



Európai Nukleáris Kutatási Szervezet Európai Részecskefizikai Laboratórium

50 év a részecskefizika kutatásban



SCIENCE between WAR and PEACE

Már a görögök..... Archimedes died in **battle** of Syracuse

Galilei... "On 8 August 1609, he *invited the Venetian Senate* to examine his **spy-glass** from the *tower of St. Marco*, with spectacular success: three days later, he made a present of it to the Senate, accompanied by a letter in which he explained that the instrument, which **magnified objects nine times** would prove of utmost importance in war. It made it possible to see *'sails and shipping that were so far of that it was two hours before they were seen with the naked eye, steering full-sail into the harbour'* thus being invaluable against **invasion by sea**. ... The grateful Senate of Venice promptly **doubled Galilelo's salary** ... and made his professorship at Padua a lifelong one.

It was not the first and not the last time that **pure research**, that starved cur, snapped up a bone from the **warlord's banquet**." A. Koestler: The SLEEPWALKERS p.369.

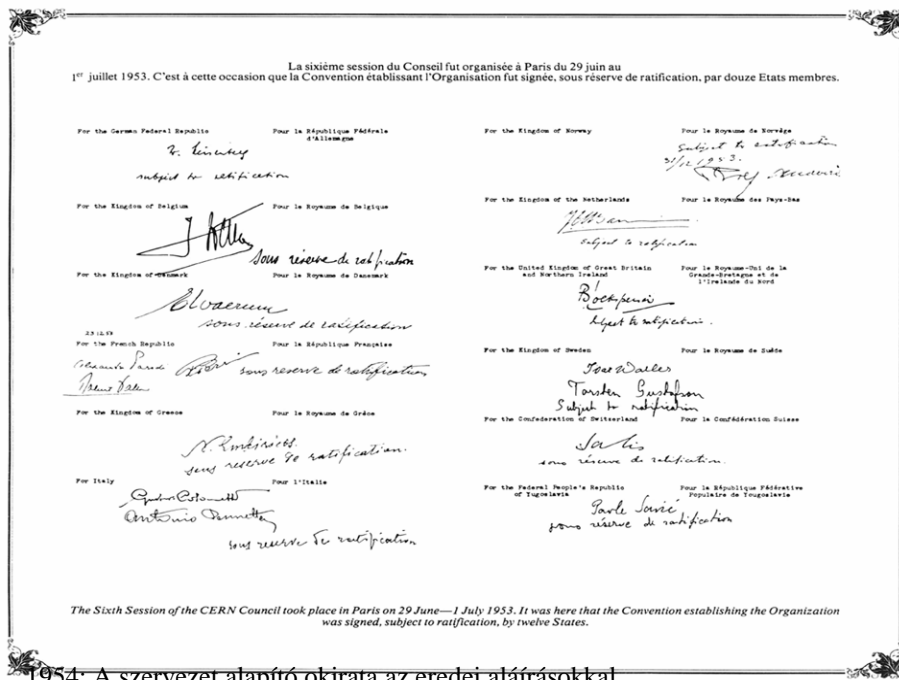
L. Szilárd, A. Einstein, Oppenheimer, E. Teller....



CERN Európai Nukleáris Kutatási Szervezet Európai Részecskefizikai Laboratóriuma

- 1954-ben 12 ország alapította, ma már 20 ország tagja
- Nukleáris = Atommagot kutató (nucleus)
- Évente több mint 7000 felhasználó
- Éves költségvetése 1000 MCHF (600M€)320-130Ft/fő

European MANHATTAN project for PEACE



1954: A szervezetet alapító okirata az eredeti aláírásokkal

1492

A kutatás FRONTVONALA:

Az Atlanti Óceán partja



C.Rubbia initiative

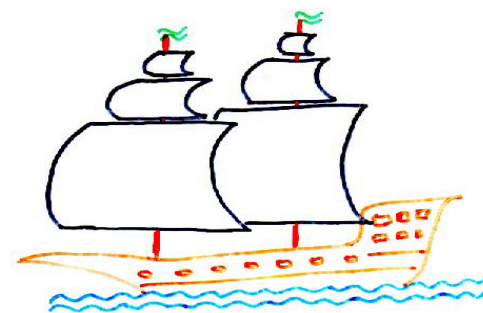
MTA interest

J. Zimányi enthusiasm

J. Antal and E.Pungor
political engagement

A kutatás ESZKÖZE:

Kolumbusz hajói



A kutatás CÉLJA:

INDIA

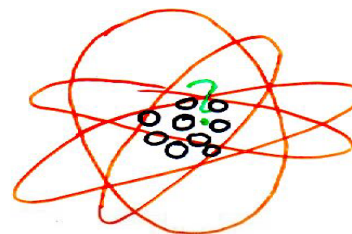
A kutatás EREDMÉNYE:

AMERIKA

1992...

A kutatás FRONTVONALA:

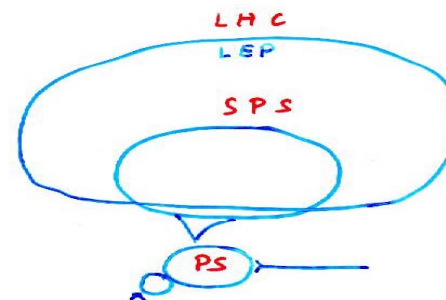
Az atommag belseje



Fizikusok 12 évvel hamarabb léphettek be fizikus EU-ba!!!

A kutatás ESZKÖZE:

Részecske gyorsítók



A kutatás CÉLJA:

HIGGS-BOZON (LEP) } LHC
 Quark-Gluon-Plasma (SPS)

Still TRUE now

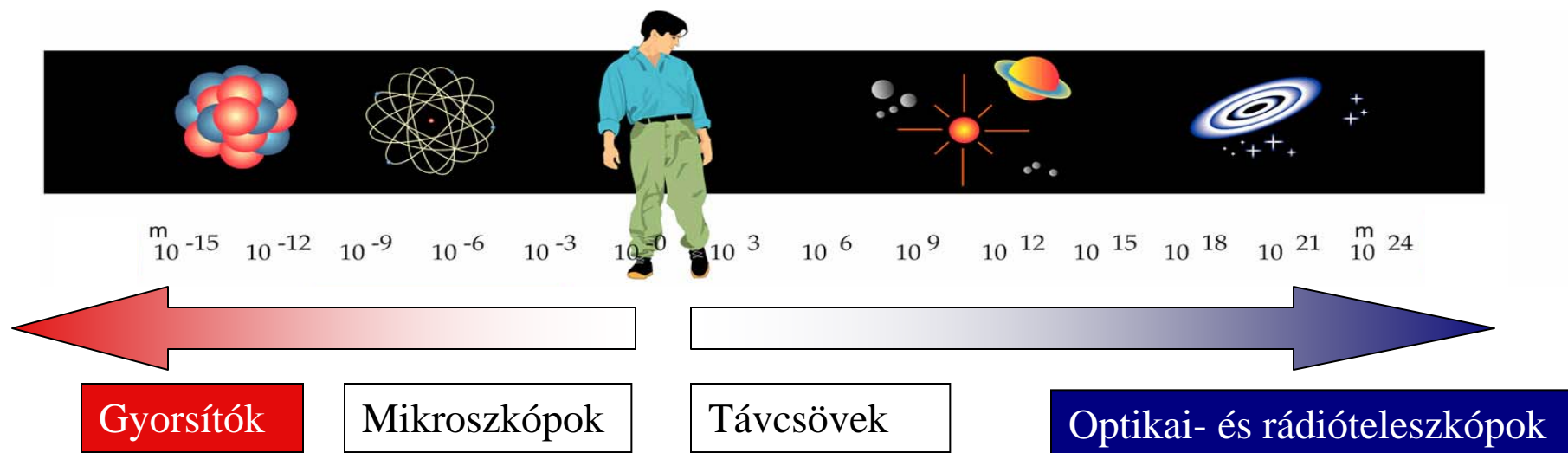
A kutatás EREDMÉNYE:

?

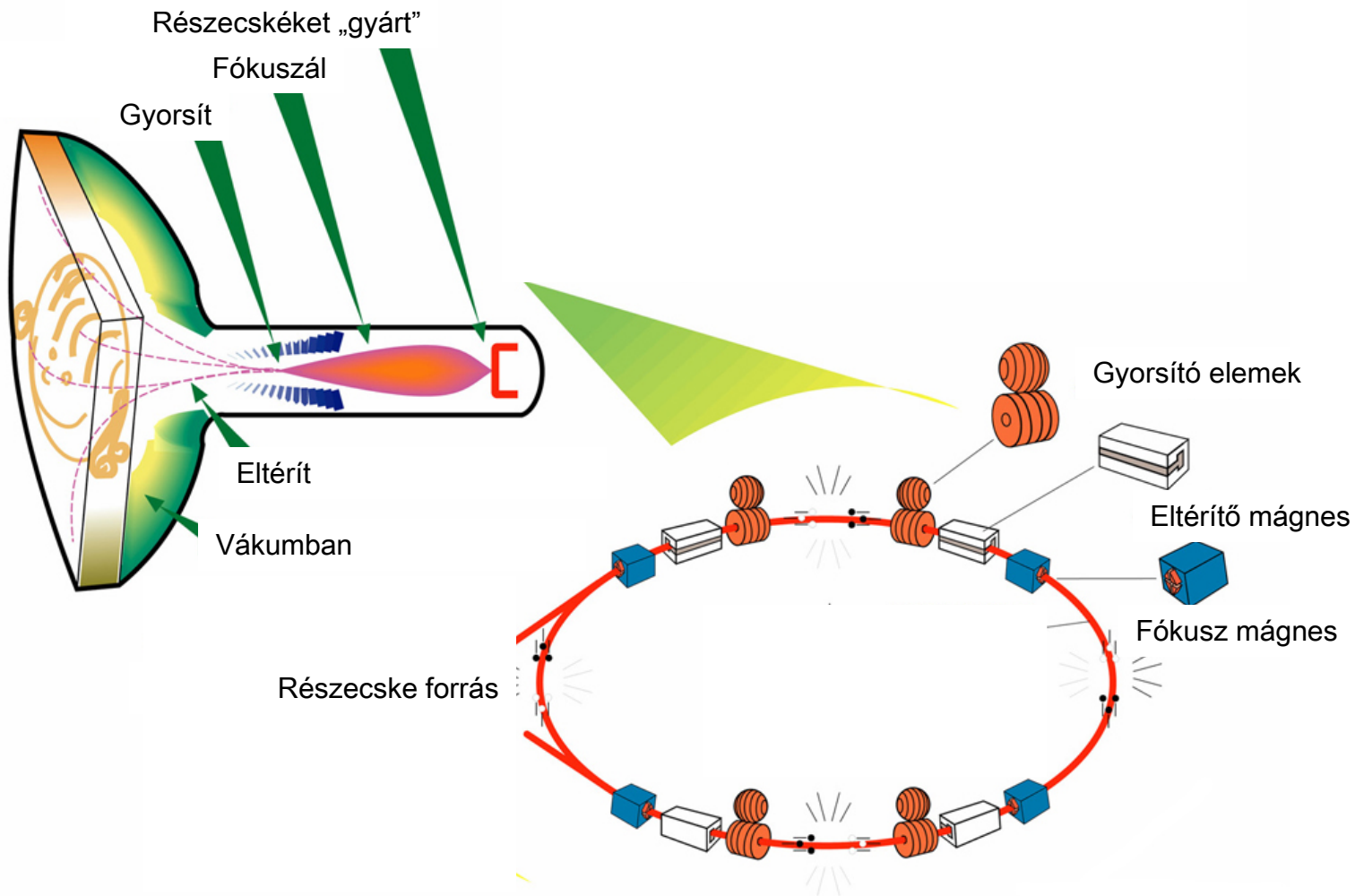
- A CERN 20 tagországa 18 különböző hivatalos nyelvet használ (A+D, CH=F+D)
- A 80 országból érkező kutatók közel 100 nyelven beszélnek
- A CERN hivatalos munkanyelvei az angol és a francia

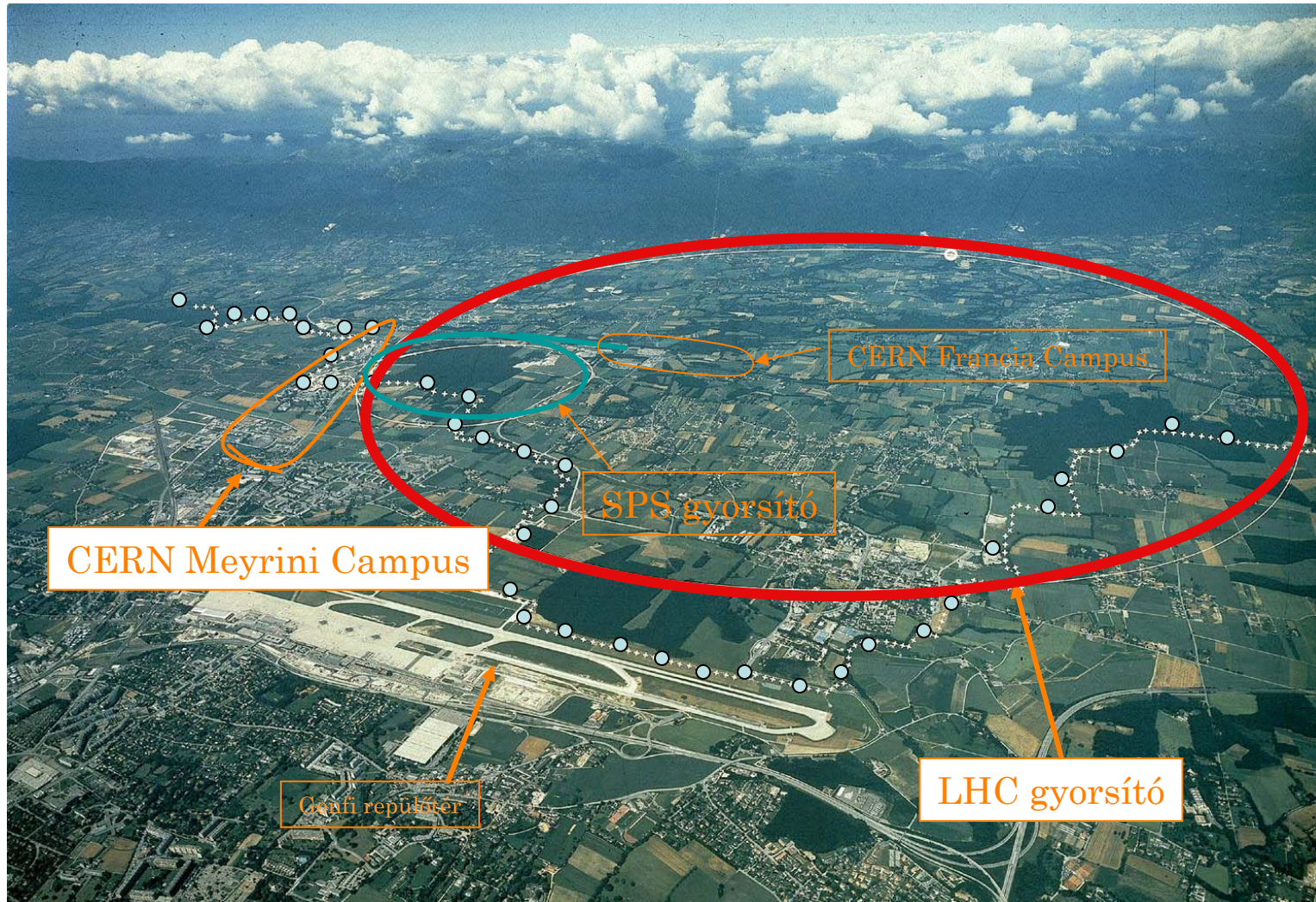


A részecskefizika az anyag legparányibb építőköveit vizsgálja módszeres alaposággal

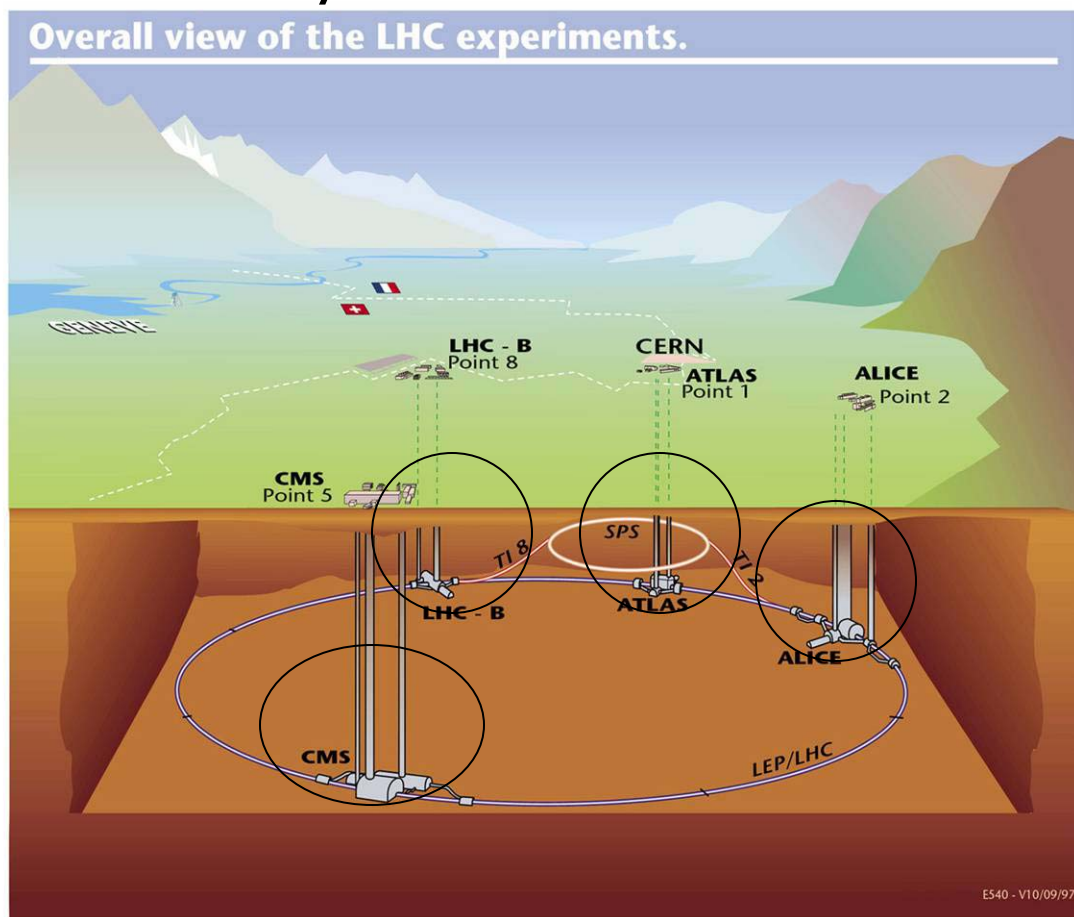


A televízió készülék!





A Nagy Hadron Ütköztető (LHC) lesz a valaha épített legnagyobb, az elemi részecskék vizsgálatára szolgáló tudományos műszer.

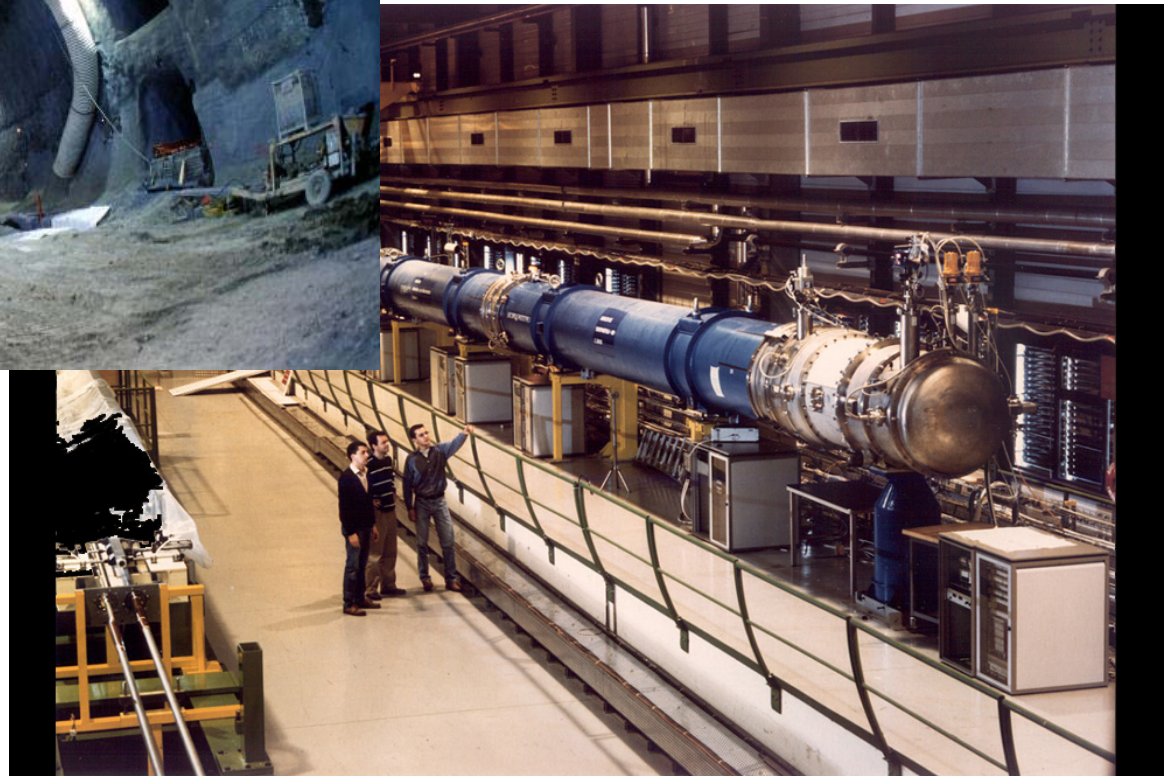


- Négy hatalmas földalatti csarnok készül az óriási detektorok számára
- A világ legnagyobb teljesítményű tudományos részecskegyorsítója a legmelegebb pont az Uni-verzumban a BigBang óta
- Alacsonyabb hőmérsékleten mint a világűr dermedtő hidege $2.7 \text{ K} > 1.8 \text{ K}$

Az LHC építése



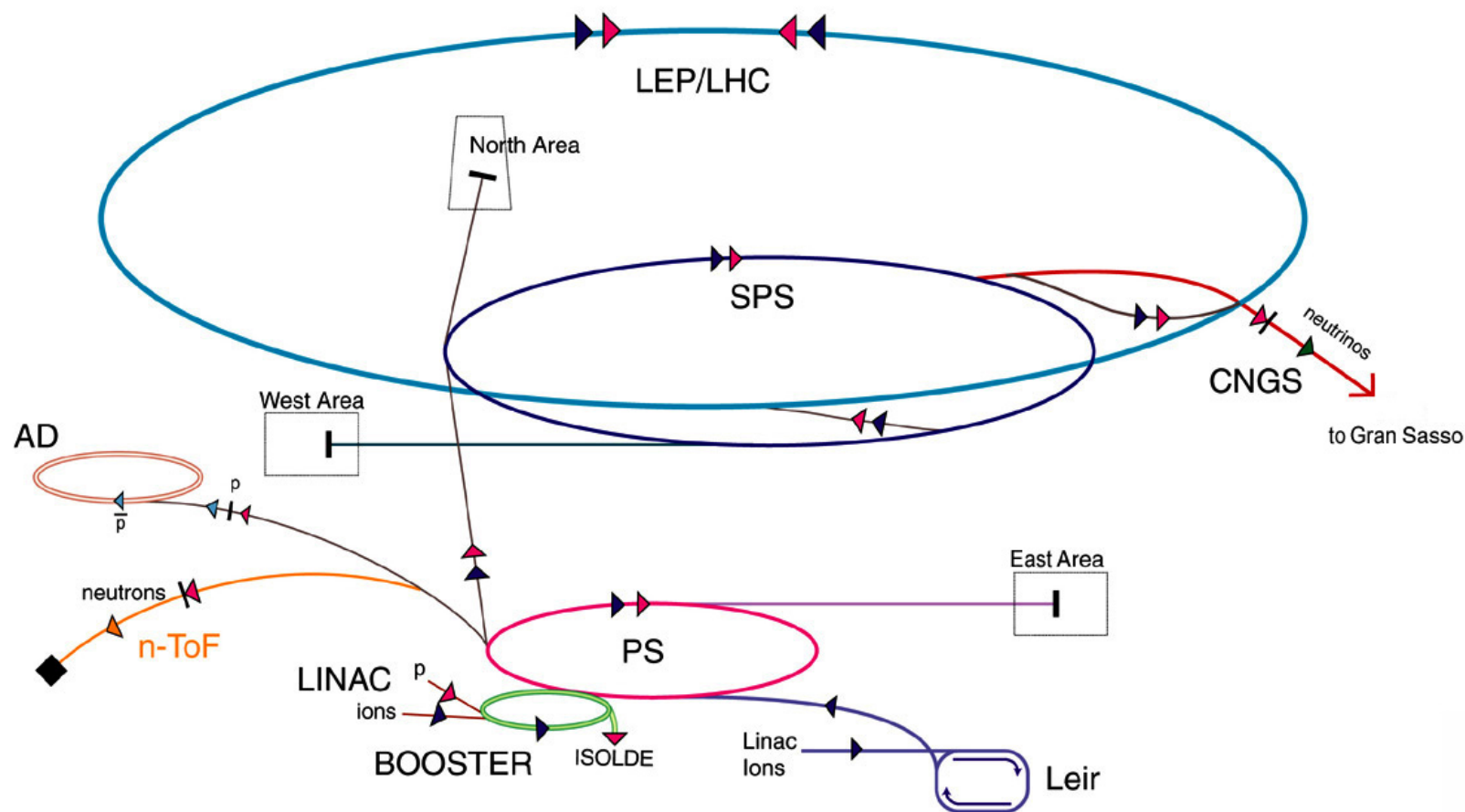
27 km kerületű
100 méterre a föld alatt





Feladatunk: részecskegyorsítók építése és üzemeltelése a fizikai kutatás számára

CERN gyorsító komplexuma



- | | | | |
|--------------|--|------------------------------|--------------------------------|
| ▶ p (proton) | ▶ \bar{p} (antiproton) | AD Antiproton Decelerator | LHC Large Hadron Collider |
| ▶ ion | ▶ \leftrightarrow proton/antiproton conversion | PS Proton Synchrotron | n-ToF Neutron Time of Flight |
| ▶ neutron | ▶ neutrino | SPS Super Proton Synchrotron | CNGS Cern Neutrinos Gran Sasso |

Some units which we will use and some relationships that might be useful.

$$E^2 = \vec{p}^2 c^2 + m_0^2 c^4$$

$$\beta = \frac{v}{c}$$

$$(0 \leq \beta < 1) \quad \gamma = \frac{1}{\sqrt{1 - \beta^2}} \quad (1 \leq \gamma < \infty)$$

$$E = m_0 \gamma c^2$$

$$p = m_0 \gamma \beta c$$

$$\beta = \frac{pc}{E}$$

energy E :	measured in eV
momentum p :	measured in eV/c
mass m_0 :	measured in eV/c ²

1 eV is a small energy.



$$1 \text{ eV} = 1.6 \cdot 10^{-19} \text{ J}$$

$$m_{\text{bee}} = 1 \text{ g} = 5.8 \cdot 10^{32} \text{ eV}/c^2$$

$$v_{\text{bee}} = 1 \text{ m/s} \rightarrow E_{\text{bee}} = 10^{-3} \text{ J} = 6.25 \cdot 10^{15} \text{ eV}$$

$$E_{\text{LHC}} = 14 \cdot 10^{12} \text{ eV}$$

However,

LHC has a total stored beam energy

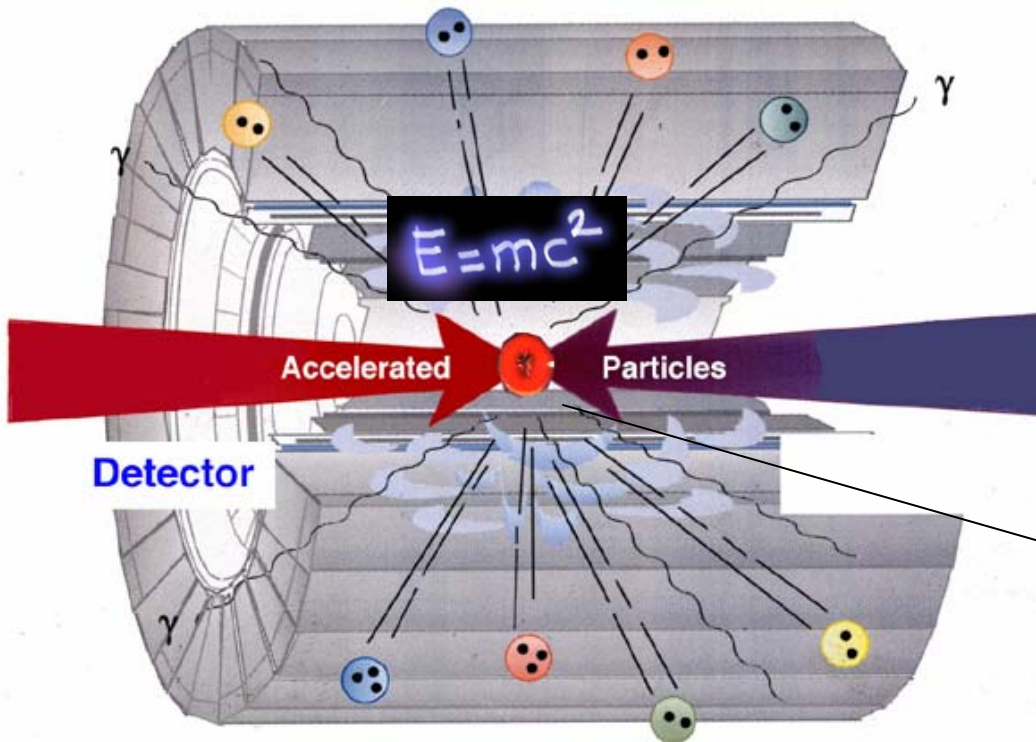
$$10^{14} \text{ protons} \times 14 \cdot 10^{12} \text{ eV} \cong 10^8 \text{ J}$$

or, if you like

One **100 T** truck
at **100 km/h**



http://www.nature.com/news/2004/040105/images/bee_180.jpg



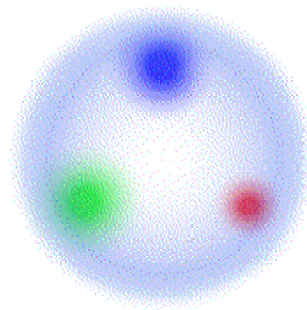
1) Energiakonzentráció a részecskéken (gyorsító)

2) Részecskék ütköztetése (ősrobbanás – Big Bang-közeli állapot előidézése)

3) Létrehozott részecskék azonosítása a **detektorban** (tovább mutató jelek keresése)

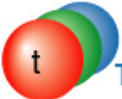



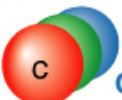









Quarks (Gell-Mann) 1964



Proton

Napjaink periódusos rendszere

	<i>Quarks</i>		<i>Leptons</i>	
Generation 3	 t Top	 b Bottom	 τ Tau	 ν_τ Tau-neutrino
Generation 2	 c Charm	 s Strange	 μ Muon	 ν_μ Muon-neutrino
Generation 1	 u Up	 d Down	 e Electron	 ν_e Electron-neutrino



Mystery



Miért van pont három generáció?

Mystery



Szuperszimetria?

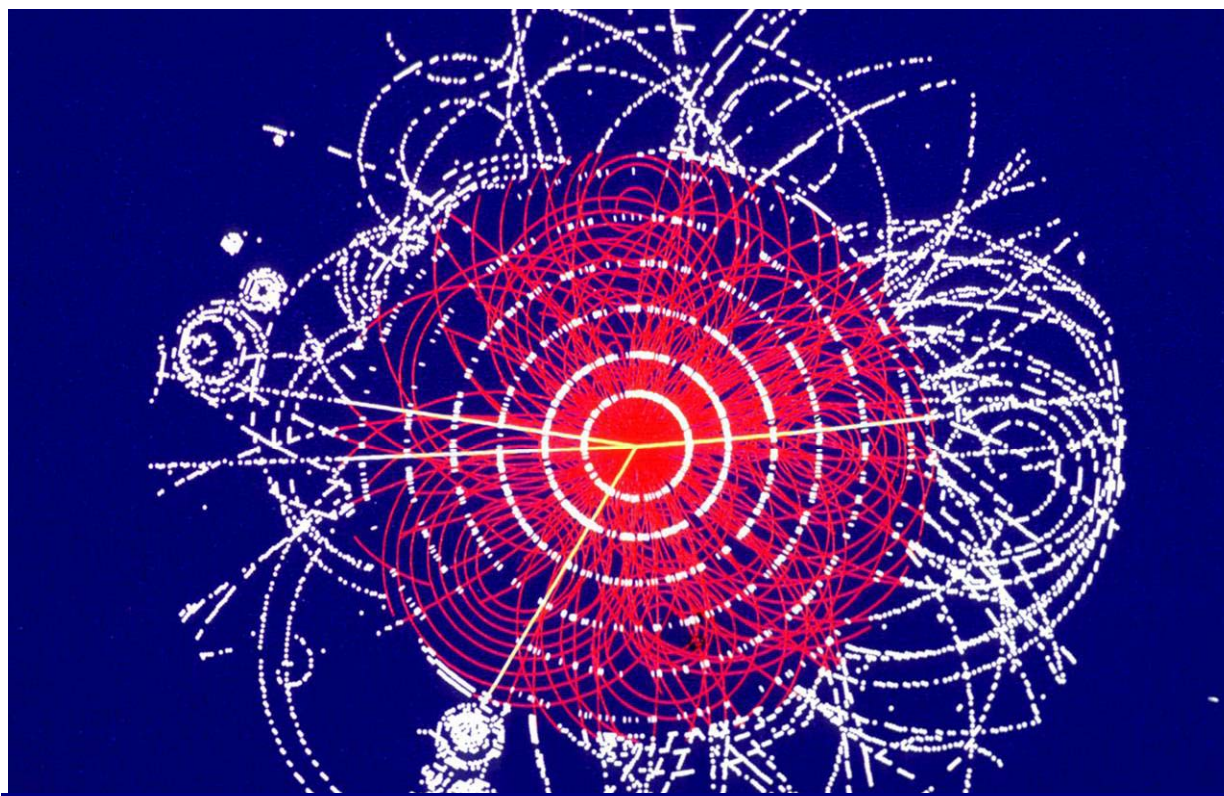
Az LHC segít
megoldani
ezeket a kihívó
rejtélyeket

Mystery

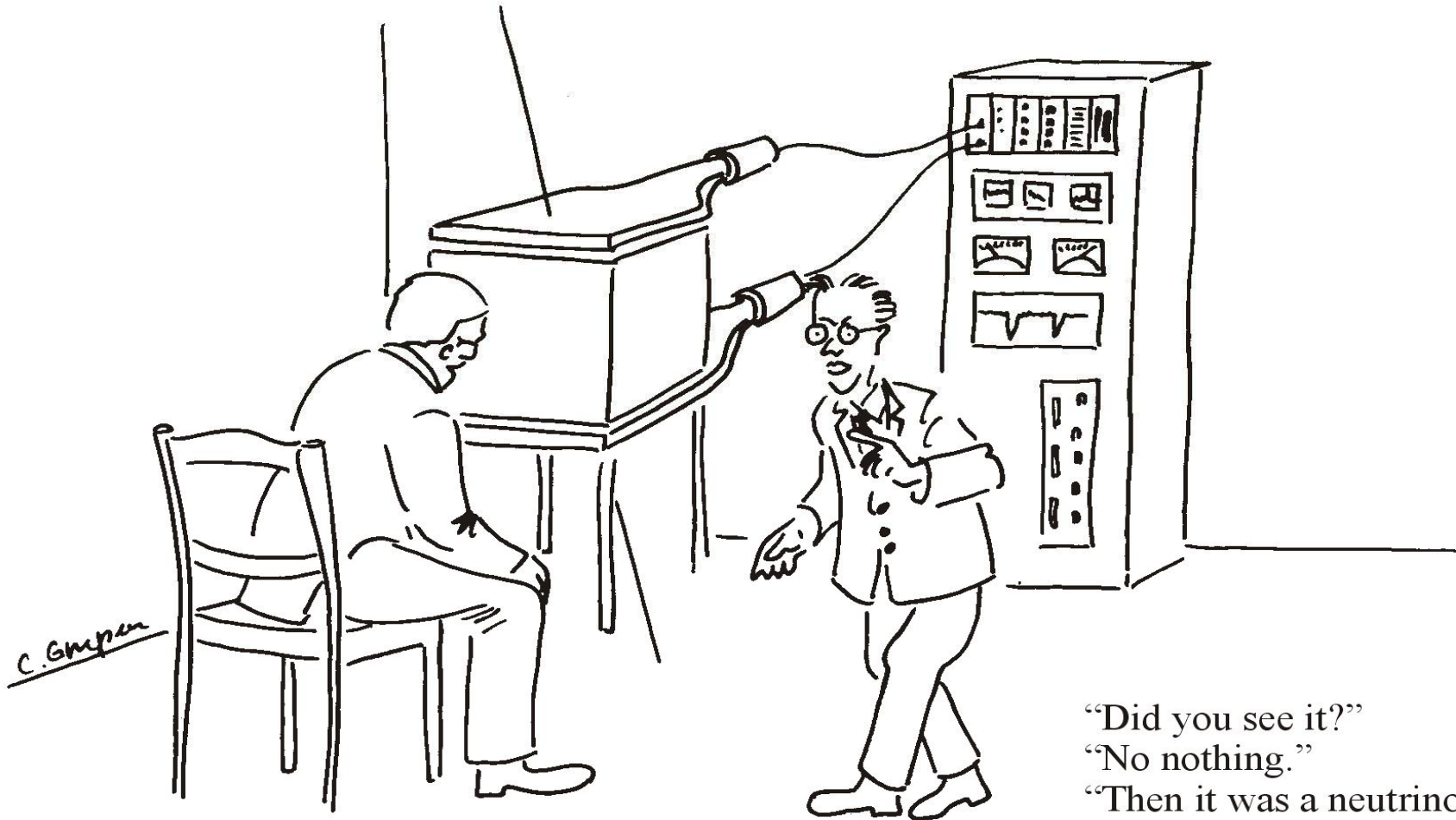


Hol van a Higgs bozon?

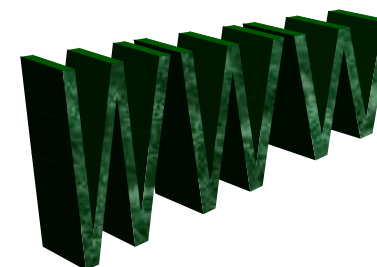
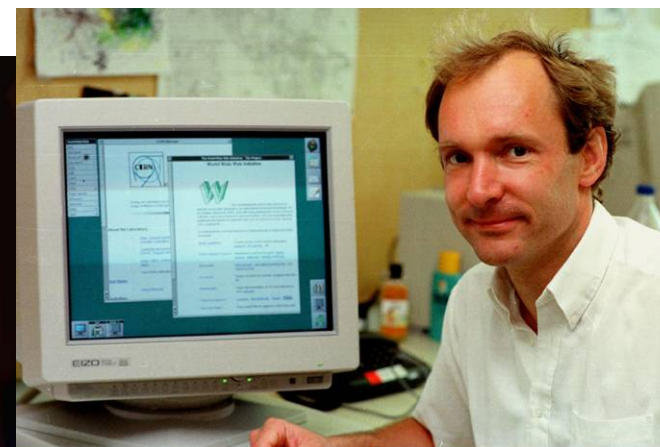
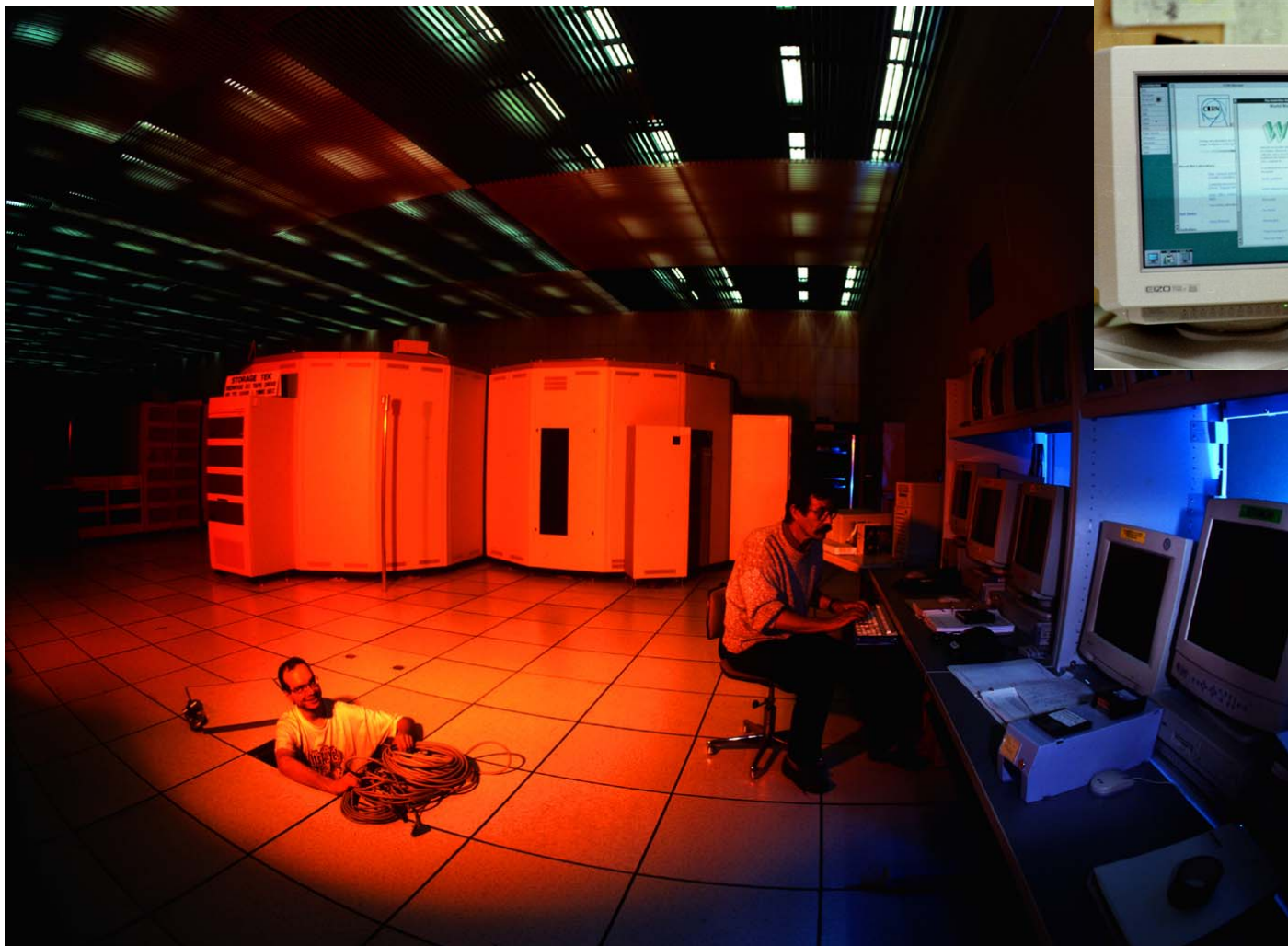
Az LHC két protonnyalábja másodpercenként
800 millió alkalommal fog ütközni



10,000,000,000,000
ÜTKÖZÉSENKÉNT VÁRUNK 1 HIGGS
ESEMÉNYT!

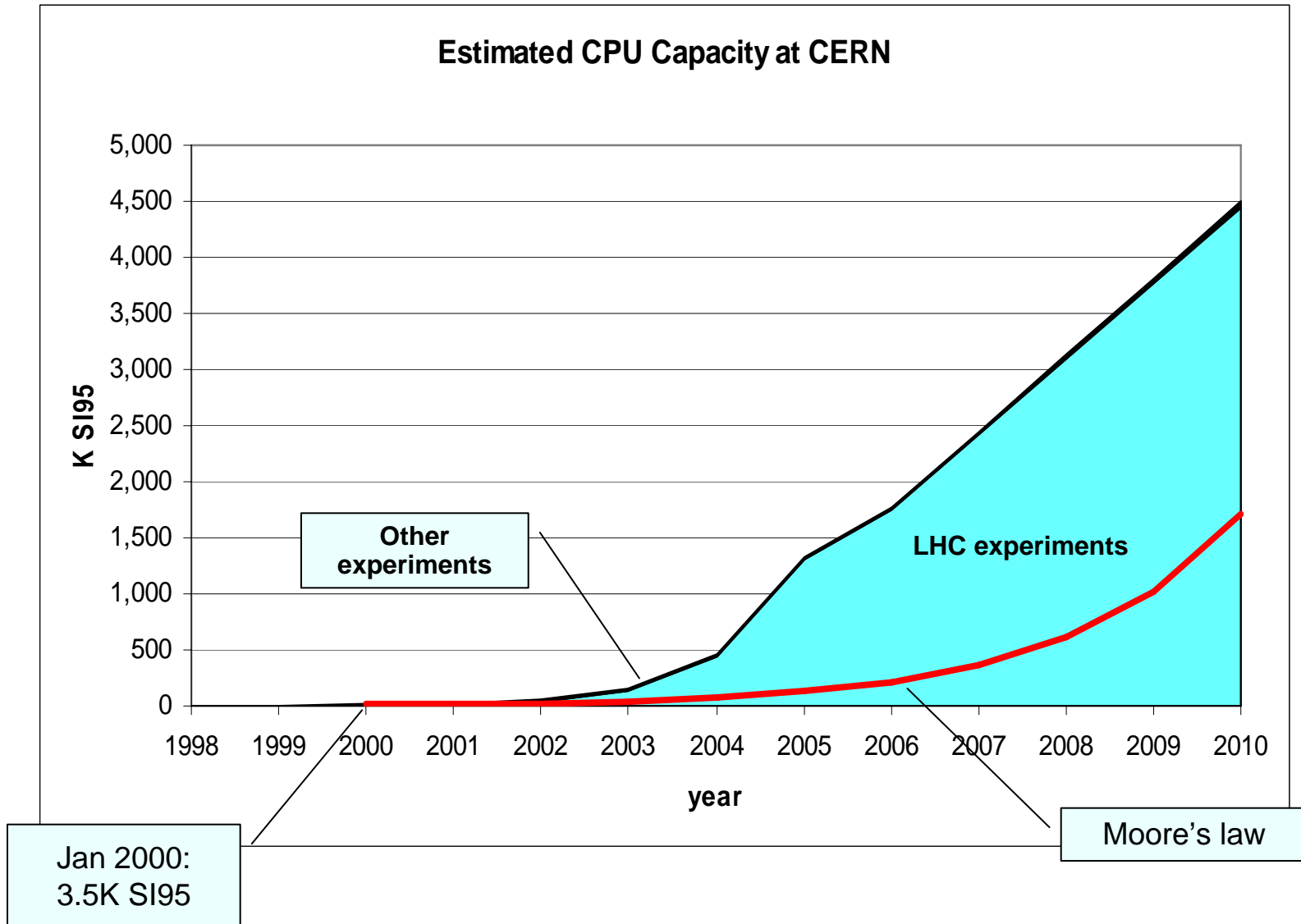


Claus Grupen, Particle Detectors, Cambridge University Press,
Cambridge 1996 (455 pp. ISBN 0-521-55216-8)





CERN számítási igénye Processzor kapacitás 1998-2010

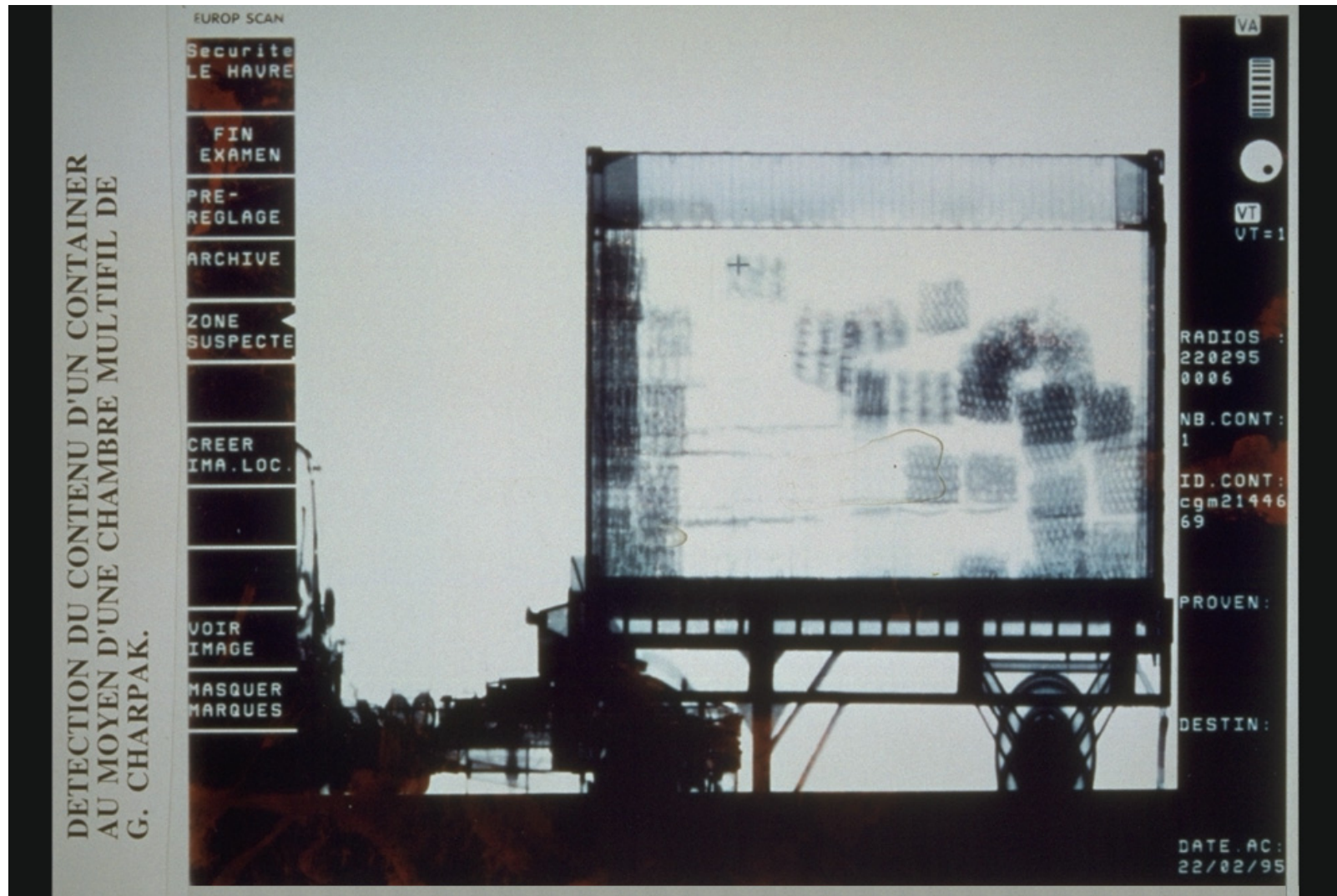


Az LHC computing GRID az Európai Unió által támogatott projekt, melynek célja a jövő bonyolult számítási és elemzési feladatainak megoldásához szükséges számítástechnikai infrastruktúra kialakítása









Évente közel 500 diák, akik hazaviszik
az itt szerzett tudásukat





CERN as Model of OPEN Society

Minden kutatási eredmény PUBLIKUS

Mindent lehet fényképezni

Mindenhová be lehet menni, ha az az ott folyó munkát nem zavarja és nem káros az egészségre

Az LHC építés minden fázisa a web-en kamerával on-line és grafikonokon követhető



Nem a fejek MEGTÖMÉSE,

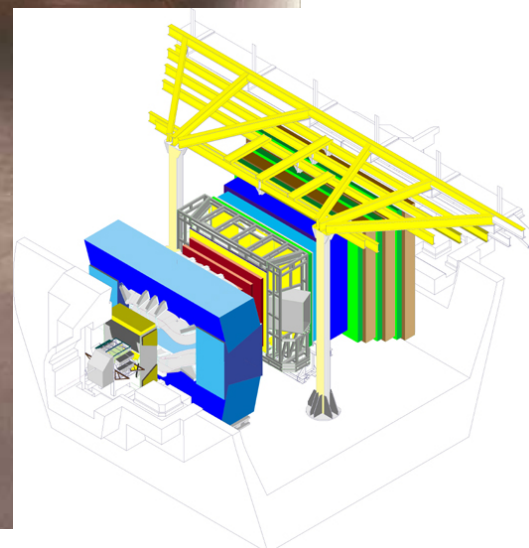
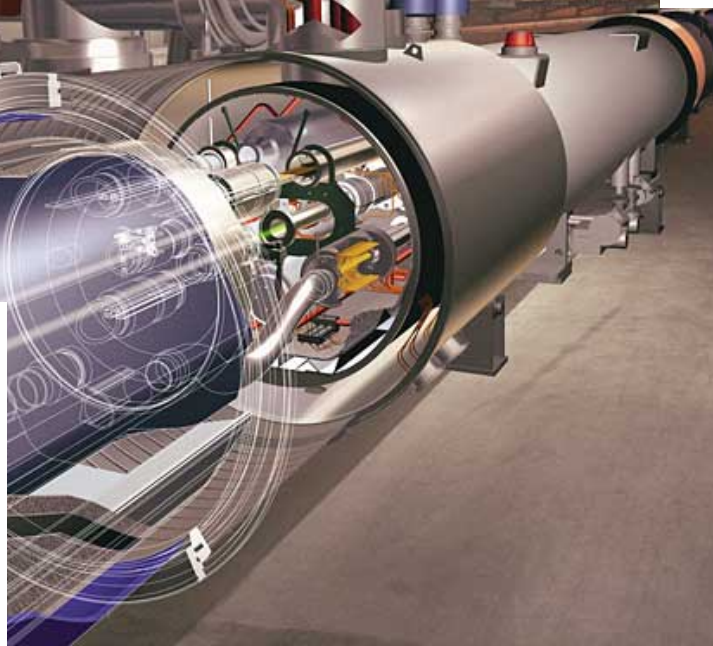
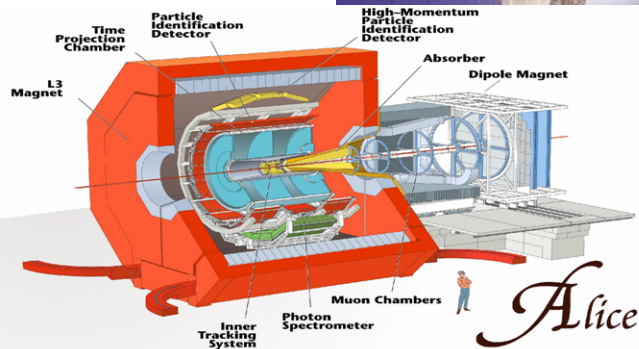
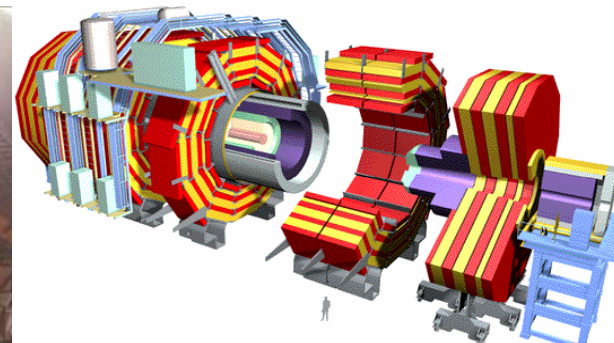
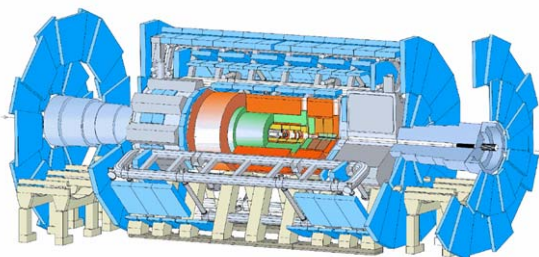
hanem

az ÜRES fejek lecserélése NYITOTT fejekre!!!!!!

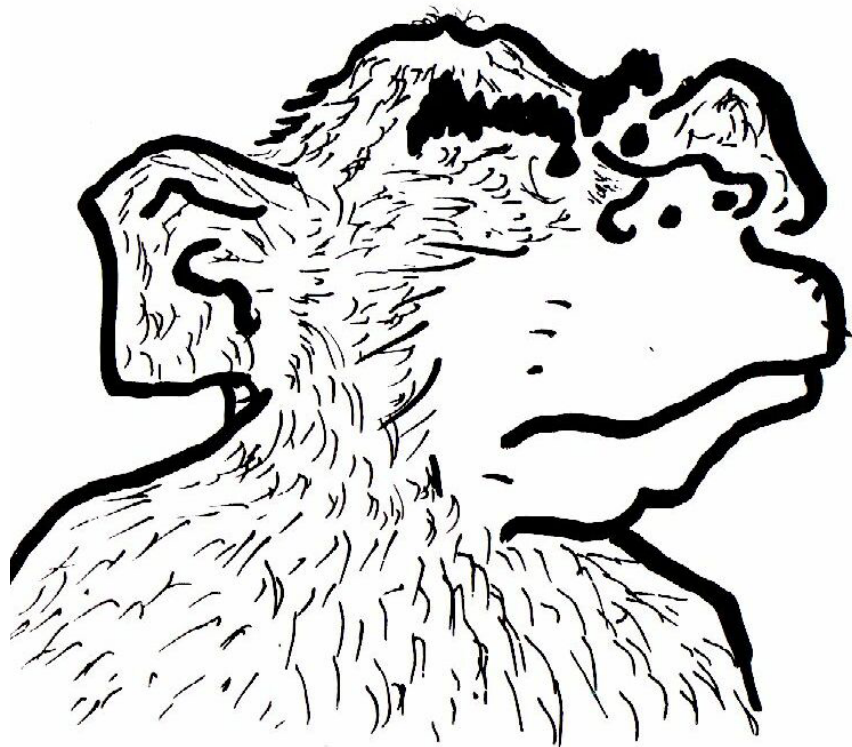
(Diák - Tanársegéd - Professor reláció)

Az LHC: így fog kinézni

Az LHC 2007-ben kezdi meg működését és megváltoztathatja a világegyetemről alkotott képünket.



EINSTEIN SAID: GOD DOESN'T PLAY WITH DICE.



THINK:

GOD PLAYS WITH ACCELERATORS.



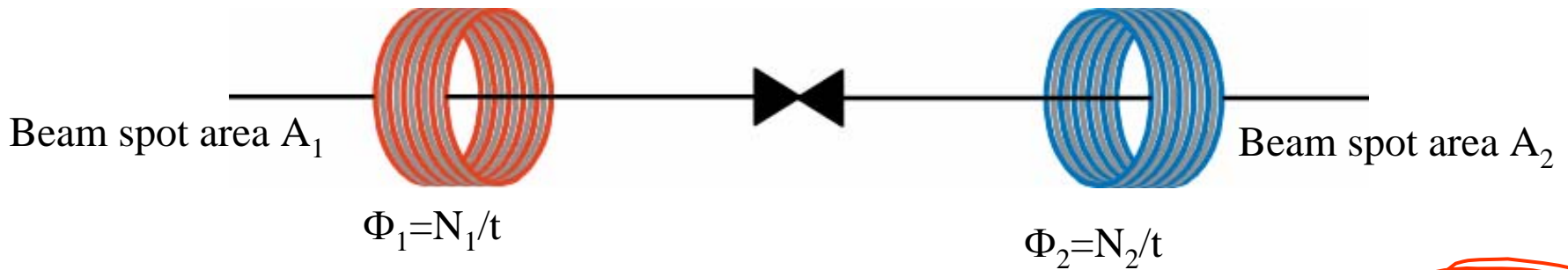
COURTESY OF A. de Rijndal



END of welcome



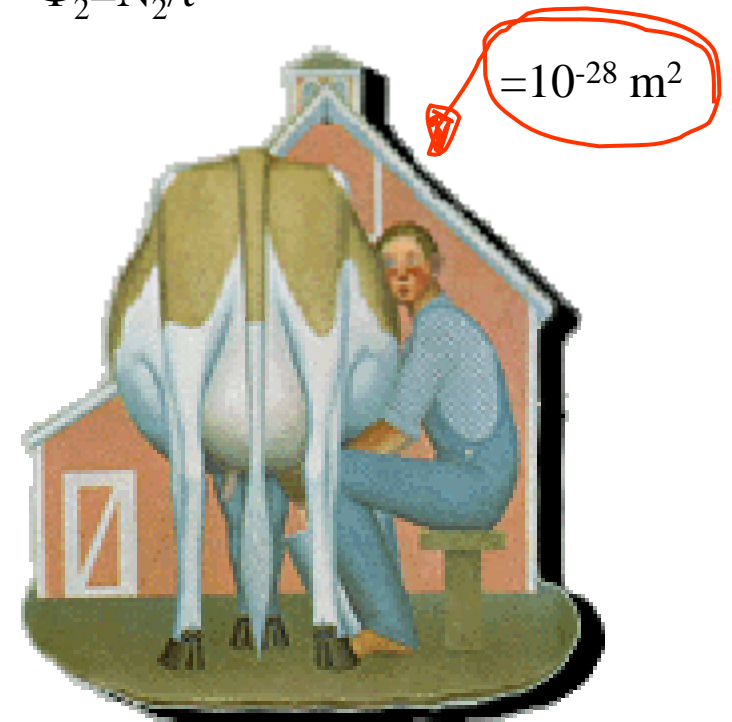
Cross section σ or the differential cross section $d\sigma/d\Omega$ is an expression of the probability of interactions.



The interaction rate, R_{int} , is then given as:

$$R_{\text{int}} \propto \frac{N_1 N_2}{A \cdot t} = \sigma \mathcal{L}$$

σ has the dimension area.
1 barn = 10^{-24} cm^2



Grant Wood, Fruits of Iowa: Boy Milking Cow, 1932

The luminosity, \mathcal{L} , is given in $\text{cm}^{-2}\text{s}^{-1}$

THE FIRST HUNGARIAN EXPERIMENT IN PARTICLE PHYSICS

R.v. Eötvös, D. Pekár, E. Fekete *ANN. PHYS.* 68 (1922) 11 !

BARION number dependence of the "fifth-force"

TABLE I. Summary of EPF results for $\Delta\kappa$, and page quoted from Ref. 6, along with the computed values of $\Delta(B/\mu)$. Ag-Fe-SO₄ refers to the reactants before and after the chemical reaction described by Eq. (7).

Materials compared	Page quoted	$10^3 \Delta\kappa$	$10^3 \Delta(B/\mu)$
Cu-Pt	37	$+0.4 \pm 0.2$	+0.94
Magnalium-Pt	34	-0.4 ± 0.1	+0.50
Ag-Fe-SO ₄	39	0.0 ± 0.2	0.00
Asbestos-Cu	47	-0.3 ± 0.2	-0.74
CuSO ₄ · 5H ₂ O-Cu	44	-0.5 ± 0.2	-0.86
CuSO ₄ (solution)-Cu	45	-0.7 ± 0.2	-1.42
Water-Cu	42	-1.0 ± 0.2	-1.71
Snakewood-Pt	35	-0.1 ± 0.2	?
Tallow-Cu	48	-0.6 ± 0.2	?

Measured relative deviation: $\Delta a/g = \kappa_1 - \kappa_2 = \Delta\kappa$

Barion number and mass ratio difference: $\Delta(B/\mu) = \frac{B_1}{\mu_1} - \frac{B_2}{\mu_2}$

PHYSICAL REVIEW LETTERS

6 JANUARY 1986 !!!

Reanalysis of the Eötvös Experiment

Ephraim Fischbach^(a)

$$V(r) = -G_\infty \frac{m_1 m_2}{r} (1 + \alpha e^{-r/\lambda})$$

$$= V_N(r) + \Delta V(r). \quad (1)$$

Here $V_N(r)$ is the usual Newtonian potential energy for two masses $m_{1,2}$ separated by a distance r , and G_∞ is the Newtonian constant of gravitation for $r = \infty$. The geophysical data can then be accounted for quantitatively if α and λ have the values²

$$\alpha = -(7.2 \pm 3.6) \times 10^{-7}, \quad \lambda = 200 \pm 50 \text{ m}. \quad (2)$$

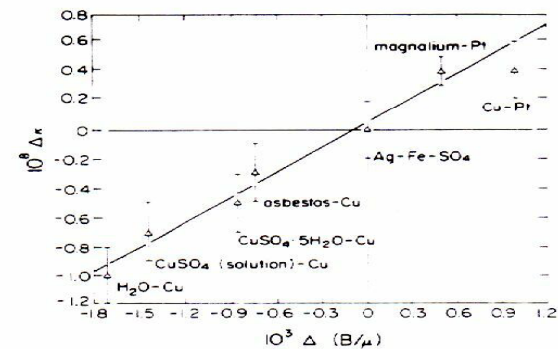


FIG. 1. Plot of $\Delta\kappa$ vs $\Delta(B/\mu)$ using the data in Table I. Ag-Fe-SO₄ refers to the reactants before and after the chemical reaction described by Eq. (7). The solid line represents the results of a least-squares fit to the data.



Other theoretical considerations also suggest that new effects may show up at short distances; string theories predict scalar particles (dilaton and moduli) that generate Yukawa interactions which could be seen in tests of the $1/r^2$ law. If supersymmetry is broken at low energies these scalar particles would produce mm-scale effects [11,14]. Finally, there may be some significance to the observation [12] that the gravitational cosmological constant, $\Lambda \approx 3 \text{ keV/cm}^3$, deduced from distant Type 1A supernovae [15,16] corresponds to a length scale $\sqrt{\hbar c/\Lambda} \approx 0.1 \text{ mm}$. These, and other, considerations suggest that the Newtonian gravitational potential should be replaced by a more general expression [17]

$$V(r) = -G \frac{m_1 m_2}{r} (1 + \alpha e^{-r/\lambda}) . \quad (2)$$

The simplest scenario with 2 large extra dimensions predicts $\lambda = R^*$ and $\alpha = 3$ or $\alpha = 4$ for compactification on a 2-sphere or 2-torus, respectively [17], while dilaton and moduli exchange could produce forces with α as large as 10^5 for Yukawa ranges $\lambda \sim 0.1 \text{ mm}$ [11].

This letter reports results of a test of gravitational inverse-square law at length scales well below 1 mm. Our instrument is shown in Fig. 1.

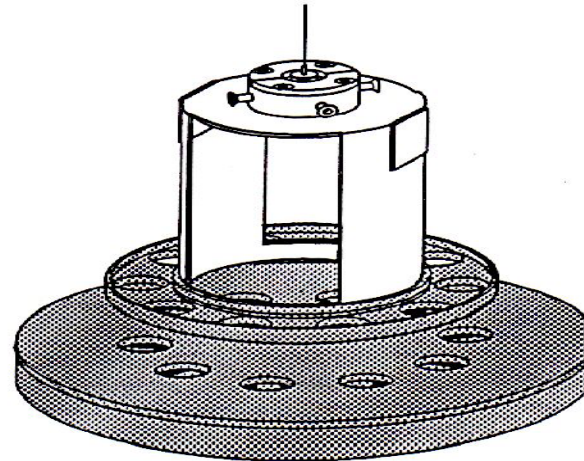


FIG. 1. Scale drawing of the torsion pendulum and rotating attractor. The active components are shaded. For clarity, we show an unrealistically large 1.5 cm vertical separation between pendulum and attractor, and omit the BeCu membrane and the attractor drive mechanism. The 4 horizontal screws were adjusted to make the pendulum precisely level.



Non-Cantorian Set Theory

In 1963 it was proved that a celebrated mathematical hypothesis put forward by Georg Cantor could not be proved. This profound development is explained by analogy with non-Euclidean geometry

by Paul J. Cohen and Reuben Hersh

The abstract theory of sets is currently in a state of change that in several ways is analogous to the 19th-century revolution in geometry. As in any revolution, political or scientific, it is difficult for those participating in the revolution or witnessing it to foretell its ultimate consequences, except perhaps that they will be profound. One thing that can be done is to try to use the past as a guide to the future. It is an unreliable guide, to be sure, but better than none.

We propose in this article to use the oft-told tale of non-Euclidean geometry to illuminate the now unfolding story of nonstandard set theory.

A set, of course, is one of the simplest and most primitive ideas in mathematics, so simple that today it is part of the kindergarten curriculum. No doubt for this very reason its role as the most fundamental concept of mathematics was not made explicit until the 1880's. Only then did Georg Cantor make the first nontrivial discovery in the theory of sets.

To describe his discovery we must first explain what we mean by an infinite set. An infinite set is merely a set with

an infinite number of distinct elements; for example, the set of all "natural" numbers (1, 2, 3 and so on) is infinite. So too is the set of all the points on a given line segment.

Cantor pointed out that even for infinite sets it makes sense to talk about the number of elements in the set, or at least to state that two different sets have the same number of elements. Just as with finite sets, we can say that two sets have the same number of elements—the same "cardinality"—if we can match up the elements in the two sets one for one. If this can be done, we call the two sets equivalent.

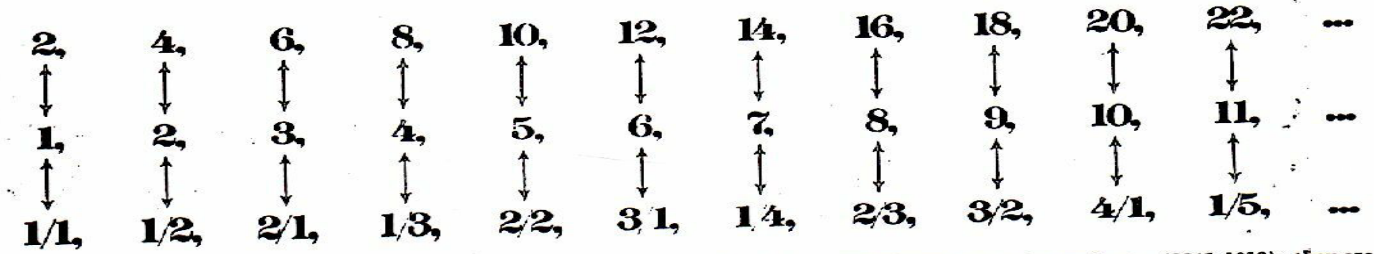
The set of all natural numbers can be matched up with the set of all even numbers, and also with the set of all fractions [see illustration below]. These two examples illustrate a paradoxical property of infinite sets: an infinite set can be equivalent to one of its subsets. In fact, it is easily proved that a set is infinite if, and only if, it is equivalent to some proper subset of itself.

All of this is engaging, but it was not new with Cantor. The notion of the cardinality of infinite sets would be inter-

esting only if it could be shown that not all infinite sets have the same cardinality. It was this that was Cantor's first great discovery in set theory. By his famous diagonal proof he showed that the set of natural numbers is not equivalent to the set of points on a line segment [see illustration on opposite page].

Thus there are at least two different kinds of infinity. The first, the infinity of the natural numbers (and of any equivalent infinite sets), is called aleph nought (\aleph_0). Sets with cardinality \aleph_0 are called countable. The second kind of infinity is the one represented by a line segment. Its cardinality is designated by a lowercase German c (c), for "continuum." Any line segment, of arbitrary length, has cardinality c [see illustration on page 106]. So does any rectangle in the plane, any cube in space, or for that matter all of unbounded n -dimensional space, whether n is 1, 2, 3 or 1,000!

Once a single step up the chain of infinities has been taken, the next follows naturally. We encounter the notion of the set of all subsets of a given set [see illustration on page 111]. If the



SET IS TERMED COUNTABLE if it can be matched one for one with the natural numbers (middle row). Thus the set of all even numbers (top row) is countable. The set of all fractions (bottom row) is also countable. The fractions shown here are the ones used

by the German mathematician Georg Cantor (1845–1918); they are not in their natural order but in order according to the sum of the numerator and the denominator. Both examples show that an infinite set, unlike a finite set, can be equivalent to one of its subsets.