## In Search of Lonely Top Quarks



## Work with Matt Strassler and Matt Bowen <br> hep-ph/0412223



TeV4LHC, BNL 2/4/05

## Outline

1. What is single-top at the Tevatron?
2. Why study it?
3. What makes it challenging - counting is not enough!
4. Another approach - Shapes Matter! (but enough?)
5. Wjj - the 1-ton gorilla!
6. On to the LHC [See forthcoming paper from Matt Bowen]
7. Conclusions


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## What is single-top?

## Two single-top channels are classified by W momentum



- The top quark was discovered in Run I through $q \bar{q} \rightarrow t \bar{t}$
-Neither single-top channel has been confirmed in Run II yet Run I limits: $\sigma_{\mathrm{t}}<13.5 \mathrm{pb}, \sigma_{\mathrm{s}}<12.9 \mathrm{pb}$


## Studying single top quark production because ...

- Leads to measurement of $\mathrm{V}_{\mathrm{tb}}$
- Background to other searches (Higgs, etc.)



# Plus top quark may be a special case with big payoff!! 

## Potential for new physics discovery

- Extra Scalar Bosons - top-color

Affect s-channel

- Extra Gauge Bosons - top flavor
- Extra Dimensions - 5D with gauge bosons in bulk

Affect t-channel

- Extra Generations of Quarks - will change unitarity constraints on CKM elements
- Extra couplings (Modified) - top interaction with SM particles. ex: $Z_{\text {tc }}$

See, for example, T. Tait hep-ph/0007298

## Looking for the t-channel

## Trigger on -

$$
\begin{array}{ll}
> & 1 \text { lepton (only) } \\
> & \text { Missing Transverse } \\
& \text { Energy (from neutrino) } \\
> & 1 \text { b-tagged jet } \\
> & 1 \text { non b-tagged jet (from } \\
& \text { light quark) }
\end{array}
$$


often not seen
Similar for s-channel - extra jet from extra radiation! [ $b g \rightarrow t W$ is too rare]

## What else do we see?

- $t \bar{t}$, e.g., $q \bar{q} \rightarrow t \bar{t} \rightarrow b e^{+} v_{e} \bar{b} q \bar{q}$ (last year's signal is this year's background); trigger particles + lots of extra activity, but symmetrical event
- $W_{j j}$, e.g., $u g \rightarrow W^{+} d g \rightarrow e^{+} v_{e} d g$ where b tag is fake, or extra q's are b's, or $g$ becomes a heavy quark pair during showering/fragmentation
- Pure QCD, where much (maybe leptons, maybe b and certainly the $W$ ) is fake. This is difficult to simulate. Experimentalists (I talk to) say it is small and we make it smaller! We will ignore it here but ....


## Define Event Samples for Counting Experiment

Studies done with Madgraph + Pythia + PGS Detector Simulation normalized to NLO (including choice of $\mu$ ) where possible;
For $3 \mathrm{fb}^{-1}$, sum over $\mu^{ \pm}$and $\mathrm{e}^{ \pm}$(top and anti-top)

$$
\text { PGS jets, } \left.R_{\text {cone }}=0.4 ; \Delta R \text { (lepton, jet }\right)>0.4
$$

Advanced Cuts: $\quad$ " $m_{\text {top }}$ " $=$ invariant mass of (blv)

$$
\begin{array}{r}
H_{T}=P_{\text {Tlepton }}+M E T+\Sigma_{\text {all jets }}\left(\text { jet } P_{T}\right) \\
\quad\left(\text { all jets } P_{T}>20 \mathrm{GeV},|\eta|<3.5\right)
\end{array}
$$

$$
\begin{array}{ll}
\text { b-Tags: } \quad \text { "real } b " \sim 0.5 \tanh \left(P_{T} / 36 \mathrm{GeV}\right)\left[P_{T}=\text { jet } P_{T}\right] \\
& \text { "real c" } \sim 0.15 \tanh (\mathrm{PT} / 42 \mathrm{GeV}) \\
& \text { mistag } \sim 0.01 \tanh (\mathrm{PT} / 80 \mathrm{GeV})
\end{array}
$$

|  |  | Basic | Intermed |  | Hard |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| Item | $\|\eta\|$ | $\mathrm{P}_{\mathrm{T}}$ | $\mathrm{P}_{\mathrm{T}}$ |  | $\mathrm{P}_{\mathrm{T}}$ |  |
| lepton | $\leq 2$ | $\geq 15 \mathrm{GeV}$ | $\geq 15 \mathrm{GeV}$ |  | $\geq 15 \mathrm{GeV}$ |  |
| MET | - | $\geq 15 \mathrm{GeV}$ | $\geq 15 \mathrm{GeV}$ |  | $\geq 15 \mathrm{GeV}$ |  |
| Jet (b-tag) | $\leq 2$ | $\geq 20 \mathrm{GeV}$ | $\geq 20 \mathrm{GeV}$ |  | $\geq 60 \mathrm{GeV}$ |  |
| Jet (no b) | $\leq 3.5$ | $\geq 20 \mathrm{GeV}$ | $\geq 20 \mathrm{GeV}$ |  | $\geq 30 \mathrm{GeV}$ |  |
|  |  |  | Min | Max | Min | Max |
| $H_{T}$ |  |  | 180 GeV | 250 GeV | 180 GeV | 250 GeV |
| " $m_{t}$ " |  |  | 160 GeV | 190 GeV | 160 GeV | 190 GeV |

Events in $3 \mathrm{fb}^{-1}$

| Channels | Basic | Intermed | Hard | Sys Unc |  |
| :---: | :---: | :---: | :---: | :---: | :---: |
| $\mathbf{t - c h a n n e l}$ | 298 | 67 | 30 | $>10 \%$ |  |
| s-channel | 145 | 27 | 13 | $>10 \%$ |  |
| $\mathbf{W}+\mathbf{j j}$ | 6816 | 550 | 152 | $>10 \%$ |  |
| $\overline{t t}$ | 2623 | 140 | 57 | $>10 \%$ |  |
| Sig/Bkg | $1 / 21$ | $1 / 7$ | $1 / 5$ |  |  |
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## Conclude that Life is Hard!!!

Contrast with the 1:2 ratio suggested by Stelzer, Sullivan and Willenbrock (SSW), hep-ph/9807340

- SSW were more optimistic about the Tevatron energy and the top quark cross section than is now appropriate
- SSW were more optimistic about light quark/gluon mistagging (as b) than we are -
- Mistagged at $\sim 1 \%$ rate, $P_{T}>80 \mathrm{GeV}$
- $\mathrm{g} \rightarrow \mathrm{c}, \mathrm{b}$ at $\sim 0.1-0.2 \%$ rate during (Pythia) showering/fragmentation
- $\Rightarrow$ comparable contributions to background rate
- SSW were more optimistic about top quark mass reconstruction than we are


## Note: Doing Sideband cuts on $m_{t}$ is difficult due to "shaping" from other cuts!



## Look for more handles on data: symmetries, correlations and event shapes

- CP symmetry, C \& P asymmetry of initial state
- Kinematic asymmetry of Initial state: $q g$ (asymmetric) vs $q_{V} \bar{q}_{V}$ (symmetric)
- In t-channel signal dynamical correlation between scattered $q$ and final lepton due to LH $W$ vertex and carried by top quark spin (which decays before it interacts), $\quad q \rightarrow t \Uparrow \rightarrow l^{+}$


## CP Invariance of the Tevatron

1. $p \bar{p}$ initial state at Tevatron is CP invariant, but not C or P invariant separately
2. Perturbative Final state is CP invariant, but may violate C or P
3. Depends on Perturbative Initial state: $q g$ (asym) $\Leftrightarrow g g$ (sym)
4. Depends on dynamics:

LO s-channel gluon "forgets" asymmetry ( t t and QCD)
5. Processes with W's "remember" asymmetries (single top and W+jets)

Initial State


Under C or P transformation


Under CP


## Focus on 2-D distributions in signed rapidity, $\hat{\eta}=Q_{\imath} \eta^{*}$



$$
\frac{d \sigma}{d \hat{\eta}_{l} d \hat{\eta}_{j}} \equiv \frac{d \sigma^{+}}{d \eta_{l} d \eta_{j}}\left(\hat{\eta}_{l}, \hat{\eta}_{j}\right)+\frac{d \sigma^{-}}{d \eta_{l} d \eta_{j}}\left(-\hat{\eta}_{l},-\hat{\eta}_{j}\right)
$$

CP invariant

- Same correlations in $t$ and $\bar{t}$
- Strong correlation in t-channel signal, $\hat{\eta}_{l}, \hat{\eta}_{j}>0$
- Very weak correlation in s-channel and $t \bar{t}$
- Weak, but similar correlation in Wjj

*Used by CDF in 1-D analysis


## Define "Relaxed" Event Sample for Shape Analysis

|  |  | Relaxed |  |
| :--- | :---: | :---: | :---: |
| Item | $\|\eta\|$ | $\mathrm{P}_{\mathrm{T}}$ |  |
| lepton | $\leq \mathbf{2}$ | $\geq 15 \mathrm{GeV}$ |  |
| MET | - | $\geq 15 \mathrm{GeV}$ |  |
| Jet (b-tag) | $\leq \mathbf{2}$ | $\geq 40 \mathrm{GeV}$ |  |
| Jet (no b) | $\leq 3.5$ | $\geq 30 \mathrm{GeV}$ |  |
|  |  | Min | Max |
| $\boldsymbol{H}_{\boldsymbol{T}}$ |  | none | 300 GeV |
| $\boldsymbol{m}_{\boldsymbol{t}}{ }^{\prime}$ |  | 155 GeV | 200 GeV |

Keep more of signal and more background, especially $\bar{t} \bar{t}$, But that is OK!

## Contour plots of 4 channels - as predicted



## Focus on Shape with following basis functions

## Complete \& Orthogonal

$$
\frac{d \sigma}{d \hat{\eta}_{l} d \hat{\eta}_{j}}\left(\hat{\eta}_{l}, \hat{\eta}_{j}\right)=\frac{d \sigma^{+}}{d \eta_{l} d \eta_{j}}\left(\hat{\eta}_{l}, \hat{\eta}_{j}\right)+\frac{d \sigma^{-}}{d \eta_{l} d \eta_{j}}\left(-\hat{\eta}_{l},-\hat{\eta}_{j}\right)=\bar{F}\left(\hat{\eta}_{l}, \hat{\eta}_{j}\right)+F_{+}\left(\hat{\eta}_{l}, \hat{\eta}_{j}\right)+F_{-}\left(\hat{\eta}_{l}, \hat{\eta}_{j}\right) \quad[\mathrm{CP} \text { Inv }]
$$

$$
\bar{F}\left(\hat{\eta}_{l}, \hat{\eta}_{j}\right)=\frac{1}{4}\left[\frac{d \sigma}{d \hat{\eta}_{l} d \hat{\eta}_{j}}\left(\hat{\eta}_{l}, \hat{\eta}_{j}\right)+\frac{d \sigma}{d \hat{\eta}_{l} d \hat{\eta}_{j}}\left(-\hat{\eta}_{l},-\hat{\eta}_{j}\right)+\frac{d \sigma}{d \hat{\eta}_{l} d \hat{\eta}_{j}}\left(-\hat{\eta}_{l}, \hat{\eta}_{j}\right)+\frac{d \sigma}{d \hat{\eta}_{l} d \hat{\eta}_{j}}\left(\hat{\eta}_{l},-\hat{\eta}_{j}\right)\right] \quad[\mathrm{Sym}]
$$

$$
F_{+}\left(\hat{\eta}_{l}, \hat{\eta}_{j}\right)=\frac{1}{4}\left[\frac{d \sigma}{d \hat{\eta}_{l} d \hat{\eta}_{j}}\left(\hat{\eta}_{l}, \hat{\eta}_{j}\right)+\frac{d \sigma}{d \hat{\eta}_{l} d \hat{\eta}_{j}}\left(-\hat{\eta}_{l},-\hat{\eta}_{j}\right)-\frac{d \sigma}{d \hat{\eta}_{l} d \hat{\eta}_{j}}\left(-\hat{\eta}_{l}, \hat{\eta}_{j}\right)-\frac{d \sigma}{d \hat{\eta}_{l} d \hat{\eta}_{j}}\left(\hat{\eta}_{l},-\hat{\eta}_{j}\right)\right] \quad[\mathrm{P} \text { Even] }
$$

$>$ Uncorrelated bits cancel in $F_{+}$

$$
F_{-}\left(\hat{\eta}_{l}, \hat{\eta}_{j}\right)=\frac{1}{2}\left[\frac{d \sigma}{d \hat{\eta}_{l} d \hat{\eta}_{j}}\left(\hat{\eta}_{l}, \hat{\eta}_{j}\right)-\frac{d \sigma}{d \hat{\eta}_{l} d \hat{\eta}_{j}}\left(-\hat{\eta}_{l},-\hat{\eta}_{j}\right)\right] \quad[\mathrm{P} \text { Odd }]
$$

## Uncorrelated and $P$ even

- Uncorrelated $-\frac{d \sigma}{d \hat{\eta}_{l} d \hat{\eta}_{j}}=f\left(\hat{\eta}_{i}\right) g\left(\hat{\eta}_{j}\right)$
- P even

$$
f\left(\hat{\eta}_{l}\right)=f\left(-\hat{\eta}_{l}\right): g\left(\hat{\eta}_{j}\right)=g\left(-\hat{\eta}_{j}\right)
$$

- $\Rightarrow \frac{d \sigma}{d \hat{\eta}_{i} d \hat{\eta}_{j}}\left(\hat{\eta}_{i}, \hat{\eta}_{j}\right)=\frac{d \sigma}{d \hat{\eta}_{i} d \hat{\eta}_{j}}\left(-\hat{\eta}_{i},-\hat{\eta}_{j}\right)=\frac{d \sigma}{d \hat{\eta}_{i} d \hat{\eta}_{j}}\left(--\hat{\eta}_{i}, \hat{\eta}_{j}\right)$

$$
=\frac{d \sigma}{d \hat{\eta}_{l} d \hat{\eta}_{j}}\left(\hat{\eta}_{i},-\hat{\eta}_{j}\right)
$$

$\Rightarrow$ Cancel in $F_{+}$and $F_{\text {. }}$

$$
\bar{F}\left(\hat{\eta}_{l}, \hat{\eta}_{j}\right) \quad \bar{F}^{\bar{t}} \sim \bar{F}^{w_{j j}} \square \bar{F}^{t b} \sim \bar{F}^{t j j}
$$



$$
F_{+}\left(\hat{\eta}_{l}, \hat{\eta}_{j}\right) \quad F_{+}^{w_{j j}} \sim F_{+}^{t b j} \sim F_{+}^{i \bar{t}} \square F_{+}^{t b}
$$


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$$
F_{-}\left(\hat{\eta}_{l}, \hat{\eta}_{j}\right) \quad F_{-}^{W_{j j}} \sim F_{-}^{t b j} \square F_{-}^{t \bar{t}} \geq F_{-}^{t b}
$$


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## Quantify this by again looking at the sum over $\mathrm{t}+\overline{\mathrm{t}}, \mathrm{e}+\mu$ in the quadrants for $3 \mathrm{fb}^{-1}$

| Channel | $\bar{F}_{\mathrm{A}}=\overline{\mathrm{F}}_{\mathrm{B}}$ | $\mathrm{F}_{+, \mathrm{B}}=\mathrm{F}_{+, \mathrm{A}}$ | $\mathrm{F}_{-, \mathrm{A}}$ | $\mathrm{F}_{-, \mathrm{B}}$ |
| :---: | :---: | :---: | :---: | :---: |
| s -channel | $9.8 \pm 1.6$ | $1.4 \pm 1.6$ | $0.0 \pm 2.1$ | $-0.3 \pm 2.4$ |
| t-channel | $23.8 \pm 2.4$ | $5.6 \pm 2.4$ | $-3.7 \pm 3.0$ | $11.6 \pm 3.8$ |
| tt | $106.1 \pm 5.2$ | $1.2 \pm 5.2$ | $-0.2 \pm 7.2$ | $1.3 \pm 7.3$ |
| $\mathrm{~W}_{\mathrm{jj}}$ | $187.7 \pm 6.9$ | $-4.6 \pm 6.9$ | $11.8 \pm 9.8$ | $23.8 \pm 9.6$ |

## Suggests

- Use $\bar{F}$ to determine (check) Bkg
- Use $F_{-, A}$ to determine (check) Wjj
- Use $F_{-, B} \& F_{+}$to determine Signal


## Signal/Background



## $\Rightarrow$ Systematics of Bgk matters except in small regions!

Suggests that (maybe) we can separate Signal and Background if we use the Shape information, But only if we control Bkg systematics!

- Systematic issue \#1: The 1-ton gorilla - Do we understand the shape of the Wjj background in detail?
- Answer: Not Yet! There are many individual channels with somewhat different shapes, whose relative contribution rates depend largely on mistag rates and $g \rightarrow b, c$ rates.
- But we will learn using the many different handles on the data, e.g., look at Zjj!!
- Understanding Wjj, including tagging and $g \rightarrow b, c$ rates, should be a priority!!!


## Wjj channels Tagging

| Channel | $\sigma$ (Before tag, pb) | $\sigma$ (After tag, pb) | Fraction tagged |
| :--- | :---: | :---: | :---: |
| Wqq | 16740 | 192 | $1 \%$ |
| Wqg | 32000 | 732 | $2 \%$ |
| Wgg | 14760 | 484 | $3 \%$ |
| Wcq | 3200 | 318 | $10 \%$ |
| Wcg | 2240 | 238 | $11 \%$ |
| Wcc̄ | 600 | 104 | $17 \%$ |
| Wbb̄ | 496 | 224 | $45 \%$ |
| Total | 69766 | 2291 | $3 \%$ |

Small $\sigma$, Large tag rate $\Leftrightarrow$ Large $\sigma$, Small tag rate
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## Wij tag budget

| Channel | b-jet | c-jet | Non-b/c-jet | Total |
| :--- | :---: | :---: | :---: | :---: |
| Wqq | $2 \%$ | $1 \%$ | $6 \%$ | $9 \%$ |
| Wqg | $11 \%$ | $8 \%$ | $14 \%$ | $33 \%$ |
| Wgg | $7 \%$ | $5 \%$ | $5 \%$ | $17 \%$ |
| Wcq | $0 \%$ | $14 \%$ | $1 \%$ | $15 \%$ |
| Wcg | $1 \%$ | $10 \%$ | $0 \%$ | $11 \%$ |
| Wcc | $0 \%$ | $5 \%$ | $0 \%$ | $5 \%$ |
| Wbb | $10 \%$ | $0 \%$ | $0 \%$ | $10 \%$ |
| Total | $31 \%$ | $43 \%$ | $26 \%$ | $100 \%$ |

Democracy at work! But different channels have different shapes!

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$$

We can improve by choosing specific "windows" - helps also with statistical, $\sqrt{ } N$ issues

- Uncertainty in $N_{F+}$ : in any region of $\eta \eta$ plane

$$
\sigma_{N_{F_{+}}} \approx \frac{1}{4} \sqrt{N_{\text {Tot }}}=\frac{1}{2} \sqrt{N_{\bar{F}}}
$$

- Uncertainty in $N_{F_{-}}$:

$$
\sigma_{N_{F_{-}}} \approx \frac{1}{2} \sqrt{N_{B}+N_{C}}=\frac{1}{\sqrt{2}} \sqrt{N_{\bar{F}}+N_{F_{+}}}
$$

## $\mathrm{N} / \sqrt{ } \mathrm{N}$ (appropriate)



No region with good Systematics \& good Statistics

Can also consider a likelihood analysis based on the difference in shapes - Assuming we really know the shapes!!

- $\alpha=N_{\text {sig }} / N_{\text {Tot }} \approx 0.103$ (all of phase space)
- Uncertainty

$$
\begin{aligned}
\sigma_{\alpha}= & \sqrt{\frac{1}{N_{\text {Tot }} \int d \hat{\eta}_{l} d \hat{\eta}_{j} \frac{\left[f_{\text {Sig }}\left(\hat{\eta}_{l}, \hat{\eta}_{j}\right)-f_{\text {Bkg }}\left(\hat{\eta}_{l}, \hat{\eta}_{j}\right)\right]^{2}}{f_{\text {Tot }}\left(\hat{\eta}_{l}, \hat{\eta}_{j}\right)}}} \approx 0.035 \\
& \int f_{X} d \hat{\eta}_{l} d \hat{\eta}_{j}=1
\end{aligned}
$$

## Conclusions

- Phenomenology at hadron colliders is tough!
- Shape variables are useful/essential for finding the single top quark signal
- But we need to understand the shapes and systematics of the backgrounds, especially Wjj (and QCD), including tagging and heavy flavor in showers
- Understanding Wjj is Priority for TeV4LHC!


## Extra Detail Slides

## Extra (Pseudo-)Scalar Bosons: Top-color models

- Scalars (such as Higgs) exist as bound states of top and bottom quarks
- For $\mathrm{M}_{\pi \pm}=250 \mathrm{GeV}, \mathrm{t}_{\mathrm{R}}-\mathrm{C}_{\mathrm{R}}$ mixing of $\sim 20 \%$ s-channel crosssection doubles
- No interference as SM is from left-handed light quarks
- t-channel contribution is suppressed by $1 / M_{\pi \pm}^{2}$ and that $\pi^{ \pm}$ doesn't couple to light quarks

time-like momentum allows for resonance


## Extra Gauge Bosons: Top-flavor models

$$
\text { e.g., } \operatorname{SU}(3)_{\mathrm{C}} \times \operatorname{SU}(2)_{\mathrm{h}} \times \operatorname{SU}(2)_{1} \times U(1)_{\mathrm{Y}}
$$

- Postulate a larger gauge group which reduces to the SM gauge group at low energies to explain top mass
- $1^{\text {st }}$ and $2^{\text {nd }}$ gen quarks transform under $S U(2)_{1}$, and $3^{\text {rd }}$ under $S U(2)_{h}$, add heavy doublet of quarks
- $\operatorname{SU}(2)_{\text {n }}$ gauge couplings mix with $\mathrm{SU}(2)_{\text {, }}$ according to $\sin ^{2} \varphi$
- For $\mathrm{M}_{\mathrm{w}^{=}}=1 \mathrm{TeV}, \sin ^{2} \varphi=0.05$ s-channel increases ~20\%
- t-channel contribution suppressed by
 $1 / M_{w}{ }^{2}$


## Extra Dimensions: 5-D Gauge Bosons

- Allow only SM gauge bosons to propagate in compactified extra dimension
- Permits Kaluza-Klein modes of W ( $\mathrm{W}_{\mathrm{kk}}$ )
- For $\mathrm{M}_{\mathrm{wkk}}=1 \mathrm{TeV}$, s-channel amplitudes interfere destructively to reduce cross-section by $25 \%$
- t-channel contributions are suppressed by $1 / M_{w}{ }^{2}$



## Extra quark generations: CKM constraints

- For 3 generations, the unitary of the CKM matrix constrains $\left|\mathrm{V}_{\text {ts }}\right|<0.043$
- With $>3$ generations, one possibility is $\left|V_{\mathrm{tb}}\right|=0.83$ and $\left|V_{\text {ts }}\right|=0.55$
- Because gluons split to ss far more than bb, the t-channel cross-section rises by 60\%
- s-channel produces as many tops as before, but less with an additional b quark - so the observable cross-section goes down a little.
- Changes decay structure of top

| Without imposing 3 family |
| :--- |
| unitarity, these are the $90 \%$ |
| CL direct constraints. |\(\rightarrow V=\left(\begin{array}{ccccc}0.9722-0.9748 \& 0.216-0.223 \& 0.002-0.005 \& ··· <br>

0.199-0.233 \& 0.784-0.976 <br>
0-0.09 \& 0.0-0.057-0.043 \& ··· <br>
··· \& 0.06-0.9993 \& ··· <br>
··· \& ··· \& ···\end{array}\right)\)
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## Extra Couplings*: FCNC: Z-t-c

- Can argue that low energy constraints ( $\kappa_{\text {Ztc }}<0.3$ ) may not apply in the presence of additional new physics
- For $\kappa_{\mathrm{Ztc}}=1$, t-channel increases $60 \%$
- These couplings change top decay structure
- $\kappa_{\text {Zta }}$ recently constrained by LEP II data to be $<\sim 0.5$ (hepex0404014)

*there's nothing "extra" about these couplings; the appropriate title would be



## Shifted cross-sections plot

- SM prediction
- $3 \sigma$ theoretical deviation
+ Charged top-pion
- FCNC Z-t-c vertex
$\times 4$ gen
* Top-flavor model
, Extra dimensions

```
Plot from hep-ph/0007298
t-channel CS has changed to 1.98pb
ED from hep-ph/0207178
```


## Lessons

1) t-channel is affected by modifications to top quark couplings
2) s-channel is affected by heavy particles
3) Many other models to consider, good practice for general searches

> Therefore, measuring the t- and s-channels separately is important and could potentially be a "Window to Physics Beyond the SM"

