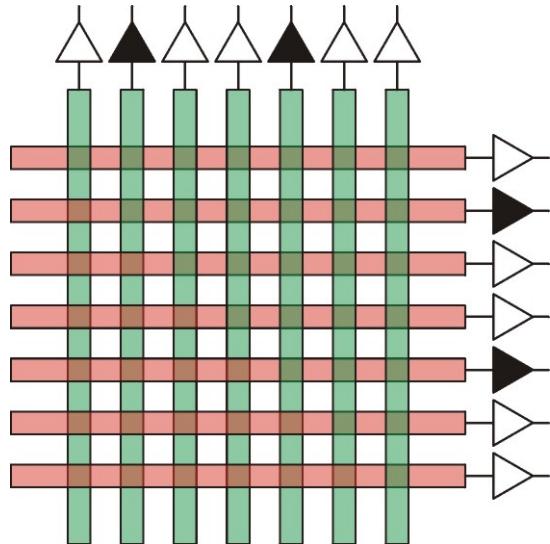
First strip detector: NA11 experiment at CERN (1980):

Hadronic charm production

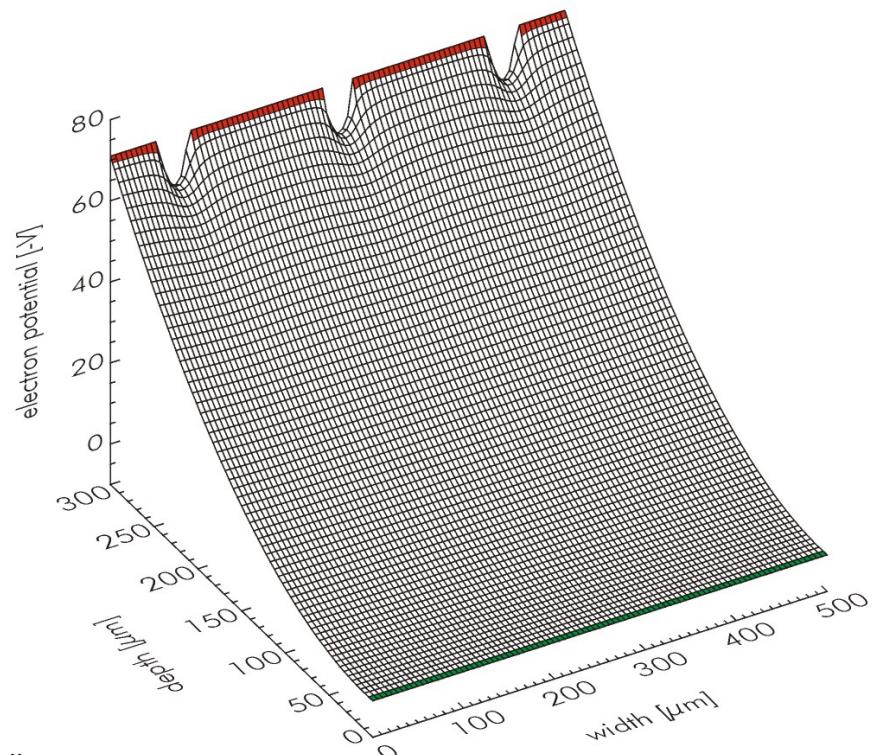
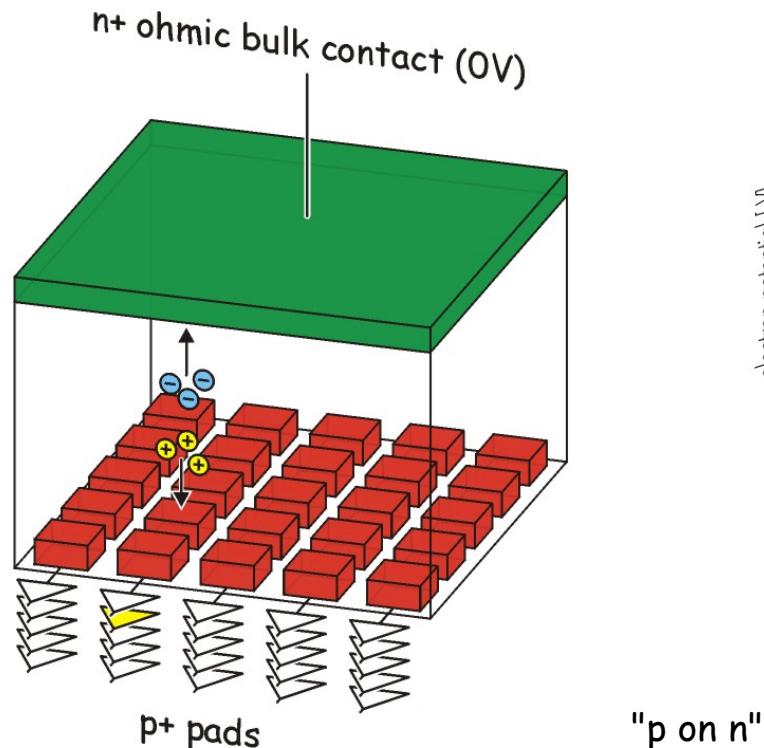


Detector detail for the ATLAS SSD (2004)

Strip Detector - Limitation

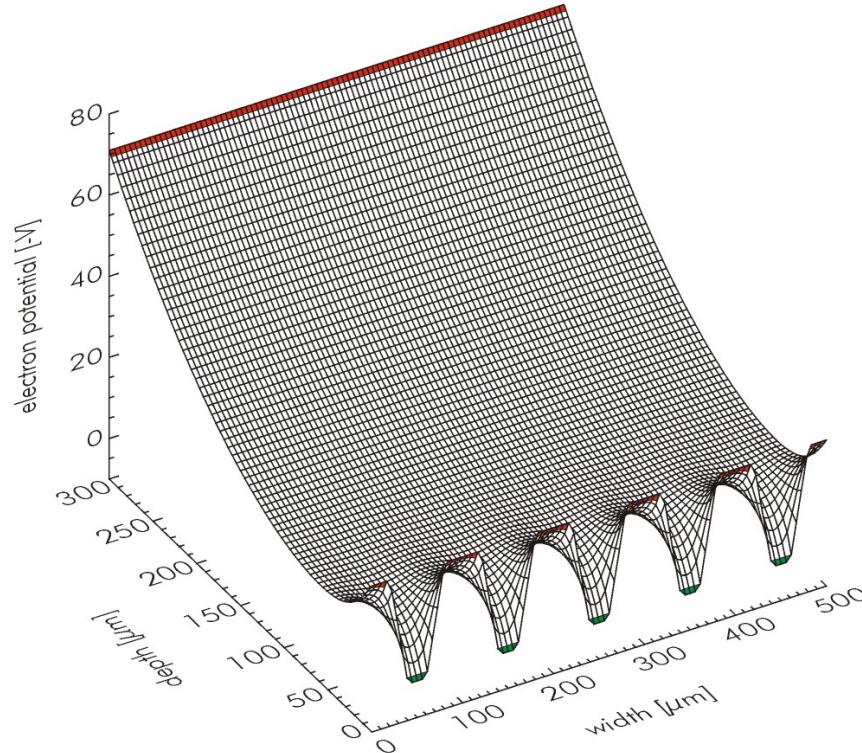
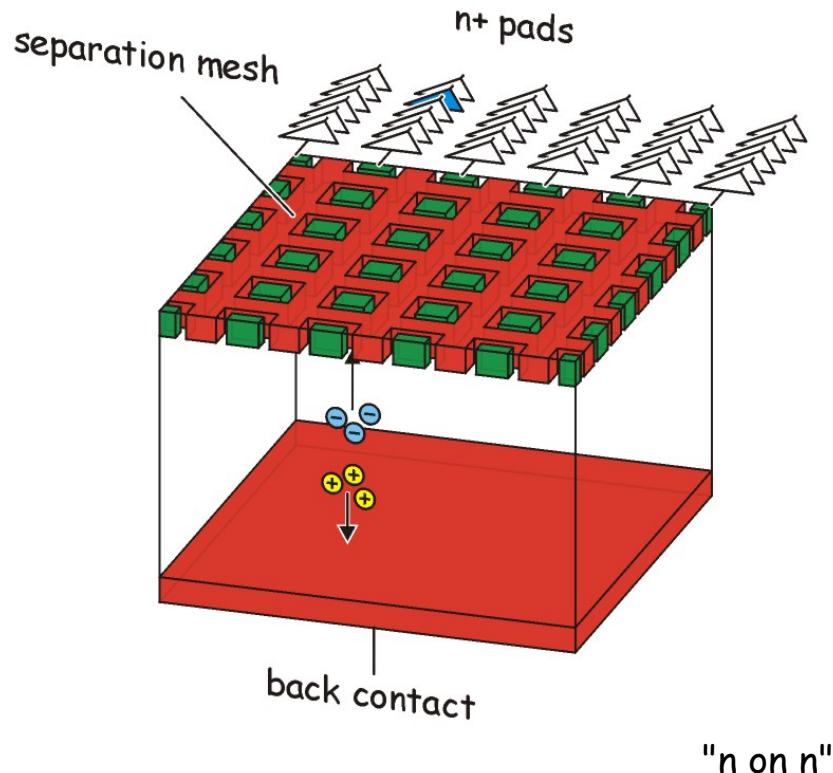
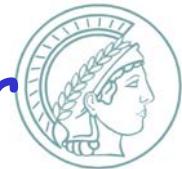


ambiguity at high occupancy
 » 2D pixel sensor



2D resolution

- particle tracking = detection of individual charged particles
- imaging = count / integrate particles or photons



2D resolution

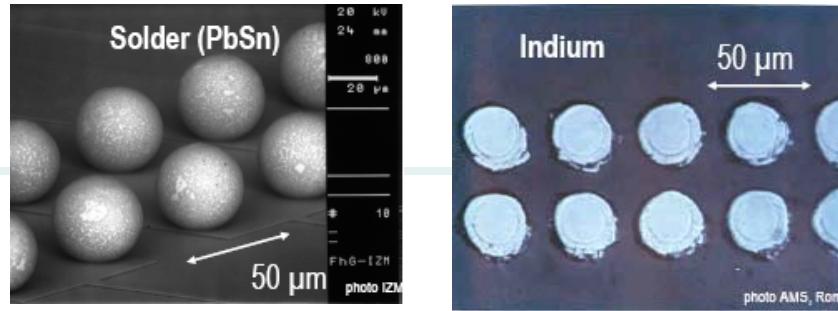
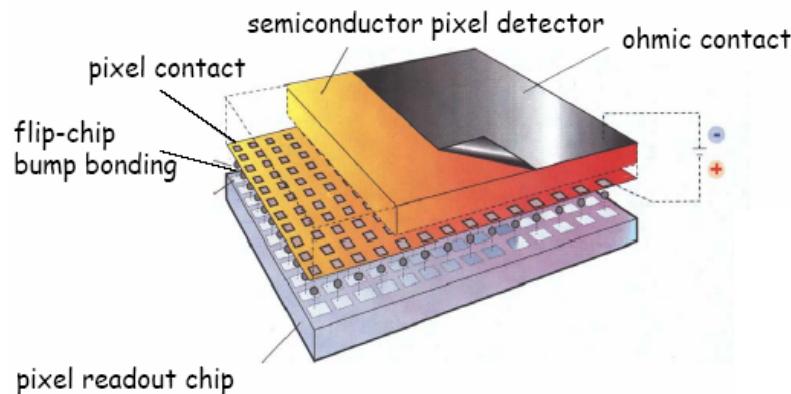
- particle tracking = detection of individual charged particles
- imaging = count / integrate particles or photons

Hybrid Pixel Sensor



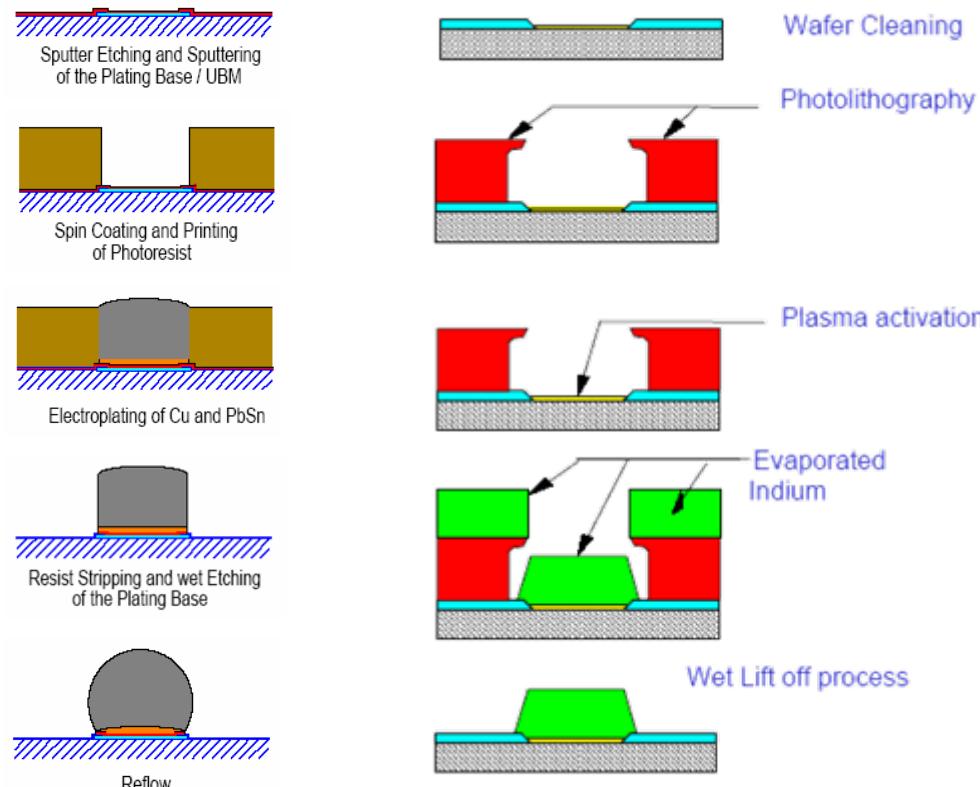
1 preamp per pixel!

- » front-to-front mounting of detector and readout chip ("bump bonding")



electroplating / reflow
solder (PbSn) bumps

"lift-off"
Indium bumps



Hybrid Pixel Sensor example 1



PILATUS @ SLS / PSI

application:

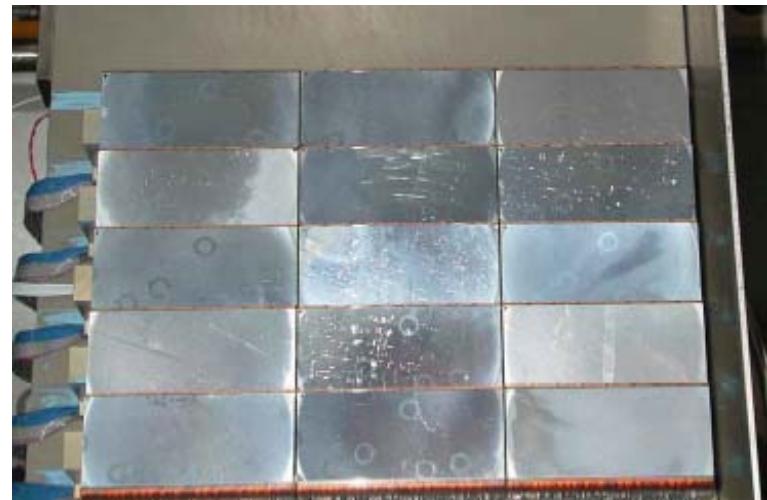
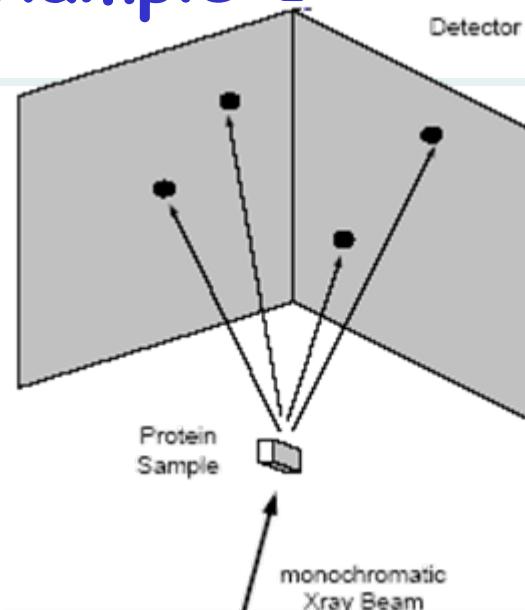
- imaging, protein crystallography

pixel sensor

format	$36 \times 80 \text{ mm}^2 \times 300 \mu\text{m}$
	$157 \times 366 \text{ pixels}$
	n-pixels on n-substrate
pixel size	$217 \times 217 \mu\text{m}^2$
count rate	max. 10^6 sec^{-1}
dynamic range	$> 10^4$

PILATUS detector

modules	3×5
total area	$20 \times 24 \text{ cm}^2$
pixels	0.85 M



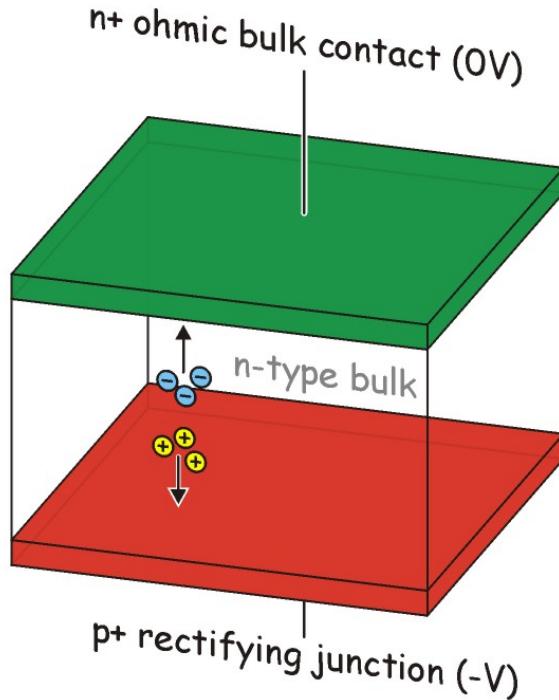
PILATUS

plate

Diode



electronic noise



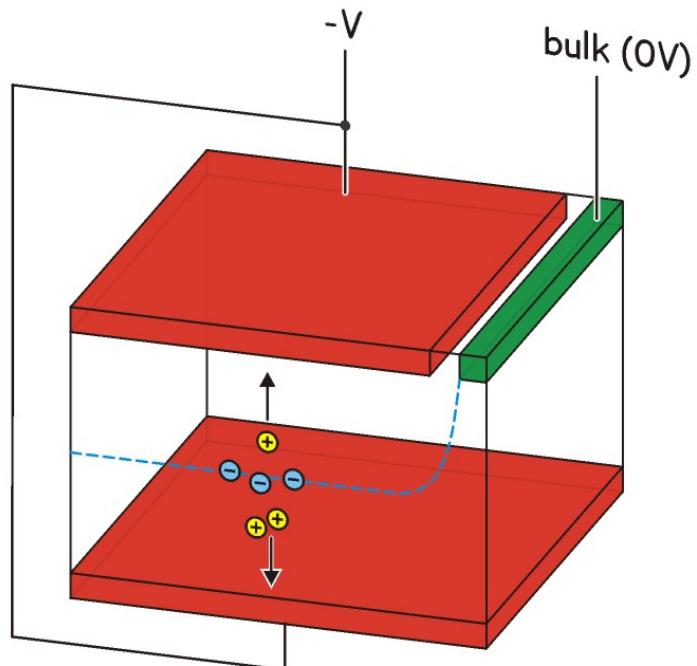
$$C = \frac{a \frac{2kT}{g_m} C_{\text{tot}}^2 A_1 \frac{1}{T} + 2\pi a_f C_{\text{tot}}^2 A_2 + q I_L A_3 T}{\text{thermal noise} \quad \text{1/f noise} \quad \text{leakage}}$$

optimum shaping time

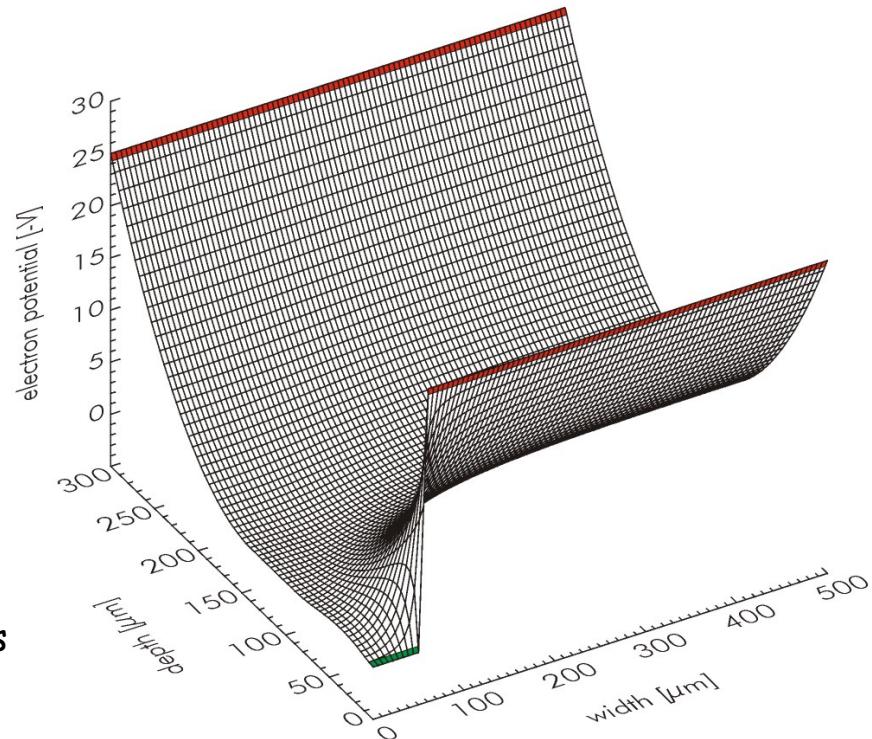
$$t_{\text{opt}} = \sqrt{\frac{2A_3}{A_1} \frac{kT}{q} \frac{C_{\text{tot}}^2}{I_L} \frac{2}{3g_m}}$$

- » For
 - **good resolution**
 - **high count rate capability**
- the total capacitance must be minimised!!

Sideward Depletion Structure

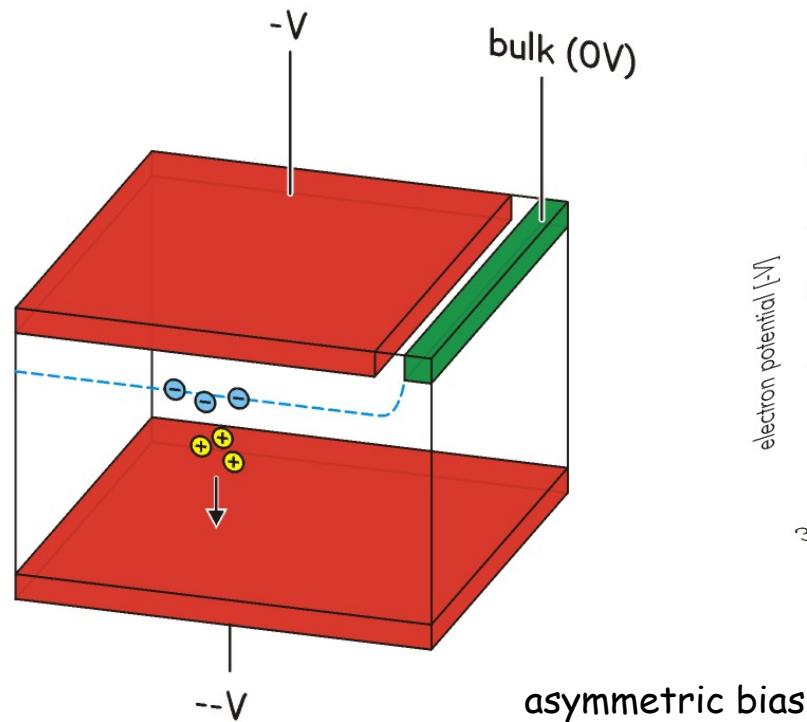


Emilio Gatti & Pavel Rehak, 1983

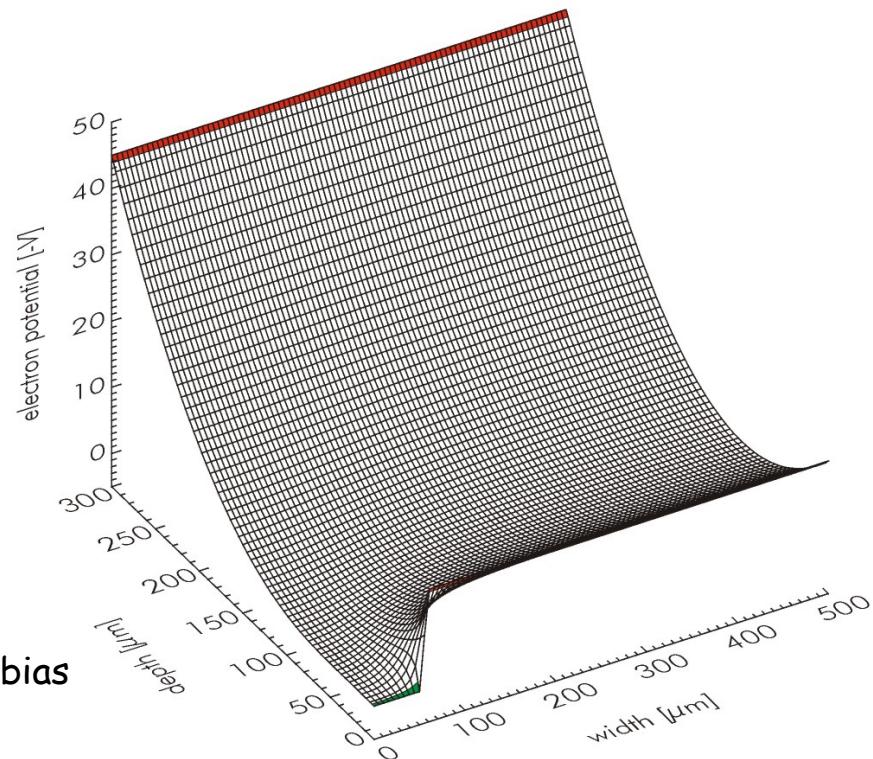


- fully depleted volume
- minimum capacitance of bulk contact
(independent of sensitive area)

Sideward Depletion Structure



Emilio Gatti & Pavel Rehak, 1983

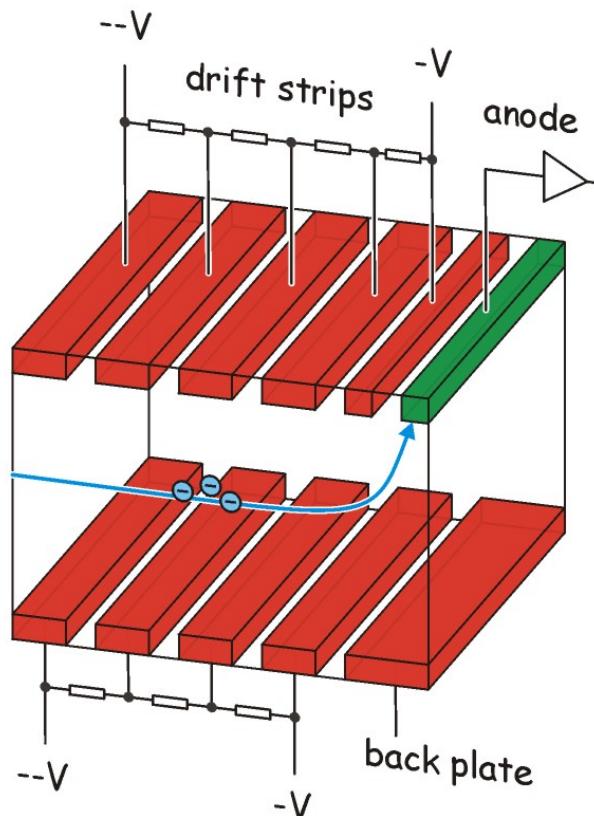


- fully depleted volume
- minimum capacitance of bulk contact
(independent of sensitive area)

?? signal extraction ??

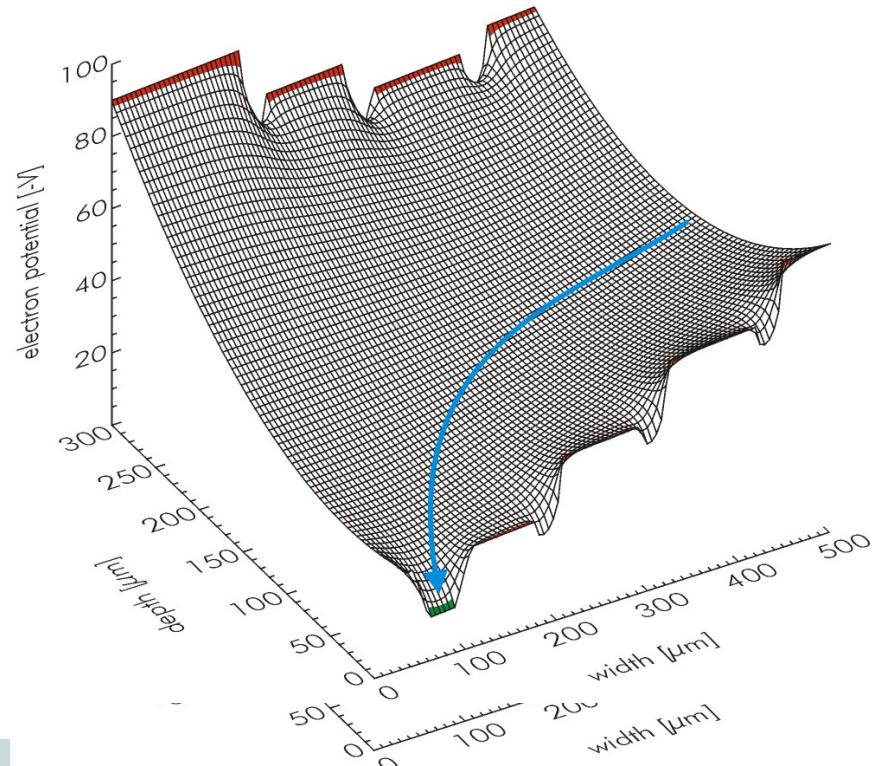
» advanced detector concepts

Silicon Drift Detector (SDD)



- drift field \parallel surface
- 1D position resolution by drift time measurement
- start trigger!!

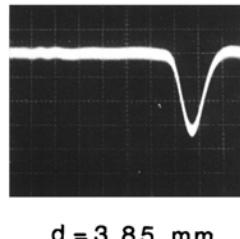
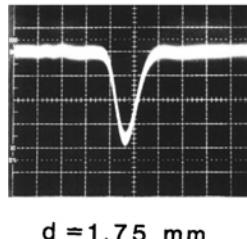
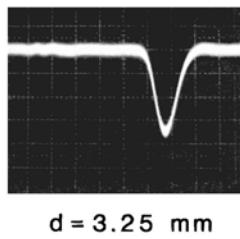
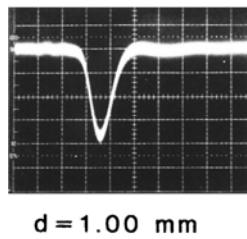
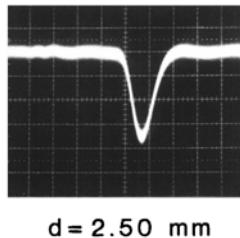
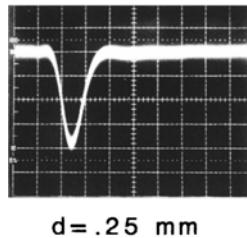
Emilio Gatti & Pavel Rehak, 1984



Drift detector: signal shape (first measurements by Rehak and Holl, 1985)



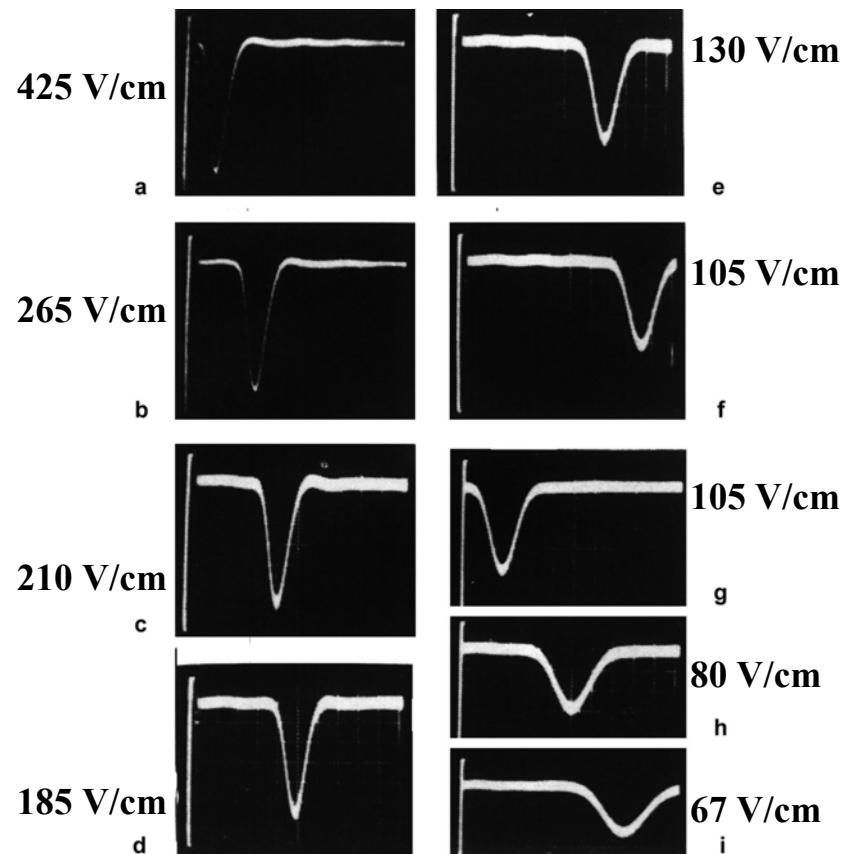
Signal for varying distance



Light pulser 22000e

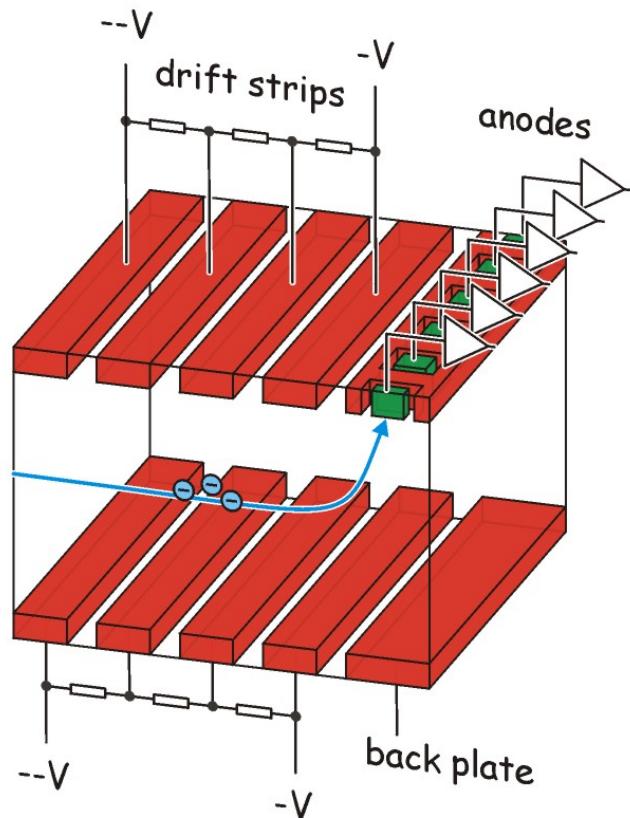
200 ns/div

for varying drift field

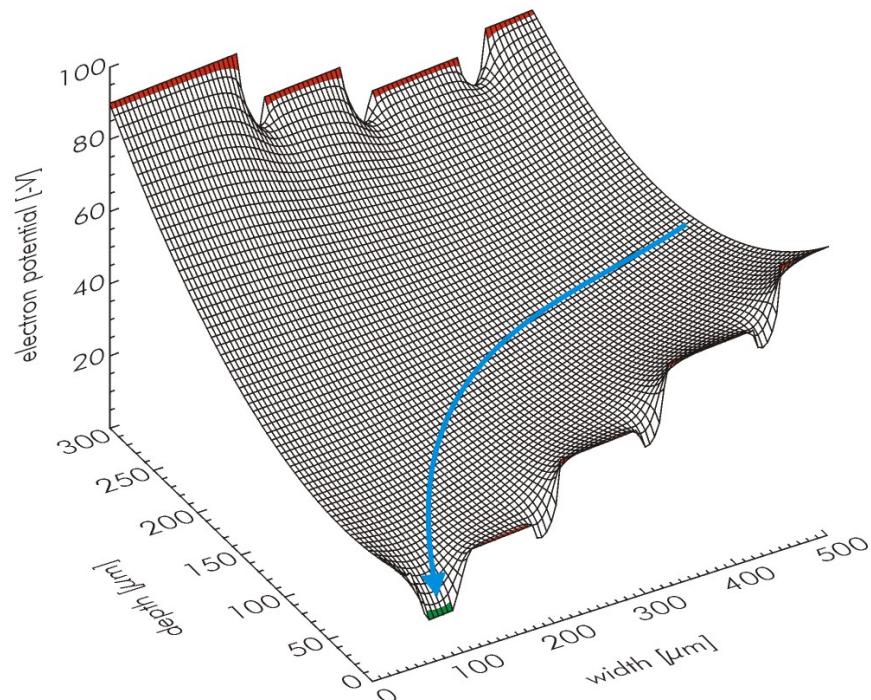


Light pulser 22000e

Silicon Drift Detector (SDD)



Emilio Gatti & Pavel Rehak, 1984



2D position resolution by

- drift time measurement
- segmentation of the anode

SDD example 1

STAR ¹⁾ experiment @ RHIC ²⁾ / BNL ³⁾

application

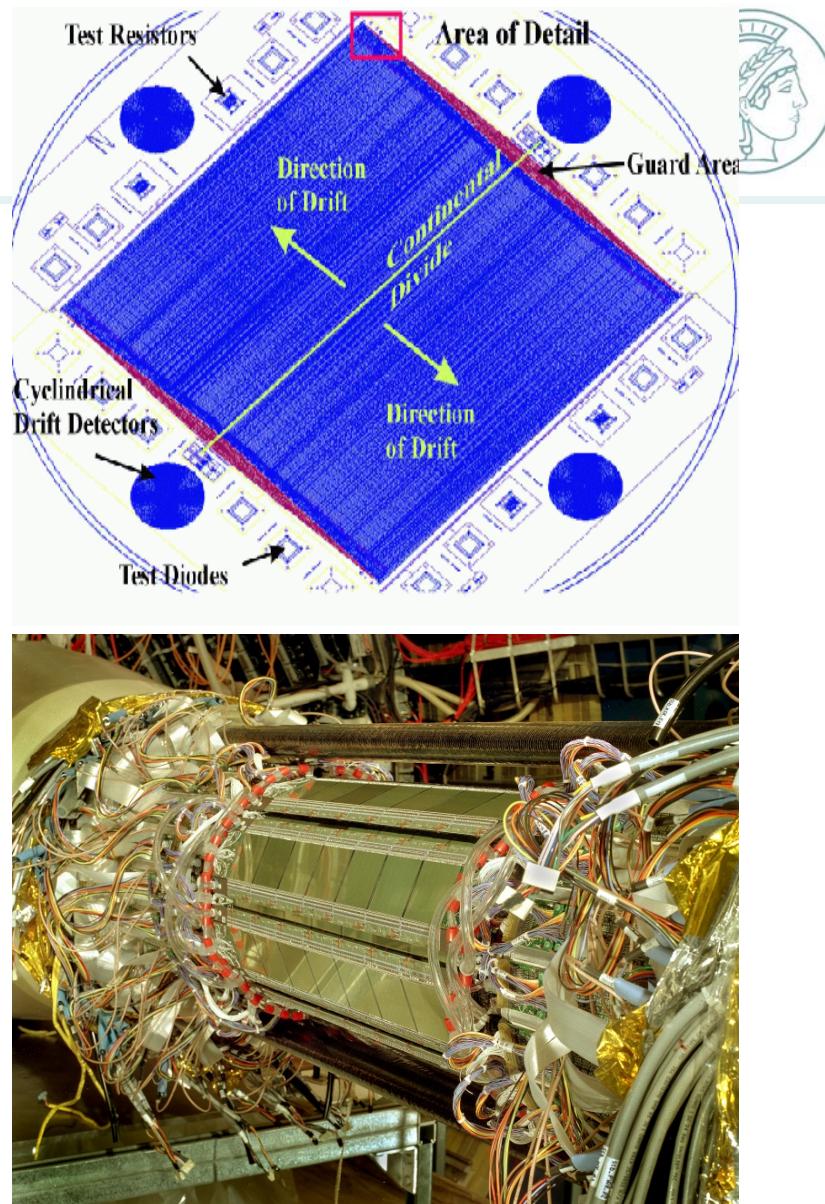
- particle tracking

SDD parameters

• format	$6 \times 6 \text{ cm}^2 \times 280 \mu\text{m}$
	bidirectional drift
• anodes	2×240
• anode pitch	$250 \mu\text{m}$
• drift voltage	1.500 V
• drift time	max. 5 μsec
• resolution	17 μm rms drift 8 μm rms anode

STAR detector

• 3 barrels	$r = 5, 10, 15 \text{ cm}$
• SDDs	216
• readout channels	103.680
• pixels	13.271.040



¹⁾ Solenoidal Tracker At RHIC

²⁾ Relativistic Heavy Ion Collider

³⁾ Brookhaven National Laboratory

SDD example 2

CERES experiment @ CERN SPS

application

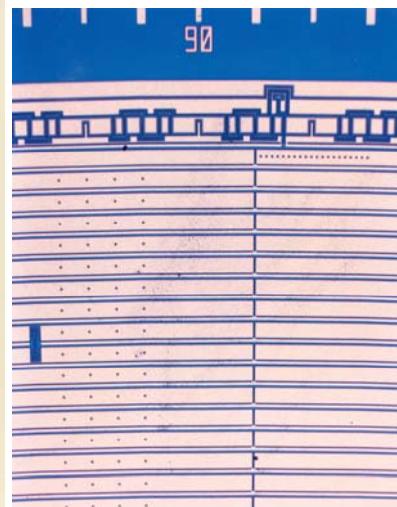
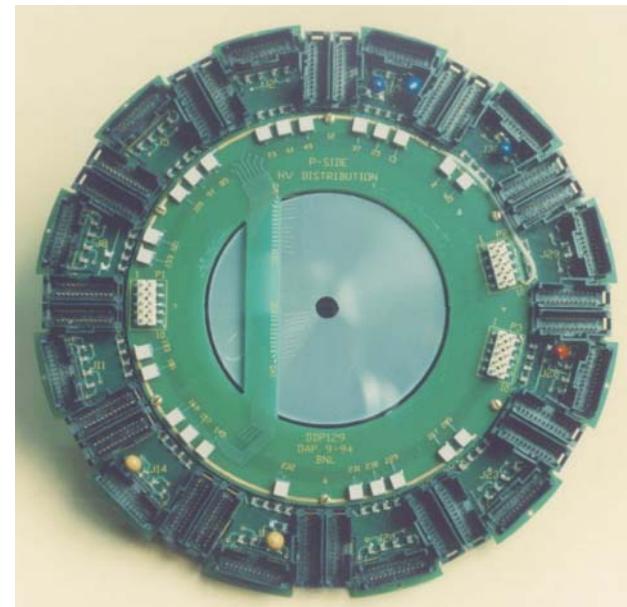
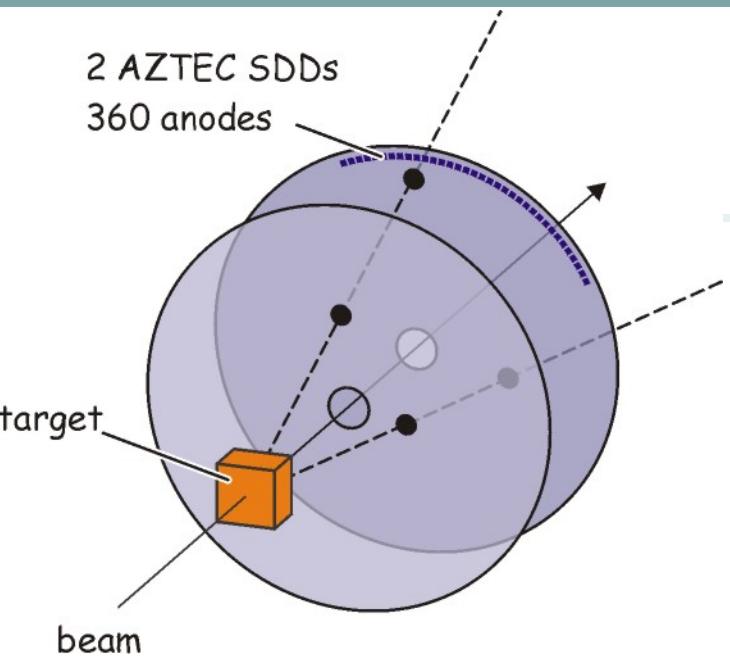
- particle tracking

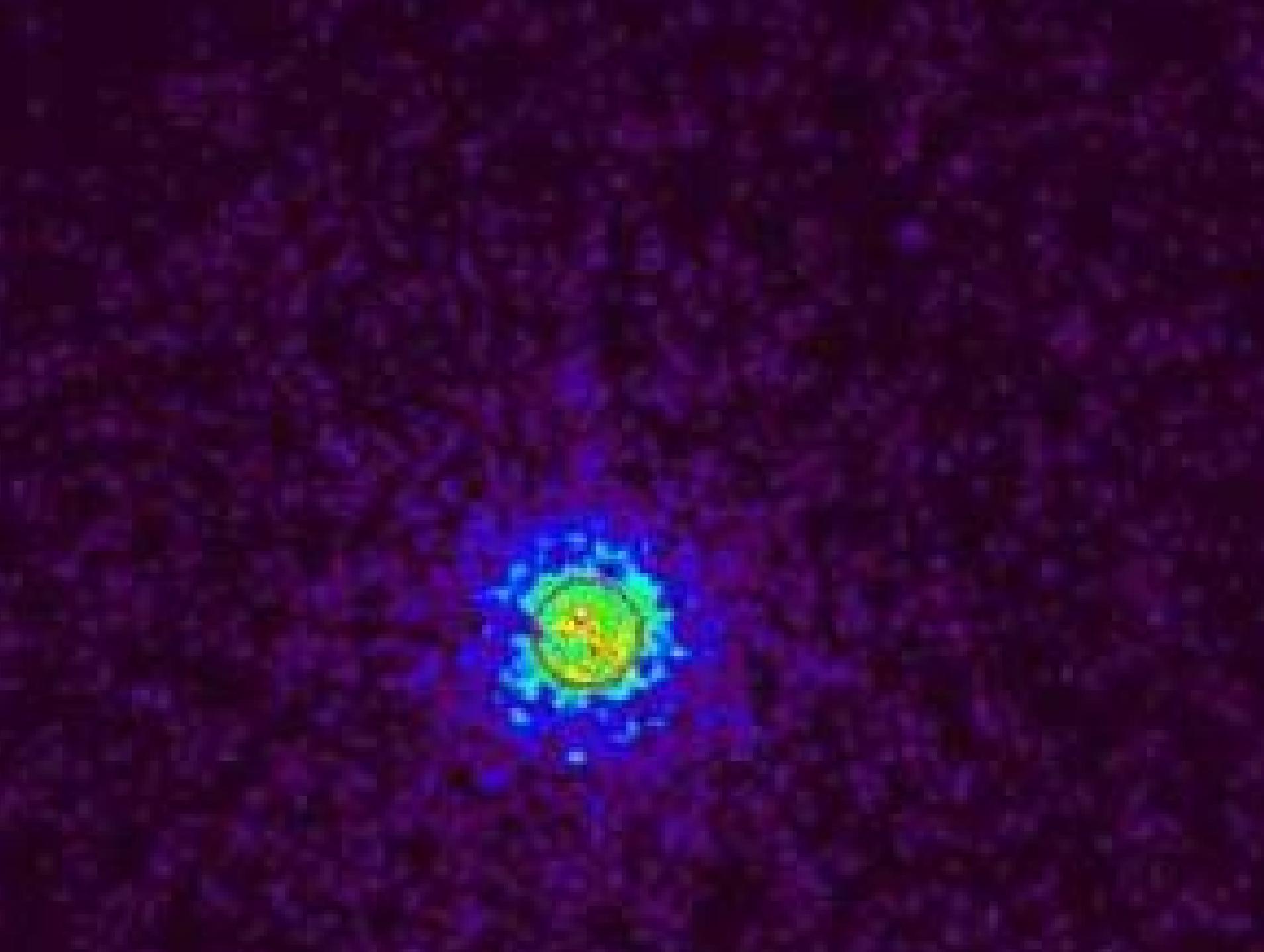
AZTEC SDD parameters

• format	$\varnothing = 10 \text{ cm} \times 280 \mu\text{m}$
	central 6 mm hole
	radial drift field
• anodes	360
• anode pitch	1°
• drift voltage	2.000 V
• drift time	max. 6 μsec
• resolution	16 mrad rms angular $< 25 \mu\text{m}$ rms radial

CERES detector

- 2 SDDs
- distance to target 10 cm, 13.8 cm





Semiconductor Detectors applications in basic science and industry

OUTLINE Part II:

1. Semiconductors based on sideward depletion

(a) the SDD with integrated FET

(b) the pnCCD

(c) the CDD

(d) the DEPFET (active pixel sensor)

2. Avalanche amplifiers

3. Summary and Conclusion

